

# **SPPU IT Exam Solutions**



give me neat and detailed solutions for unit in easy language

draw text (markdown)diagram in chat where diagram is needed and draw table for difference que and differences

should be 7 points minimum and where definations are present give example also and all solution should be well detailed and explained

explain all questions in deatail minimum half page should be there as per sppu exam somequestions are as per 9 marks so give ans as per it

Sure Bhavesh! Please send me the **unit number and questions** for which you need detailed, SPPU-style answers. I will give you:

- ✓ Neatly explained answers in simple language
- ▼ Text diagrams (Markdown) where needed
- ▼ Tables for differences (minimum 7 points)
- **Examples** where definitions are included
- ✓ Half-page to full-page detailed explanation (for 6 to 9 marks)
- All answers as per SPPU second year IT curriculum

Please reply with:

- 1. Unit number or unit name
- 2. The **questions** you want solutions for

I'll get started immediately once you send that!



Compute the closure of the following set F of functional dependencies for relation schema R = (A, B, C, D, E).

[7]

 $A \rightarrow BC$ 

 $CD \rightarrow E$ 

 $\mathsf{B}\to\mathsf{D}$ 

 $E \rightarrow A$ 

List the candidate keys for R

Let's solve this question **step-by-step in simple language**, as per the SPPU exam format (7–9 mark answer with detailed explanation):

### **Given:**

• Relation Schema:

$$R = (A, B, C, D, E)$$

- Functional Dependencies (F):
  - 1. A o BC
  - 2.  $CD \rightarrow E$
  - 3. B o D
  - 4. E o A

# **☑** Step 1: Compute Closure of Attributes

We want to find attribute closures and candidate keys.

A **candidate key** is an attribute or set of attributes that can **uniquely identify all attributes of the relation** (i.e., its closure = all attributes in R).

# Try A⁺ (Closure of A)

We use FDs step-by-step:

- 1. Start:
  - $A^+=\{A\}$
- 2. Apply  $A \rightarrow BC$ :

$$A^+ = \{A,B,C\}$$

3. Apply  $B \rightarrow D$ :

$$A^+ = \{A,B,C,D\}$$

4. Apply CD  $\rightarrow$  E:

Now C and D are in A+

$$\Rightarrow A^+ = \{A,B,C,D,E\}$$

 $\bigvee$  So, A+ = {A, B, C, D, E} = All attributes ⇒ A is a candidate key

# ◆ Try B+ (Closure of B)

1. Start:

$$B^+ = \{B\}$$

2. Apply  $B \rightarrow D$ :

$$B^+ = \{B, D\}$$

Can't derive more ⇒ Not a candidate key

# **♦** Try E⁺ (Closure of E)

1. Start:

$$E^+ = \{E\}$$

2. Apply  $E \rightarrow A$ :

$$E^+ = \{E, A\}$$

3. Apply  $A \rightarrow BC$ :

$$E^+ = \{E, A, B, C\}$$

4. **Apply B** → **D**:

$$E^+ = \{E, A, B, C, D\}$$

 $\checkmark$  So, E+ = {A, B, C, D, E} ⇒ E is a candidate key

# **♦** Try CD⁺

$$CD^+ = \{C, D\}$$

2. Apply CD  $\rightarrow$  E:

$$CD^+ = \{C, D, E\}$$

3. Apply  $E \rightarrow A$ :

$$CD^+ = \{C, D, E, A\}$$

4. **Apply A** → **BC**:

$$CD^+ = \{A, B, C, D, E\}$$

So, CD is also a candidate key

# Step 2: List All Candidate Keys

We already found:

Attribute Set	Closure	Is Candidate Key?
A	A, B, C, D, E	✓ Yes
E	A, B, C, D, E	✓ Yes
CD	A, B, C, D, E	✓ Yes

## **✓** Final Answer:

- Closure of A: A+ = {A, B, C, D, E}
- Candidate Keys = {A}, {E}, {C, D}

# Explanation in Simple Words:

Closure means: starting from a set of attributes, we apply the functional dependencies to see **how many more attributes we can derive**. If the closure gives **all attributes of R**, it means that set is a **super key**.

If it's also the **minimal set** (no smaller subset gives full closure), then it's a **candidate key**.

So, in this example:

• Starting from  $A \rightarrow we$  get B, C, D, E using the rules

- Similarly, E and CD also allow us to get all 5 attributes of R
- Hence, they are candidate keys

Would you like the **dependency diagram** also? I can draw it in text format.



State and explain armstrong's axioms and its properties.

Here's the detailed SPPU-style answer to:

- Q. State and explain Armstrong's Axioms and its Properties.
- (As per 8 to 9 marks SPPU pattern with full explanation in easy language)

# Introduction to Armstrong's Axioms:

**Armstrong's Axioms** are a set of **inference rules** used to derive all **functional dependencies** (FDs) that hold in a relational database.

They are **sound** (only produce correct FDs) and **complete** (can derive all correct FDs).

These axioms are the **foundation** of reasoning about functional dependencies in relational schema design.

# Why Armstrong's Axioms Are Important?

- Used to **infer** new dependencies from known ones.
- Help in finding attribute closure and candidate keys.
- Assist in **normalization** (e.g., 2NF, 3NF, BCNF).
- Help in checking equivalence and minimal cover of FD sets.

# The 3 Basic Armstrong's Axioms:

No.	Axiom Name	Rule Description	Example
1.	Reflexivity	If $Y \subseteq X$ , then $X \to Y$	If $A \supseteq A$ , then $A \rightarrow A$
2.	Augmentation	If $X \rightarrow Y$ , then $XZ \rightarrow YZ$ (Z is any set)	If A $\rightarrow$ B, then AC $\rightarrow$ BC
3.	Transitivity	If $X \to Y$ and $Y \to Z$ , then $X \to Z$	If A $\rightarrow$ B and B $\rightarrow$ C, then A $\rightarrow$ C

# **✓** Properties Derived from Axioms (Secondary Rules):

These can be derived using the basic 3 axioms:



No.	Property Name	Rule Description	Example
1.	Union	If $X \to Y$ and $X \to Z$ , then $X \to YZ$	If A $\rightarrow$ B and A $\rightarrow$ C, then A $\rightarrow$ BC
2.	Decomposition	If $X \to YZ$ , then $X \to Y$ and $X \to Z$	If A $\rightarrow$ BC, then A $\rightarrow$ B and A $\rightarrow$ C
3.	Pseudo Transitivity	If $X \to Y$ and $WY \to Z$ , then $WX \to Z$	If A $\rightarrow$ B and CB $\rightarrow$ D, then AC $\rightarrow$ D

# Explanation of Armstrong's Axioms with Examples:

### • 1. Reflexivity:

If a set of attributes **includes** another set, then it **functionally determines** that subset.

