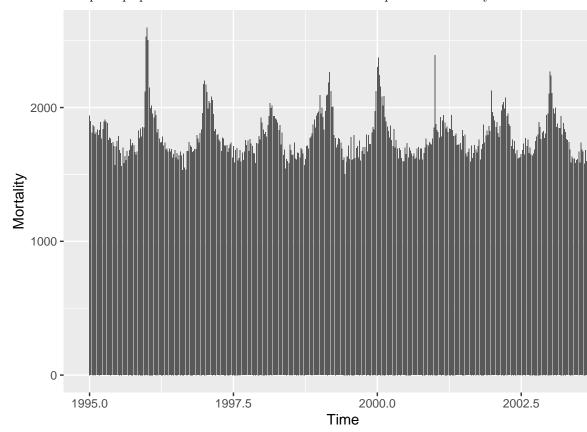
$lab2\text{-}block2_group5_report$

 $Bjorn_Hansen,\ Erik\ Anders,\ Ahmed\ Alhasan$ 12/16/2019

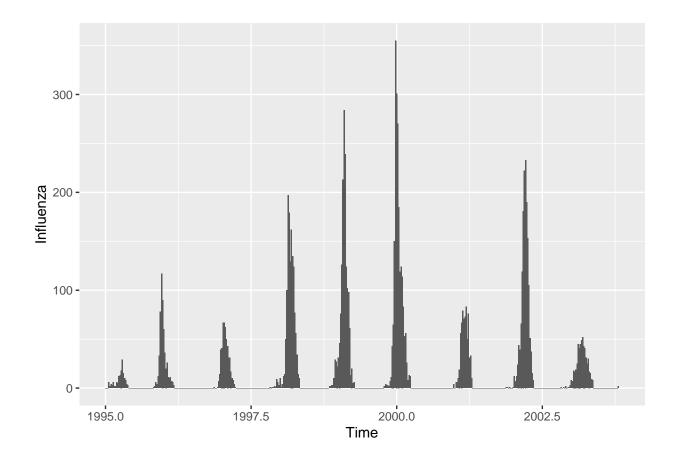
Assignment 1. Using GAM and GLM to examine the mortality rates

1

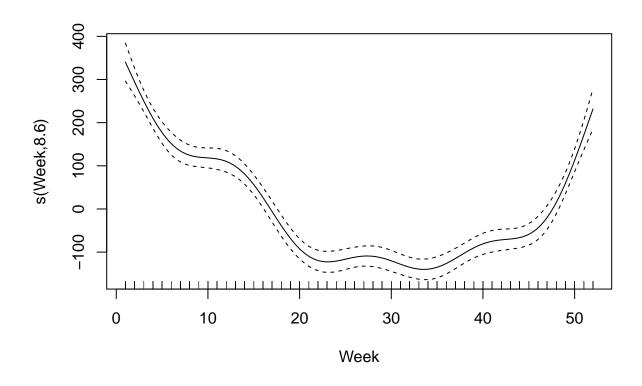
As can be seen from the plots below there does not seem to be a clear relationship between influenza and mortality by viewing the plots. There are perhaps peaks of influenza when there are relative peaks of mortality

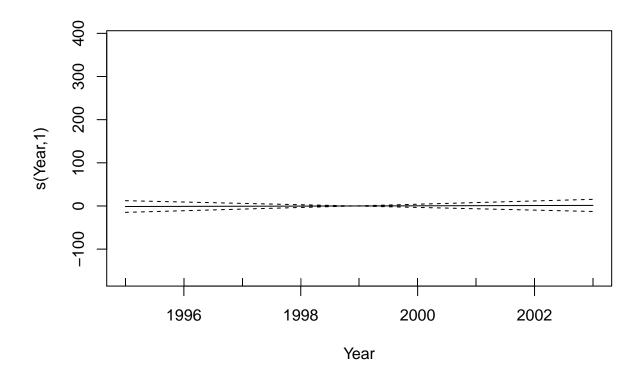


during the year of 2000.



```
\mathbf{2}
##
## Family: gaussian
## Link function: identity
##
## Formula:
## Mortality ~ Year + s(Week, k = length(unique(data$Week)))
##
## Parametric coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) -680.598 3367.760 -0.202
                                             0.840
## Year
                 1.233
                            1.685
                                   0.732
                                             0.465
##
## Approximate significance of smooth terms:
##
            edf Ref.df
                           F p-value
## s(Week) 14.32 17.87 53.86 <2e-16 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Rank: 52/53
## R-sq.(adj) = 0.677 Deviance explained = 68.8%
## GCV = 8708.6 Scale est. = 8398.9 n = 459
```

