

# Towards Robust ResNet

Jingfeng Zhang<sup>1</sup> Bo Han<sup>2</sup> Laura Wynter<sup>3</sup> Bryan Kian Hsiang Low<sup>1</sup> and Mohan Kankanhalli<sup>1</sup>

<sup>1</sup>Department of Computer Science, National University of Singapore

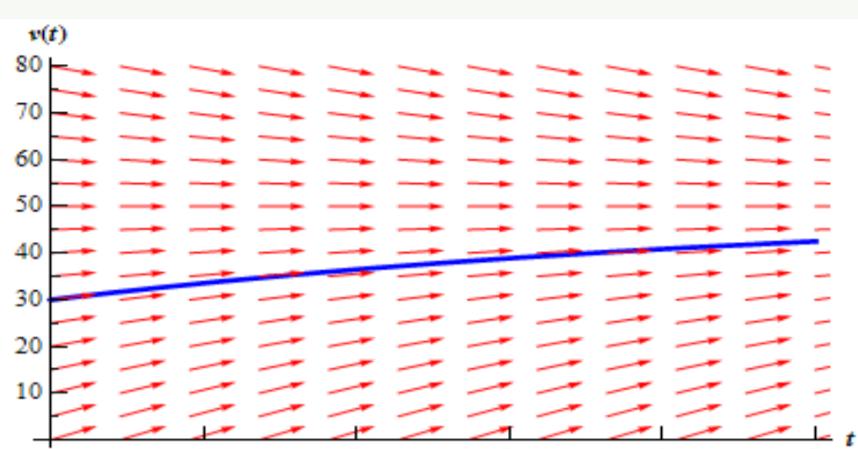
<sup>2</sup>RIKEN Center for Advanced Intelligence Project

<sup>3</sup>IBM Research, Singapore

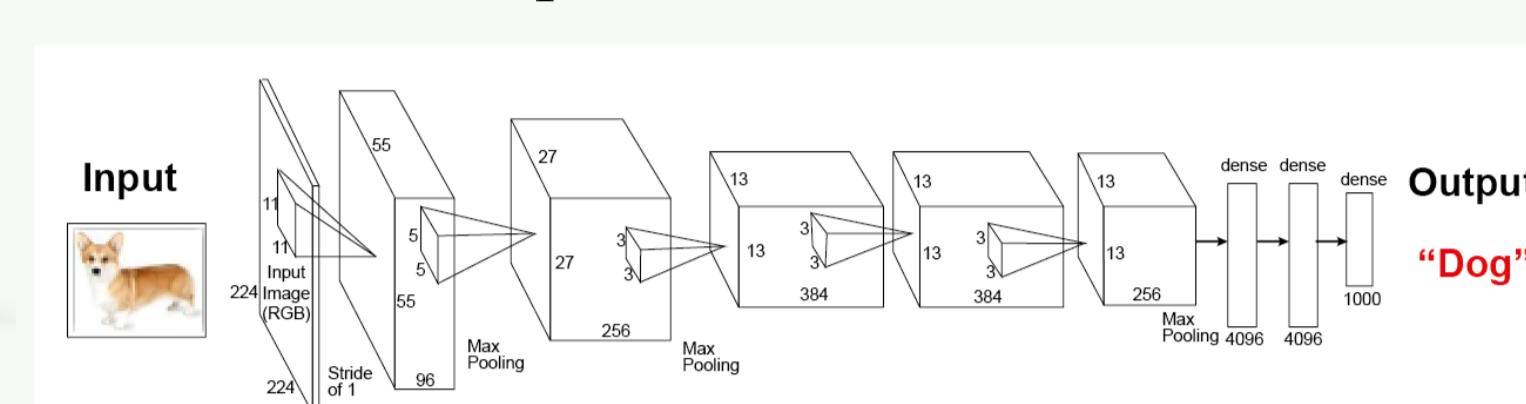
<http://www.comp.nus.edu.sg/~lowkh/research.html>

