```
import pandas as pd
import numpy as np
df = pd.DataFrame([[8, 8, 4], [7, 9, 5], [6, 10, 6], [5, 12, 7]], columns = ['CGPA', 'ATS Score', 'Package(LPA)'])
df
₹
         CGPA ATS Score Package(LPA)
           8
                       8
                                     4
      O
                                         ıl.
           7
      1
                       9
                                     5
      2
                      10
                                     6
           6
            5
                      12
      3
 Next steps: ( Generate code with df ) ( View recommended plots ) ( New interactive sheet )
def initialize_parameters(layer_dimensions):
   # Set a fixed random seed to make the results reproducible
   np.random.seed(3)
   # Create an empty dictionary to store the weight and bias parameters
   parameters = {}
   # Get the number of layers in the network (including input and output layers)
   L = len(layer dimensions)
   # Loop through layers 1 to L-1 (we skip layer 0 because it's the input layer)
    for 1 in range(1, L):
       \# Initialize weights for layer 1 with small values (here all 0.1 for simplicity)
        # Shape: (number of neurons in previous layer, number of neurons in current layer)
        parameters['W' + str(1)] = np.ones((layer\_dimensions[1 - 1], layer\_dimensions[1])) * 0.1
       # Initialize biases for layer 1 with zeros
        # Shape: (number of neurons in current layer, 1)
       parameters['b' + str(l)] = np.zeros((layer_dimensions[l], 1))
    # Return the dictionary containing all the initialized parameters
   return parameters
def linear_forward(A_prev, W, b):
   # Compute the linear part of a layer's forward propagation
   # A prev: activations from the previous layer (shape: size of previous layer x number of examples)
   # W: weights matrix for the current layer (shape: size of previous layer x size of current layer)
   # b: bias vector for the current layer (shape: size of current layer x 1)
   # Compute the linear transformation Z = W^T * A_prev + b
   # Note: W.T is used because we want the shape to be (size of current layer x number of examples)
   Z = np.dot(W.T, A_prev) + b
   \# Return the result of the linear transformation (Z)
# Main Forward Propagation function for a single row instance (i.e., one data sample)
def L_layer_forward(X, parameters):
    # X: input vector of shape (input size, 1) - i.e., a single column (one data instance)
    # parameters: dictionary containing all the weights and biases for each layer
   A = X # Initial activation is the input feature vector
   L = len(parameters) // 2 # Number of layers in the network (each has W and b)
   # Loop through all the layers in the network
    for l in range(1, L + 1):
       A_prev = A # Store previous activation for computing current layer's activation
       # Retrieve current layer's weights and bias
       W1 = parameters['W' + str(1)]
       bl = parameters['b' + str(1)]
       # Perform linear forward computation: Z = W.T @ A_prev + b
        \# NOTE: Your 'W' is stored as shape (prev_layer, current_layer), so we need W.T
        A = linear_forward(A_prev, Wl, bl)
        # Optional debugging prints:
       print("A" + str(1-1) + ": ", A_prev)
print("W" + str(1) + ": ", W1)
        print("b" + str(1) + ": ", b1)
       print("A" + str(1) + ": ", A)
print("--" * 20)
    # Return final output (last activation), and the last activation before it (optional)
   return A, A prev
# Extract the first row's input features ('CGPA' and 'ATS Score') from the DataFrame
```

.values[0] gives the first row as a NumPy array \rightarrow shape will be (2,)

```
# .reshape(2, 1) converts it to a column vector of shape (2,1), which is required for our neural network
X = df[['CGPA', 'ATS Score']].values[0].reshape(2, 1)
# Extract the actual output (label) corresponding to the first row: 'Package(LPA)'
\# .values[0][0] gives the scalar value from the first row, first column
y = df[['Package(LPA)']].values[0][0]
# Initialize neural network parameters (weights and biases) for a 3-layer network:
# - 2 input neurons (for CGPA and ATS Score)
# - 2 hidden neurons in the first hidden layer
# - 1 output neuron (for predicting Package)
\# All weights are initialized to 0.1, and all biases to 0
parameters = initialize_parameters([2, 2, 1])
# Print the initialized parameters to verify their structure
parameters
# Perform a full forward pass through the network using the input X and the initialized parameters
# This will compute activations at each layer and finally give the output prediction
y_hat,A1 = L_layer_forward(X, parameters)
→ A0: [[8]
      [8]]
     W1: [[0.1 0.1]
      [0.1 0.1]]
     b1: [[0.]