#### **Example:**

If  $A, B \supseteq A$ , then:

$$\Rightarrow AB \rightarrow A$$

### • 2. Augmentation:

If a dependency holds, adding the same attributes to both sides doesn't affect it.

#### **Example:**

Given:  $A \rightarrow B$ ,

Then: AC o BC

### 3. Transitivity:

Works like in mathematics – if one set determines another, and that set determines a third, then the first determines the third.

#### **Example:**

Given: A o B and B o C,

Then: A o C

# More Derived Properties with Examples:

#### Union:

If you know X gives Y and Z separately, you can combine:

#### **Example:**

$$A o B$$
 and  $A o C$ 

$$\Rightarrow A \rightarrow BC$$

## Decomposition (Projectivity):

You can split the RHS:

#### **Example:**

$$A \rightarrow BC$$

$$\Rightarrow A \rightarrow B$$
,  $A \rightarrow C$ 



### Pseudo-Transitivity:

Used when RHS of 1st matches part of LHS of 2nd:

#### **Example:**

$$A \to B, BC \to D$$
  
 $\Rightarrow AC \to D$ 

# Diagram of Armstrong's Axioms (Text-based)

```
markdown

Axioms Diagram:

A \supseteq B \qquad A \to B \qquad A \to C
(Reflexivity) \qquad (Augmentation) \qquad (Transitivity)
=> A \to B \qquad => AC \to BC \qquad and B \to C \Rightarrow A \to C
```

# **Conclusion:**

- Armstrong's axioms provide a **foundation for reasoning** about functional dependencies.
- They help derive **all possible FDs** from a given set and assist in **normalization and design** of relational schemas.
- Mastery of these rules is essential for designing **efficient**, **non-redundant**, **and consistent databases**.

Would you like me to cover **Attribute Closure**, **Canonical Cover**, or **Normalization** based on these axioms next?



Explain Difference between 4NF & BCNF

Here is the **SPPU-style detailed answer** for:

- **Q. Explain the difference between 4NF and BCNF.**
- (As per 7–9 mark answer format with table and full explanation)

# Introduction:

Both **Boyce-Codd Normal Form (BCNF)** and **Fourth Normal Form (4NF)** are higher-level **normal forms** used in relational database normalization.

They help eliminate redundancy and anomalies by **decomposing relations** based on **functional dependencies** and **multivalued dependencies**.

# Definition of BCNF:

#### A relation is in **BCNF** if:

For every non-trivial **functional dependency**  $X \to Y$ ,  $\to X$  is a **super key**.

#### Example of BCNF:

Let relation R(A,B,C) with FD: A o B

If A is not a super key, then it's not in BCNF.

We decompose it until all FDs have super keys on the left.

# **V** Definition of 4NF:

#### A relation is in 4NF if:

It is in **BCNF**, and

For every non-trivial multivalued dependency (MVD)  $X \rightarrow Y$ ,

 $\rightarrow X$  must be a **super key**.

#### Example of 4NF:

Let relation R(Student, Course, Hobby)

- A student can take many courses
- A student can have many hobbies

#### Then:

- $Student \rightarrow Course$
- $Student \rightarrow Hobby$

Here, these are multivalued dependencies, not FDs.

We must decompose into 4NF by separating Course and Hobby.

# Difference between BCNF and 4NF

No.	BCNF (Boyce-Codd Normal Form)	4NF (Fourth Normal Form)
1.	Deals with <b>functional dependencies (FDs)</b>	Deals with multivalued dependencies (MVDs)
2.	Removes redundancy due to <b>functional dependency</b>	Removes redundancy due to <b>multivalued dependency</b>
<b>3</b> .	A relation in BCNF may still have MVD anomalies	A relation in 4NF removes all MVD anomalies
4,	Less strict than 4NF	Stricter than BCNF

No.	BCNF (Boyce-Codd Normal Form)	4NF (Fourth Normal Form)
5.	Every 4NF is always in BCNF	Not every BCNF is in 4NF
6.	Used when <b>no multivalued dependency exists</b>	Used when <b>MVDs are present</b> in relation
7.	Focus: <b>FDs and keys</b>	Focus: <b>FDs + MVDs</b>
8.	May still have <b>repetition</b> due to MVDs	Completely eliminates MVD-based redundancy

# Conclusion:

- BCNF handles functional dependencies and is sufficient for most practical cases.
- 4NF is needed when multivalued dependencies arise, such as repeating groups.
- Proper normalization up to 4NF ensures a **well-structured**, **anomaly-free**, **and efficient database design**.

Would you like examples and decompositions for BCNF and 4NF as well in table format?



Describe the concept of transitive dependency. Explain how this concept is use to define 3NF

Here is the **SPPU-style detailed answer** to:

# Q. Describe the concept of Transitive Dependency. Explain how this concept is used to define 3NF.

(Answer explained in easy language with definitions, examples, and half-page explanation suitable for 7–9 marks)

# What is Transitive Dependency?

A **transitive dependency** in a relation occurs when **a non-prime attribute depends on another non-prime attribute**, which in turn depends on a **candidate key**.

#### Definition:

A transitive dependency is a **functional dependency** of the form:

If  $A \to B$  and  $B \to C$ , then  $A \to C$  is a **transitive dependency**, **provided** that C is **not a prime attribute** (i.e., not part of any candidate key).

#### • Example:

Let relation R(A, B, C) have:



- $\bullet$   $A \rightarrow B$
- $B \rightarrow C$

Then, by transitivity:

$$\Rightarrow A \rightarrow C$$

Here, if A is a **candidate key** and C is **not a prime attribute**, then this is a **transitive dependency** and violates **3NF**.

## **Problems with Transitive Dependency:**

- Causes redundancy in data.
- Leads to **update anomalies** (modifying, inserting, or deleting records causes data inconsistency).
- Increases storage requirements unnecessarily.

# **How Transitive Dependency is Related to 3NF?**

The goal of Third Normal Form (3NF) is to eliminate transitive dependencies.

# **✓** Definition of 3NF (Third Normal Form):

A relation is in **3NF** if **both** conditions are satisfied:

- 1. It is in Second Normal Form (2NF), and
- 2. For every functional dependency  $X \to A$ :
  - $\circ$  Either X is a **super key**, or
  - *A* is a **prime attribute** (part of a candidate key)

### Use of Transitive Dependency in 3NF:

- If a non-prime attribute depends **transitively** on a candidate key, it violates **3NF**.
- To achieve 3NF, we remove the transitive dependency by decomposing the relation.