## Motivation & Idea

Partial Differential Equation



Deep Neural Network



Object trajectory over time

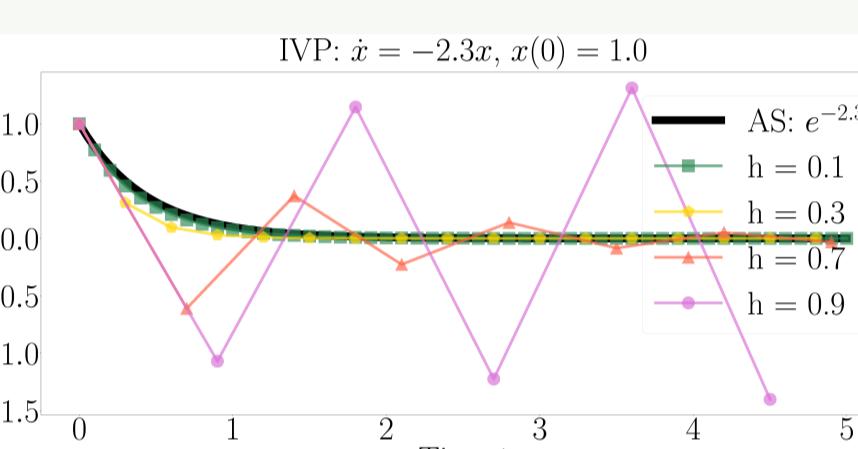


Feature transformation over depth of layers



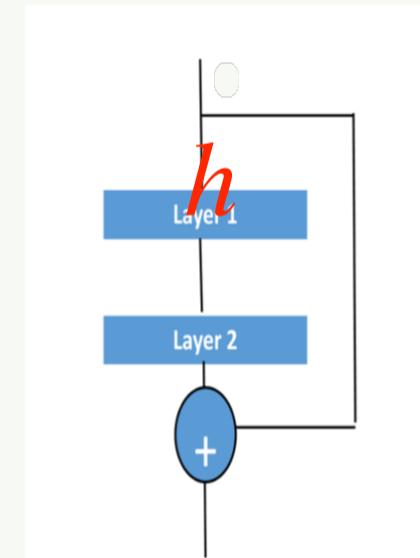
Explicit Euler Method

$$x_{n+1} = x_n + h f(t_n + x_n)$$



Euler-viewed ResNet

$$y_n = x_n + \textcolor{red}{h} F(x_n); \quad x_{n+1} = I(y_n)$$



### How step factor $h$ helps ResNet?

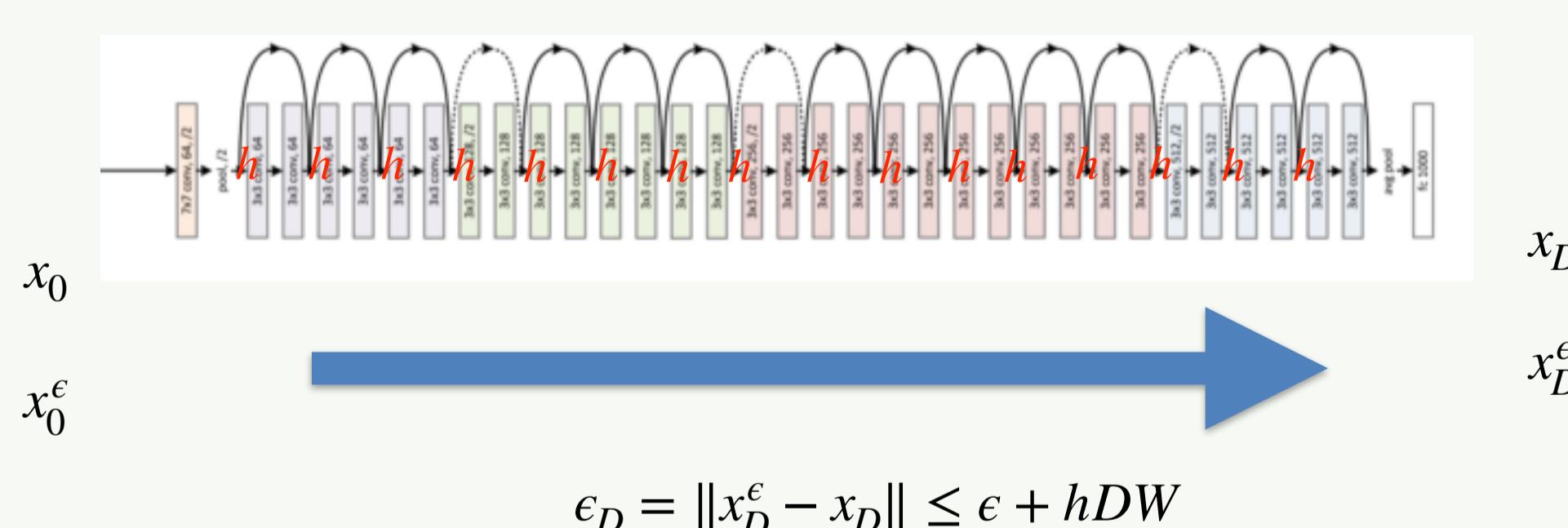
Our Contribution:

We introduce a hyperparameter step factor  $h$  into Residual Neural Network (ResNet), theoretically and empirically confirming its efficacy in ResNet in term of **training robustness** and **generalization robustness**.