     [0.]]
A1: [[1.6]
     [1.6]]
     A1: [[1.6]
      [1.6]]
     W2: [[0.1]
      [0.1]]
     b2: [[0.]]
A2: [[0.32]]
# Above:
\# A0 = [8, 8] - This is the input vector (features from the first row of the dataset)
\# W1 = Weights for Layer 1 - These connect the input layer to the first hidden layer
# b1 = [b11, b12] - Biases for the neurons in hidden layer 1
# These are passed to linear forward(A prev, W1, b1) which computes:
# Z1 = W1.T @ A0 + b1
# A1 = Z1 in this case (since there's no activation function yet), so:
# A1 = [011, 012] — outputs from the first hidden layer (linear combinations)
# Next layer:
\mbox{\tt\#} A1 is now passed as input to the next layer with W2, b2 to get:
\# A2 = [021] - the output from the final layer (the prediction)
# The function L_layer_forward returns:
# - A2: the final output (predicted Package)
# - A1: the activation from the previous layer (needed for backprop)
# WHY RETURN A_prev TOO?
# During backpropagation, we compute gradients like:
# \partial L/\partial W = A_prev.T @ dZ
# That's why we need the activations of the previous layer (A prev or Oij values)
# They're essential for calculating the gradients during the backward pass.
# y_hat is the final output returned from the forward propagation:
# It's a 2D array with shape (1, 1), something like: [[value]]
# To convert it into a plain scalar value (float), we extract the single element
y_hat = y_hat[0][0]
\# A1 is the output from the hidden layer (before applying any activation, in your current setup).
\mbox{\tt\#} This matrix contains the values computed after the first linear transformation:
# A1 = W1.T @ A0 + b1
# These are useful not only for forward pass inspection but also critical in backpropagation
# since gradients depend on the activations from previous layers.
A1
#This will output something like: array([[011], [012]])
→ array([[1.6],
            [1.6]])
{\tt def update\_parameters(parameters, y, y\_hat, A1, X):}
    \# Compute the gradient of Mean Squared Error (MSE) Loss w.r.t y_hat:
    \# dL/dy_hat = 2 * (y - y_hat)
    # Learning rate is hardcoded as 0.001 here
    # ======= Layer 2 (Output Layer) Updates ========
    \mbox{\tt \# W2[0][0]} is the weight connecting A1[0] to the output neuron
    # Gradient: dL/dW2 = dL/dy_hat * d(y_hat)/dW2 = 2*(y - y_hat) * A1[i]
    parameters['W2'][0][0] += 0.001 * 2 * (y - y_hat) * A1[0][0]
    # W2[1][0] connects A1[1] to output
```

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parameters['W2'][1][0] += 0.001 * 2 * (y - y_hat) * A1[1][0]
   # Bias b2 - add gradient: dL/db2 = 2 * (y - y_hat)
    parameters['b2'][0][0] += 0.001 * 2 * (y - y_hat)
    # ======= Layer 1 (Hidden Layer) Updates =========
    # The hidden layer gradients are approximated manually here:
    \# W1[0][0] is the weight from X[0] to A1[0], which connects to output via W2[0][0]
    # So, its gradient flows back via W2[0][0] path
   parameters['W1'][0][0] += 0.001 * 2 * (y - y_hat) * parameters['W2'][0][0] * X[0][0]
   # W1[0][1] connects X[1] to A1[0]
   parameters['W1'][0][1] += 0.001 * 2 * (y - y_hat) * parameters['W2'][0][0] * X[1][0]
   # Bias for neuron A1[0]
   parameters['b1'][0][0] += 0.001 * 2 * (y - y_hat) * parameters['W2'][0][0]
   \mbox{\tt\# W1[1][0]} connects X[0] to A1[1], which connects to output via W2[1][0]
   parameters['W1'][1][0] += 0.001 * 2 * (y - y_hat) * parameters['W2'][1][0] * X[0][0]
   # W1[1][1] connects X[1] to A1[1]
   parameters['W1'][1][1] += 0.001 * 2 * (y - y_hat) * parameters['W2'][1][0] * X[1][0]
