

LABORATORY MANUAL

SIMULATION LAB



MATLAB
SIMULINK®



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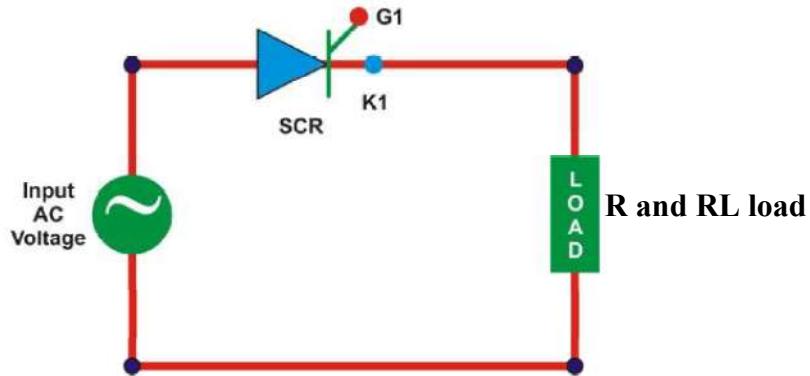
Experiment 1

Study of Single Phase Half Wave Controlled Rectifier with R and RL Load

Objective: To Study the simulation of Single Phase Half Wave Controlled Rectifier with R and RL Load using Simulink.

Software Needed: Matlab R2013a.

Circuit Diagram:



Single Phase Half Wave Controlled Rectifier with R and RL Load

Theory: Single-phase half wave controlled rectifier means that the single SCR is used to convert the ac to dc. During the positive half cycle of the input voltage, thyristor T1 is forward biased and current flows through the load when the thyristor is fired, at $wt=\alpha$. The thyristor conducts only when the anode is positive with respect to cathode and a positive gate signal is applied, otherwise, it remains in the forward blocking state and blocks the flow of the load current. In the negative half cycle, i.e., at $wt = \pi$, the thyristor is in the reverse biased condition and no current flows through the load. Thus, varying the firing angle at which the thyristor starts conducting in positive half controls the average dc output voltage cycle. The waveforms of the above circuit are shown in fig the output load voltage and current is positive, i.e., they are one quadrant; it is called a half-wave semi converter.

Procedure:

1. Connect the Circuit as shown in circuit diagram.
2. Give the firing angle from pulse generator to generate suitable pulses.
3. Observe output voltage, current and thyristor voltages from the simuink model.
4. From display values note down the average and rms values of voltage and current .

5. Compare theoretical and practical values where both calculated and theoretical values must be same.

Observation table:

R load:

Firing angle(α)	$V_{avg(cal)}$	$V_{avg(sim)}$	$V_{rms(cal)}$	$V_{rms(sim)}$	$I_{avg(cal)}$	$I_{avg(sim)}$	$I_{rms(cal)}$	$I_{rms(sim)}$
30	96.60	96.81	160.27	159.2	3.22	3.094	5.342	5.308
60	77.35	77.42	144.9	145.4	2.59	2.582	4.78	4.847
90	51.58	51.68	114.39	114.6	1.69	1.723	3.78	3.821

RL load :

Firing angle(α)	$V_{avg(cal)}$	$V_{avg(sim)}$	$V_{rms(cal)}$	$V_{rms(sim)}$	$I_{avg(cal)}$	$I_{avg(sim)}$	$I_{rms(cal)}$	$I_{rms(sim)}$
30	89.665	89.48	162.634	162.3	2.988	2.983	4.643	4.683
60	70.74	70.75	148.0	148.1	2.34	2.358	4.024	4.028
90	45.29	45.39	117.56	117.7	1.510	1.513	2.856	2.899

Equations:

R load:

$$V_0 = \frac{V_m}{2\pi} (1 + \cos \alpha)$$

$$V_{rms} = V_m \left[\frac{1}{4\pi} \left[(\pi - \alpha) + \frac{\sin 2\alpha}{2} \right] \right]^{\frac{1}{2}}$$

RL load :

$$V_0 = \frac{V_m}{2\pi} (\cos \alpha - \cos \beta)$$

$$V_{rms} = V_m \left[\frac{1}{4\pi} \left[(\beta - \alpha) + \frac{(\sin 2\beta - \sin 2\alpha)}{2} \right] \right]^{\frac{1}{2}}$$

Theoretical calculations:

$\alpha = 30^\circ$ for R load where $R = 30\Omega$

$$V_0 = \frac{230\sqrt{2}}{2\pi} (1 + \cos 30^\circ) = 96.60 \text{ V.}$$

$$I_0 = \frac{V_0}{R} = \frac{96.60}{30} = 3.22 \text{ A.}$$

$$V_{rms} = 230 * 1.414 \left[\frac{1}{4\pi} \left[(180 - 30) \frac{\pi}{180} + \frac{\sin 2(30)}{2} \right] \right]^{\frac{1}{2}} = 160.27 \text{ V.}$$

$$I_{rms} = \frac{V_{rms}}{R} = \frac{160.27}{30} = 5.342 \text{ A.}$$

$\alpha = 30^\circ, \beta = 210^\circ, R = 30$ for RL load

$$V_0 = \frac{230\sqrt{2}}{2\pi} (\cos 30 - \cos 210) = 89.665 \text{ V}$$

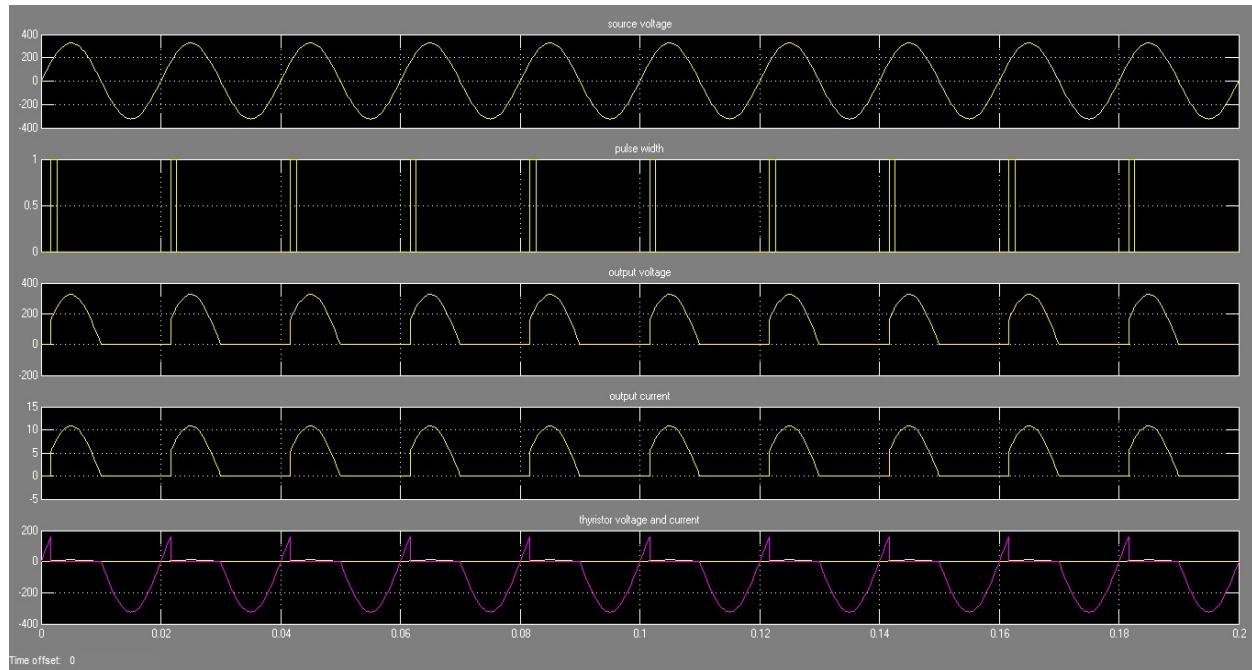
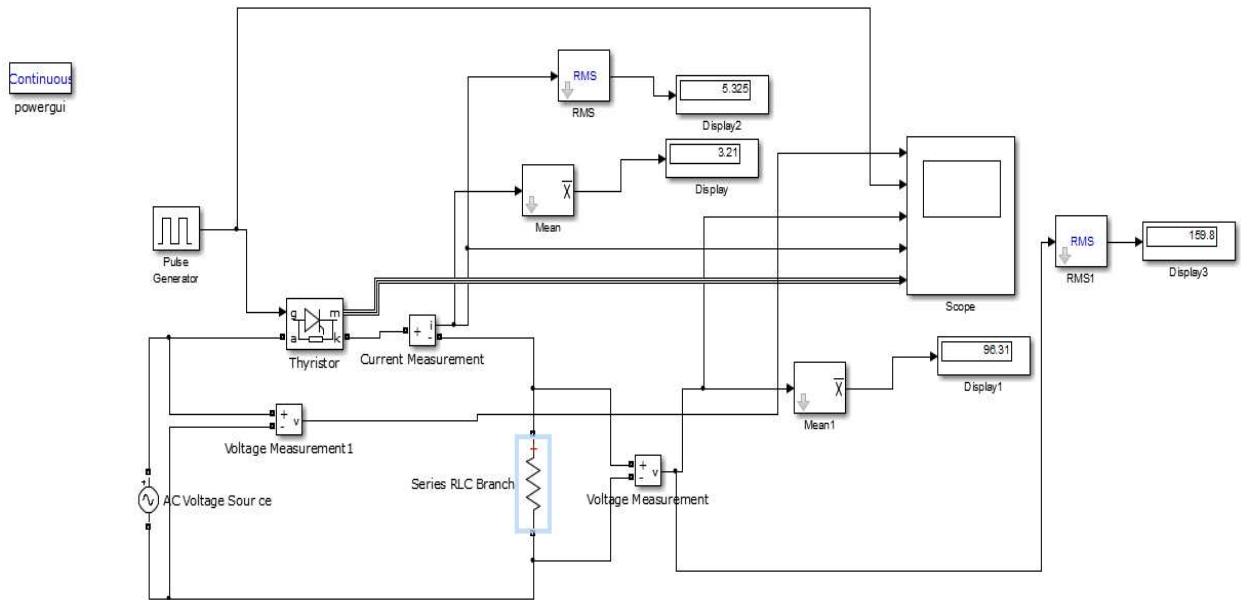
$$I_0 = \frac{V_0}{R} = \frac{89.665}{30} = 29.88 \text{ A.}$$

$$V_{rms} = 230 * 1.414 \left[\frac{1}{4\pi} \left[(210 - 30) \frac{\pi}{180} + \frac{\sin 2(210) - \sin 2(30)}{2} \right] \right]^{\frac{1}{2}} \\ = 162.634 \text{ V}$$

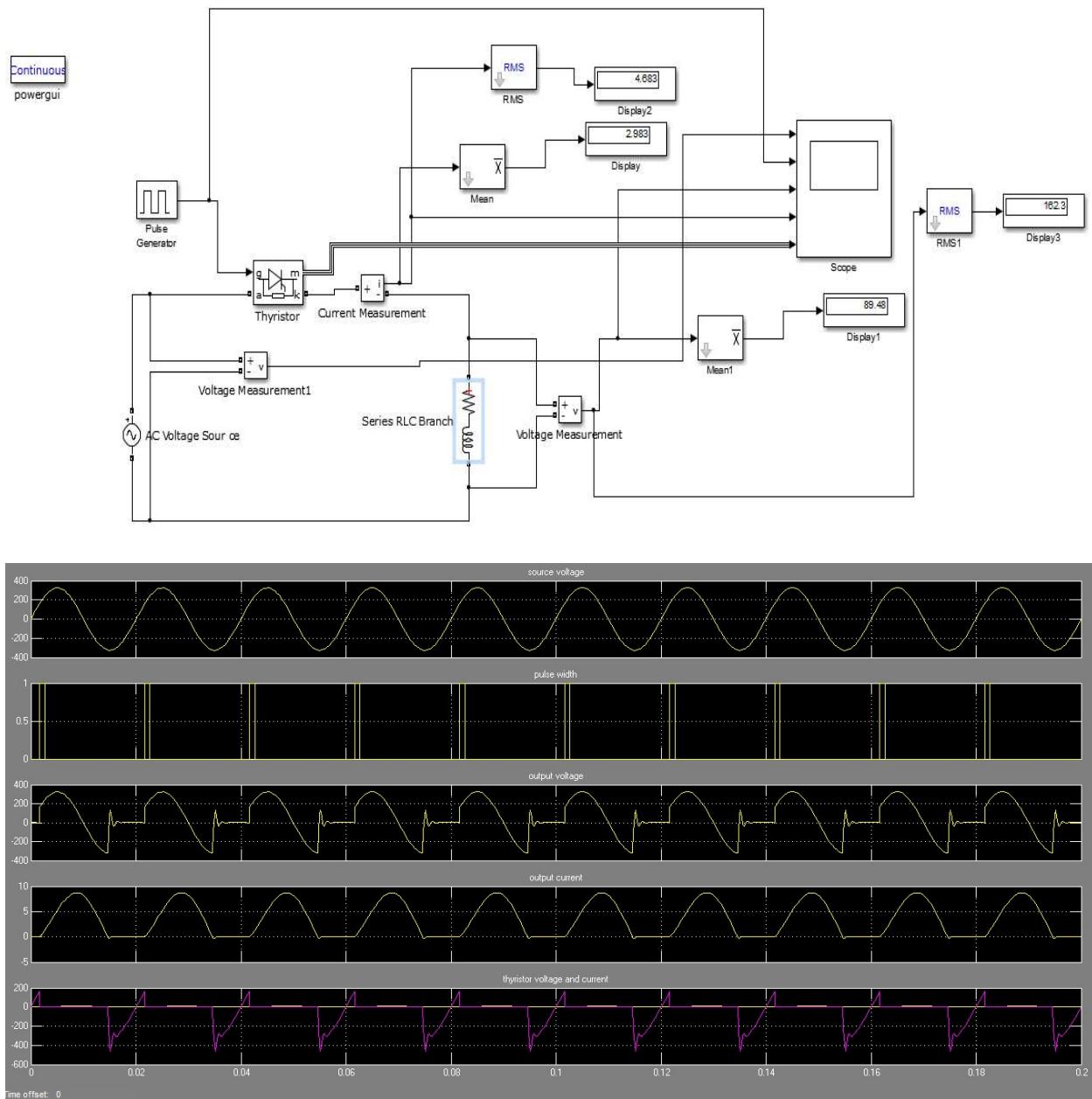
$$I_{rms} = \frac{V_{rms}}{R} = \frac{162.634}{30} = 5.42 \text{ A.}$$

Experimental Matlab Model and Wavforms:

Single Phase Half Wave Controlled Rectifier R load model and waveform for $\alpha=30^\circ$:



Single Phase Half Wave Controlled Rectifier RI load model and waveform for $\alpha=30$:



Result: Simulation of Single Phase Half Wave Controlled Rectifier with R and RL load is done successfully and the theoretical and practical results are verified.

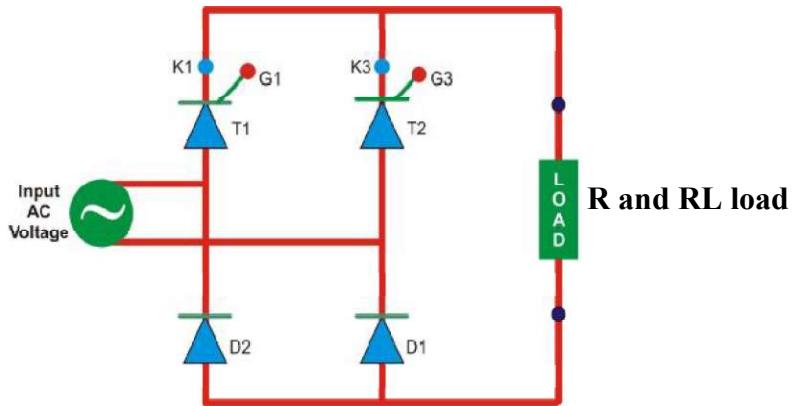
Experiment 2

Study of Single Phase semi converter with R and RL Load

Objective: To Study the simulation of Single Phase semi converter with R and RL Load using Simulink.