**Training robustness** refers to the stability of model training with an increasing depth, a larger learning rate, and different types of optimizer.

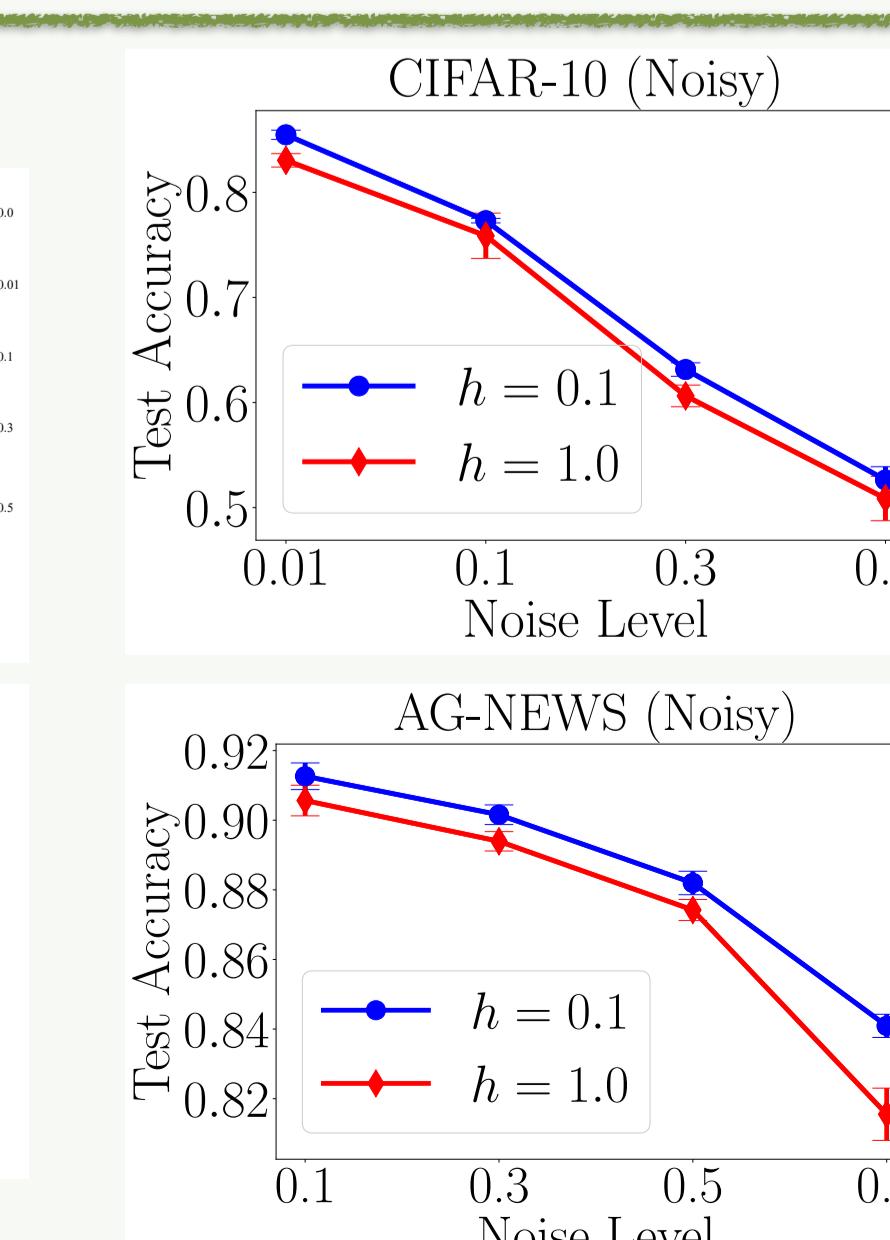
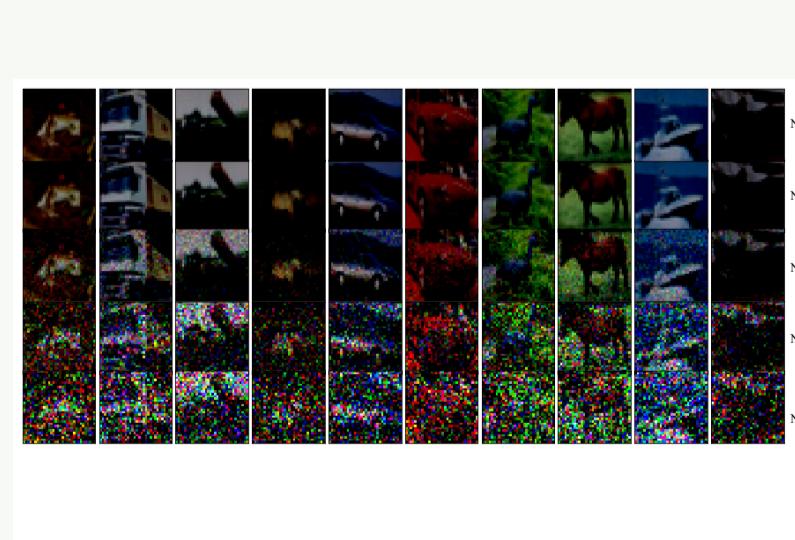
