```
import pandas as pd
import numpy as np
df = pd.DataFrame([[8, 8, 1], [7, 9, 1], [6, 10, 0], [5, 12, 0]], columns = ['CGPA', 'ATS Score', 'Placed'])
df
₹
         CGPA ATS Score Placed
            8
                       8
      0
                               1
                                   th
            7
      1
                       9
                               1
      2
                      10
                               0
            6
            5
                      12
                               0
      3
 Next steps: ( Generate code with df ) ( View recommended plots ) ( New interactive sheet )
def initialize_parameters(layer_dimensions):
    # Set a fixed random seed to make the results reproducible
    np.random.seed(3)
    # Create an empty dictionary to store the weight and bias parameters
    parameters = {}
    # Get the number of layers in the network (including input and output layers)
    L = len(layer dimensions)
    # Loop through layers 1 to L-1 (we skip layer 0 because it's the input layer)
    for 1 in range(1, L):
        \# Initialize weights for layer 1 with small values (here all 0.1 for simplicity)
        # Shape: (number of neurons in previous layer, number of neurons in current layer)
        parameters['W' + str(1)] = np.ones((layer\_dimensions[1 - 1], layer\_dimensions[1])) * 0.1
        \ensuremath{\text{\#}} Initialize biases for layer 1 with zeros
        # Shape: (number of neurons in current layer, 1)
        parameters['b' + str(l)] = np.zeros((layer_dimensions[l], 1))
    # Return the dictionary containing all the initialized parameters
    return parameters
# Utility Functions
def sigmoid(Z):
  A = 1/(1+np.exp(-Z))
  return A
def linear_forward(A_prev, W, b):
    \# A_prev: activations from the previous layer (shape: size of previous layer x number of examples)
    # W: weights matrix for the current layer (shape: size of previous layer x size of current layer)
    # b: bias vector for the current layer (shape: size of current layer x 1)
    # Compute the linear transformation Z = W^T * A\_prev + b
    # W.T gives shape: (size of current layer x number of examples)
    Z = np.dot(W.T, A_prev) + b
    \mbox{\tt\#} Apply sigmoid activation to the linear output Z
    A = sigmoid(Z)
    # Return the activation output A to be passed to the next layer
    return A
# Main Forward Propagation function for a single row instance (i.e., one data sample)
def L_layer_forward(X, parameters):
    # X: input vector of shape (input size, 1) - i.e., a single column (one data instance)
    # parameters: dictionary containing all the weights and biases for each layer
    A = X # Initial activation is the input feature vector
    L = len(parameters) // 2 \# Number of layers in the network (each has W and b)
    # Loop through all the layers in the network
    for 1 in range(1, L + 1):
        A_prev = A # Store previous activation for computing current layer's activation
        # Retrieve current layer's weights and bias
        W1 = parameters['W' + str(1)]
        bl = parameters['b' + str(1)]
        # Perform linear forward computation: Z = W.T @ A_prev + b
        \# NOTE: Your 'W' is stored as shape (prev_layer, current_layer), so we need W.T
        A = linear_forward(A_prev, Wl, bl)
        # Optional debugging prints:
        print("A" + str(1-1) + ": ", A_prev)
print("W" + str(1) + ": ", W1)
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print("b" + str(l) + ": ", bl)
        print("A" + str(1) + ": ", A)
print("--" * 20)
    # Return final output (last activation), and the last activation before it
    return A, A_prev
X = df[['CGPA', 'ATS Score']].values[0].reshape(2,1) # Shape(no of features, no. of training example)
y = df[['Placed']].values[0][0]
# Parameter initialization
parameters = initialize_parameters([2,2,1])
y hat,A1 = L layer forward(X,parameters)
y_hat = y_hat[0][0]
update parameters(parameters,y,y hat,A1,X)
print('Loss\ for\ this\ student\ -\ ',-y*np.log(y\_hat)\ -\ (1-y)*np.log(1-y\_hat))
parameters
→ A0: [[8]
      [8]]
     W1: [[0.1 0.1]
      [0.1 0.1]]
     b1: [[0.]
      [0.]]
     A1: [[0.83201839]
     [0.83201839]]
     A1: [[0.83201839]
      [0.83201839]]
     W2: [[0.1]
      [0.1]]
     b2: [[0.]]