   # Bias for neuron A1[1]
   parameters['b1'][1][0] += 0.001 * 2 * (y - y_hat) * parameters['W2'][1][0]
# Call the parameter update function with the following:
# parameters: current weights and biases
# y: actual label (Package value for this instance)
# v hat: predicted output from forward propagation
# A1: activations (outputs) from the hidden layer
# X: input feature vector (CGPA, ATS Score for this row)
update_parameters(parameters, y, y_hat, A1, X)
# After the update, print or inspect the updated parameters dictionary
\ensuremath{\mathtt{\#}} This dictionary contains the learned weights and biases for both layers:
\mbox{\#} - \mbox{'W1'} and \mbox{'b1'} are for the layer between input and hidden layer
\mbox{\tt\#} - 'W2' and 'b2' are for the layer between hidden layer and output
# Since one step of gradient descent has been applied, their values should now be
\mbox{\# slightly different from their initial values (e.g., 0.1 or 0.0)}
parameters
[0.1325153 , 0.1378465 ]]),
'b1': array([[0.00439444],
            [0.00439761]]),
      'W2': array([[0.15747535],
            [0.15783471]])
      'b2': array([[0.03262821]])}
# Extract input features for the second training example (index 1)
X = df[['CGPA', 'ATS Score']].values[1].reshape(2, 1) # Shape(no of features, no. of training exaplme)
y = df[['Package(LPA)']].values[1][0]
y_hat,A1 = L_layer_forward(X,parameters)
y_hat = y_hat[0][0]
parameters
→ A0: [[7]
     [9]]
W1: [[0.13249307 0.13781791]
      [0.1325153 0.1378465 ]]
     b1: [[0.00439444]
      [0.00439761]]
     A1: [[2.12448363]
     [2.20974148]]
     A1: [[2.12448363]
      [2.20974148]]
     W2: [[0.15747535]
      [0.15783471]]
     b2: [[0.03262821]]
     A2: [[0.71595594]]
     {'W1': array([[0.13249307, 0.13781791],
            [0.1325153 , 0.1378465 ]]),
      'b1': array([[0.00439444],
            [0.00439761]]),
      'W2': array([[0.15747535],
             [0.15783471]]),
      'b2': array([[0.03262821]])}
update_parameters(parameters,y,y_hat,A1,X)
→ {'W1': array([[0.14302965, 0.15136494],
            [0.14311725, 0.15147757]]),
      'b1': array([[0.00589966],
```

[0.00591218]]),

```
'W2': array([[0.17567812],
             [0.17676797]]),
      'b2': array([[0.0411963]])}
# Extract input features for the third training example (index 2)
X = df[['CGPA', 'ATS Score']].values[2].reshape(2, 1) # Shape(no of features, no. of training exaplme)
y = df[['Package(LPA)']].values[2][0]
y_hat,A1 = L_layer_forward(X,parameters)
y_hat = y_hat[0][0]
→ A0: [[ 6]
      [10]]
     W1: [[0.15528401 0.17178888]
      [0.15552293 0.1721537 ]]
     b1: [[0.00794206]
      [0.00797979]]
     A1: [[2.49487538]
      [2.76025011]]
     A1: [[2.49487538]
      [2.76025011]]
     W2: [[0.19921008]
      [0.20166995]]
     b2: [[0.05144876]]
A2: [[1.10511257]]
update_parameters(parameters,y,y_hat,A1,X)
parameters
 ₹ ('W1': array([[0.16841999, 0.19368218],
      [0.168956 , 0.19454215]]),
'b1': array([[0.01013139],
             [0.01021863]]),
      'W2': array([[0.22363435],
             [0.22869217]]),
      'b2': array([[0.06123854]])}
\# Extract input features for the 4th training example (index 2)
X = df[['CGPA', 'ATS Score']].values[3].reshape(2, 1) # Shape(no of features, no. of training exaplme)
y = df[['Package(LPA)']].values[3][0]
y_hat,A1 = L_layer_forward(X,parameters)
y_hat = y_hat[0][0]
→ A0: [[ 5]
     [12]]
W1: [[0.16841999 0.19368218]
      [0.168956 0.19454215]]
     b1: [[0.01013139]