Software Needed: Matlab R2013a.

Circuit Diagram:



Single Phase semi converter with R and RL Load

Theory: In this configuration two thyristors are replaced by power diodes and can be connected in either arm of the bridge. Depending on the connections, these are further classified as

1. Symmetrical
2. Asymmetrical

Symmetrical configuration is in two types

1. Common cathode
2. Common anode

Out of these configurations, the common cathode symmetrical configuration is the most commonly used configuration, because a single trigger can be used to fire both thyristors without any electrically isolation. During the positive half cycle, when thyristor T1 is triggered, the load currents flows through T1 and the diode D2 in the circuit shown in figure. During the negative half-cycle, the thyristor T2 and the diode D1 constitute the load current.

Procedure:

1. Connect the Circuit as shown in circuit diagram.
2. Give the firing angle from pulse generator to generate suitable pulses.
3. Observe output voltage, current and thyristor voltages from the simuink model.
4. From display values note down the average and rms values of voltage and current .
5. Compare theoretical and practical values where both calculated and theoretical values must be same.

Observation table:

R load:

Firing angle(α)	$V_{avg(cal)}$	$V_{avg(sim)}$	$V_{rms(cal)}$	$V_{rms(sim)}$	$I_{avg(cal)}$	$I_{avg(sim)}$	$I_{rms(cal)}$	$I_{rms(sim)}$
30	193.2	191.7	226.63	225.2	6.44	6.396	7.55	7.506
60	156.2	154.2	204	205	5.04	5.147	6.78	6.836
90	105	103	160.6	161.6	3.276	3.342	5.298	5.386

RL load :

Firing angle(α)	$V_{avg(cal)}$	$V_{avg(sim)}$	$V_{rms(cal)}$	$V_{rms(sim)}$	$I_{avg(cal)}$	$I_{avg(sim)}$	$I_{rms(cal)}$	$I_{rms(sim)}$
30	193.2	191.7	226.63	225.2	6.44	6.391	7.55	7.438
60	156.12	154.2	204	205	5.04	5.4	6.78	6.694
90	104.5	102.7	160.6	161.6	3.276	3.424	5.298	5.178

Equations:

R load:

$$V_{0_+} = \frac{V_m}{\pi} (1 + \cos \alpha)$$

$$V_{rms} = V_S \left[\frac{1}{\pi} \left[(\pi - \alpha) + \frac{\sin 2\alpha}{2} \right] \right]^{\frac{1}{2}}$$

RL load:

$$V_0 = \frac{V_m}{\pi} (1 + \cos \alpha)$$

$$V_{rms} = V_S \left[\frac{1}{\pi} \left[(\pi - \alpha) + \frac{\sin 2\alpha}{2} \right] \right]^{\frac{1}{2}}$$

Theoretical calculations:

$\alpha = 30^\circ$ for R load

$$V_0 = \frac{230\sqrt{2}}{\pi} (1 + \cos 30^\circ) = 193.2 \text{ v.}$$

$$V_{rms} = 230 \left[\frac{1}{\pi} \left[(180 - 30) \frac{\pi}{180} + \frac{\sin 2(30)}{2} \right] \right]^{\frac{1}{2}} = 226.66 \text{ v.}$$

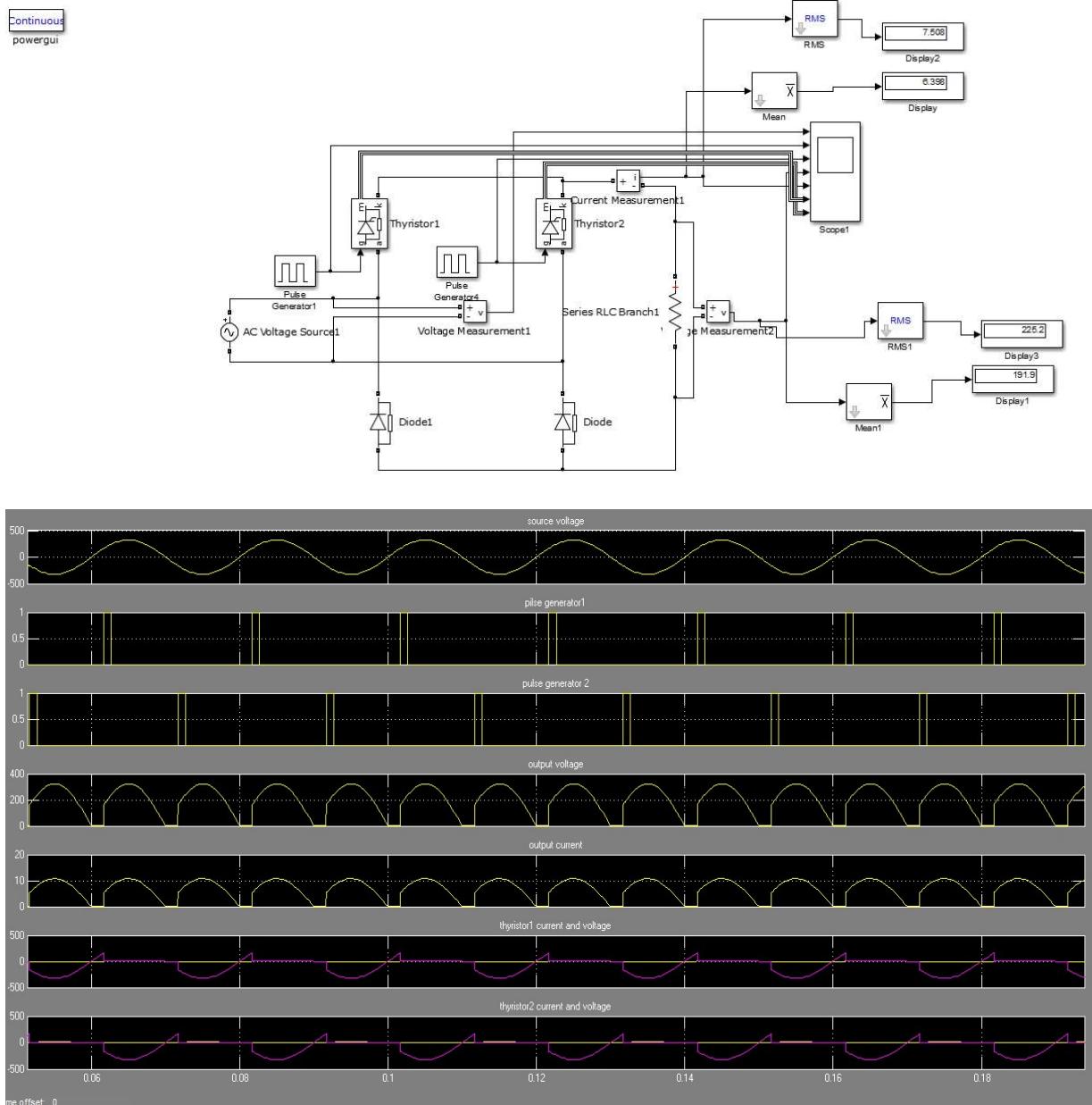
$\alpha = 30^\circ$ for RL load

$$V_0 = \frac{230\sqrt{2}}{\pi} (1 + \cos 30^\circ) = 193.2 \text{ v.}$$

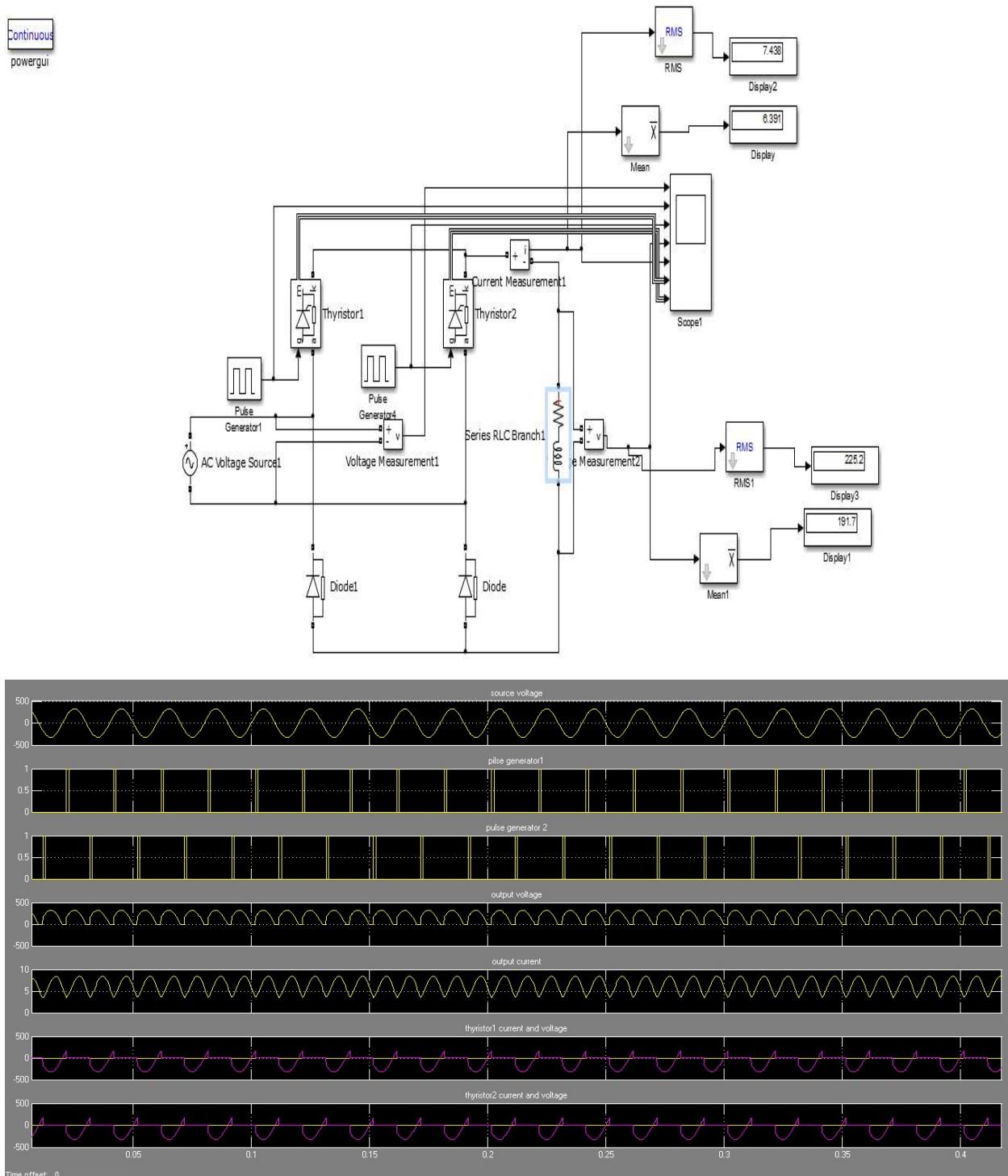
$$V_{rms} = 230 \left[\frac{1}{\pi} \left[(180 - 30) \frac{\pi}{180} + \frac{\sin 2(30)}{2} \right] \right]^{\frac{1}{2}} = 226.67 \text{ v.}$$

Experimental Mat lab Model and Waveforms:

Single Phase Half Wave Controlled Rectifier R load model and waveform for $\alpha=30^\circ$:



Single Phase Half Wave Controlled Rectifier RI load model and waveform for $\alpha=30^\circ$:



Result: Simulation of Single Phase Semi-Converter with R and RL load is done successfully and the theoretical and practical results are verified.

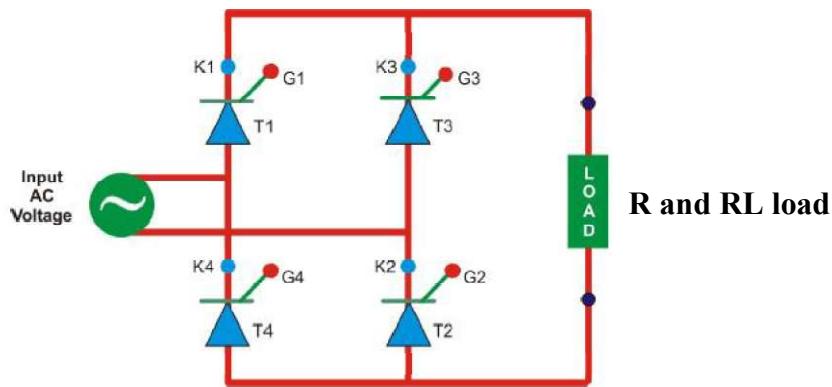
Experiment 3

Study of Single Phase Bridge Controlled Rectifier with R and RL load

Objective: To Study the simulation of Single Phase Bridge Controlled Rectifier with R and RL Load using Simulink.

Software Needed: Matlab R2013a.

Circuit Diagram:



Single Phase Bridge Controlled Rectifier with R and RL load

Theory: A single-phase fully controlled bridge circuit consists of four thyristors as shown in figure, with a resistive load. During the positive half cycle thyristors T1 and T2 are in the forward blocking state and when these thyristors fire simultaneously at $wt = \alpha$, the load is connected to the input through T1 and T2. During negative half cycle i.e., after $wt = \pi$, thyristor T3 and T4 are in the forward blocking state, and simultaneous firing of these thyristors reverse biases the previously conducting thyristors T1 and T2. These reverse biased thyristors turn off due to line or natural commutation and the load current transfers from T1 and T2 to T3 and T4.

Procedure:

1. Connect the Circuit as shown in circuit diagram.
2. Give the firing angle from pulse generator to generate suitable pulses.
3. Observe output voltage, current and thyristor voltages from the simuink model.
4. From display values note down the average and rms values of voltage and current .
5. Compare theoretical and practical values where both calculated and theoretical values must be same.