## **Z** Example:

Let relation  $R(Student_ID, Dept_Name, HOD)$ 

With FDs:

- $Student_ID \rightarrow Dept_Name$
- $Dept_Name \rightarrow HOD$

By transitivity:

 $\Rightarrow Student_ID \rightarrow HOD$ 



Here:

- $Student_ID$  is candidate key
- $Dept_Name$  is non-prime attribute
- *HOD* is also non-prime attribute



## Decomposition to 3NF:

We split the relation into:

- 1.  $R1(Student_ID, Dept_Name)$
- 2.  $R2(Dept_Name, HOD)$

Now both relations are in **3NF** (no transitive dependencies).

# Diagram (Text Markdown):

```
\begin{array}{c} {\sf Markdown} \\ \\ {\sf Student\_ID} \ \to \ {\sf Dept\_Name} \ \to \ {\sf HOD} \\ \\ \left| \begin{array}{c} {\sf Transitive} \ {\sf FD} \end{array} \right| \end{array}
```

# **Conclusion:**

- **Transitive dependency** occurs when one non-key attribute determines another non-key attribute indirectly via a candidate key.
- It causes redundancy and anomalies.
- **Third Normal Form (3NF)** removes such transitive dependencies by decomposing relations, resulting in a **cleaner and more efficient database design**.

Would you like a breakdown of all Normal Forms (1NF to BCNF) with diagrams and examples too?



Describe the concept of transitive dependency. Explain how this concept is use to define 3NF

Here is a **neat**, **well-explained SPPU-style answer** for:

Q. Describe the concept of Transitive Dependency. Explain how this concept is used to define 3NF.





# What is Transitive Dependency?

A transitive dependency is an indirect functional dependency between attributes in a relation.

It exists when:

A **non-prime attribute** depends on another **non-prime attribute**, which in turn depends on a **candidate key**.

In simple terms:

If A o B and B o C, then A o C is a **transitive dependency**,

if C is not part of any candidate key.

## Example of Transitive Dependency:

Consider a relation:

```
text
Student(Student_ID, Dept_Name, HOD)
```

With functional dependencies:

- $Student_ID \rightarrow Dept_Name$
- $Dept_Name \rightarrow HOD$

From the above:

•  $Student_ID o HOD$  is a transitive dependency

Because:

- $Student_ID$  is a candidate key
- *HOD* is **not a prime attribute**
- ullet HOD depends **transitively** through  $Dept_Name$

# Text Diagram:

```
Student_ID → Dept_Name → HOD
| _____ |
Transitive Dependency
```



## **Problems Due to Transitive Dependencies:**

- Leads to data redundancy
- Causes update, insert, and delete anomalies
- Increases storage requirements
- · Reduces data integrity

# How Transitive Dependency is Related to 3NF?

☑ Third Normal Form (3NF) is designed to remove transitive dependencies.

#### Definition of 3NF:

A relation is in 3NF if:

- 1. It is in Second Normal Form (2NF)
- 2. And for every functional dependency X o Y ,
  - $\circ$  Either X is a **super key**, **or**
  - Y is a **prime attribute** (i.e., part of a candidate key)

## Transitive Dependency Removal in 3NF:

In the earlier example:

- $Student_ID \rightarrow Dept_Name \bigvee$
- $Dept_Name \rightarrow HOD \bigvee$
- $Student_ID \rightarrow HOD \times \text{(Transitive)}$

To eliminate this:

### Decompose the relation into:

- 1. `Student(Student ID, Dept Name)`
- 2. `Department(Dept\_Name, HOD)`

Now both are in **3NF**, and redundancy is removed.

## Conclusion:

- A transitive dependency occurs when one non-prime attribute depends indirectly on a candidate key.
- 3NF eliminates these dependencies to ensure clean, consistent, and efficient database design.
- By decomposing transitive dependencies, we avoid anomalies and ensure data integrity.

Would you like all Normal Forms (1NF to 4NF) explained next with step-by-step decomposition?



Suppose that we decompose the schema R = (A, B, C, D, E) into [4]

(A, B, C)

(A, D, E).

Show that this decomposition is a lossless-join decomposition if the following set F of functional dependencies holds.

 $A \rightarrow BC$ 

 $CD \rightarrow E$ 

 $\mathsf{B} \to \mathsf{D}$ 

 $\mathsf{E} \to \mathsf{A}$ 

Here is a **neat and detailed SPPU-style solution** to the question:

# $\mathbf{V}$ Q. Suppose that we decompose the schema R = (A, B, C, D, E) into

- R<sub>1</sub> = (A, B, C)
- R<sub>2</sub> = (A, D, E)

Show that this decomposition is a **lossless-join decomposition** if the following set **F of functional dependencies** holds:

- A → BC
- $CD \rightarrow E$
- $B \rightarrow D$
- $\bullet$  E  $\rightarrow$  A

## Concept of Lossless-Join Decomposition:

A **decomposition** of relation R into  $R_1$  and  $R_2$  is said to be **lossless-join** if we can **reconstruct** the original relation **without losing any data**.

### Lossless-Join Condition (for two relations):

For a decomposition of R into  $R_1$  and  $R_2$  to be **lossless-join**, the following must be true:

$$R_1\cap R_2 o R_1$$
 or  $R_1\cap R_2 o R_2$ 

That is, the common attributes between  $R_1$  and  $R_2$  must functionally determine either  $R_1$  or  $R_2$ .

## • Step 1: Identify R₁ ∩ R₂

- R<sub>1</sub> = (A, B, C)
- R<sub>2</sub> = (A, D, E)

$$\rightarrow R_1 \cap R_2 = \{A\}$$

### • Step 2: Check if $A \rightarrow R_1$ or $A \rightarrow R_2$

We check if  $A \rightarrow all$  attributes of  $R_1$  or  $R_2$ .

From the given FDs:

- A → BC **✓**
- So,  $A \rightarrow B$  and  $A \rightarrow C$
- Therefore,  $A \rightarrow A$ , B,  $C \Rightarrow A \rightarrow R_1 \bigvee$

Hence:

$$R_1\cap R_2=\{A\}\to R_1=\{A,B,C\}$$

Lossless-join condition is satisfied.

### Conclusion:

Since the **common attribute A** functionally determines **all attributes of R**<sub>1</sub>, the decomposition of:

```
text

R = (A, B, C, D, E)
into:
R1 = (A, B, C)
R2 = (A, D, E)
```

### is a Lossless-Join Decomposition V

Let me know if you want a diagram for this using a **decomposition table** or an explanation of **dependency preservation** as well.



