Evaluation wit the Minimum Interval of Equivalence

Bayesian Networks in Software Testing





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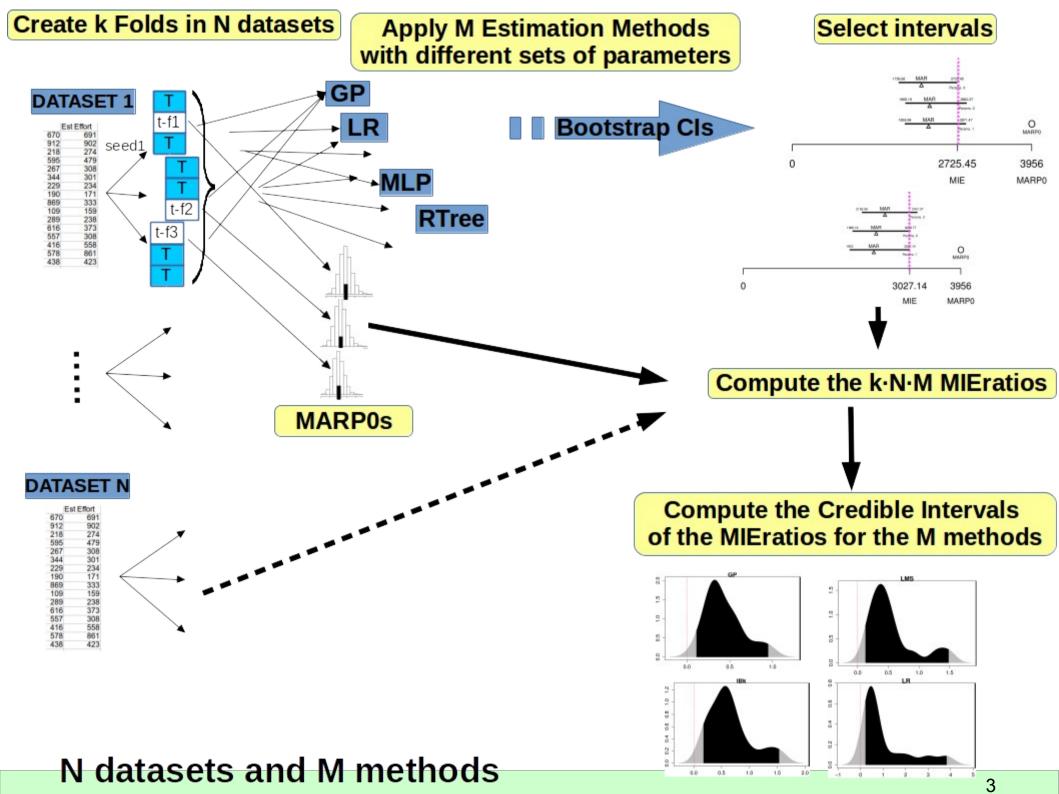
Two problems we are researching

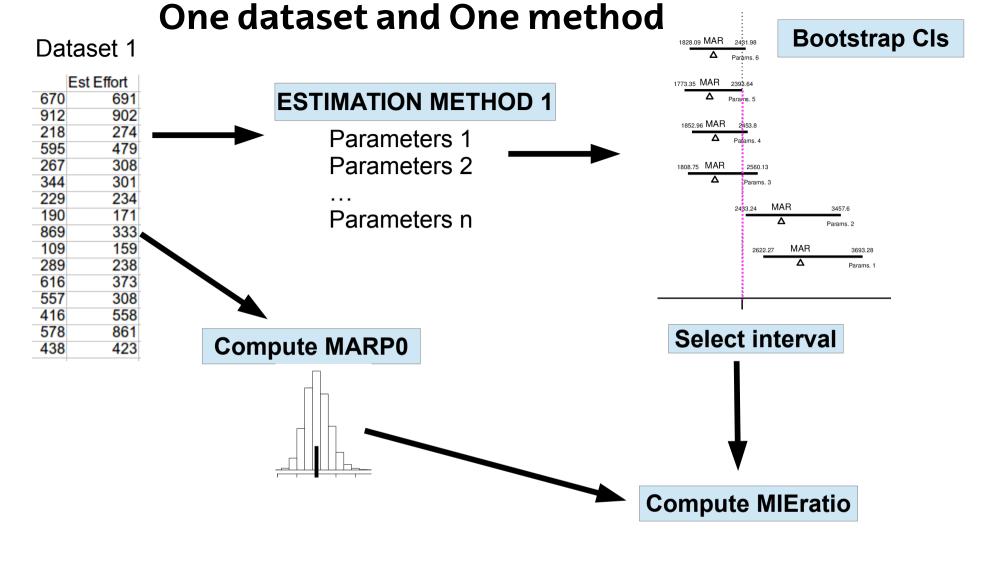
How to compare estimation methods?