Observation table:

R load:

Firing angle(α)	$V_{avg(cal)}$	$V_{avg(sim)}$	$V_{rms(cal)}$	$V_{rms(sim)}$	$I_{avg(cal)}$	$I_{avg(sim)}$	$I_{rms(cal)}$	$I_{rms(sim)}$
30	193.2	191.7	226.65	225.1	6.44	6.396	7.55	7.506
60	156.2	154.2	203.9	204.9	5.24	5.147	6.78	6.836
90	104	102.7	160.5	161.5	3.45	3.342	5.28	5.386

RL load :

Firing angle(α)	$V_{avg(cal)}$	$V_{avg(sim)}$	$V_{rms(cal)}$	$V_{rms(sim)}$	$I_{avg(cal)}$	$I_{avg(sim)}$	$I_{rms(cal)}$	$I_{rms(sim)}$
30	179.33	179.1	228	227.9	5.937	5.97	6.76	6.688
60	141.9	142.4	206.9	207.9	4.67	4.747	5.67	5.789
90	90.63	91.63	164	165	3.033	3.054	4.09	4.192

Equations:

R load:

$$V_0 = \frac{V_m}{\pi} (1 + \cos \alpha)$$

$$V_{rms} = V_S \left[\frac{1}{\pi} \left[(\pi - \alpha) + \frac{\sin 2\alpha}{2} \right] \right]^{\frac{1}{2}}$$

RL load :

$$V_0 = \frac{V_m}{\pi} (\cos \alpha - \cos \beta)$$

$$V_{rms} = V_S \left[\frac{1}{\pi} \left[(\beta - \alpha) + \frac{\sin 2\alpha - \sin 2\beta}{2} \right] \right]^{\frac{1}{2}}$$

Theoretical calculations:

$\alpha=30^0$ for R load

$$V_0 = \frac{230\sqrt{2}}{\pi} (1 + \cos 30^\circ) = 193.2 \text{ v.}$$

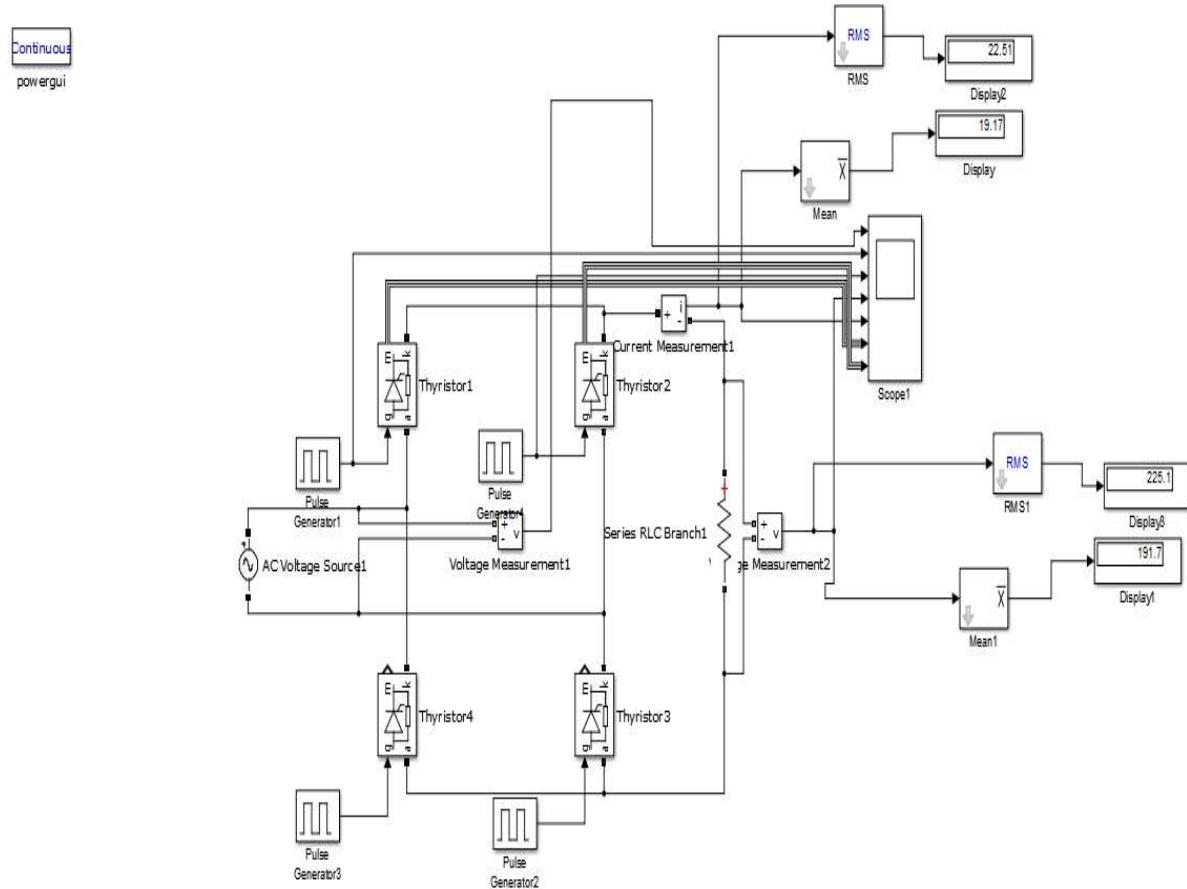
$$I_0 = \frac{V_0}{R} = \frac{193.2}{30} = 6.44 \text{ A.}$$

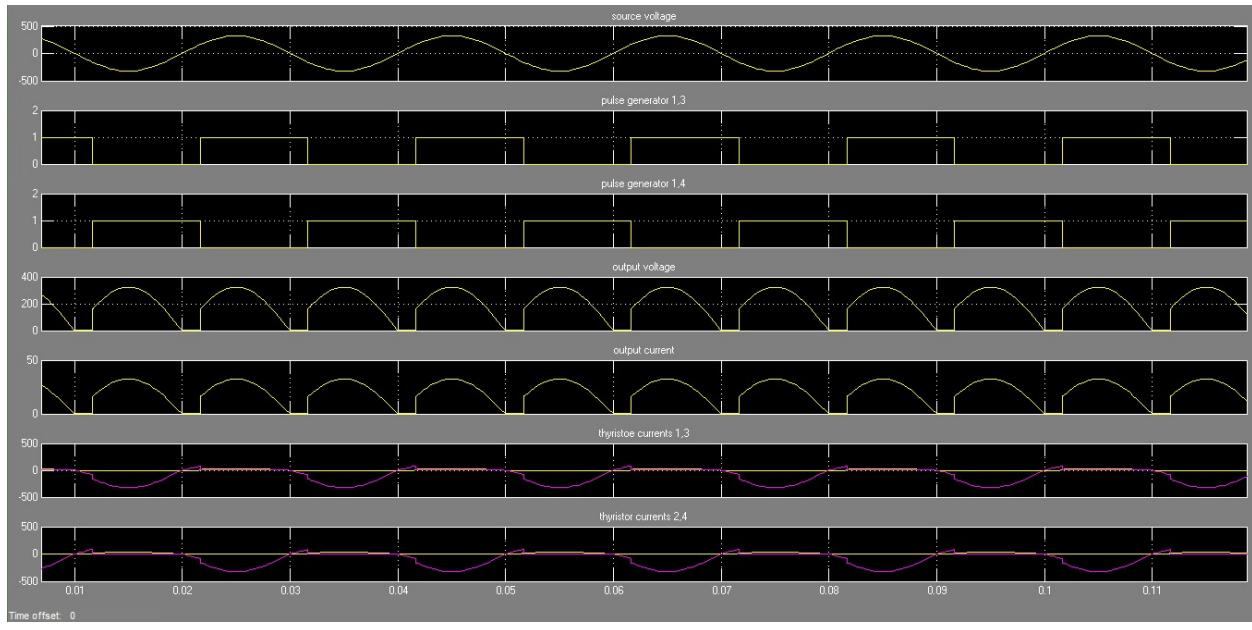
$$V_{rms} = 230 \left[\frac{1}{\pi} \left[(180 - 30) \frac{\pi}{180} + \frac{\sin 2(30)}{2} \right] \right]^{\frac{1}{2}} = 226.66 \text{ v.}$$

$$I_{rms} = \frac{V_{rms}}{R} = \frac{226.66}{30} = 7.666 \text{ A.}$$

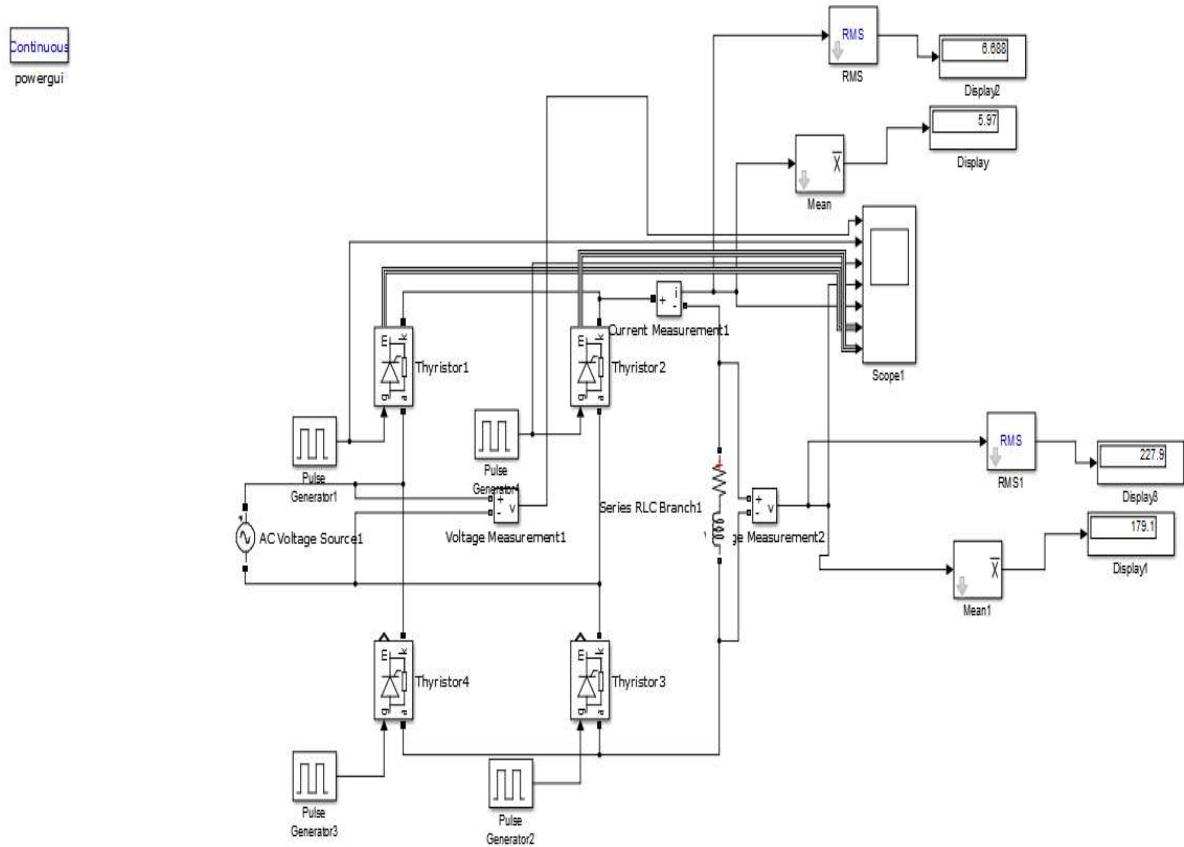
Experimental Mat lab Model and Waveforms:

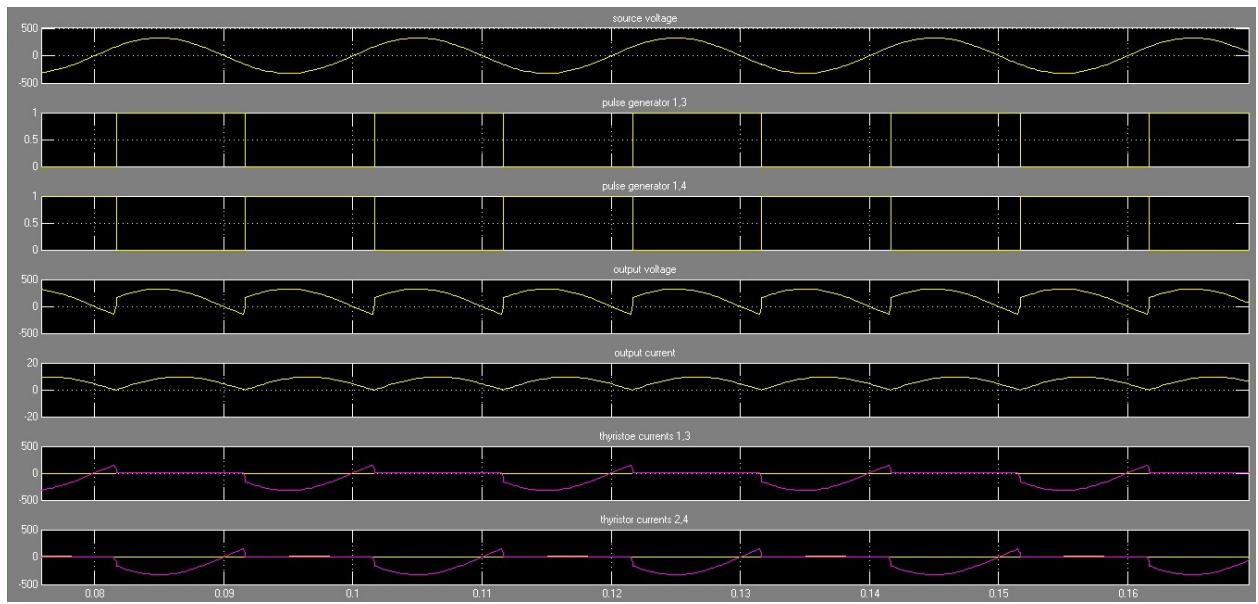
Single Phase Bridge Controlled Rectifier R load model and waveform for $\alpha=30^\circ$:





Single Phase Bridge Controlled Rectifier RL load model and waveform for $\alpha=30^\circ$:





Result: Simulation of Single Phase Bridge Controlled Rectifier with R and RL load is done successfully and the theoretical and practical results are verified.

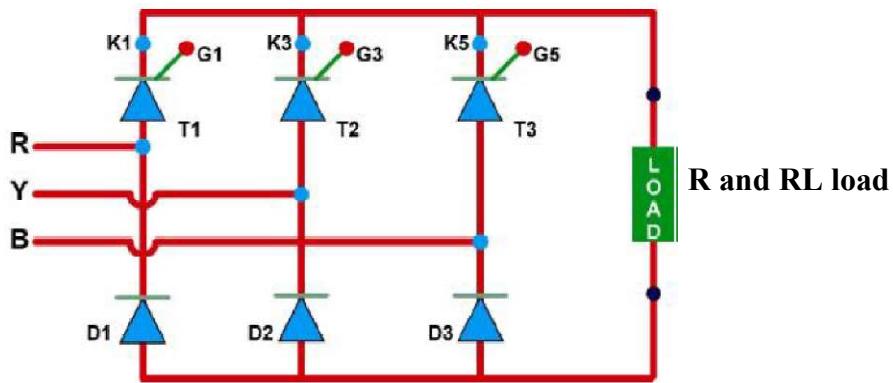
Experiment 4

Study of Three Phase Semi-Converter with R and RL load

Objective: To Study the simulation of Three Phase Semi-Converter with R and RL Load using Simulink.

Software Needed: Matlab R2013a.

Circuit Diagram:



Three Phase Semi-Converter with R and RL Load

Theory: The circuit of three phase semi-converter consists of three SCRs and three diodes. The circuit diagram of three phase semi converter is shown in Figure. The output load voltage V_o across the load terminals is controlled by varying the firing angles of SCRs T1, T2 and T3. The diodes D1, D2 and D3 provide merely a return path for the current to the most negative line terminal. For a firing angle delay of $\alpha=0$ thyristors T1, T2, T3 would behave as diodes and the output voltage of semi-converter would be symmetrical six pulse per cycle .The output voltage consisting of pulses V_{cb} , V_{ab} , V_{ac} , V_{bc} . When the firing angle is delayed to $\alpha=15^\circ$ SCRs T1, T2, T3 is delayed but return diodes D1, D2, D3 remain unaffected so that only alternate pulses are altered. The load current is continuous and has little ripple. The FD does not come into play for $\alpha=15^\circ$. Each SCR and diode conduct for 120 degree. V_{cb} is the load voltage from $wt = 0$ to 60° . As the first subscript indicates conducting element in the positive group, V_{cb} shows that T3 is already conducting through diode B2 of negative group. Voltages V_{ab} , V_{ac} indicate that,

according to the first subscript, T1 conducts for 120 and it begins to conduct at $t = 60$ for $t = 0$. Similarly, Vbc, Vba indicate that T2 conducts for 120 and it begins to conduct at $t = 180$ for $\alpha = 0$. An SCR with zero degree firing angle behaves like a simple diode. Thus, per the definition of firing angle, it should be measured from $wt = 60$ for T1, from $wt = 180$ for T2, from $wt = 300$ for T3 and so on. For $wt = 60$, figure The thyristor are fired so that current returns through one diode during each 120 conduction period. For voltage Vac, T1 and D3 conduct simultaneously for 120. Similarly, other elements conduct. FD does not come into play even for $\alpha = wt = 60$. Further note that voltage pulses Vab, Vbc, Vca do not appear in the output voltage waveform for $\alpha = 60$. It will be seen that for α greater than or equal to 60, voltage pulses Vab, Vbc, Vca are eliminated. The load current, assumed continuous for $\alpha = 60$ is not shown.