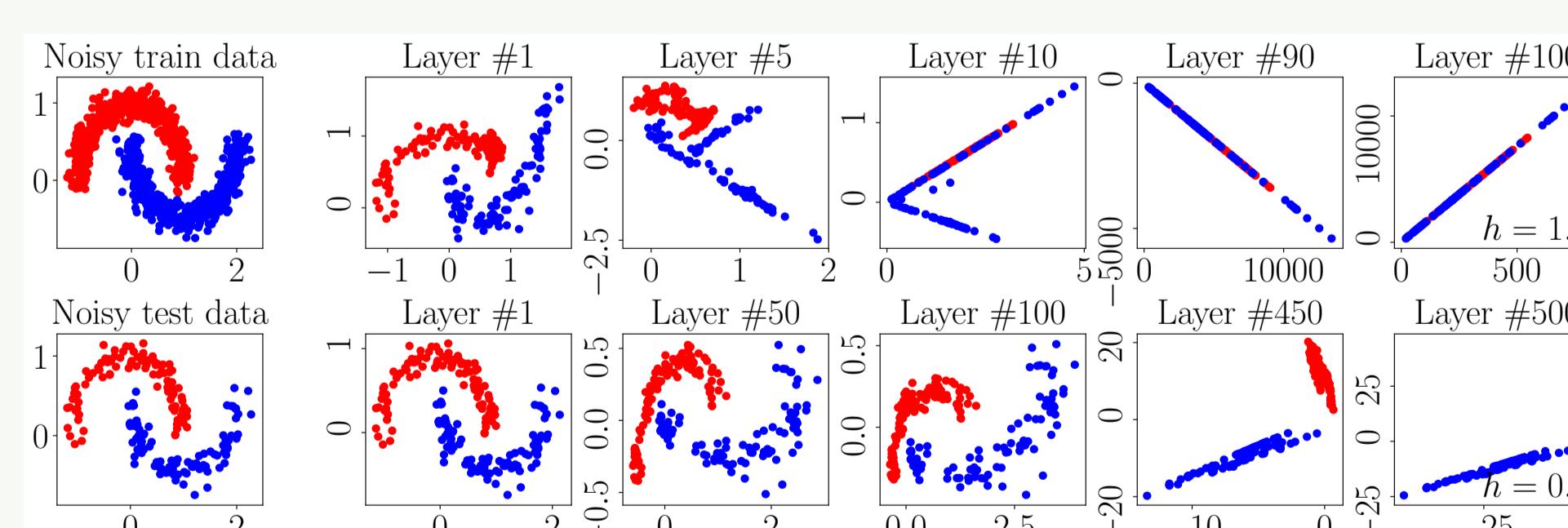
**Generalization robustness** refers to how well a trained model generalizes to classify test data whose distribution may not match that of the training data.