Article finished in collaboration with Harman's group

 The use of Bayesian concepts and Bayesian Networks in Software Testing

Article in progress with several collaborators



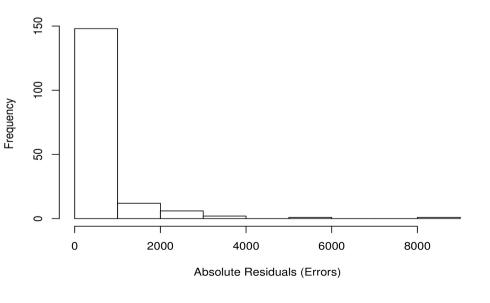


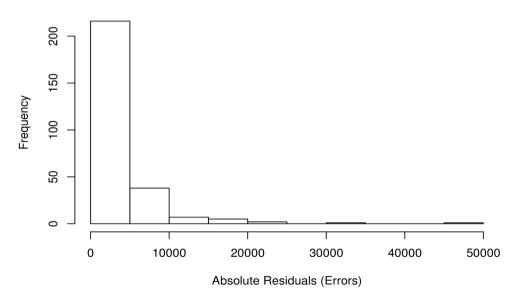
Process followed for **one dataset** and **one estimation method**:

- 1. Select a set of parameters for the estimation method ("Parameters 1")
- 2. Bootstrap a Confidence Interval for the Mean Absolute Error ("MAR")
- 3. Repeat the process for "n" sets of parameters
- 4. Select the best interval, i.e., that one with the upper limit closest to 0
- 5. Compute the MARP0
- 6. Compute the MIEratio

Estimation Errors

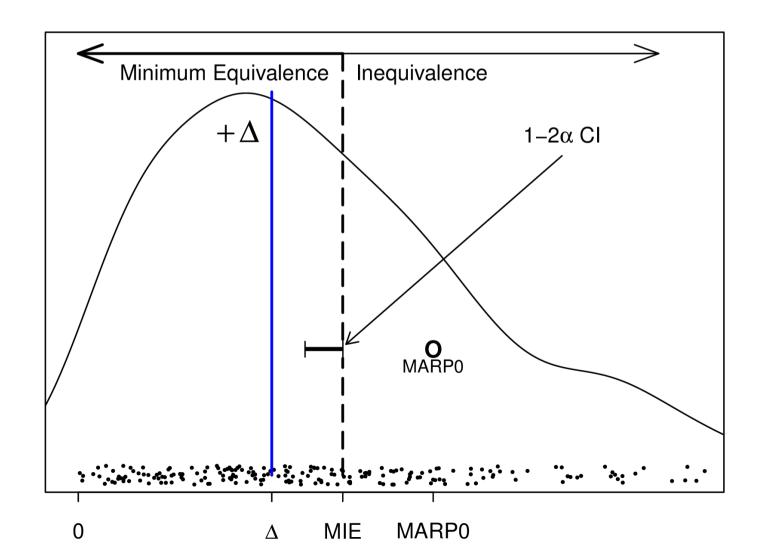
- The distribution of the absolute errors of the estimations is non-normal
- Therefore, many of the usual measures based on the arithmetic mean are not valid
- We use geometric means and bootstrap (nonparametric method)