For firing angle delay of 90, voltage and current waveforms are shown in figure. The output voltage Vo is discontinuous. As Vo is made up of Vcb, Vac, Vba, Vcb., tends to become negative at $t = 120, 240, 360$, FD gets forward biased. Therefore, for each periodic cycle of 120, output voltage is equal to line voltage for only 90 and for the remaining 30, when FD conducts, $Vo = 0$. For $\alpha = 90$, conduction angle of SCRs

and diodes is seen to be less than 120 for every output pulse. In other words, conduction angle for both positive and negative group elements is 90 and for the remaining 30, current completes its path through FD. For $\alpha = 90$ voltage pulses Vab, Vbc, Vca are absent from output voltage Vo for this firing angle as well. Without FD, after load voltage Vo reaches Zero, a diode from negative group would begin to conduct reducing Vo to zero till next SCR in sequence is triggered. For example, at $wt = 120$, $Vo = Vcb = 0$ and without FD, D3 from negative group would start conducting through T3 from $t = 120$ to $t = 150$ when SCR T1 is gated. This means that without FD, T3 would conduct for 120 from $t = 30$ to 150 , D2 for 90 from $t = 30$ to $t = 120$ and D3 for 30 from $t = 120$ to $t = 150$ for this periodic cycle of 120 extending from $t = 30$ to $t = 150$. For firing angle delay of 120. The load current is now assumed discontinuous. For each periodic cycle of 120, Vo is seen to have three components. When an SCR is gated, thyristor and diode conduct for 60 only. As Vo reaches zero and tends to become negative, FD gets forward biased and therefore starts conducting for some angle and holds the load voltage to zero. When all the energy stored in inductance is discharged, FD stops conducting and as a result, load voltage rises to load counter emf E. When $Vo = E$, none of the elements of semiconverter bridge is conducting, this is indicated by 0, 0 in figure. It may be seen from above that in a three phase semi-converter,

SCRs are gated at an interval of 120 in proper sequence. In a single phase semi-converter , SCRs are fired at an interval of 180 . In order to obtain full control of the DC output voltage V_o , the range of firing angle is from 0 to 180 . A three phase semi-converter has a unique feature of working as a six pulse converter for $\alpha < 60$ and as a three pulses converter for α greater than or equal to 60 , a careful observation . For a three phase semiconerter, each periodic cycle of output voltage has a periodicity of 120 . Average output voltage should, therefore, be calculated over 120 only.

Procedure:

1. Connect the Circuit as shown in circuit diagram.
 2. Give the firing angle from pulse generator to generate suitable pulses.
 3. Observe output voltage, current and thyristor voltages from the simuink model.
 4. From display values note down the average and rms values of voltage and current .
 5. Compare theoretical and practical values where both calculated and theoretical values must be same.

Observation table:

R load:

RL load :

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Equations:

R load and RL load:

$$V_0 = \frac{3V_m}{2\pi} (1 + \cos \alpha)$$

$$V_{rms} = \frac{V_{ml}}{2} \left[\frac{3}{\pi} \left[\frac{2\pi}{3} + \frac{\sqrt{3}}{2} (1 + \cos 2\alpha) \right] \right]^{\frac{1}{2}}$$

Theoretical calculations for R and RL load:

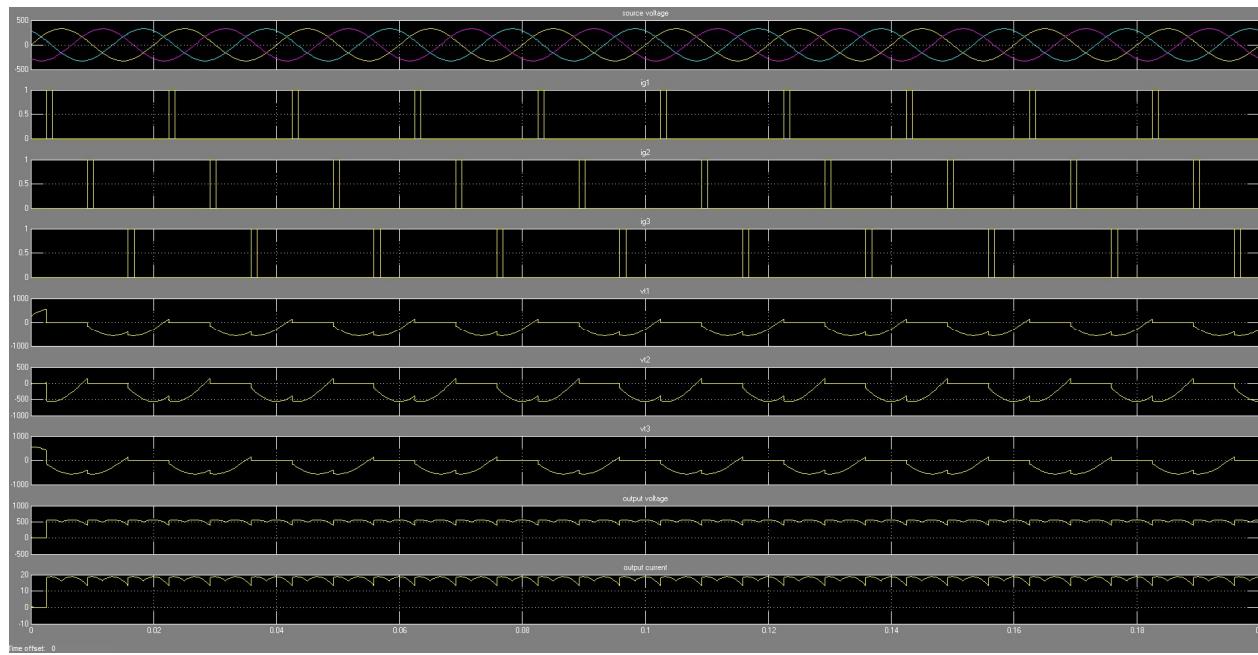
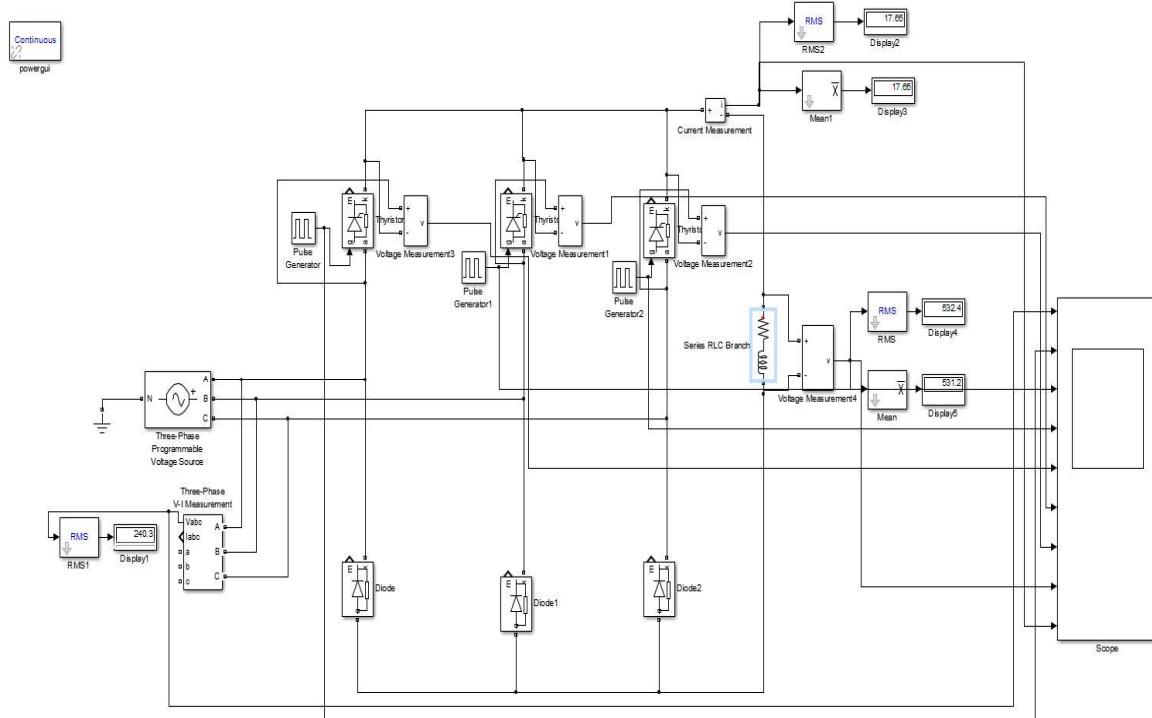
$$\alpha = 0, R = 30.$$

$$V_0 = \frac{3 * \sqrt{2} * 400}{2\pi} (1 + \cos 0) = 540.189$$

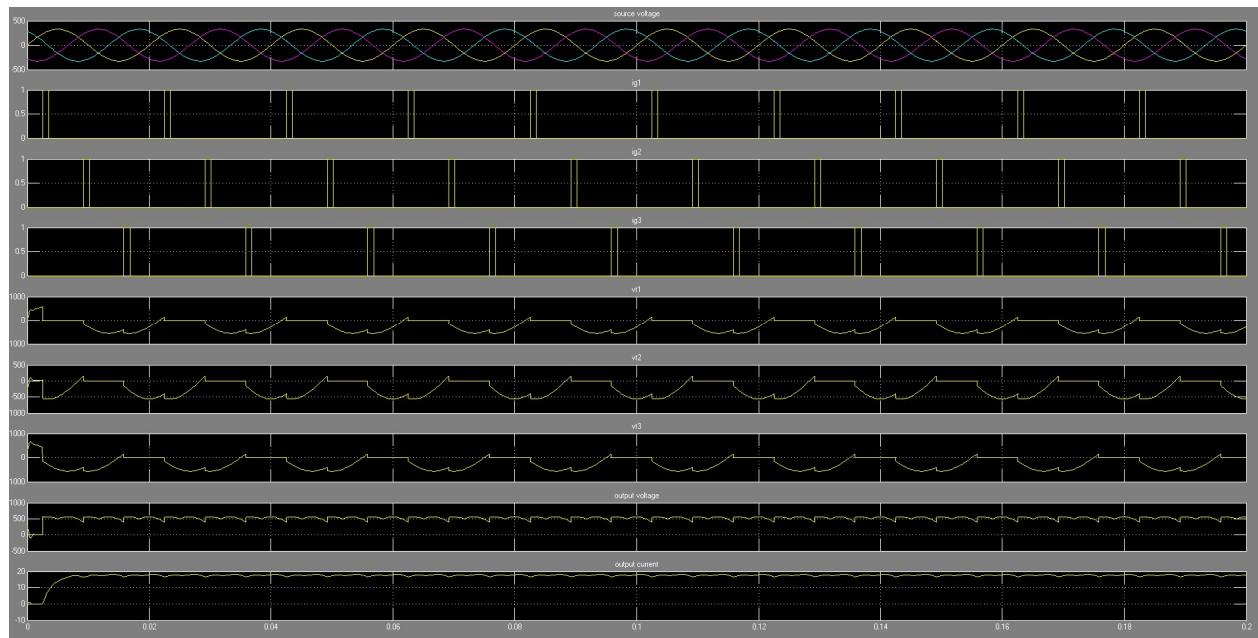
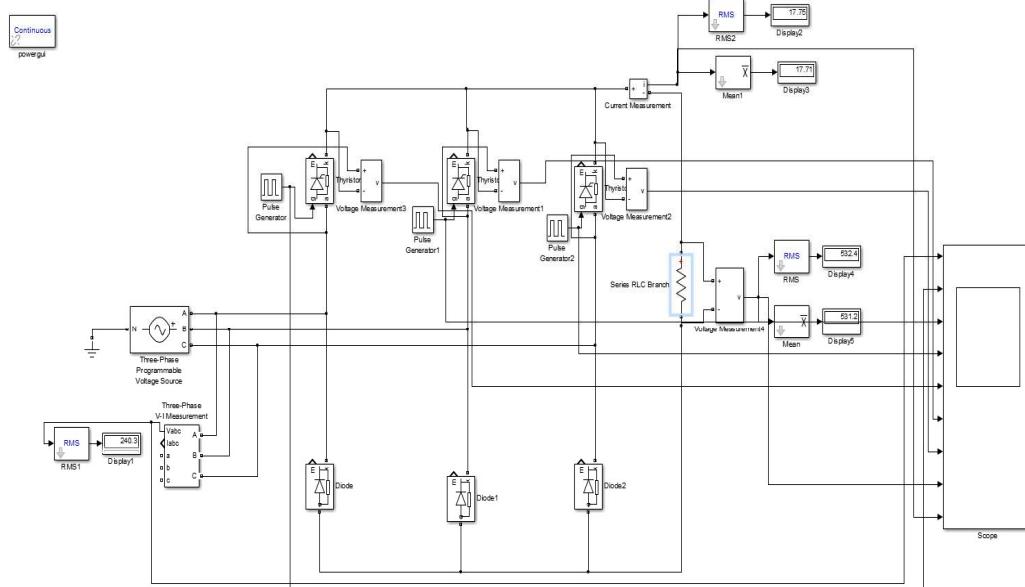
$$V_{rms} = \frac{\sqrt{2} * 400}{2} \left[\frac{3}{\pi} \left[\frac{2\pi}{3} + \frac{\sqrt{3}}{2} (1 + \cos 2(0)) \right] \right]^{\frac{1}{2}} = 509$$

Experimental Mat lab Model and Waveforms:

Single Phase Bridge Controlled Rectifier R load model and waveform for $\alpha=15^\circ$:



Single Phase Bridge Controlled Rectifier RL load model and waveform for $\alpha=15^\circ$:



Result: Simulation of Three phase semi-converter with R and RL load is done successfully and the theoretical and practical results are

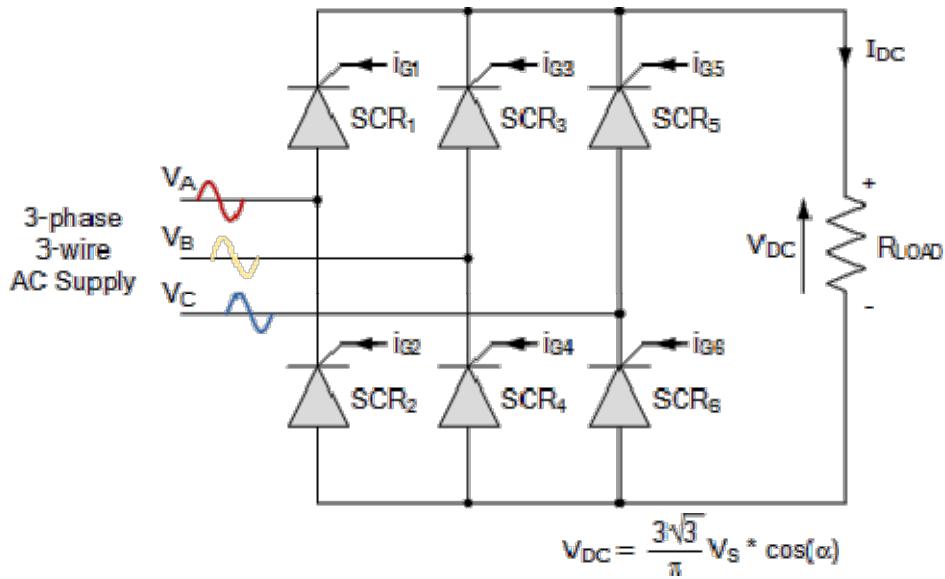
Experiment 5

Study of Three Phase Full Bridge Converter with R and RL load

Objective: To Study the simulation of Three Phase Full Bridge Converter with R and RL Load using Simulink.

