

Introduction

Wednesday, August 25, 2021 6:02 PM

- Overview

- Overall approach to understanding data
 - ↳ Supervised
 - ↳ Unsupervised

Supervised
 X - Inputs } (Linear?)
 Y - Outputs } System

Unsupervised
 X - Latent / Latent structure

* Tukey

- History

- Gauss : OLS \rightarrow Linear Regression
- Linear Discriminant Analysis (LDA) \rightarrow 1930s
 - ↳ Classification
- Logistic Regression \rightarrow 1940s
 - ↳ Classification + Regression
- General Linear Models (GLM) \rightarrow 1970s
 - Linear + Logistic + others
- Neural Networks \rightarrow 1980s
 - ↳ Linear / non-linear
- Support Vector Machines \rightarrow 1990s
 - ↳ Non-linear Classification

~ 2000s + \rightarrow Deep Learning & Neural Networks
 - CNN / RNN

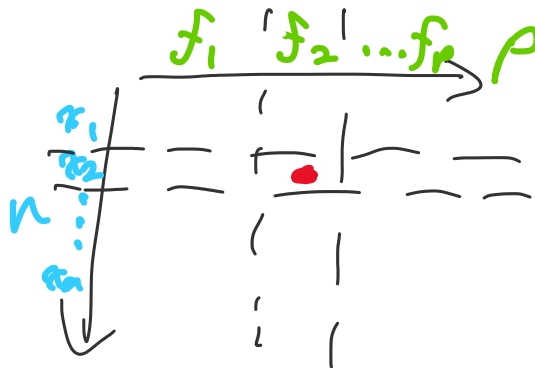
• Themes

- Statistical Learning is more relevant to applied areas beyond traditional stats/m.l.
- SL should not be used for black-box modeling.
- Statistical Learning does not require deep methodological knowledge of proofs in order to be applied.
- SL has to be applied to real world problems in order to be truly relevant.

• Notation

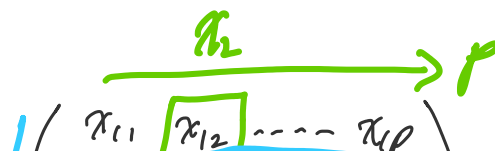
- Data in n observations, p dimensions

* Data Frame



* Heterogeneous Types!

* Matrix



$$X = \begin{pmatrix} x_{21} & x_{22} & \dots & x_{2p} \\ \vdots & \vdots & & \vdots \\ x_{n1} & x_{n2} & \dots & x_{np} \end{pmatrix}$$

* Homogeneous Types \rightarrow Real Numbers OR Integers (maybe)

$$x_i \in \mathbb{R}^p$$

Row

$$x_j \in \mathbb{R}^n$$

Col

$$x_i = \begin{pmatrix} x_{i1} \\ x_{i2} \\ \vdots \\ x_{ip} \end{pmatrix}$$

$$x_j = \begin{pmatrix} x_{1j} \\ x_{2j} \\ \vdots \\ x_{nj} \end{pmatrix}$$

$$\therefore X = (\vec{x}_1 \quad \vec{x}_2 \quad \dots \quad \vec{x}_p)$$

OR

$$X = \begin{pmatrix} x_1^T \\ x_2^T \\ \vdots \\ x_n^T \end{pmatrix}$$