     A2: [[0.54150519]]
     Loss for this student - 0.613402628898913
     {'W1': array([[0.10000513, 0.10000513],
            [0.10000513, 0.10000513]]),
      'b1': array([[6.41054186e-07],
            [6.41054186e-07]]),
      'W2': array([[0.10003815],
             [0.10003815]]),
      'b2': array([[4.5849481e-05]])}
# Above:
\# A0 = [8, 8] - This is the input vector (features from the first row of the dataset)
\# W1 = Weights for Layer 1 - These connect the input layer to the first hidden layer
\# b1 = [b11, b12] - Biases for the neurons in hidden layer 1
# These are passed to linear_forward(A_prev, W1, b1) which computes:
# Z1 = W1.T @ A0 + b1
# A1 = Z1 in this case (since there's no activation function yet), so:
# A1 = [011, 012] - outputs from the first hidden layer (linear combinations)
# Next layer:
# A1 is now passed as input to the next layer with W2, b2 to get:
# A2 = [021] - the output from the final layer (the prediction)
# The function L_layer_forward returns:
# - A2: the final output (predicted Package)
# - A1: the activation from the previous layer (needed for backprop)
# WHY RETURN A_prev TOO?
# During backpropagation, we compute gradients like:
# \partial L/\partial W = A_prev.T @ dZ
# That's why we need the activations of the previous layer (A_prev or Oij values)
\# They're essential for calculating the gradients during the backward pass.
{\tt def update\_parameters(parameters, y, y\_hat, A1, X):}
    # Output layer (layer 2) updates
    # Gradient of loss w.r.t W2[0][0] = (dL/dy_hat) * (dy_hat/dz2) * (dz2/dW2[0]) = (y - y_hat) * A1[0]
    parameters['W2'][0][0] += 0.0001 * (y - y_hat) * A1[0][0]
    # Gradient of loss w.r.t W2[1][0] = (y - y_hat) * A1[1]
    parameters['W2'][1][0] += 0.0001 * (y - y_hat) * A1[1][0]
    \# Bias update for output layer: gradient = (y - y_hat)
    parameters['b2'][0][0] += 0.0001 * (y - y_hat)
    # Hidden layer (layer 1) updates
    # For neuron 1 in hidden layer:
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# Using derivative of sigmoid: A1[0][0] * (1 - A1[0][0])
    # Multiply with W2[\theta][\theta] as it contributes to loss via output
    grad_hidden1 = (y - y_hat) * parameters['W2'][0][0] * A1[0][0] * (1 - A1[0][0])
    \# Update W1 weights for neuron 1 (based on input X[0] and X[1])
    parameters['W1'][0][0] += 0.0001 * grad_hidden1 * X[0][0]
    parameters['W1'][0][1] += 0.0001 * grad_hidden1 * X[1][0]
    # Update bias for neuron 1
    parameters['b1'][0][0] += 0.0001 * grad_hidden1
    # For neuron 2 in hidden layer:
    \label{eq:grad_hidden2} {\tt grad\_hidden2} \; = \; (y \; - \; y\_hat) \; * \; {\tt parameters['W2'][1][0]} \; * \; {\tt A1[1][0]} \; * \; (1 \; - \; {\tt A1[1][0]})
    # Update W1 weights for neuron 2
    parameters['W1'][1][0] += 0.0001 * grad_hidden2 * X[0][0]
    parameters['W1'][1][1] += 0.0001 * grad_hidden2 * X[1][0]
    # Update bias for neuron 2
    parameters['b1'][1][0] += 0.0001 * grad_hidden2
X = df[['CGPA', 'ATS Score']].values[1].reshape(2,1) # Shape(no of features, no. of training example)
y = df[['Placed']].values[1][0]
y_hat,A1 = L_layer_forward(X,parameters)
y_hat = y_hat[0][0]
update_parameters(parameters,y,y_hat,A1,X)
print('Loss for this student - ',-y*np.log(y_hat) - (1-y)*np.log(1-y_hat))
parameters
→ A0: [[7]
      [9]]
     W1: [[0.10000513 0.10000513]
      [0.10000513 0.10000513]]
     b1: [[6.41054186e-07]
      [6.41054186e-07]]
     A1: [[0.83202994]
      [0.83202994]]
     A1: [[0.83202994]
      [0.83202994]]
     W2: [[0.10003815]
      [0.10003815]]
     b2: [[4.5849481e-05]]
A2: [[0.54153291]]
     Loss for this student - 0.6133514436691428
     {'W1': array([[0.10000962, 0.1000109]], [0.10000962, 0.1000109]]),
      'b1': array([[1.28227883e-06],
             [1.28227883e-06]]),
       'W2': array([[0.10007629],
              [0.10007629]]),
       'b2': array([[9.16961903e-05]])}
# Extract input features for the third training example (index 2)
X = df[['CGPA', 'ATS Score']].values[2].reshape(2,1) # Shape(no of features, no. of training example)
y = df[['Placed']].values[2][0]