Software Needed: Matlab R2013a.

Circuit Diagram:



Three Phase Full Bridge Converter with R and RL load

Theory: For any current to flow in the load at least one device from the top group (T1, T3, T5) and one from the bottom group (T2, T4, T6) must conduct. It can be argued as in the case of an uncontrolled converter only one device from these two groups will conduct. Then from symmetry consideration it can be argued that each thyristor conducts for 120° of the input cycle. Now the thyristors are fired in the sequence T1 → T2 → T3 → T4 → T5 → T6 → T1 with 60° interval between each firing. Therefore thyristors on the same phase leg are fired at an interval of 180° and hence can not conduct simultaneously. This leaves only six possible conduction mode for the converter in the continuous conduction mode of operation. These are T1T2, T2T3, T3T4,

T4T5, T5T6, T6T1. Each conduction mode is of 60° duration and appears in the sequence mentioned. Each of these line voltages can be associated with the firing of a thyristor. For example the thyristor T1 is fired at the end of T5T6 conduction interval. During this period the voltage across T1 was vac. Therefore T1 is fired α angle after the positive going zero crossing of vac. Similar observation can be made about other thyristors. If the converter firing angle is α each thyristor is fired “ α ” angle after the positive going zero crossing of the line voltage with which it's firing is associated. Once the conduction diagram is drawn all other voltage waveforms can be drawn from the line voltage waveforms Similarly line currents can be drawn from the output current and the conduction diagram. It is clear from the waveforms that output voltage and current waveforms are periodic over one sixth of the input cycle. Therefore this converter is also called the “six pulse” converter. The input current on the other hand contains only odds harmonics of the input frequency other than the triplex (3rd, 9th etc.) harmonics. The next section will analyze the operation of this converter in more details.

Procedure:

1. Connect the Circuit as shown in circuit diagram.
 2. Give the firing angle from pulse generator to generate suitable pulses.
 3. Observe output voltage, current and thyristor voltages from the simuink model.
 4. From display values note down the average and rms values of voltage and current .
 5. Compare theoretical and practical values where both calculated and theoretical values must be same.

Observation table:

R load:

RL load :

Firing angle(α)	$V_{avg(cal)}$	$V_{avg(sim)}$	$V_{rms(cal)}$	$V_{rms(sim)}$	$I_{avg(cal)}$	$I_{avg(sim)}$	$I_{rms(cal)}$	$I_{rms(sim)}$
0	540.8	538.6	540.6	539	18.006	17.95	18.02	17.97
30	467.81	466.2	475.7	474	15.59	15.54	15.85	15.8
60	270.09	268.6	306.33	305	9.003	8.953	10.211	10.17

Equations:

R load and RL load:

$\alpha < 60$, $R=30$, $L=0.03$ H

$$V_0 = \frac{3V_m}{\pi} (\cos \alpha)$$

$$V_{rms} = V_m \left[\frac{3}{2\pi} \left[\frac{\pi}{3} + \frac{\sqrt{3}}{2} (\cos 2\alpha) \right] \right]^{\frac{1}{2}}$$

$\alpha > 60$

$$V_0 = \frac{3V_m}{\pi} \left(1 + \cos(\alpha + \frac{\pi}{3}) \right)$$

$$V_{rms} = \frac{3V_m l}{2\pi} \left[\left[\left(\frac{2\pi}{3} - \alpha \right) + \frac{1}{2} \left(1 + \left(\sin \left(\frac{2\pi}{3} + 2\alpha \right) \right) \right) \right] \right]^{\frac{1}{2}}$$

Theoretical Calculations:

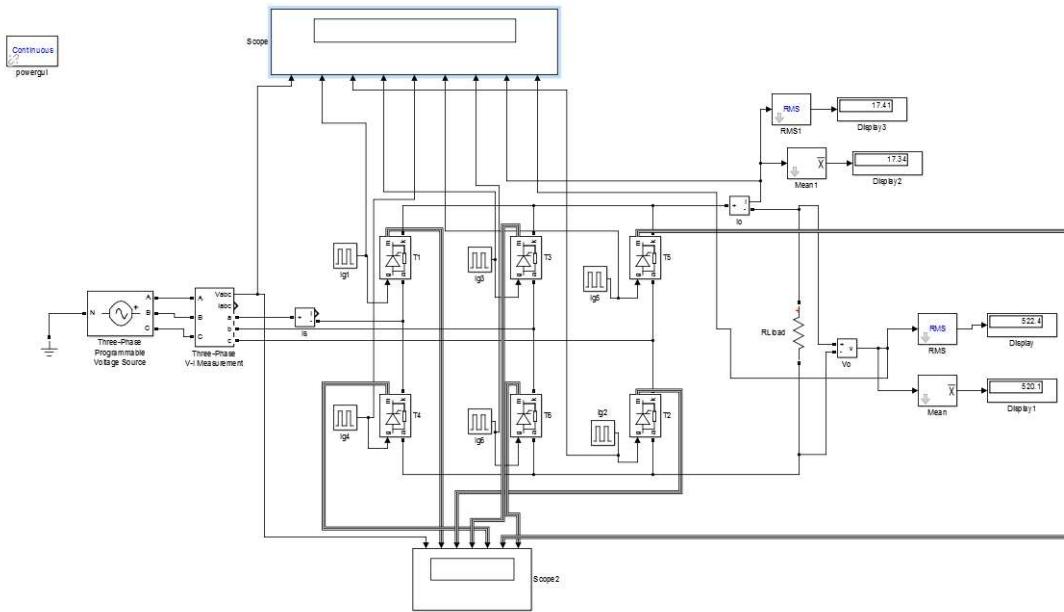
$\alpha 30$, $R=30$, $L=0.03$ H

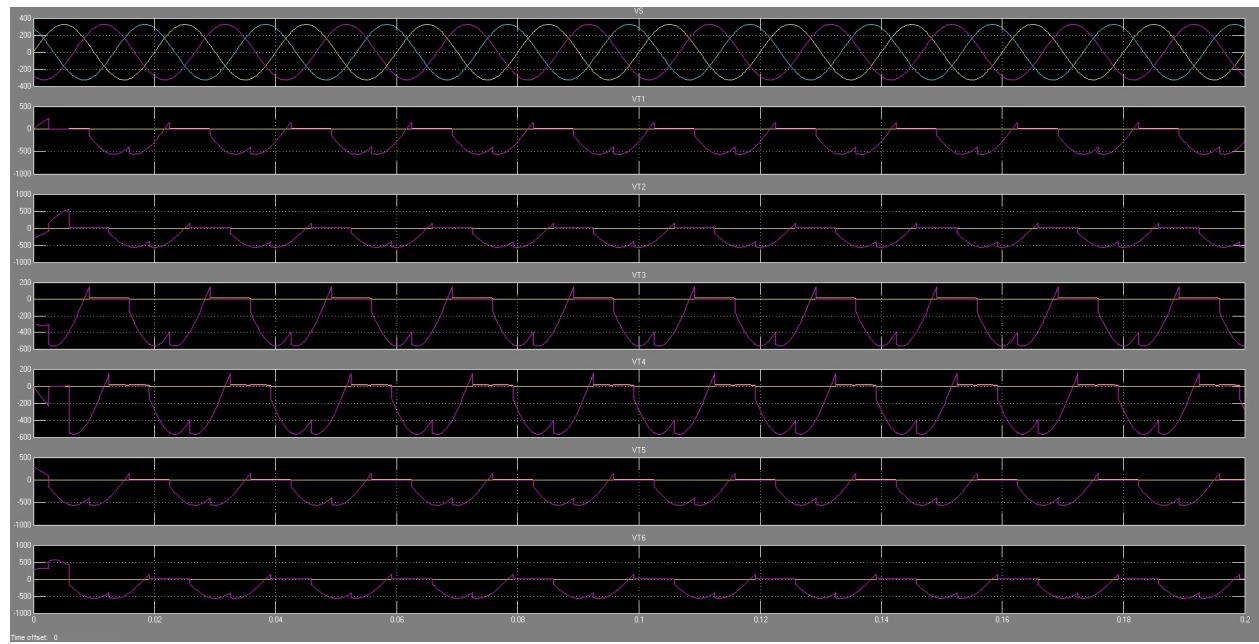
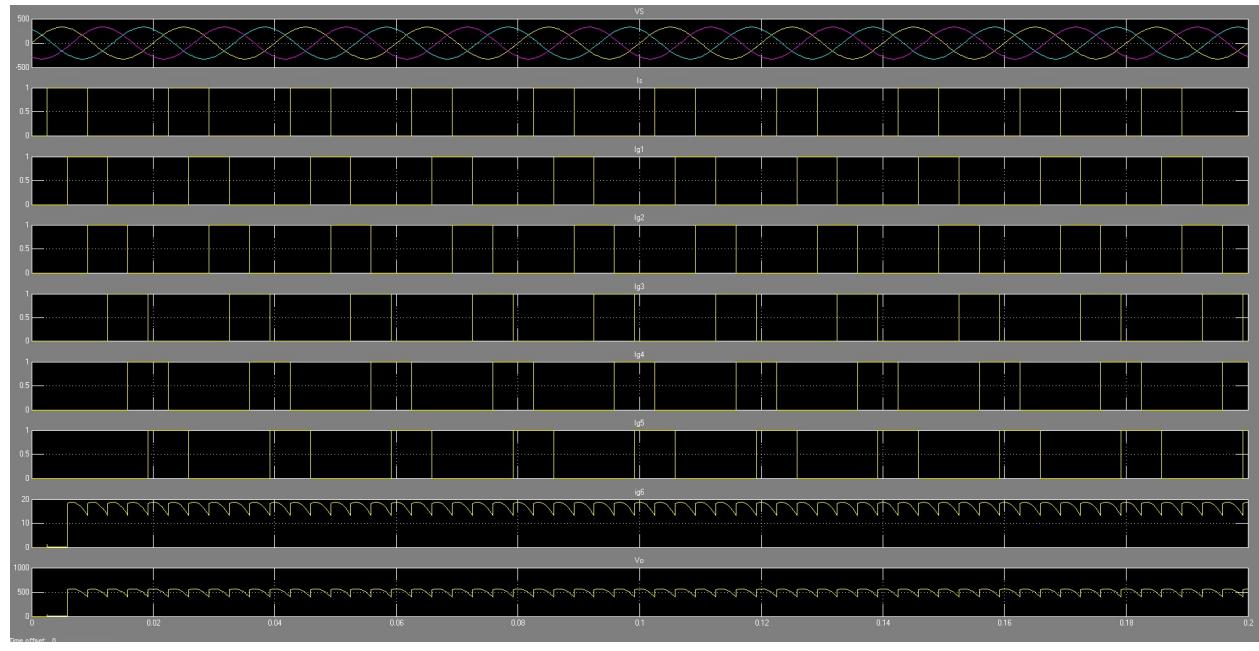
$$V_0 = \frac{3 * \sqrt{2} * 400}{\pi} (\cos 30) = 467.818$$

$$V_{rms} = \sqrt{2} * 400 \left[\frac{3}{2\pi} \left[\frac{\pi}{3} + \frac{\sqrt{3}}{2} (\cos 2(30)) \right] \right]^{\frac{1}{2}} = 475.56$$

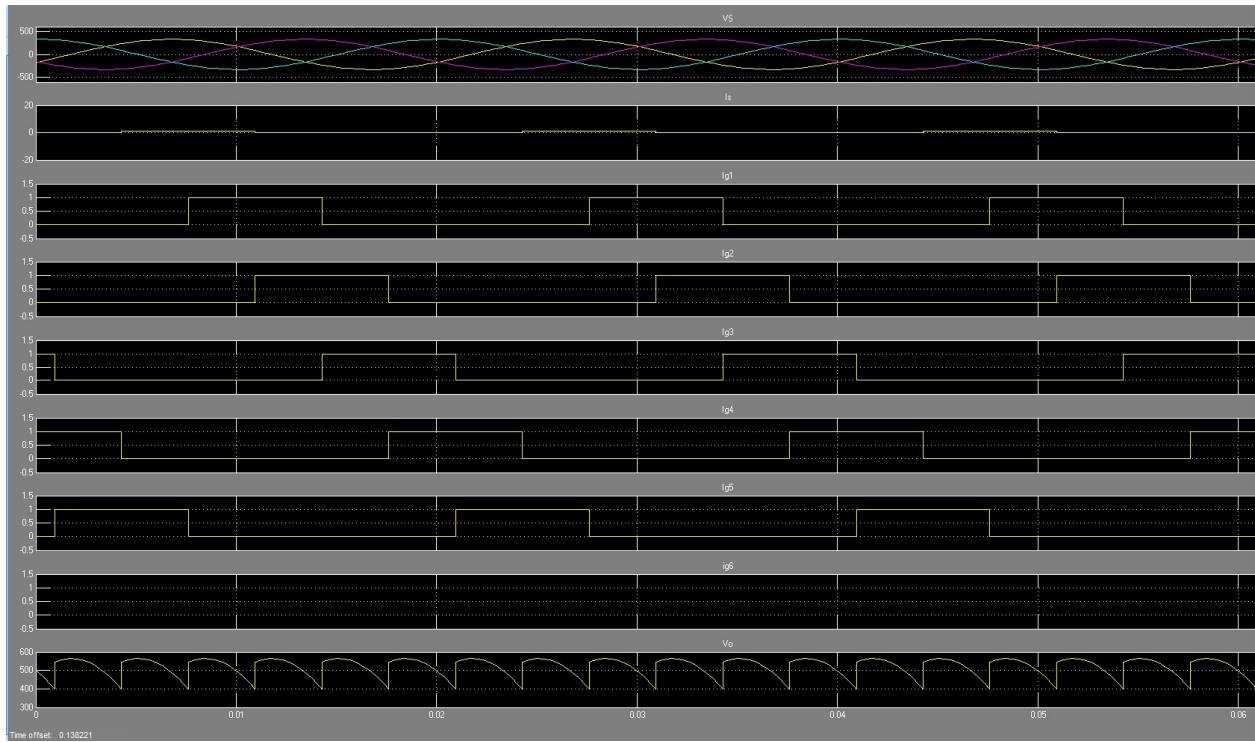
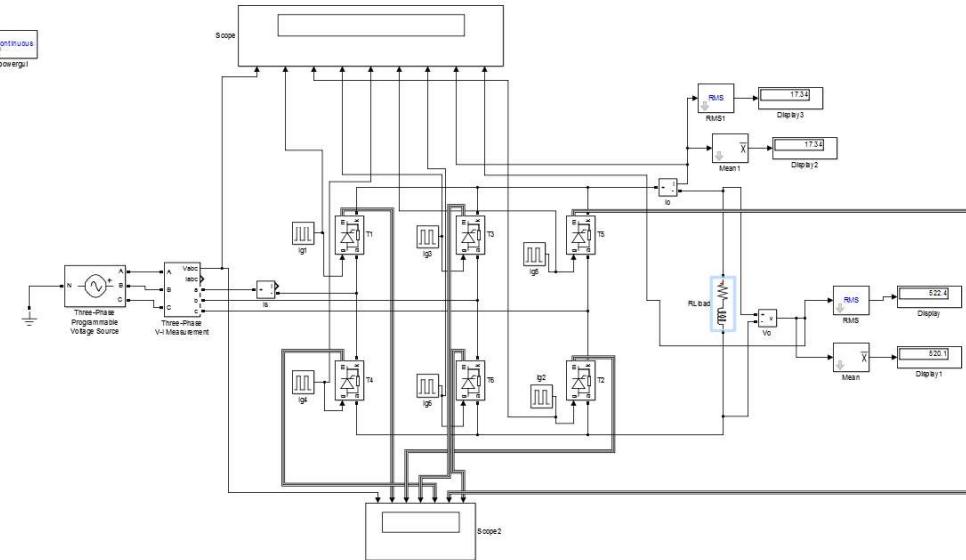
Experimental Mat lab Model and Waveforms:

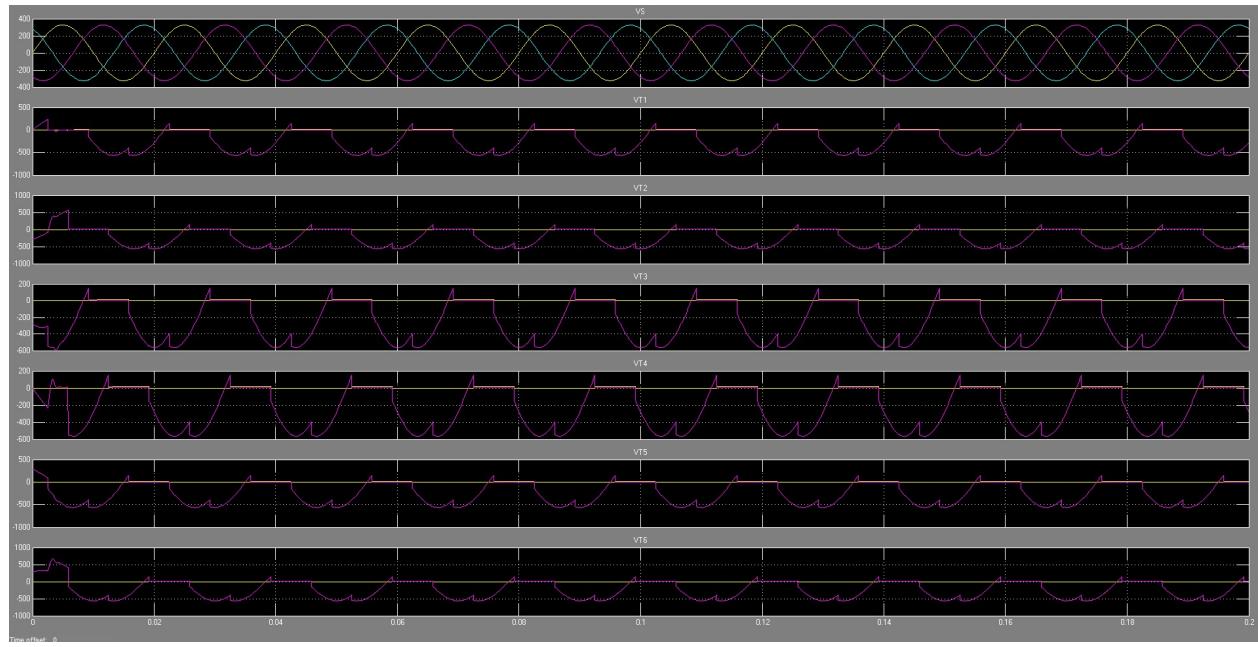
Three Phase Bridge Controlled Rectifier R load model and waveform :





Three Phase Bridge Controlled Rectifier RI load model and waveform:





Result: Simulation of Three phase full bridge converter with R and RL load is done successfully and the theoretical and practical results are verified.

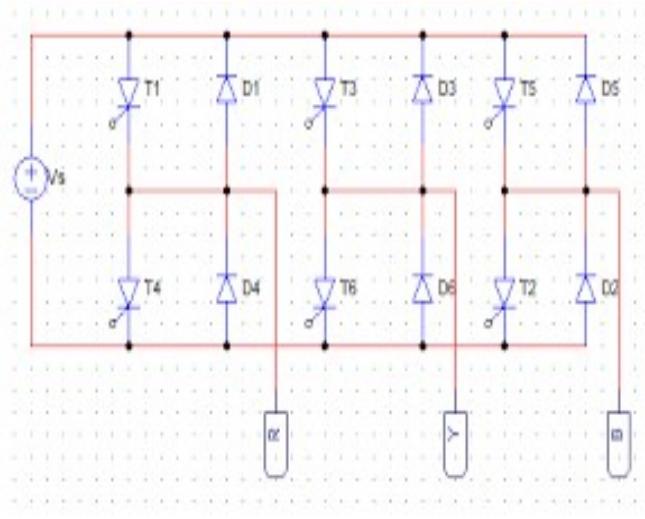
Experiment 6

Study of Three Phase Inverter With 180° Conduction Mode By Using Matlab Programming

Objective: To analyze the matlab programming of Three Phase Inverter With 180° Conduction mode

Software Needed: Matlab R2013a.

Circuit Diagram:

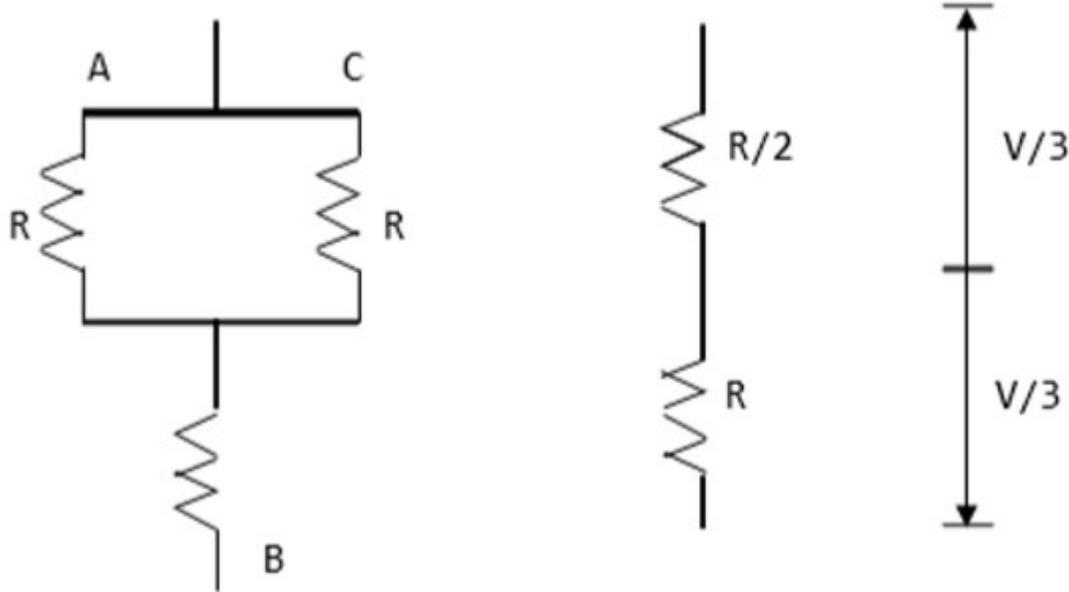


Three Phase Inverter With 180° Conduction Mode

Theory:

In this mode of conduction, every device is in conduction state for 180° where they are switched ON at 60° intervals. The terminals A, B and C are the output terminals of the bridge that are connected to the three-phase delta or star connection of the load.

The operation of a balanced star connected load is explained in the diagram below. For the period $0^\circ - 60^\circ$ the points S1, S5 and S6 are in conduction mode. The terminals A and C of the load are connected to the source at its positive point. The terminal B is connected to the source at its negative point. In addition, resistances $R/2$ is between the neutral and the positive end while resistance R is between the neutral and the negative terminal.



The load voltages are given as follows;

$$V_{AN} = V/3,$$

$$V_{BN} = -2V/3,$$

$$V_{CN} = V/3$$

The line voltages are given as follows;

$$V_{AB} = V_{AN} - V_{BN} = V,$$

$$V_{BC} = V_{BN} - V_{CN} = -V,$$

$$V_{CA} = V_{CN} - V_{AN} = 0$$

Procedure:

1. Open Matlab software.
2. Open Editor / script Tab write the program.
3. Save the program with filename.m
4. Run the program and observe the output.

Simulation Programme For 180° Conduction Mode:

```

clc
clear all
clf
t=0:0.00001:.02;

for i=1:length(t)
    vdc(i)=100;
    if t(i)>=0 && t(i)<10e-3
        p1(i)=1;
    else
        p1(i)=0;
    end
    if t(i)>=3.3e-3 && t(i)<13.33e-3
        p2(i)=1;
    else
        p2(i)=0;
    end
end

```

```

else
    p2(i)=0;
end
if t(i)>=6.67e-3 && t(i)<16.67e-3
    p3(i)=1;
else
    p3(i)=0;
end
if t(i)>=10e-3 && t(i)<20e-3
    p4(i)=1;
else
    p4(i)=0;
end
if (t(i)>=13.33e-3 && t(i)<20e-3)
    p5(i)=1
else if (t(i)>= 0&& t(i)<3.33e-3)
    p5(i)=1;
else
    p5(i)=0;
end
end
if (t(i)>=16.67e-3 && t(i)<20e-3)
    p6(i)=1
else if (t(i)>= 0&& t(i)<6.67e-3)
    p6(i)=1;
else
    p6(i)=0;
end
if p1(i)>0 && p5(i)>0 &&p6(i)>0
    va(i)=vdc(i)/3;
    vb(i)=-2*vdc(i)/3;
    vc(i)=vdc(i)/3;
else if p1(i)>0 && p2(i)>0 &&p6(i)>0
    va(i)=2*vdc(i)/3;
    vb(i)=-vdc(i)/3;
    vc(i)=-vdc(i)/3;
else if p4(i)>0 && p5(i)>0 &&p6(i)>0
    va(i)=-vdc(i)/3;
    vb(i)=-vdc(i)/3;
    vc(i)=2*vdc(i)/3;
else if p1(i)>0 && p2(i)>0 &&p3(i)>0
    va(i)=vdc(i)/3;
    vb(i)=vdc(i)/3;
    vc(i)=-2*vdc(i)/3;
else if p3(i)>0 && p4(i)>0 &&p5(i)>0
    va(i)=-2*vdc(i)/3;
    vb(i)=vdc(i)/3;
    vc(i)=vdc(i)/3;
else if p2(i)>0 && p3(i)>0 &&p4(i)>0
    va(i)=-vdc(i)/3;
    vb(i)=2*vdc(i)/3;
    vc(i)=-vdc(i)/3;
else
    va(i)=0;
    vb(i)=0;
    vc(i)=0;

```

```

        end
        end
        end
        end
    end
end
vab=va-vb;
vbc=vb-vc;
vca=vc-va;

subplot (6,2,1)
plot(t,p1)
grid
title('ig1')
subplot (6,2,2)
plot(t,p2)
grid
title('ig2')
subplot (6,2,3)
plot(t,p3)
title('ig3')
grid
subplot (6,2,4)
plot(t,p4)
title('ig4')
grid
subplot (6,2,5)
plot(t,p5)
title('ig5')
grid
subplot (6,2,6)
plot(t,p6)
title('ig6')
grid
subplot (6,2,7)
plot(t,va,'r')
title('van')
grid
subplot (6,2,8)
plot(t,vb,'g')
title('vbn')
grid
subplot (6,2,9)
plot(t,vc)
title('vcn')
grid
subplot (6,2,10)
plot(t,vab,'r')
title('vab')
grid
subplot (6,2,11)
plot(t,vbc,'g')
title('vbc')
grid
subplot (6,2,12)
plot(t,vca)

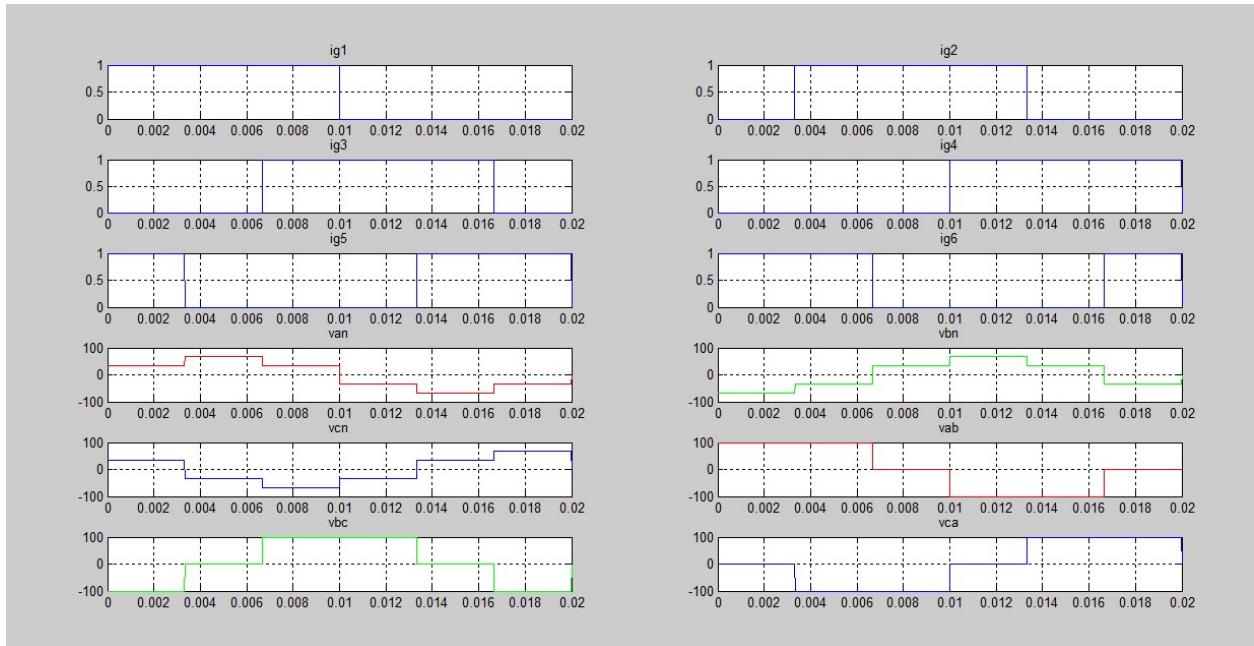
```

```

title('vca')
grid

```

Output Waveform for 180° conduction mode:



Result: Three Phase inverter with 180° Conduction mode by using matlab programming done successfully and output waveforms obtained.