Student\_Details (Stud\_id, Stud\_name Mob\_no, Zip\_code, City) Consider this schema, check whether it is in 3NF, if not justify and propose the schema in 3NF

Here is the **detailed SPPU-style answer** for:

Q. Student\_Details (Stud\_id, Stud\_name, Mob\_no, Zip\_code, City)

Check whether it is in **3NF**, if not, justify and **propose a 3NF decomposition**.

# Step 1: Identify Functional Dependencies (FDs)

Assume the following functional dependencies (based on real-world logic):

- 1. **Stud\_id** → **Stud\_name**, **Mob\_no**, **Zip\_code**, **City** (Stud\_id uniquely identifies a student)
- 2. **Zip\_code** → **City**(A zip code always maps to a single city)

# Step 2: Identify Candidate Key

From FD 1:

Stud\_id determines all other attributes ⇒
 ✓ So, Stud\_id is the Candidate Key

# Step 3: Check for 3NF Conditions

A relation is in **3NF** if:

For every FD X o Y ,

- Either X is a super key,
- Or *Y* is a **prime attribute** (i.e., part of a candidate key)

### Check FD 1:

Stud\_id → Stud\_name, Mob\_no, Zip\_code, City

- LHS = Stud\_id (Candidate key) 🗸
- Satisfies 3NF condition

### X Check FD 2:

 $\textbf{Zip\_code} \rightarrow \textbf{City}$ 

- LHS (Zip\_code) is not a candidate key X
- RHS (City) is **not a prime attribute** 
  - Violates 3NF

This is a **transitive dependency**:

- Stud\_id → Zip\_code
- Zip\_code → City
   ⇒ Stud\_id → City (transitively)

# Conclusion: The schema is NOT in 3NF X



# **Step 4: Decompose into 3NF**

**☑** Split the relation into two tables:

#### 1. Student Details

```
text
(Stud_id, Stud_name, Mob_no, Zip_code)
```

With:

Stud\_id → Stud\_name, Mob\_no, Zip\_code

#### 2. Location

```
text
(Zip_code, City)
```

With:

Zip\_code → City

# All FDs are now satisfied in 3NF:

- In Student\_Details, Stud\_id is a key 🗸
- In Location, Zip\_code is a key 🔽
- No transitive dependencies 🗶
- ullet All non-prime attributes are directly dependent on keys  ${f ec{V}}$

# Final 3NF Schema:

```
markdown
```

- 1. Student\_Details(Stud\_id, Stud\_name, Mob\_no, Zip\_code)
- 2. Location(Zip\_code, City)

# Conclusion:



The original schema is **not in 3NF** because of the **transitive dependency**:

`Stud id → Zip code → City`

We **decomposed** it into two relations that are in **3NF**, preserving dependencies and ensuring a **lossless-join** design.

Would you like a diagrammatic breakdown of this decomposition using a dependency diagram?



Define query processing. What are the steps involved in query procesing?

Here is a **detailed and neat SPPU-style answer** for the question:

## Q. Define Query Processing. What are the steps involved in query processing?

(Answer as per 8–9 marks level with explanation, diagram, and clarity)

# Definition of Query Processing:

**Query Processing** is the process of **translating a high-level SQL query** into a series of **low-level instructions** (such as relational algebra or machine-level operations) and then **executing them efficiently** to retrieve the correct result from the database.

It involves parsing, optimization, translation, and execution of user queries.

# Goals of Query Processing:

- To execute the query **correctly**
- To **optimize performance** (minimize time, memory, and resources)
- To produce results in the least possible time

# Steps Involved in Query Processing:

The major steps involved in query processing are as follows:

## 1. Parsing and Translation:

- SQL query is parsed to check syntax and semantics
- Valid SQL is then translated into an internal query representation, often as a parse tree or logical query plan
- Example:

SQL:

```
sql
```

```
SELECT name FROM student WHERE marks > 70;
```

→ Translated into **Relational Algebra** or tree form

### 🔽 2. Query Optimization:

- The internal representation is **optimized** to improve performance
- Multiple strategies are considered, and the most efficient one is selected
- Optimizer tries to reduce I/O cost, CPU usage, etc.
- Example:
  - Use **index** if available
  - Replace nested queries with joins

### 3. Query Plan Generation (Evaluation Plan):

- Optimized logical plan is converted into a physical query plan
- Specifies the order of operations, algorithms, and access methods used
- It decides:
  - Whether to use index scan or table scan
  - Which join algorithm to use: Nested Loop / Hash Join / Merge Join

# 4. Query Execution:

- The final query plan is executed by the query processor engine
- The data is fetched from the storage and results are returned to the user
- Results are usually returned row-by-row or as a full result set

### **♦** Text Diagram of Query Processing:

```
markdown

SQL Query

Parsing & Translation

Query Optimization

Query Plan Generation

Query Execution

Result to User
```



# Conclusion:

- Query processing is the heart of database systems
- It converts user queries into efficient executable code
- It includes parsing, optimization, planning, and execution
- Proper query processing ensures fast and accurate query results

Let me know if you want an example of **query tree generation** or **cost-based optimization** as a follow-up!



Explain insertion, deletion and modifications anomalies with proper example.

Here is a neat and detailed SPPU-style answer for:

Q. Explain Insertion, Deletion, and Modification Anomalies with Proper Example

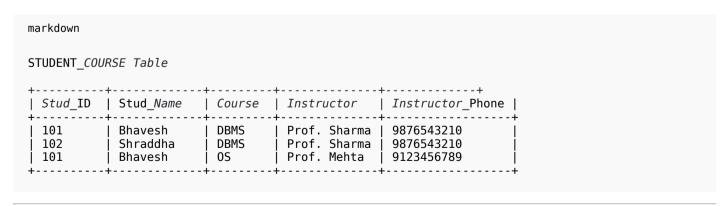
(Answer as per 8–9 marks level with proper tables and explanation)

# Definition of Anomalies in DBMS:

Anomalies are **inconsistencies or problems** that arise in the database due to **redundant or poorly designed table structures**, especially when the table is **not properly normalized**.

They occur during **INSERT**, **DELETE**, or **UPDATE** (**MODIFY**) operations.

# Let's consider a sample unnormalized table:



# 1. Insertion Anomaly:

Occurs when we cannot insert data into the table because some other data is missing.

• Example:



- Suppose a new course "AI" is introduced but no student has registered for it yet.
- We cannot insert "AI" course into the table because there's no student id to associate it with.
- This leads to **loss of information** about courses.