y_hat,A1 = L_layer_forward(X,parameters)
y_hat = y_hat[0][0]
update_parameters(parameters,y,y_hat,A1,X)
print('Loss for this student - ',-y*np.log(y_hat) - (1-y)*np.log(1-y_hat))
parameters
→ A0: [[ 6]
      [10]]
          [[0.10000962 0.1000109 ]
      [0.10000962 0.1000109 ]]
     b1: [[1.28227883e-06]
      [1.28227883e-06]]
     A1: [[0.83204007]
      [0.83204294]]
     A1: [[0.83204007]
      [0.83204294]]
     W2: [[0.10007629]
      [0.10007629]]
     b2: [[9.16961903e-05]]
A2: [[0.54156062]]
     Loss for this student - 0.7799272184937318
     {'W1': array([[0.10000507, 0.10000333],
      [0.10000507, 0.10000333]]),
'b1': array([[5.25214767e-07],
              [5.25225084e-07]]),
      'W2': array([[0.10003123],
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'b2': array([[3.75401279e-05]])}
update_parameters(parameters,y,y_hat,A1,X)
parameters
₹ ('W1': array([[0.10000053, 0.09999576],
             [0.10000053, 0.09999576]]),
      'b1': array([[-2.31508272e-07],
            [-2.31487641e-07]]),
      'W2': array([[0.09998617],
            [0.09998617]]),
      'b2': array([[-1.66159345e-05]])}
\# Extract input features for the 4th training example (index 2)
X = df[['CGPA', 'ATS Score']].values[3].reshape(2,1) # Shape(no of features, no. of training example)
y = df[['Placed']].values[3][0]
y_hat,A1 = L_layer_forward(X,parameters)
y_hat = y_hat[0][0]
update_parameters(parameters,y,y_hat,A1,X)
print('Loss\ for\ this\ student\ -\ ',-y*np.log(y\_hat)\ -\ (1-y)*np.log(1-y\_hat))
parameters
→ A0: [[ 5]
      [12]]
     W1: [[0.10000053 0.09999576]
      [0.10000053 0.09999576]]
     b1: [[-2.31508272e-07]
[-2.31487641e-07]]
     A1: [[0.84553589]
     [0.84552529]]
     A1: [[0.84553589]
      [0.84552529]]
     W2: [[0.09998617]
      [0.09998617]]
     b2: [[-1.66159345e-05]]
A2: [[0.54216614]]
     'b1': array([[-9.39181566e-07],
            [-9.39200617e-07]]),
      'W2': array([[0.09994033],
      [0.09994033]]),
'b2': array([[-7.08325485e-05]])}
\# Till now, the whole dataset got trained for 1 time(1 epoch)
# Let's start with epoch implementation
# Outer loop: iterate through entire dataset multiple times (epochs)
parameters = initialize_parameters([2,2,1])
epochs = 50
for i in range(epochs):
  Loss = []
  for j in range(df.shape[0]):
    X = df[['CGPA', 'ATS Score']].values[j].reshape(2,1) # Shape(no of features, no. of training example)
    y = df[['Placed']].values[j][0]
    # Parameter initialization
    y hat,A1 = L layer forward(X,parameters)
    y_hat = y_hat[0][0]
    update_parameters(parameters,y,y_hat,A1,X)
    Loss.append(-y*np.log(y\_hat) - (1-y)*np.log(1-y\_hat))
  print('Epoch - ',i+1,'Loss - ',np.array(Loss).mean())
parameters
```

∑₹

[0.10003123]])

```
A1: [[0.83219719]
      [0.83146478]]
     W2: [[0.09932622]
     [0.09932647]]
b2: [[-0.00076653]]
A2: [[0.54102728]]
     A0: [[ 6]
      [10]]
     W1: [[0.1000849 0.09975928]
      [0.10008503 0.09975881]]
     b1: [[-7.57986149e-06]
     [-7.59695223e-06]]
A1: [[0.83220728]
      [0.83147768]]
     A1: [[0.83220728]
     [0.83147768]]
W2: [[0.09936441]
      [0.09936463]]
     b2: [[-0.00072064]]
     A2: [[0.54105502]]
     A0: [[ 5]
      [12]]
     W1: [[0.1000804 0.09975178]
[0.10008051 0.09975128]]
     b1: [[-8.33023947e-06]
[-8.34993427e-06]]
     A1: [[0.84571225]
      [0.84498093]]
     A1: [[0.84571225]
      [0.84498093]]
     W2: [[0.09931939]
      [0.09931965]]
     b2: [[-0.00077474]]
A2: [[0.54168901]]
     [-9.05433049e-06]]),
       'W2': array([[0.09927357],
             [0.09927387]]),
       'b2': array([[-0.00082891]])}
\ensuremath{\text{\#}} After all epochs, print the final learned parameters
\mbox{\tt\#} These include W1, b1, W2, b2 after being refined over 50 epochs
parameters
₹ ('W1': array([[0.10007689, 0.09974336],
              [0.10007699, 0.09974283]]),
      'b1': array([[-9.03191730e-06],
             [-9.05433049e-06]]),
       'W2': array([[0.09927357],
              [0.09927387]]),
       'b2': array([[-0.00082891]])}
Start coding or generate with AI.
```