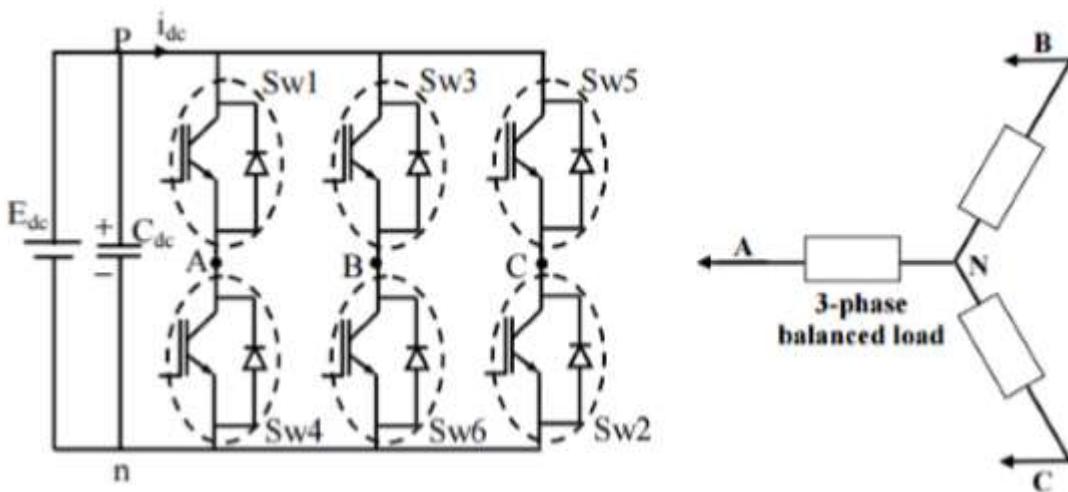
Experiment 7

Study of Three Phase Inverter With 120° Conduction Mode By Using Matlab Programming

Objective: To analyze the matlab programming of Three Phase Inverter With 120° Conduction mode.

Software Needed: Matlab R2013a.

Circuit Diagram:



Three Phase Inverter With 120° Conduction Mode

Theory: In this mode of conduction, each electronic device is in a conduction state for 120° . It is most suitable for a delta connection in a load because it results in a six-step type of waveform across any of its phases. Therefore, at any instant only two devices are conducting because each device conducts at only 120° .

The terminal A on the load is connected to the positive end while the terminal B is connected to the negative end of the source. The terminal C on the load is in a condition called floating state. Furthermore, the phase voltages are equal to the load voltages as shown below.

Phase voltages = Line voltages

$$V_{AB} = V$$

$$V_{BC} = -V/2$$

$$V_{CA} = -V/2$$

Procedure:

1. Open Matlab software.
2. Open Editor / script Tab write the program.
3. Save the program with filename.m
4. Run the program and observe the output.

Simulation Programme For 120° Conduction Mode:

```

clc
clear all
clf

t=0:0.00001:.02;

for i=1:length(t)
    vdc(i)=100;
    if t(i)>=0 && t(i)<6.67e-3
        p1(i)=1;
    else
        p1(i)=0;
    end
    if t(i)>=3.3e-3 && t(i)<10e-3
        p2(i)=1;
    else
        p2(i)=0;
    end
    if t(i)>=6.67e-3 && t(i)<13.33e-3
        p3(i)=1;
    else
        p3(i)=0;
    end
    if t(i)>=10e-3 && t(i)<16.67e-3
        p4(i)=1;
    else
        p4(i)=0;
    end
    if (t(i)>=13.33e-3 && t(i)<20e-3)
        p5(i)=1
    else if (t(i)>= 0&& t(i)<3.33e-3)
        p5(i)=0;
    else
        p5(i)=0;
    end
    if (t(i)>=16.67e-3 && t(i)<20e-3)
        p6(i)=1;
    else if (t(i)>= 0&& t(i)<3.33e-3)
        p6(i)=1;
    else

```

```

p6(i)=0;
    end
end

if p1(i)>0 && p6(i)>0
    va(i)= vdc(i)/2;
    vb(i)=-vdc(i)/2;
    vc(i)=0;
else if p1(i)>0 && p2(i)>0
    va(i)=vdc(i)/2;
    vb(i)=0;
    vc(i)=-vdc(i)/2;
else if p2(i)>0 &&p3(i)>0
    va(i)=0;
    vb(i)=vdc(i)/2;
    vc(i)=-vdc(i)/2;
else if p4(i)>0 &&p3(i)>0
    va(i)=-vdc(i)/2;
    vb(i)=vdc(i)/2;
    vc(i)=0;
else if p4(i)>0 &&p5(i)>0
    va(i)=-vdc(i)/2;
    vb(i)=0;
    vc(i)=vdc(i)/2;
else if p6(i)>0 &&p5(i)>0
    va(i)=0;
    vb(i)=-vdc(i)/2;
    vc(i)=vdc(i)/2;

else
    va(i)=0;
    vb(i)=0;
    vc(i)=0;
end
end
end
end
end
end

vab=va-vb;
vbc=vb-vc;
vca=vc-va;

subplot (6,2,1)
plot(t,p1)
grid
title('ig1')
subplot (6,2,2)
plot(t,p2)
grid
title('ig2')
subplot (6,2,3)

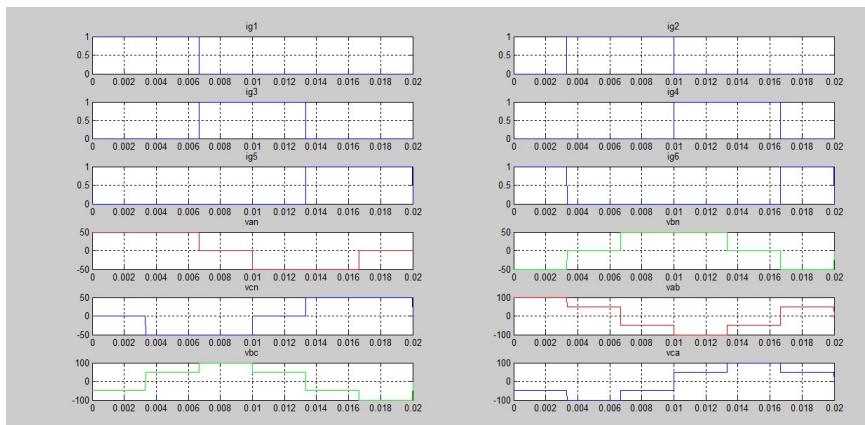
```

```

plot(t,p3)
title('ig3')
grid
subplot (6,2,4)
plot(t,p4)
title('ig4')
grid
subplot (6,2,5)
plot(t,p5)
title('ig5')
grid
subplot (6,2,6)
plot(t,p6)
title('ig6')
grid
subplot (6,2,7)
plot(t,va,'r')
title('van')
grid
subplot (6,2,8)
plot(t,vb,'g')
title('vbn')
grid
subplot (6,2,9)
plot(t,vc)
title('vcn')
grid
subplot (6,2,10)
plot(t,vab,'r')
title('vab')
grid
subplot (6,2,11)
plot(t,vbc,'g')
title('vbc')
grid
subplot (6,2,12)
plot(t,vca)
title('vca')
grid

```

Output Waveform for 120° conduction mode:



Result: Three Phase inverter with 120^0 Conduction mode by using matlab programming done successfully and output waveforms obtained.

Experiment 8

Study of Load and Load Duration Curve

Objective: To write the matlab programme for load and Load Duration Curve for the given problem

The daily load on a power system varies as shown in table using the given data compute the average load, load factor, maximum demand

INTERVALS(in hours)	LOAD(in mw)
12am-2am	6
2am-6am	5
6am-9am	10
9am-12pm	15
12 pm-2pm	12
2pm-4pm	14
4pm-6pm	16
4pm-8pm	18
8pm-10pm	16
10pm-11pm	12
11pm-12am	6

Software Needed: Matlab R2013a.

Theory: A graphical plot showing the variation in demand for energy of the consumers on a source of supply with respect to time is known as the load curve. If this curve is plotted over a time period of 24 hours, it is known as daily load curve. If its plotted for a week, month, or a year, then its named as the weekly, monthly or yearly load curve respectively. The load duration curve reflects the activity of a population quite accurately with respect to electrical power consumption over a given period of time. To understand the concept better its important that we take the real life example of load distribution for an industrial load and a residential load, and have a case study on them, to be able to appreciate its utility from the perspective of an electrical engineer.

Equations:

$$\text{Average Demand} = \frac{kWh \text{ (or MWh) consumed in a given period of time}}{\text{hours in the time period}}$$

$$\text{Average Demand} = \frac{\text{area under the load duration curve}}{\text{base of the load duration curve}}$$

$$\text{Daily load factor} = \frac{\text{Total kWh during } 24 \text{ h of the day}}{(\text{peak load in kW}) \times 24 \text{ h}}$$

Theoretical Calculations:

Maximum demand from the question is 18 KW

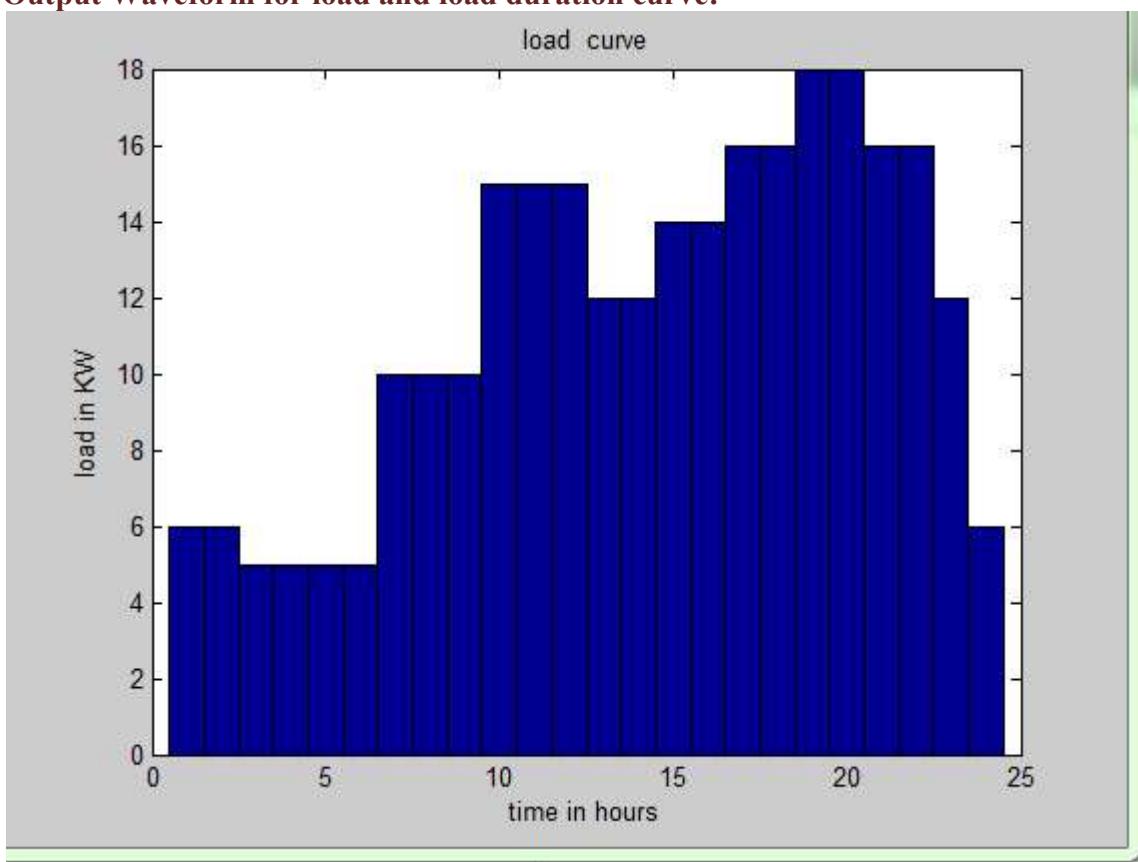
$$\text{Average load} = \frac{(6*2)+(5*4)+(10*3)+(15*3)+(12*2)+(14*2)+(16*2)+(18*2)+(16*2)+(12*1)(6*1)}{24} = 11.5416$$

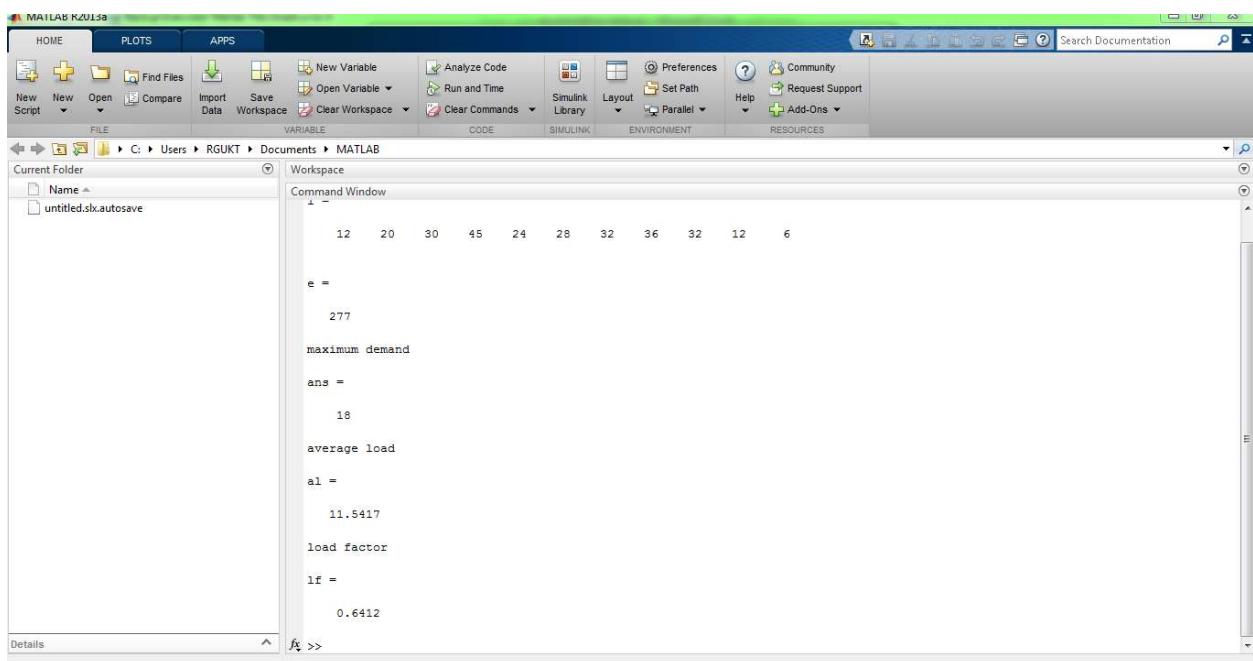
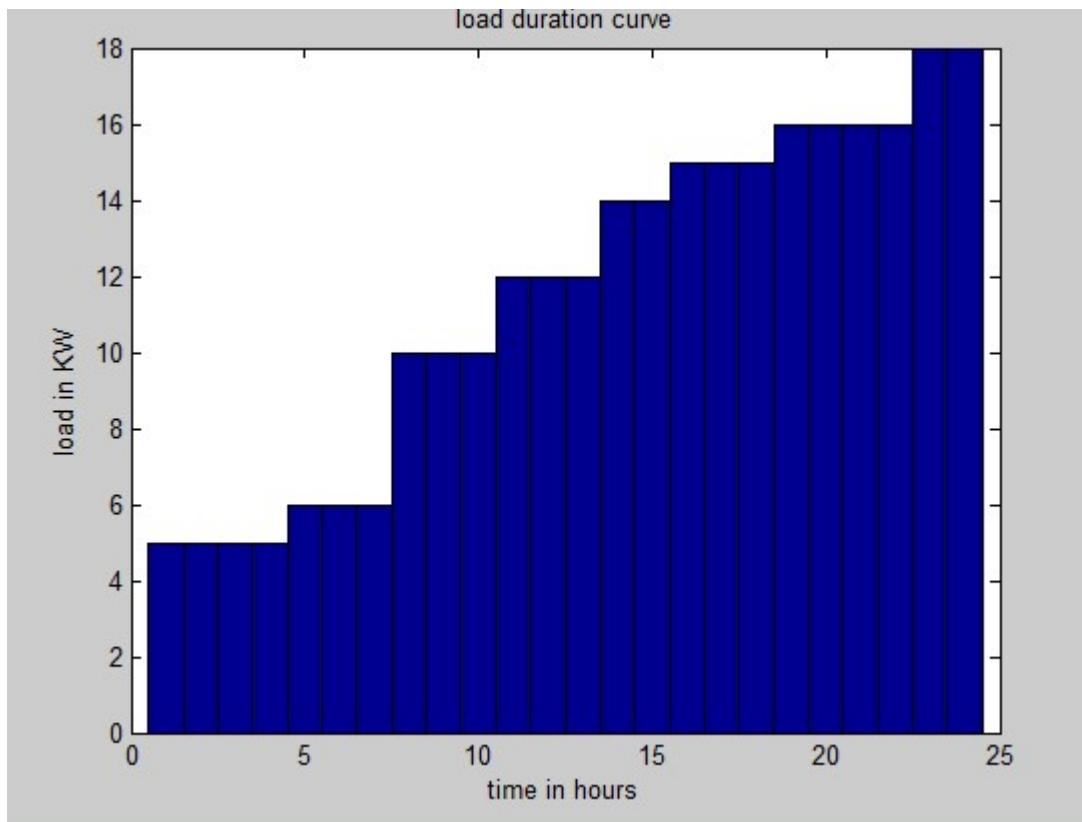
$$\text{Load factor} = \frac{11.5416}{18} = 0.6412$$

Simulation Programme For load and Load duration curve:

```
clc;
clear all;
close all;
a=[6 5 10 15 12 14 16 18 16 12 6];
b=[2 4 3 3 2 2 2 2 2 1 1];
t=sum(b);
l=a.*b
e=sum(l)
disp('maximum demand');
max(a)
disp('average load');
al=e/t
disp('load factor');
lf=al/max(a)
c=[ 6 6 5 5 5 10 10 10 15 15 15 12 12 14 14 16 16 16 18 18 16 16 16 12 6];
bar(c,'hist')
title('load curve')
xlabel('time in hours')
ylabel('load in KW')
figure;
d=sort(c);
bar(d,'hist')
title('load duration curve')
xlabel('time in hours')
ylabel('load in KW')
```

Output Waveform for load and load duration curve:





Result: Load and Load duration curve is done by using matlab programming and output waveforms obtained.

