

SOLUTIONS

1.

To calculate yield of wafer:

First year we assume it works with %80 yield which means

$$120 \cdot 80 / 100 = 96 \text{ dies works then for each year we should multiply it by } 0.9$$

because it decreases %10 each year so %90 of dies works. And we make it 4 times because we need to find what yield is after 4 years so the calculations:

$$96 \cdot (0.9)^4 =$$

$$96 \cdot 0.6561 = 62.9856 \text{ dies works after 4 year}$$

Second we need to calculate cost its 10000 for first year then it decreases %20 for each year. Which means we get for each year %80 of cost which means multiplying by 0.8

$$10000 \cdot (0.8)^4 =$$

$$10000 \cdot 0.4096 = 4096\$ \text{ after 4 year to find cost of a single chip:}$$

$$4096 / 62.9856 = \mathbf{65.0307\$ \text{ per die}}$$

2.

a)

To calculate for first compiler we need to multiply each instruction by their cycle times

Compiler A: $50 \cdot 2 + 10 \cdot 4 + 2 \cdot 3 = 146 \cdot 10^6$ cycle needs to complete for first compiler

Compiler B: $80 \cdot 2 + 5 \cdot 4 + 1 \cdot 3 = 183 \cdot 10^6$ cycle needs to complete for second compiler

Since the first compiler is complete with less cycle, means the **first compiler** performance is better than second one.

And if we divide them according to their cycles we can talk about how many times is better one on another

$$183 / 146 = 1.2534 \text{ First compiler } \mathbf{1.2534} \text{ times better than second one.}$$

b)

Since the better compiler executes $146 \cdot 10^6$ cycles to complete program.

$$146 \cdot 10^6 / X = 0.1s(100ms)$$

$$x = 146 \cdot 10^7 \text{ cycles}$$

1 MHz executes $1 \cdot 10^6$ cycles per second

1GHz executes $1 \cdot 10^9$ cycles per second

$$146 \cdot 10^7 / 1 \cdot 10^9 = \mathbf{1.46 \text{ GHz}}$$

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