      [0.01021863]]
     A1: [[2.87970328]
      [3.31313536]]
     A1: [[2.87970328]
      [3,31313536]]
     W2: [[0.22363435]
      [0.22869217]]
     b2: [[0.06123854]]
A2: [[1.46292723]]
update_parameters(parameters,y,y_hat,A1,X)
parameters
→ {'W1': array([[0.18256857, 0.22763878],
             [0.18365041, 0.22980874]]),
      'b1': array([[0.0129611 ],
             [0.01315752]]),
      'W2': array([[0.2555246],
             [0.26538232]]),
      'b2': array([[0.07231268]])}
# Till now, the whole dataset got trained for 1 time(1 epoch)
# Let's start with epoch implementation
# Initialize parameters before training
# Input layer: 2 neurons (CGPA, Profile Score)
# Hidden layer: 2 neurons
# Output layer: 1 neuron (Predicted LPA)
parameters = initialize_parameters([2, 2, 1])
\# Set the number of epochs — how many times the entire dataset is processed
epochs = 5
# Outer loop: iterate through entire dataset multiple times (epochs)
for i in range(epochs):
    # Initialize list to track loss for the current epoch
```

```
Loss = []
    # Inner loop: iterate through each training example (row in the DataFrame)
    for j in range(df.shape[0]):
        # Extract input vector X for j-th training sample
        # Reshape to (features, 1) => column vector
        X = df[['CGPA', 'ATS Score']].values[j].reshape(2, 1)
        # Extract actual output (LPA) for j-th training sample
        y = df[['Package(LPA)']].values[j][0]
        \# Perform forward pass - get prediction and hidden layer output y_hat, A1 = L_layer_forward(X, parameters)
        # Flatten the prediction output (from 2D to scalar)
        y_hat = y_hat[0][0]
        \# Backward pass — update weights and biases based on prediction error
        update_parameters(parameters, y, y_hat, A1, X)
        # Calculate squared error and add to Loss list
        Loss.append((y - y_hat) ** 2)
    \mbox{\tt\#} After processing all samples in this epoch, print the average loss
    print('Epoch -', i + 1, 'Loss -', np.array(Loss).mean())
→ A0: [[ 6]
      [10]]
    W1: [[0.15658396 0.18420354]
[0.15743714 0.18540648]]
     b1: [[0.00866124]
      [0.00878791]]
     A1: [[2.52253643]
     [2.96807397]]
     A1: [[2.52253643]
      [2.96807397]]
     W2: [[0.20681313]
      [0.21470095]]
    b2: [[0.05447498]]
A2: [[1.21341694]]
     A0: [[ 5]
      [12]]
     W1: [[0.16985018 0.2063139 ]
      [0.17140141 0.20868027]]
     b1: [[0.01087227]
      [0.01111529]]
     A1: [[2.91694011]
     [3.54684797]]
     A1: [[2.91694011]
      [3.54684797]]
     W2: [[0.23096179]
      [0.24311482]]
     b2: [[0.06404815]]
     A2: [[1.60004115]]
     Epoch - 2 Loss - 19.438253848220803
     A0: [[8]
    [8]]
W1: [[0.18402315 0.24032904]
      [0.186598 0.24515208]]
     b1: [[0.01370687]
      [0.01415461]]
     A1: [[2.97867611]
      [3.89800358]]
     A1: [[2.97867611]
      [3.89800358]]
     W2: [[0.2624645]
      [0.28142048]]
     b2: [[0.07484807]]
     A2: [[1.95362286]]
     A0: [[7]
     [9]]
W1: [[0.19301593 0.24932182]
      [0.19633463 0.25488871]]
     b1: [[0.01483097]
      [0.01537168]]
     A1: [[3.1329542]
      [4.05462284]]
# After all epochs, print the final learned parameters
# These include W1, b1, W2, b2 after being refined over 5 epochs
parameters
₹ ('W1': array([[0.273603 , 0.3993222 ],
             [0.28787155, 0.42586102]]),
      'b1': array([[0.02885522],
            [0.03133223]]),
      'W2': array([[0.42574893],
            [0.50219328]]),
      'b2': array([[0.11841278]])}
```