# 2. Deletion Anomaly:

Occurs when deleting a record also removes unintended important information.

- Example:
  - If we delete Bhavesh's OS course, we remove this row:

```
text
| 101 | Bhavesh | OS | Prof. Mehta | 9123456789 |
```

- This results in **loss of information** about **Prof. Mehta** and his **contact number**, even though he may teach other courses too.
- This is an unintended data loss.

# 3. Modification (Update) Anomaly:

Occurs when we have to **change the same data in multiple places**, and if not done correctly, it leads to **inconsistency**.

- Example:
  - If **Prof. Sharma's contact number changes**, we need to update it in **all rows** where he appears.
  - If we update in **only one place**, other rows will have **incorrect old data**.
- **\*** This leads to **data inconsistency**.

# Summary Table: Differences between Anomalies

Type of Anomaly	Description	Example
Insertion Anomaly	Cannot insert due to missing related data	Can't add course without student
Deletion Anomaly	Deletion causes unintended loss of data	Deleting student deletes instructor info
Modification Anomaly	Update needed in multiple rows to maintain accuracy	Updating phone in one row only causes inconsistency

# Solution to Anomalies:

These anomalies can be **eliminated** by applying **Normalization** techniques (like 1NF, 2NF, 3NF, BCNF).

We can split the above table into:

### STUDENT Table:

markdown	
Stud_ <i>ID</i>	+   <i>Stud</i> _Name +
101 102	Bhavesh   Shraddha

### **✓** COURSE\_INSTRUCTOR Table:

markdown		
Course	Instructor	Instructor_ <i>Phone</i>
DBMS	Prof. Sharma   Prof. Mehta	9876543210

## **✓** STUDENT\_COURSE Table:

++   Stud_ID   Course   ++   101   DBMS     102   DBMS	markdown			
101   DBMS	Stud_ID   (	Course		
	101   1	DBMS		

These decomposed tables remove redundancy and anomalies.

# Conclusion:

- Anomalies cause data inconsistency, redundancy, and loss of integrity
- Proper **normalization** helps to avoid these problems
- A good database design should always prevent anomalies

Let me know if you'd like a **normalization diagram** or ER model based on this!



State the need of normalization? Explain 2NF with suitable example

Here is a **detailed and neat SPPU-style answer** for your question:

Q. State the need of Normalization? Explain 2NF with suitable example





### **Need of Normalization:**

Normalization is a **database design technique** that organizes tables to:

#### 1. Eliminate Redundancy:

Remove repeated data to save storage and avoid inconsistencies.

#### 2. Avoid Anomalies:

Prevent insertion, deletion, and update (modification) anomalies that occur in unnormalized tables.

#### 3. Ensure Data Integrity:

Maintain accuracy and consistency of data by enforcing dependencies.

#### 4. Simplify Database Structure:

By breaking complex tables into smaller, well-structured tables, queries become easier and faster.

#### 5. Improve Query Performance:

Reduced redundancy means less data to scan and update, improving efficiency.

#### 6. Facilitate Maintenance:

Easier to maintain and update data when structured properly.

#### 7. Better Logical Design:

Clearer relationships and constraints between data entities.

## What is Second Normal Form (2NF)?

A table is in **Second Normal Form (2NF)** if:

- It is already in First Normal Form (1NF) (i.e., atomic values, no repeating groups)
- And no partial dependency exists, i.e.,
   No non-prime attribute is dependent on a part of any candidate key (only allowed if the key is composite)

# Explanation of Partial Dependency:

• Partial dependency occurs when a non-key attribute depends **only on part of a composite key**, not the whole key.



# **Example to Explain 2NF:**

#### Consider a table:

Order_ID	Product_ID	Product_Name	Quantity	Price_per_unit
101	P001	Pen	10	5
101	P002	Pencil	5	3

### **Step 1: Identify Key and Dependencies**

- Candidate Key: (Order\_ID, Product\_ID) composite key
- Functional dependencies:
  - o (Order\_ID, Product\_ID) → Quantity, Price\_per\_unit
  - o Product\_ID → Product\_Name

### **Step 2: Check for Partial Dependencies**

- Product\_Name depends only on Product\_ID (part of composite key), not on full key (Order\_ID, Product\_ID)
- So, partial dependency exists → Not in 2NF

#### Step 3: Decompose into 2NF

#### Decompose into two tables:

#### 1. Order\_Details:

Order_ID	Product_ID	Quantity	Price_per_unit
101	P001	10	5
101	P002	5	3

- Key: (Order\_ID, Product\_ID)
- No partial dependency here.

#### 2. Product:

Product_ID	Product_Name
P001	Pen
P002	Pencil

• Key: Product\_ID

# Summary Table for 2NF:

Condition	Description	
Table in 1NF	Atomic attributes, no repeating groups	
No Partial Dependency	Non-key attributes depend on full key	
Candidate Key	Composite key (if any)	
Decomposition Required	To remove partial dependencies	



# **Conclusion:**

- Normalization is essential for designing efficient and consistent databases.
- 2NF eliminates partial dependencies to ensure non-key attributes depend on the whole key.
- Decomposing tables into 2NF reduces redundancy and anomalies.

Would you like me to explain **1NF or 3NF** with examples next?



What are the measures of query cost?

Here's a detailed and neat SPPU-style answer for your question:

#### Q. What are the Measures of Query Cost?

(Answer detailed for 5–6 marks)



### **Definition:**

Query Cost refers to the estimated resources required to execute a database query. It helps the query optimizer decide the most efficient way to execute the query.



# **Measures of Query Cost:**

The main measures used to estimate guery cost are:

Measure	Explanation
1. <b>I/O Cost</b>	Cost of reading/writing data pages from/to disk (most expensive). Includes: - Number of disk page reads - Disk seek and latency time
2. CPU Cost	Cost of CPU time used for processing tuples. It includes: - CPU cycles for operations like comparisons, joins, projections
3. Memory Usage	Amount of memory used during query execution, especially for operations like sorting and hashing. Limited memory might increase I/O cost.
4. Communication Cost	Cost related to transferring data between different nodes or servers in distributed databases or cloud environments.
5. Network Cost	Time and resources used in transmitting data over the network, especially in client-server or distributed systems.
6. <b>Disk Space</b>	Storage space needed for intermediate results, temporary files, or indexes during query processing.
7. Response Time	Time taken from query submission to the delivery of the first result. It's a measure of user-perceived performance.