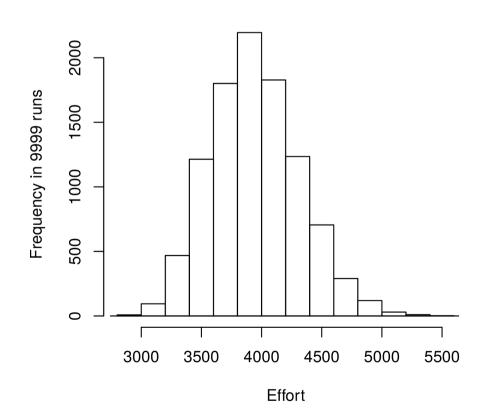
Selection of the intervals

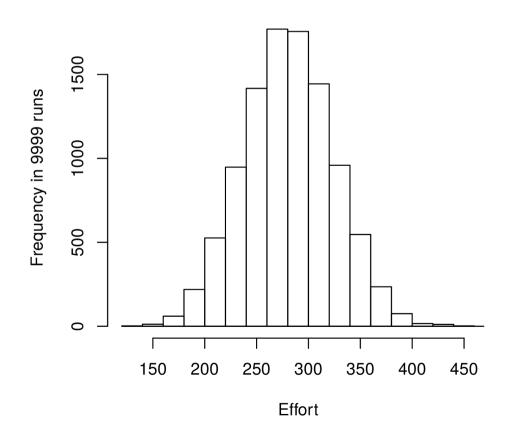
- We compute the 1-2 α confidence intervals by resampling methods (with bootstrap)
- We select the closest intervals to the origin 0



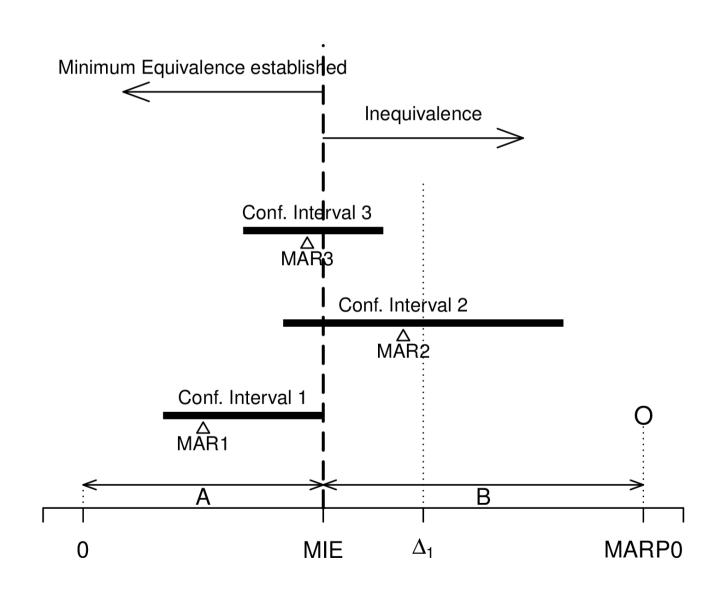
MARP0s: random estimation

- In order to compare the estimations with "something" we resort to the concept of random estimation (Hyndman, Shepperd, MacDonell)
- Random estimation is the "worst estimation" that could be performed in a dataset





Selection of the intervals of equivalence



Ordered Table of the MIEratios

After all computations we get something like the

table below

Usual measures used MMRE, Pred(0.25) are not correlated with our current values

Method	Dataset	\overline{MAR}_{P_0}	MAR	gMAR	MMRE	MdMRE	Prd(0.25)	MIE	SA	MIEratio
GP	$\mathrm{CSC}(\mathrm{fld1})$	2354.836	540.467	104.638	0.164	0.115	0.667	231.078	0.770	0.109
$_{ m LMS}$	$\mathrm{CSC}(\mathrm{fld1})$	2354.836	558.943	129.680	0.167	0.157	0.733	258.696	0.763	0.123
IBk	$\mathrm{CSC}(\mathrm{fld1})$	2354.836	644.667	171.551	0.187	0.129	0.667	344.652	0.726	0.171
MLP	$\mathrm{CSC}(\mathrm{fld2})$	2228.334	515.881	163.979	0.242	0.178	0.533	345.462	0.768	0.183
$_{ m LMS}$	$\mathrm{CSC}(\mathrm{fld2})$	2228.334	594.199	186.718	0.229	0.250	0.533	371.337	0.733	0.200
IBk	$\mathrm{CSC}(\mathrm{fld2})$	2228.334	532.507	191.963	0.242	0.179	0.600	371.378	0.761	0.200
LR	Maxwell(fld3)	16636.643	2477.946	1609.117	0.552	0.094	0.667	2947.914	0.851	0.215
GP	${\it Maxwell}({\it fld1})$	7346.358	2132.182	332.289	0.240	0.241	0.571	1344.906	0.710	0.224
MLP	$\mathrm{CSC}(\mathrm{fld1})$	2354.836	596.663	239.629	0.272	0.226	0.533	433.527	0.747	0.226
GP	$\mathrm{CSC}(\mathrm{fld2})$	2228.334	527.827	225.176	0.325	0.215	0.600	417.198	0.763	0.230
LMS	$\mathrm{ISBSG}(\mathrm{fld}2)$	4367.901	2125.949	666.624	0.814	0.486	0.156	868.887	0.513	0.248
MLP	China(fld3)	5331.634	2136.744	781.631	1.291	0.582	0.260	1083.683	0.599	0.255
M5P	Maxwell(fld3)	16636.643	2904.573	1667.502	0.461	0.132	0.833	3395.997	0.825	0.256
Telecom1	Telecom1	270.725	86.389	29.999	0.343	0.191	0.722	57.192	0.681	0.268
$_{ m LMS}$	$\operatorname{China}(\operatorname{fld3})$	5331.634	2206.317	834.287	1.630	0.550	0.220	1155.405	0.586	0.277