## Small $h$ on Generalization Robustness



$$\epsilon_D = \|x_D^\epsilon - x_D\| \leq \epsilon + hDW$$

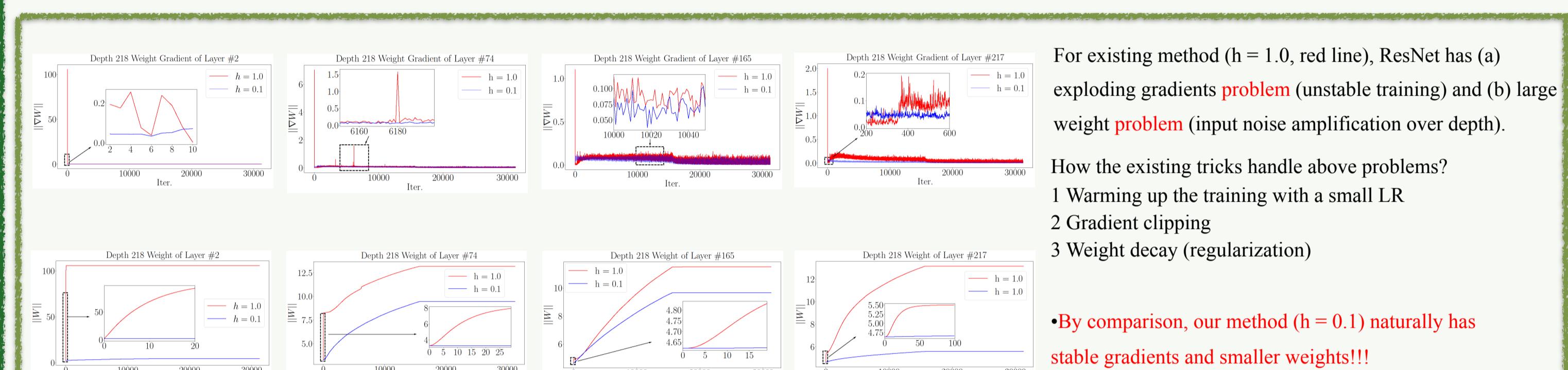
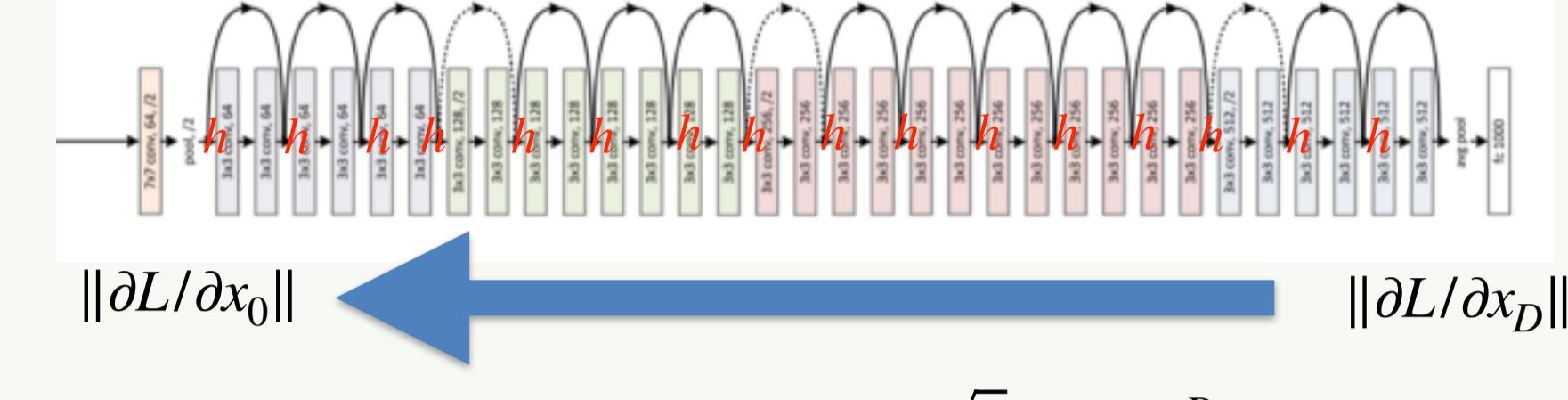
Small  $h$  can limit the noise amplification and provide the extra capacity for filtering out the input noise.



To verify the effectiveness of small  $h$  on generalization robustness of ResNet, we train on noisy input data with various noise level, and compare ResNet with reduced step factor ( $h = 0.1$ ) and original ResNet ( $h = 1$ ) on the clean test data.

\*Small  $h$  can ameliorate the input noise.

## Small $h$ on Training Robustness



For existing method ( $h = 1.0$ , red line), ResNet has (a) exploding gradients problem (unstable training) and (b) large weight problem (input noise amplification over depth).

How the existing tricks handle above problems?