# **Explanation:**



- **I/O Cost** is usually the **dominant factor** because accessing disk is slower than memory or CPU processing.
- Query optimizers often try to **minimize I/O cost** first to improve overall query performance.
- **CPU and memory costs** become important for complex queries involving joins, sorting, and aggregations.
- In distributed systems, communication and network costs also significantly affect query cost.

# Summary:

Measure	Focus	Importance	
I/O Cost	Disk page reads/writes	Highest impact on query time	
CPU Cost	Processing power Important for complex queries		
Memory Usage	RAM for query processing Affects performance of sorting		
Communication Cost	Data transfer between nodes Important in distributed DBMS		
Network Cost	Data transmission over network		
Disk Space	Temporary storage	Needed for intermediate results	
Response Time	User waiting time	User experience	

Let me know if you want examples of how query cost affects query plan choices!



Given the relation schema R = (A, B, C, D, E) with functional dependencies A $\square$ BC, CD $\square$ E, B $\square$ D, E $\square$ A, whether A and CD can be the candidate keys for R. Justify your answer

Here's a detailed and neat SPPU-style answer for your question:

## $\mathbf{V}$ Q. Given the relation schema R = (A, B, C, D, E) with functional dependencies:

- $A \rightarrow BC$
- $CD \rightarrow E$
- $B \rightarrow D$
- $\bullet$  E  $\rightarrow$  A

Determine whether A and CD can be candidate keys for R. Justify your answer.

# Step 1: Understand Candidate Key

• A **candidate key** is a minimal set of attributes that **functionally determines all attributes** of the relation (i.e., its closure includes all attributes).

• To check if a set of attributes is a candidate key, find the **attribute closure** of that set and see if it includes all attributes in R.

# ◆ Step 2: Check if A is a candidate key

Calculate the closure of A (denoted as A+):

- Start with A+ = {A}
- Using A → BC, add B, C to closure A+ = {A, B, C}
- Using B → D, add D
   A<sup>+</sup> = {A, B, C, D}
- Using CD → E, since C and D are in closure, add E
   A+ = {A, B, C, D, E}

#### $A^+ = \{A, B, C, D, E\} = \text{all attributes in } R$

• Conclusion: A is a candidate key since its closure includes all attributes.

# Step 3: Check if CD is a candidate key

Calculate the closure of CD (denoted as (CD)+):

- Start with (CD)+ = {C, D}
- Using CD → E, add E
   (CD)\* = {C, D, E}
- Using E → A, add A
   (CD)+ = {A, C, D, E}
- Using A → BC, add B, C (C already included)
   (CD)\* = {A, B, C, D, E}

#### $(CD)^+ = \{A, B, C, D, E\} = all attributes in R$

• Conclusion: CD is a candidate key as well.

# Step 4: Minimality check

- For **A**, it is a single attribute minimal by default.
- For CD, check if any subset is candidate key:
  - o C+?

C alone does not determine any attribute, so no.

o D+?

D alone does not determine any attribute, so no.





### **Final Conclusion:**

- Both **A** and **CD** are candidate keys for relation R.
- Both determine all attributes in R with their closures.
- Both keys are minimal and satisfy candidate key definition.

If you want, I can also help you find all candidate keys or explain primary keys and super keys based on this!



What are the measure of query cost?

Here's a detailed and neat SPPU-style answer for your question:



### Q. What are the Measures of Query Cost?

(Answer detailed for 5–6 marks)



### **Definition:**

Query Cost refers to the estimated resources required to execute a database query. It helps the query optimizer decide the most efficient way to run the query.



# **Measures of Query Cost:**

The main measures used to estimate query cost include:

Measure	Explanation
1. <b>I/O Cost</b>	Cost of reading/writing data pages from/to disk (usually the most expensive operation). Includes: - Number of disk page reads/writes - Disk seek time and latency
2. CPU Cost	Cost of CPU time required to process data, such as evaluating predicates, joins, projections, and other operations
3. Memory Usage	Amount of main memory used during query execution (for sorting, hashing, buffering intermediate results). Limited memory can increase I/O cost
4. Communication Cost	Cost of transferring data between different nodes or servers in distributed database systems
5. Network Cost	Time and resources used in transmitting data over a network, especially relevant in client- server and distributed architectures
6. <b>Disk Space</b>	Amount of disk space required to store intermediate results, temporary files, or indexes during query execution

Measure	Explanation	
7. Response Time	Total time taken from query submission to getting the first tuple of the result (important for interactive systems)	

# **Explanation:**

- I/O Cost is usually the dominant factor since disk access is much slower than memory or CPU
  operations.
- Optimizers try to **minimize I/O cost** first to improve overall performance.
- **CPU and memory costs** become more important for complex queries involving many joins, sorts, or aggregations.
- In distributed databases, **communication and network costs** significantly affect query execution cost.

# Summary Table:

Measure	Focus	Importance	
I/O Cost	Disk page reads/writes	Usually highest impact	
CPU Cost	Processing power Important for complex queries		
Memory Usage	RAM for processing Affects sorting and hashing		
Communication Cost	Data transfer between nodes Crucial in distributed systems		
Network Cost	Data transmission over network		
Disk Space	Temporary storage	Needed for intermediate results	
Response Time	Time to first result	User experience factor	

If you want, I can also explain how these costs affect query plans and optimization!



Explain 1st, 2nd, 3rd normal form with example

Here's a detailed and neat SPPU-style answer explaining 1NF, 2NF, and 3NF with examples:

Q. Explain 1st, 2nd, and 3rd Normal Forms (1NF, 2NF, 3NF) with examples

(Answer detailed for 8–9 marks)

# Normalization Overview:

Normalization is a process to organize data in a database to reduce redundancy and improve data integrity by dividing large tables into smaller tables and defining relationships between them.



# **First Normal Form (1NF):**

#### **Definition:**

A relation is in **1NF** if **all attributes contain atomic (indivisible) values** — no repeating groups or arrays.

#### **Explanation:**

- Every column must contain only one value (no multi-valued or composite attributes).
- Each record is unique (no duplicate rows).

#### **Example:**

Student_ID	Student_Name	Phone_Numbers
101	Alice	12345, 67890
102	Bob	54321

**Problem:** Phone\_Numbers contains multiple values → violates 1NF.

#### **Converted to 1NF:**

Student_ID	Student_Name	Phone_Number
101	Alice	12345
101	Alice	67890
102	Bob	54321

Now, each attribute contains atomic values only.



## **Second Normal Form (2NF):**

#### **Definition:**

A relation is in 2NF if:

- It is in 1NF,
- And **no partial dependency** exists (i.e., no non-prime attribute depends on part of a composite primary key).