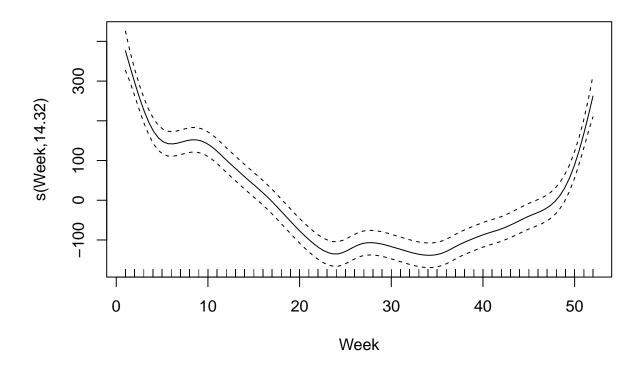


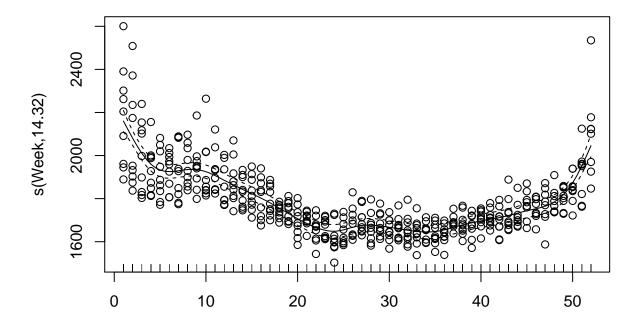


3

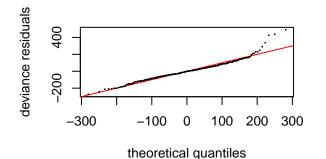
As is seen in the plots below, the histogram of the residuals seem to be normaly distributed and the model seems fit the data well. The week of the year is the most significant feature. The year is not of importance as mortality does not change much between years. It can also be seen from the previous summary of the model that the year has a large p-value.

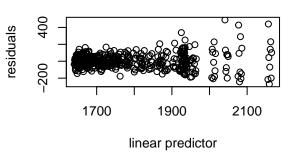
s(Week) ## 0.0001131932





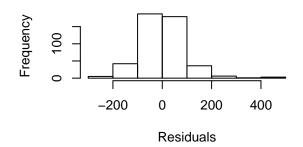
Resids vs. linear pred.

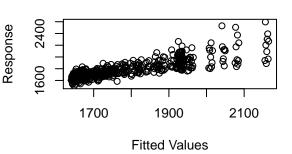


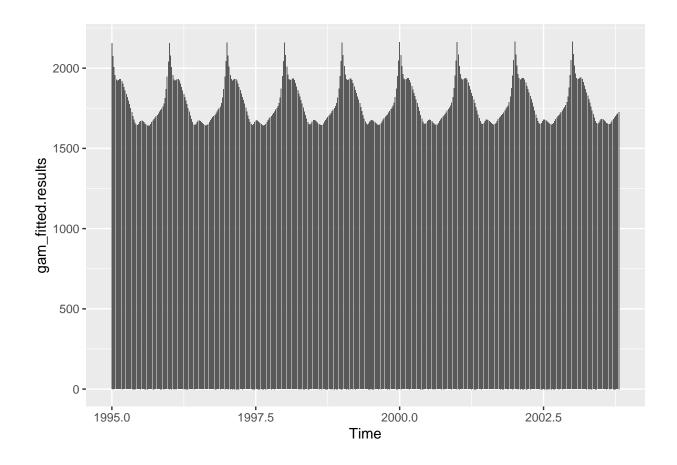


Histogram of residuals

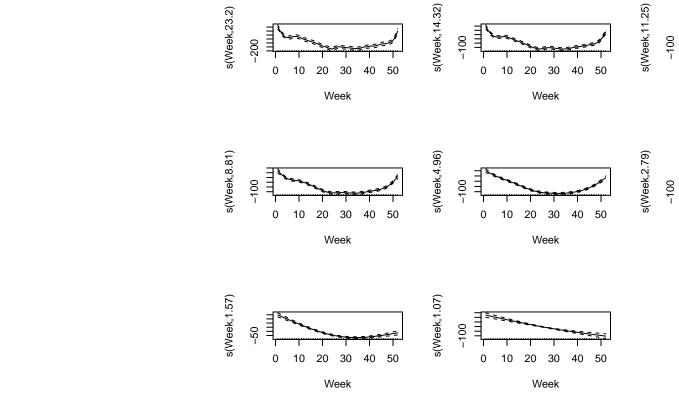
Response vs. Fitted Values







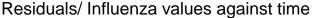
As can be seen from the output below, the lower penalty factor makes the model fit the data more loosly whereas a larger penalty factor gives the model a exact fit. The fit of the model does however not change much