1 Warming up the training with a small LR

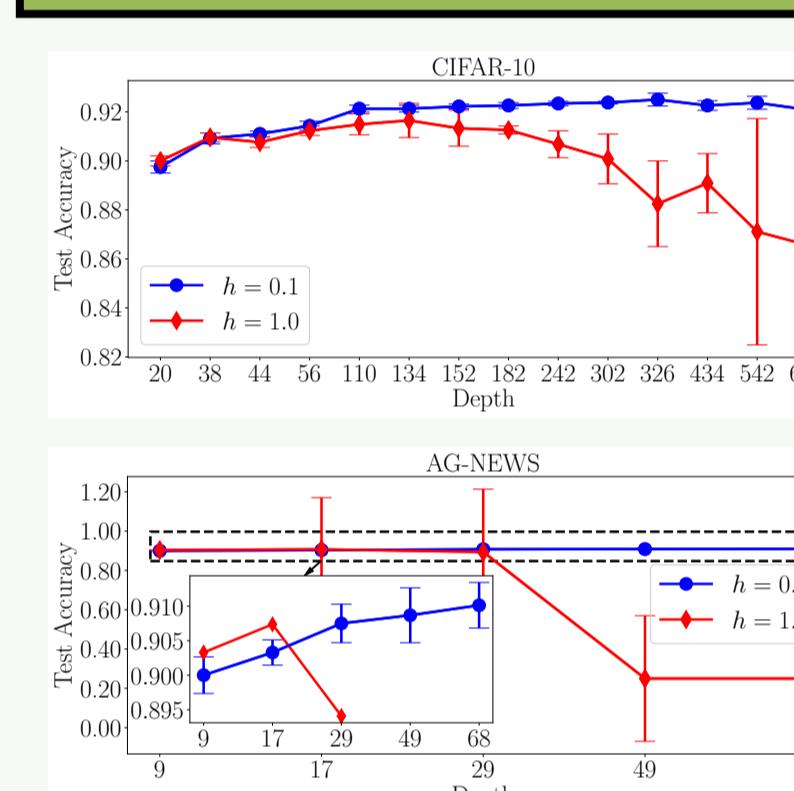
2 Gradient clipping

3 Weight decay (regularization)

\*By comparison, our method ( $h = 0.1$ ) naturally has stable gradients and smaller weights!!!

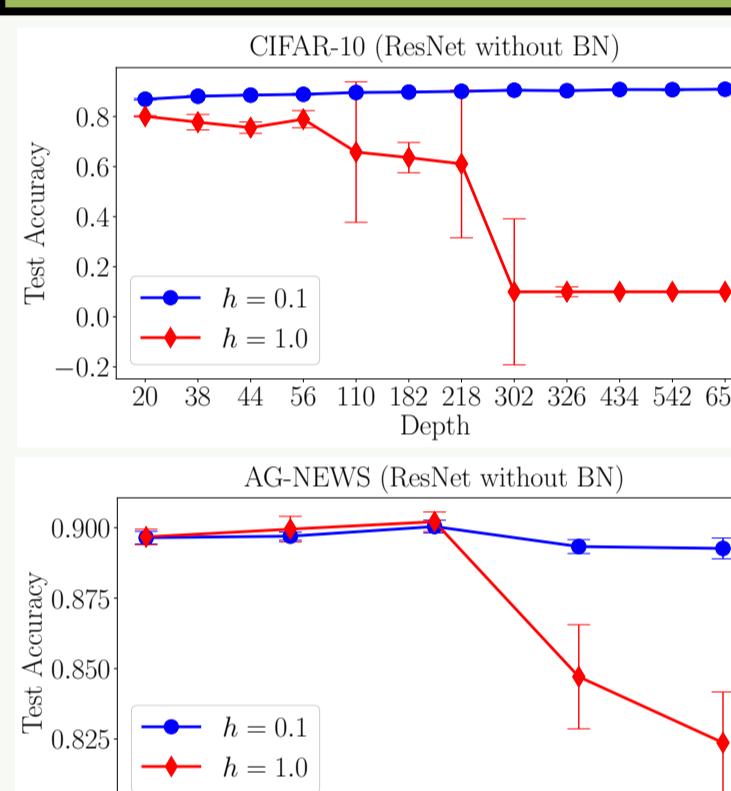
\*Our method is compatible with existing techniques.