#### **Explanation:**

• If the primary key is composite (multiple attributes), all non-key attributes must depend on **the entire key**, not just part of it.

### **Example:**

Consider a table with composite key (Order\_ID, Product\_ID):

Order_ID	Product_ID	Product_Name	Quantity
101	P01	Pen	10
101	P02	Pencil	5

- Primary Key: (Order\_ID, Product\_ID)
- Product\_Name depends only on Product\_ID (partial dependency) → violates 2NF.

#### Converted to 2NF:

#### **Table 1: Orders**

Order_ID	Product_ID	Quantity
101	P01	10
101	P02	5

#### **Table 2: Products**

Product_ID	Product_Name
P01	Pen
P02	Pencil

No partial dependency now; both tables are in 2NF.



## **Third Normal Form (3NF):**

#### **Definition:**

A relation is in 3NF if:

- It is in 2NF,
- And **no transitive dependency** exists (non-key attributes do not depend on other non-key attributes).

#### **Explanation:**

• Non-key attributes must depend **only on the key**, not on other non-key attributes.

### **Example:**

Student_ID	Student_Name	Department	Dept_Head
101	Alice	CS	Dr. Smith
102	Bob	IT	Dr. Jones

Student\_ID is the primary key.

Dept\_Head depends on Department (non-key attribute) → transitive dependency.

#### Converted to 3NF:

#### **Table 1: Students**

Student_ID	Student_Name	Department
101	Alice	CS
102	Bob	IT

#### **Table 2: Departments**

Department	Dept_Head
CS	Dr. Smith
IT	Dr. Jones

Now, no transitive dependency exists; both tables are in 3NF.

# **Summary Table of Differences:**

Normal Form	Condition	Eliminates	Example Issue
1NF	Atomic values, no repeating groups	Multi-valued attributes	Phone numbers as list
2NF	No partial dependency on composite key	Partial dependency	Product_Name depends on Product_ID only
3NF	No transitive dependency	Transitive dependency	Dept_Head depends on Department (non-key)

#### **Conclusion:**

- 1NF removes repeating groups and multi-valued attributes.
- 2NF removes partial dependencies on composite keys.
- **3NF** removes transitive dependencies between non-key attributes.

Normalization up to 3NF ensures minimal redundancy, avoids update anomalies, and improves data integrity.

Would you like me to explain higher normal forms or give more examples?



What do you mean by normalization? Explain different anomalies

Here's a detailed and neat SPPU-style answer for your question:

Q. What do you mean by Normalization? Explain different anomalies.



### **Definition of Normalization:**

Normalization is a systematic process of organizing data in a database to:

- Reduce redundancy (duplicate data),
- Avoid undesirable characteristics like insertion, deletion, and update anomalies,
- Ensure data integrity and consistency.

It involves decomposing large tables into smaller, well-structured tables without losing data, using a series of rules called **normal forms (1NF, 2NF, 3NF, etc.)**.



# Why Normalization is Needed?

Without normalization, a database table may contain redundant data, leading to anomalies that affect data integrity and efficiency.



#### **Different Anomalies:**

Anomalies are problems or inconsistencies that arise in database operations such as insert, delete, or update, due to poor database design.

### 1. Insertion Anomaly:

- Occurs when certain data cannot be inserted into the database without the presence of other data.
- Happens due to partial or missing information.

#### **Example:**

Consider a table storing student and course info:

Student_ID	Student_Name	Course_ID	Course_Name
101	Alice	C01	Math

• You cannot insert a new course without enrolling a student first — so if a new course is added but no student is registered yet, you can't insert that course's data.

#### 2. Deletion Anomaly:

- Occurs when deleting some data unintentionally causes loss of other valuable data.
- Happens when multiple pieces of information are stored in the same table.

#### **Example:**

If Alice is the only student enrolled in Math and you delete Alice's record, course Math information will be lost as well.

### 3. Update Anomaly:



- Occurs when data redundancy leads to inconsistency during updates.
- If you update a data value in one place but forget to update it elsewhere, the database becomes inconsistent.

#### **Example:**

If the course name for Course\_ID C01 changes from "Math" to "Mathematics," you must update every row with C01. Forgetting to update any row causes inconsistent data.



## **Summary Table of Anomalies:**

Anomaly	Description	Example Scenario
Insertion Anomaly	Cannot add data without other related data	Cannot add new course unless a student is enrolled
Deletion Anomaly	Deleting data causes loss of other data	Deleting a student deletes course info
Update Anomaly	Updating data inconsistently causes errors	Changing course name in one place but not others

## **How Normalization Helps:**

- It divides data into related tables to avoid these anomalies.
- For example, separating **Student** and **Course** tables helps insert courses independently, delete students without losing course info, and update course names in one place only.

#### **Conclusion:**

Normalization is essential for maintaining data consistency and integrity by organizing data to avoid insertion, deletion, and update anomalies. It improves database efficiency and accuracy.

If you want, I can explain normalization forms or examples to illustrate how these anomalies are fixed!



Compare BCNF and 3NF.

Here's a neat, detailed SPPU-style answer comparing **BCNF and 3NF** with a clear table of differences and examples:



#### Q. Compare BCNF and 3NF



### **Definitions:**

• Third Normal Form (3NF):

A relation is in 3NF if it is in 2NF and **no transitive dependency** exists between non-prime



attributes and the primary key.

Formally, for every functional dependency  $X \rightarrow Y$ , at least one of the following holds:

- 1. X is a superkey, or
- 2. Y is a prime attribute (part of any candidate key).
- Boyce-Codd Normal Form (BCNF):

A relation is in BCNF if for every functional dependency  $X \rightarrow Y$ , X is a superkey. BCNF is a stronger version of 3NF.

# **Ex**

# **Explanation with Examples:**

Consider a relation **R(A, B, C)** with functional dependencies:

- A → B
- $B \rightarrow C$

Candidate key = A

- Is R in 3NF?
  - $\circ$  For A  $\rightarrow$  B, A is a superkey  $\rightarrow$  OK
  - For B → C, B is not a superkey, but C is not prime → violates 3NF?
     Actually, since C is not prime and B is not a superkey, this violates 3NF, so R is **not in 3NF**.
- Is R in BCNF?

No, since  $B \rightarrow C$  and B is not a superkey, so R is **not in BCNF**.