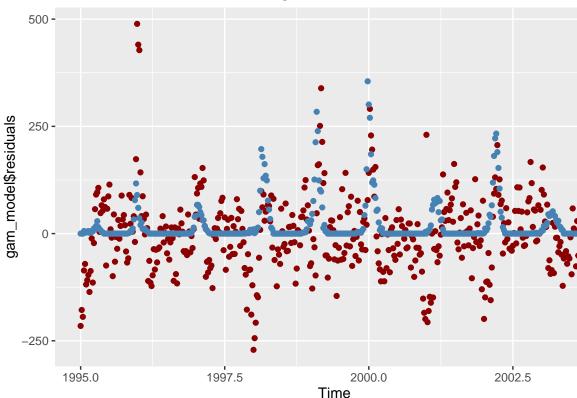


after a penalty factor of 13 is introduced.

5

Viewing the plot bleow it would seem viable to say that the temporal pattern in the residuals correlate to the





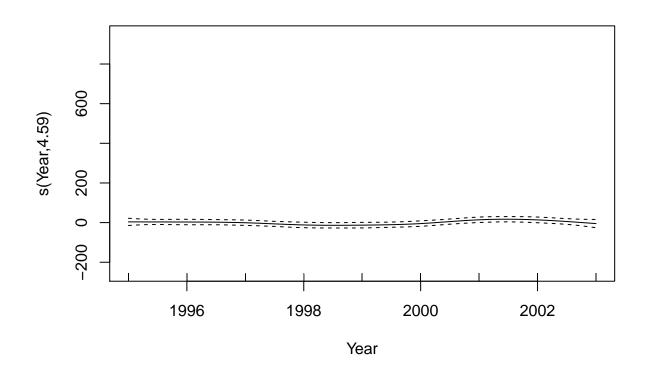
outbreaks of influenza.

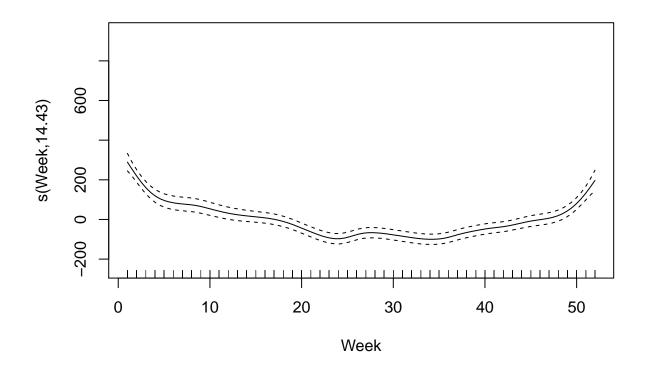
6

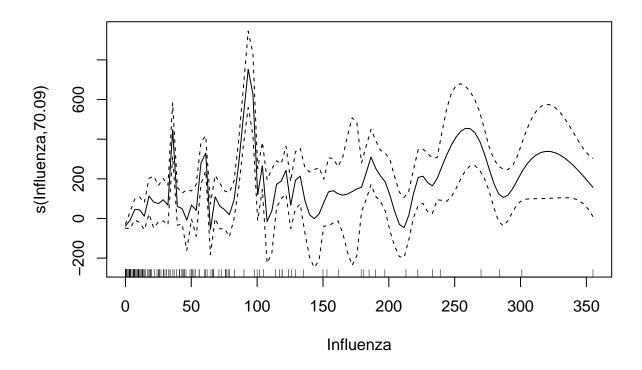
Plot shows that the fitted values are good approximations of the mortality values. Using the summary function it is seen from the p- values that influenza and week are significant contributers of the mortality rate. The year is however not a significant contributer.