### Small $h$ helps training deeper ResNet



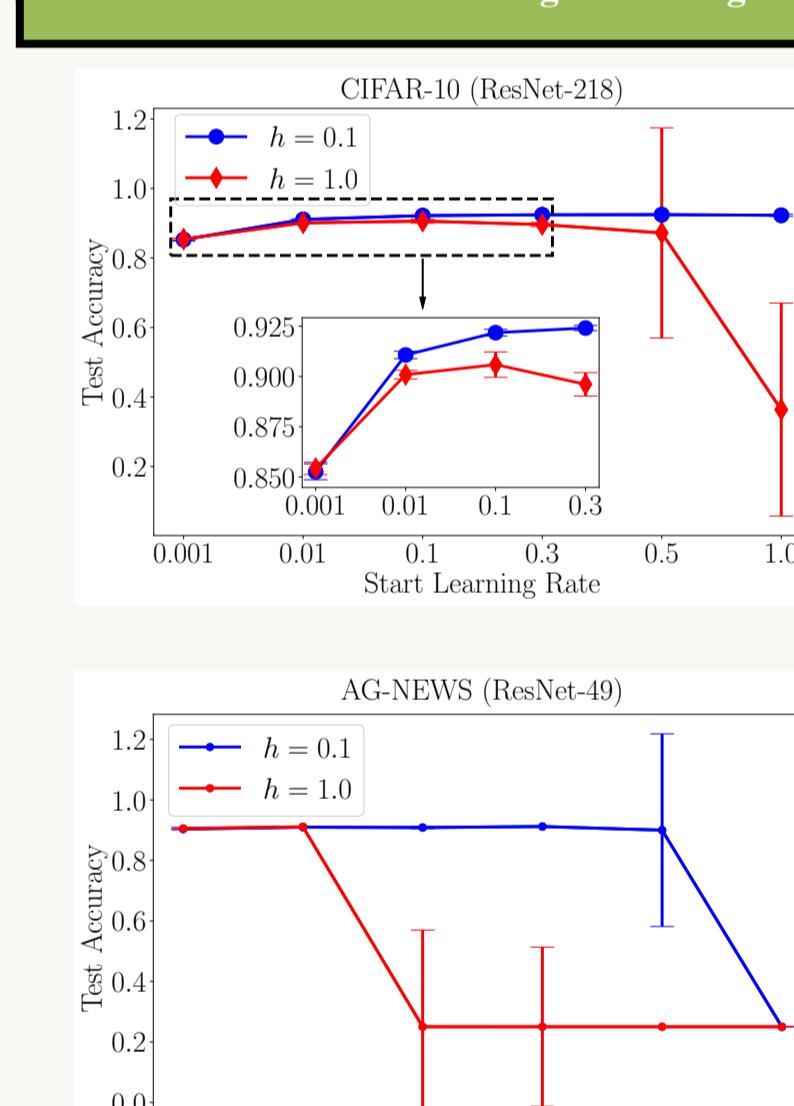
Our method (smaller  $h$ , e.g.  $h = 0.1$ ) makes the training procedure of ResNet more robust to increasing depth.

### Small $h$ helps without applying Batch Normalization



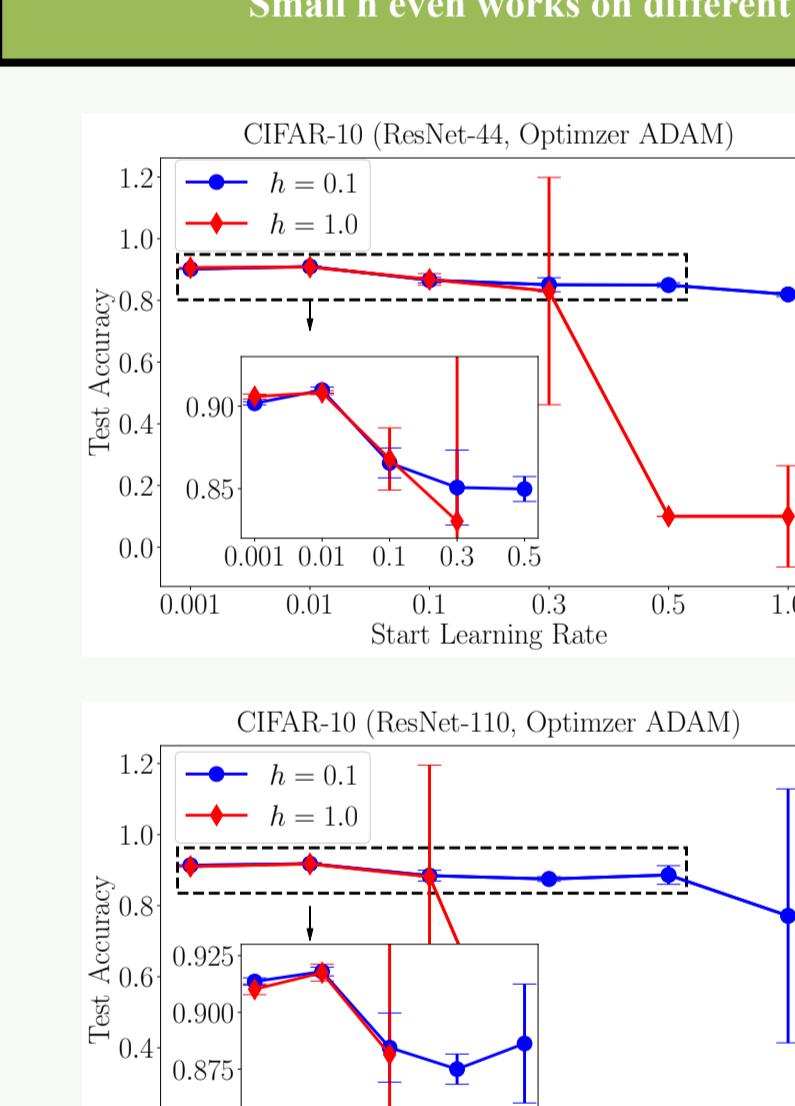
BN can help to stabilize the training procedure of DNN. Without applying BN, our small  $h$  can still stabilize the training by preventing the explosion of back-propagated information. \*Our small  $h$  is compatible with BN.