# **Key Differences:**

Feature	3NF	BCNF
Definition	For every FD $X \rightarrow Y$ , $X$ is superkey or $Y$ is prime attribute	For every FD X $\rightarrow$ Y, X is superkey
Strictness	Less strict; allows some FDs where determinant not a superkey if dependent attribute is prime	More strict; determinant must always be superkey
Anomalies	Some anomalies may still exist	Eliminates all anomalies related to FD violations
When to Use	Easier to achieve, practical in many cases	Used when stricter design is needed
Example of Violation	Relation with FD $X \rightarrow Y$ where Y is prime attribute but X not superkey	Any FD where determinant is not a superkey violates BCNF
Decomposition	May not be lossless or dependency preserving	Decomposition is lossless and preserves dependencies
Complexity	Less complex to implement	Can lead to more decompositions

# Summary:

- BCNF is a stricter form of 3NF.
- Every relation in BCNF is also in 3NF, but the reverse is not always true.
- BCNF eliminates all possible anomalies related to functional dependencies.
- 3NF allows some dependencies if the dependent attributes are part of any candidate key.

If you want, I can provide detailed examples of decomposition from 3NF to BCNF too!



Which are different ways of evaluation of expression? Explain any one with example.

Here's a detailed, neat answer for your question as per SPPU style:

Q. Which are the different ways of evaluation of expressions? Explain any one with example.

# Different Ways of Expression Evaluation:

Expressions can be evaluated in different ways depending on how the operators and operands are processed. The main ways are:

- 1. Infix Evaluation
- 2. Prefix Evaluation (Polish Notation)
- 3. Postfix Evaluation (Reverse Polish Notation)

# 1. Infix Expression:

- The operator is placed **between** the operands.
- Example: `A + B`
- Requires parentheses or operator precedence to resolve order of evaluation.

# 2. Prefix Expression:

- The operator is placed **before** the operands.
- Also called Polish Notation.
- Example: `+ A B` (means A + B)
- No need for parentheses; evaluation is straightforward.

# 3. Postfix Expression:

- The operator is placed **after** the operands.
- Also called Reverse Polish Notation.
- Example: `A B +` (means A + B)
- Easy for computers to evaluate using stack.

# **Explain Postfix Evaluation with Example:**

#### Why Postfix?

- It eliminates the need for parentheses.
- Simple to evaluate using a **stack** data structure.

#### **Algorithm for Postfix Evaluation:**

- 1. **Initialize** an empty stack.
- 2. **Scan** the postfix expression from left to right.
- 3. For each symbol in the expression:
  - o If it is an **operand**, push it onto the stack.
  - If it is an **operator** (like +, -, \*, /), pop the top two elements from the stack, apply the operator on them, and push the result back onto the stack.
- 4. After the entire expression is scanned, the stack will have one element, which is the final result.

### **Example:**

Evaluate postfix expression:

`5 6 2 + \* 12 4 / -`

### **Step-by-step Evaluation:**

Step	Expression Symbol	Stack Operation	Stack Content
1	5	Push operand 5	5
2	6	Push operand 6	5, 6
3	2	Push operand 2	5, 6, 2
4	+	Pop 2 and 6, calculate 6 + 2 = 8	5, 8
5	*	Pop 8 and 5, calculate 5 * 8 = 40	40
6	12	Push operand 12	40, 12
7	4	Push operand 4	40, 12, 4
8	1	Pop 4 and 12, calculate 12 / 4 = 3	40, 3
9	-	Pop 3 and 40, calculate 40 - 3 = 37	37



### **Summary:**

Expression Type	Operator Position	Example	Requires Parentheses?	Ease of Evaluation
Infix	Between operands	A + B	Yes	Complex (needs parsing)
Prefix	Before operands	+ A B	No	Easy with stack
Postfix	After operands	A B +	No	Very easy with stack

#### **Conclusion:**

Among the three, **postfix evaluation** is widely used in computer systems and calculators because it can be efficiently evaluated using stacks without worrying about operator precedence or parentheses.

Would you like me to explain prefix or infix evaluation also?



Define functional dependency. List various types of functional dependency. Explain any one type of functional dependency

Here's a neat, detailed SPPU-style answer for your question:

**Q.** Define functional dependency. List various types of functional dependency. Explain any one type of functional dependency.



# **Definition of Functional Dependency (FD):**

Functional Dependency is a relationship between attributes in a relation (table) such that:

For two tuples (rows) in a relation, if they have the same value for attribute set **X**, they must have the same value for attribute set **Y**.

It is denoted as:

 $X \rightarrow Y$ 

which means Y is functionally dependent on X.

- Here, **X** is called the **determinant**.
- Y is the dependent attribute or set of attributes.

#### **Example:**

In a Student table,

**Student\_ID**  $\rightarrow$  **Student\_Name** means if two rows have the same Student\_ID, they must have the same Student\_Name.



# Types of Functional Dependencies:

- 1. Trivial Functional Dependency
- 2. Non-trivial Functional Dependency
- 3. Completely Functional Dependency
- 4. Partially Functional Dependency
- 5. Transitive Functional Dependency
- 6. Multivalued Dependency (related but different concept)
- 7. **Join Dependency** (related but advanced)

## **Explanation of One Type:**

#### **Partial Functional Dependency:**

- Occurs when a non-prime attribute is functionally dependent on **part of a candidate key** (not the whole key).
- This happens in relations where the primary key is a composite key (made of more than one attribute).

#### **Example of Partial Functional Dependency:**

Consider relation **R(Student\_ID, Course\_ID, Instructor\_Name)** with composite key: (Student\_ID, Course\_ID)

**Functional Dependencies:** 

- (Student\_ID, Course\_ID) → Instructor\_Name (whole key determines instructor)
- Student\_ID → Instructor\_Name (only part of the key determines instructor)

Here, **Instructor\_Name** is partially dependent on **Student\_ID** (part of the key), so this is a partial functional dependency.

#### Why Partial Dependency is Important?

- It causes redundancy and update anomalies.
- To eliminate partial dependency, relations should be moved to Second Normal Form (2NF).

# **Summary Table of Types of Functional Dependencies:**

Туре	Description	Example
Trivial FD	Dependent is subset of determinant	$A,B \rightarrow A$
Non-trivial FD	Dependent not subset of determinant	$A \rightarrow B$

Туре	Description	Example
Complete FD	Dependent fully depends on entire key	$(A,B) \rightarrow C$
Partial FD	Dependent on part of composite key	$A \rightarrow B$ (when key = A,B)
Transitive FD	Dependent indirectly via another attribute	$A \rightarrow B$ , $B \rightarrow C$ then $A \rightarrow C$

#### **Conclusion:**

Functional dependency is a core concept in database design to ensure data consistency and normalization. Understanding different types helps in designing tables that avoid redundancy and anomalies.

If you want, I can explain other types of dependencies or give examples for them!