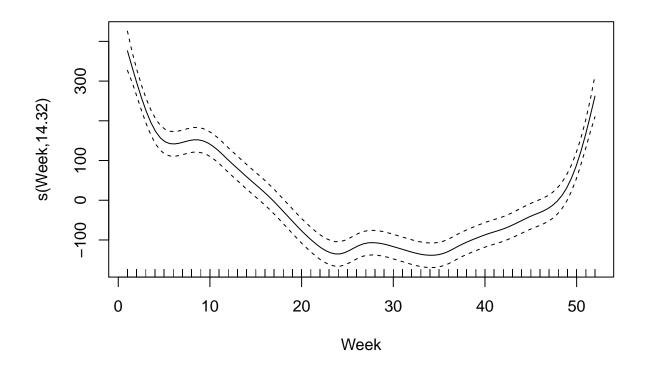
The first plot below is from the original (previous) model and the second from the spline. The spline model is a better model than the previous GAM model. The last output plot shows that the fitted values match the data very well.

```
##
## Family: gaussian
## Link function: identity
##
## Formula:
## Mortality ~ s(Year, k = length(unique(data$Year))) + s(Week,
       k = length(unique(data$Week))) + s(Influenza, k = length(unique(data$Influenza)))
##
##
## Parametric coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
  (Intercept) 1783.765
                             3.198
                                      557.8
                                              <2e-16 ***
##
```

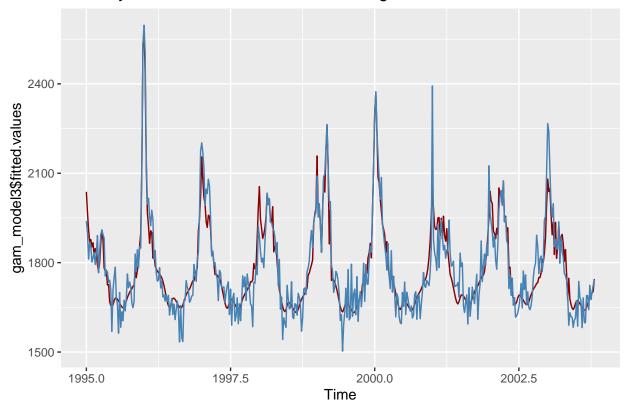








Mortality/ Fitted Influenza values values against time



Assignment 2. High-dimensional methods

Appendix

```
knitr::opts_chunk$set(echo = TRUE)
library(readxl)
library(ggplot2)
setwd("C:/Users/Bjorn/Documents/LIU/machine_learning/labs")
data = read_excel("Influenza.xlsx")
ggplot(data=data, aes(x=Time, y=Mortality))+
  geom_bar(stat = "identity")
ggplot(data=data, aes(x=Time, y=Influenza))+
  geom_bar(stat = "identity")
library(mgcv)
gam_model = gam(Mortality~Year+s(Week, k=length(unique(data$Week))), data=data,
                family = gaussian(link = "identity"), method="GCV.Cp")
gam_model2 = gam(Mortality~Year+s(Week)+s(Year, k=length(unique(data$Year))),
                 data=data, family = gaussian(link = "identity"))
summary(gam_model)
plot(gam_model2)
gam_model$sp
\# s=interp(data$Year,data$Week, fitted(gam_model))
# plot ly(x=\sim s\$x, y=\sim s\$y, z=\sim s\$z, type="surface")
plot(gam_model)
```

```
plot(gam_model, shift=mean(data$Mortality), residuals=T, pch=1, xlab="") #plot with data points include
gam.check(gam_model) #Gives some interesting inforantion about the model.
gam_fitted.results = predict(gam_model, newdata=data)
ggplot(data=data, aes(x=Time, y=gam_fitted.results))+
  geom_bar(stat = "identity")
par(mfrow=c(3,3))
k=c(0.000011,0.0001131932,0.0003,0.0008,0.008,0.08,0.8,10)
for(i in k){
model = gam(Mortality~Year+s(Week, k=length(unique(data$Week))), data=data,
                        family = gaussian(link = "identity"), sp=i)
mod = model[i]
plot(model)
}
ggplot(data=data, aes(x=Time))+
  geom_point(aes(y=gam_model$residuals), color="darkred")+
  geom_point(aes(y=Influenza), color="steelblue")+
  ggtitle("Residuals/ Influenza values against time")
gam_model3 = gam(Mortality~ s(Year, k=length(unique(data$Year)))+s(Week, k=length(unique(data$Week)))+
                   s(Influenza, k=length(unique(data$Influenza))), data=data, family = gaussian(link =
summary(gam_model3)
plot(gam_model3) # plot new model.
plot(gam_model) # previous model.
ggplot(data=data, aes(x=Time))+
  geom_line(aes(y=gam_model3$fitted.values), color="darkred")+
  geom_line(aes(y=Mortality), color="steelblue")+
  ggtitle("Mortality/ Fitted Influenza values values against time")
```