### Small $h$ can enable larger learning rate (SGD with momentum)



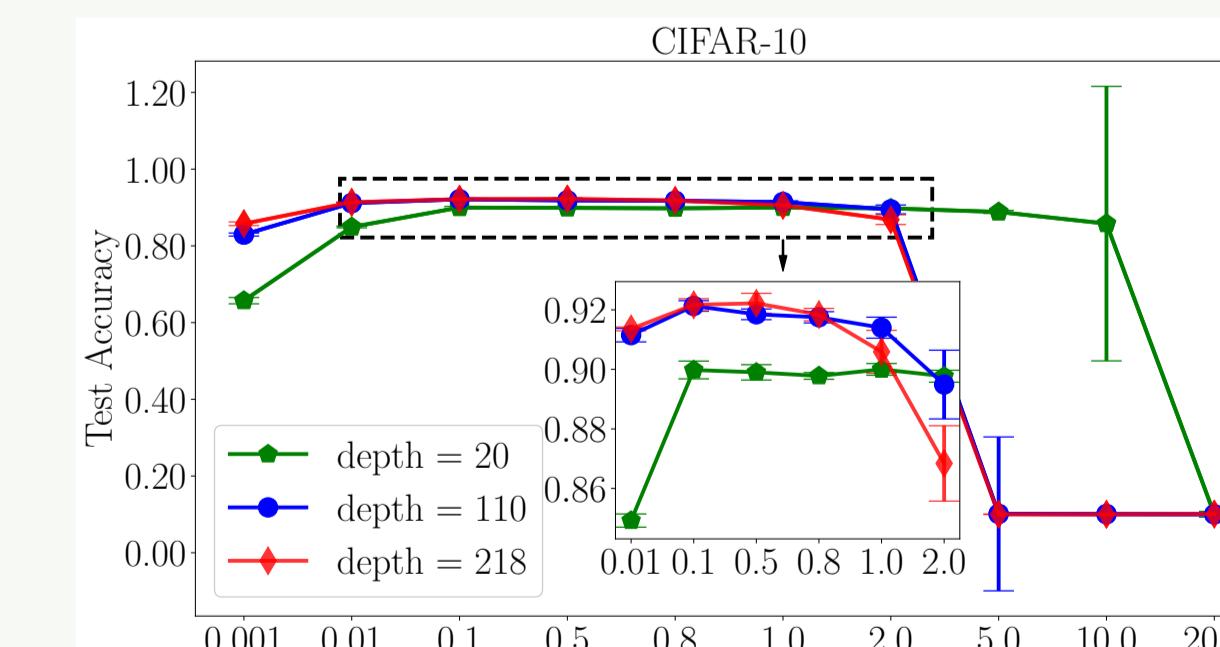
Training with smaller  $h$  ( $h = 0.1$ ) is robust to larger LR with little chance of performance degradation. For  $h = 1.0$ , gradient is unstable and bumpy over training iterations so it requires careful adaptation of LR. By contrast, for  $h = 0.1$ , gradient are small and stable, which enable larger LR.

### Small $h$ even works on different optimizer - ADAM



We train ResNet using another popular optimizer - ADAM. Our small  $h$  still exhibits the competitive training robustness.

## How to Select Step Factor $h$



Too large  $h$  will lead to unstable training.  
Too small  $h$  will smooth out the useful transformations.

The take-away guidance is “smaller but not too small”.

## Acknowledgements

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