Table 2: This table shows the summary results for the best 15 values in ascending order of MIEratio ($\alpha = 0.05$).

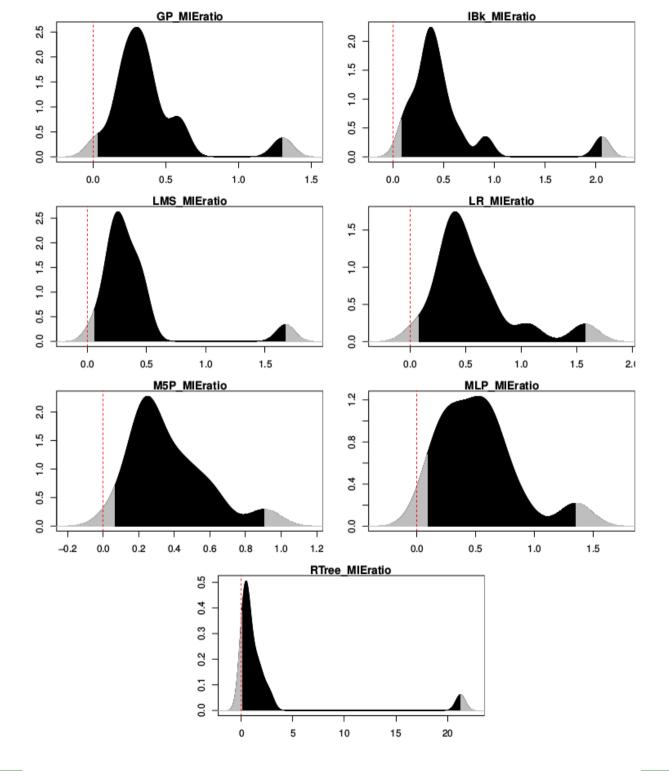


Figure 7: High Posterior Density intervals of the MIEratios of the Methods

	Qtle. 2.5%-97.5%	HPD low-upper	M-Hast. 2.5%-97.5%
GP	0.082-1.057	0.029-1.304	0.279-0.787
IBk	0.114-1.658	0.084 - 2.06	0.354 - 0.891
$_{ m LMS}$	0.099-1.261	0.057 - 1.673	0.267 - 0.645
LR	0.147-1.409	0.075 - 1.577	0.409 - 1.005
M5P	0.112-0.806	0.066 - 0.908	0.275 - 0.585
MLP	0.12-1.207	0.09 - 1.356	0.367 - 0.971
RTree	0.16-15.242	0.099 - 21.263	0.895 - 7.867

Table 3: This table shows different probabilistic intervals for each one of the 7 methods ($\alpha = 0.05$) for the data of the MIEratios. Scale is $0-\infty$. Lower values are better.

	Qtle. 2.5%-97.5%	HPD low-upper	M-Hast. 2.5%-97.5%
GP	0.108 - 0.749	0.1 - 0.764	0.316 - 0.691
IBk	0.118 - 0.81	0.114 - 0.85	0.362 - 0.781
$_{ m LMS}$	0.113 - 0.691	0.106 0.724	0.27 - 0.559
LR	0.23 3.123	0.204 - 3.808	0.582 - 1.586
M5P	0.128 0.778	0.125 - 0.82	0.3 - 0.595
MLP	0.182 - 1.647	0.145 - 1.99	0.461 - 0.978
RTree	0.334 - 1.962	0.329 2.022	0.775 - 1.837

Table 4: This table shows different probabilistic intervals for each one of the 7 methods $(\alpha = 0.05)$ for the means of the MIEratios in 10 runs. Scale is $0-\infty$. Lower values are better.

The use of Bayesian concepts and Bayesian Networks in Software Testing

Article in progress with several collaborators

- Conference in Bergamo 2015
 - Bayesian Concepts in Software Testing: An Initial Review
 - Now, we focus on Bayesian Networks.
 - Still, doing the review