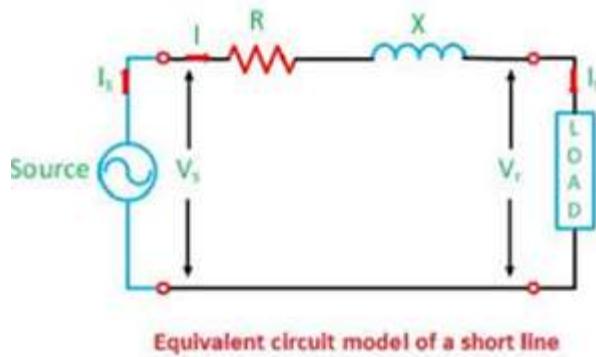
Experiment 9

Performance Evaluation of Short Transmission Line

Objective: To write the matlab programming for Performance Evaluation of Short Transmission Line

Software Needed: Matlab R2013a.

Circuit Diagram:



Theory: A short transmission line is defined as a transmission line with an effective length less than 80 km (50 miles), or with a voltage less than 69 kV. Unlike medium transmission lines and long transmission lines, the line charging current is negligible, and hence the shunt capacitance can be ignored.

For short length, the shunt capacitance of this type of line is neglected and other parameters like electrical resistance and inductor of these short lines are lumped, hence the equivalent circuit is represented as given below. Let's draw the vector diagram for this equivalent circuit, taking receiving end current I_r as reference. The sending end and receiving end voltages make angle with that reference receiving end current, of ϕ_s and ϕ_r , respectively.

As the shunt capacitance of the line is neglected, hence the sending end current and the receiving end current is same, i.e.

$$I_s = I_r$$

We can see from the short transmission line phasor diagram above that V_s is approximately equal to:

$$V_s \cong V_r + I_r \cdot R \cdot \cos \varphi_r + I_r \cdot X \cdot \sin \varphi_r$$

That means,

$$V_r + I_r \cdot R \cdot \cos \varphi_r + I_r \cdot X \cdot \sin \varphi_r$$

As it is assumed that:

$$\varphi_s \cong \varphi_r$$

As there is no capacitance, during no-load condition the current through the line is considered as zero, hence at no load condition, receiving end voltage is the same as sending end voltage.

As per definition of voltage regulation of power transmission line,

$$\begin{aligned} \text{\% regulation} &= \frac{V_s - V_r}{V_r} \times 100 \% \\ &= \frac{I_r \cdot R \cdot \cos \varphi_r + I_r \cdot X \cdot \sin \varphi_r}{V_r} \times 100 \% \\ \text{per unit regulation} &= \frac{I_r \cdot R}{V_r} \cos \varphi_r + \frac{I_r \cdot X}{V_r} \sin \varphi_r = v_r \cos \varphi_r + v_x \sin \varphi_r \end{aligned}$$

Here, V_r and V_x are the per unit resistance and reactance of the short transmission line respectively.

Any electrical network generally has two input terminals and two output terminals. If we consider any complex electrical network in a black box, it will have two input terminals and output terminals. This network is called a two-port network. A two-port model of a network simplifies the network solving technique. Mathematically, a two-port network can be solved by 2 by 2 matrix.

A transmission as it is also an electrical network, and hence the transmission line can be represented as a two-port network.

Hence two-port network of the transmission line can be represented as 2 by 2 matrix. Here the concept of ABCD parameters comes into play. Voltage and currents of the network can be represented as:

$$V_s = AV_r + BI_r \quad \dots \dots \dots \quad (1)$$

$$I_s = CV_r + DI_r \quad \dots \dots \dots \quad (2)$$

Where, A, B, C and D are the different constants of the transmission network.

If we put $I_r = 0$ at equation (1), we get,

Hence A is the voltage impressed at the sending end per volt at the receiving end when receiving end is open. It is dimensionless. If we put $V_r = 0$ at equation (1), we get

$$A = \left. \frac{V_s}{V_r} \right|_{I_r=0}$$

Hence B indicates the impedance of the transmission line when the receiving terminals are short-circuited. This parameter is referred to as the transfer impedance.

$$B = \left. \frac{V_s}{I_r} \right|_{V_r=0}$$

C is the current in amperes into the sending end per volt on open circuited receiving end. It has the dimension of admittance.

$$C = \left. \frac{I_s}{V_r} \right|_{I_r=0}$$

D is the current in amperes into the sending end per amp on the short-circuited receiving end. It is dimensionless.

$$D = \left. \frac{I_s}{I_r} \right|_{V_r=0}$$

Now from the equivalent circuit, it is found that,

$$V_s = V_r + I_r Z \text{ and } I_s = I_r$$

Comparing these equations with equation 1 and 2 we get, A = 1, B = Z, C = 0 and D = 1. As we know that the constant A, B, C, and D are mathematically related to a passive network as:

$$AD - BC = 1$$

Here, A = 1, B = Z, C = 0, and D = 1

$$\Rightarrow 1.1 - Z.0 = 1$$

So the values calculated are correct for a short transmission line. From the equation

$$V_s = AV_r + BI_r$$

When $I_r = 0$ that means receiving end terminals is open circuited and then from equation 1, we get receiving end voltage at no load.

$$V_r' = \frac{V_s}{A}$$

and as per definition of voltage regulation of power transmission line,

$$\% \text{ voltage regulation} = \frac{V_s / A - V_r}{V_r} \times 100 \%$$

Performance of Short Transmission Line

The performance (i.e. the efficiency) of a short transmission line as simple as efficiency equation of any other electrical equipment, that means

$$\begin{aligned} \% \text{ efficiency } (\mu) &= \frac{\text{Power received at receiving end}}{\text{Power delivered at sending end}} \times 100 \% \\ \% \mu &= \frac{\text{Power received at receiving end}}{\text{Power received at receiving end} + 3I_r^2 R} \times 100 \% \end{aligned}$$

Where R is the per phase electrical resistance of the transmission line.

Procedure:

1. Open Matlab software.
2. Open Editor / script Tab write the program.
3. Save the program with filename.m
4. Run the program and observe the output.

Theoretical calculations:

Short transmission line

$$R = 0.0195 \Omega / \text{km} / \text{ph}$$
$$L = 0.63 \text{ mH} / \text{km} / \text{ph}$$
$$\text{length} = 90 \text{ km}$$
$$V_s = 10 \text{ kV}$$
$$P_s = 5 \text{ MW}$$
$$P_f = 0.707$$
$$\theta = 45^\circ$$
$$Z = R + jX_L$$
$$= 0.0195 + j0.1937 \Omega / \text{km} / \text{ph}$$
$$Z = 0.39 + j3.958 \Omega / \text{ph}$$
$$Z = 3.927 L - 84.37 \Omega / \text{ph}$$
$$X_L = \omega L = 0.1937$$
$$I_s = \frac{P_s}{\sqrt{3} V_s \cos \theta} = 408.31 \text{ Amps}$$
$$V_s = A V_s + B I_s$$
$$I_s = C V_s + D I_s$$
$$A = D = 1, B = 2, C = 0$$
$$V_s = 1 \times 10 \times 10^3 + (3.927 L - 84.37) * 408.31 \text{ } 45^\circ$$

Scanned with
CamScanner

Programme for short transmission line:

```
clc;
clear all;
close all;
a=1;
r=0.0195;
l=0.63e-3;
sl=20;
pf=0.707;
Vr=10e+03
Pr=5e+06
s=acos(pf)
cs=-s*(180/3.14);
R=r*sl;
Xl=2*3.14*50*l*sl;
z=complex(R,Xl);
I=Pr/(1.732*Vr*pf);
Ip=complex(I*cos(cs)+I*sin(cs));
A=1
B=0.390+3.9564i
C=0
D=1
disp('sending voltage per phase');
Vsp=(A*Vr)+(B*Ip)
disp('sending voltage in volts');
Vs=1.732*Vsp
disp('sending current in amperes');
Is=(C*Vr)+(D*Ip)
Ps=Pr+I^2*R;
disp('voltage reg in percentage');
V=((real(Vsp)-real(Vr))/real(Vr))*100
disp('efficiency in percentage');
n=(Pr/Ps)*100
```

OUTPUT:

```
Workspace
Command Window
9.9413e+03 - 5.9569e+02i
sending voltage in volts
Vs =
1.7218e+04 - 1.0317e+03i
sending current in amperes
Is =
-150.5637
voltage reg in percentage
V =
-0.5872
efficiency in percentage
n =
98.7162
^ f5 >>
```

Result: Short transmission line performance parameters evaluated and verified.

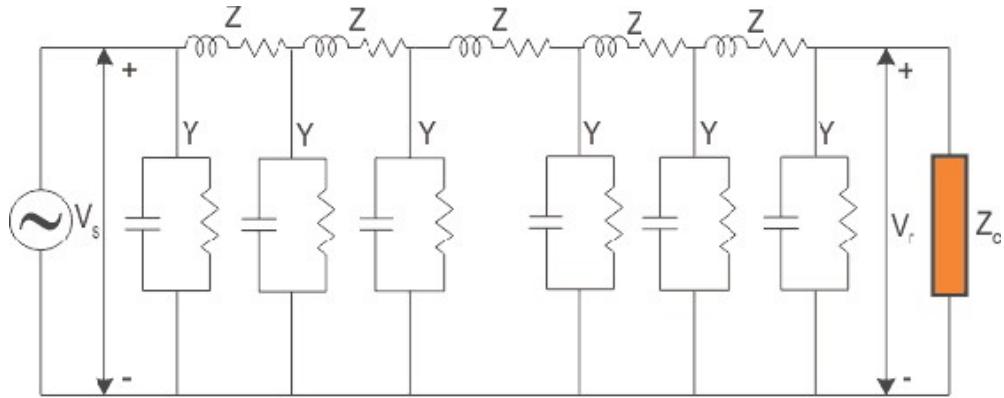
Experiment 10

Performance Evaluation of long Transmission Line

Objective: To write the matlab programming for Performance Evaluation of long Transmission Line

Software Needed: Matlab R2013a.

Circuit Diagram:



Long Transmission Line Model

Theory: A long transmission line is defined as a transmission line with an effective length more than 250 km (150 miles). Unlike short transmission lines and medium transmission lines, it is no longer reasonable to assume that the line parameters are lumped. To accurately model a long transmission line we must consider the exact effect of the distributed parameters over the entire length of the line. Although this makes the calculation of ABCD parameters of transmission line more complex, it also allows us to derive expressions for the voltage and current at any point along the line.

Theoretical Calculations:

Long transmission line

$$R = 0.133 \Omega \text{ km/ph}$$

$$L = 0.398 \text{ mH}$$

$$q = 0.2$$

$$C = 31.83 \text{ nF}$$

$$\text{length } l = 300 \text{ km}$$

$$V_s = 220 \text{ kV}/\phi$$

$$P_2 = 50 \text{ MW}$$

$$P_f = 0.8 / \text{kg}$$

$$X_L = \omega L = 2\pi f L = 0.125 \Omega/\text{km}/\phi$$

$$X_L = 37.5 \Omega/\phi$$

$$R = 0.133 \Omega/\text{km}/\phi = 39.921 \Omega$$

$$Y = j\omega X_L = 1 \text{ pF}$$

$$Y = 2\pi f C = j3.48 \text{ pF}/\phi$$

$$Z = R + jX$$

$$= 39.9 + j37.5$$

$$= 54.76 L 43.22$$

$$Z_0 = \sqrt{\frac{Z}{Y}}$$

$$= \sqrt{\frac{54.76 L 43.22}{3 \times 10^{-3} L 90}}$$

$$= 135.1 L - 23.39$$

$$\delta = \sqrt{Z \cdot Y}$$

$$\delta_s = \sqrt{135.1 L 43.22 \times 3 \times 10^{-3} L 90}$$

$$\delta_s = 0.405 L 66.61$$

$$\delta_s = 0.161 + j2.31$$

$$A = D = \cosh(\alpha s + j\beta s)$$

$$= \frac{1}{2} [e^{\alpha s} (\beta s) + e^{-\alpha s} (-\beta s)]$$

$$= 0.946 + j0.059$$

$$\cosh(\alpha s + j\beta s) = 0.946 L 35.7$$

$$\sinh(\alpha s + j\beta s) = \frac{1}{2} [e^{\alpha s} (\beta s) - e^{-\alpha s} (-\beta s)]$$

$$= 0.151 + j0.368$$

$$= 0.398 L 67.69$$

$$B = Z_0 \sinh(\alpha s + j\beta s)$$

$$= 38.48 + j37.55$$

$$= 53.76 L 44.3$$

$$C = \frac{1}{Z_0} \sinh(\alpha s + j\beta s)$$

$$= -5.55 \times 10^{-5} + j2.93 \times 10^{-3}$$

$$= 2.96 \times 10^{-3} L 91.08$$

$$I_2 = \frac{P_2}{\sqrt{3} V_s \cos \theta_2} = 164.024$$

$$V_s = A v_\infty + B I_s \cdot \left(0.946 L_{8.5} \rightarrow 220 \text{ kV} + 53.26 L_{44.3} \times 164.02 L_{36.87} \right)$$

$$= 21645.9 + j140995,$$

$$= 216918.5 L_{3.73}$$

$$V_s = 212 \text{ kV} L_{3.73} | p_b$$

$$I_s = C v_\infty + D I_s$$

$$= \left[294 \times 10^3 L_{91.08} \times 220 \text{ kV} \right] + 0.963 L_{3.57} + 164.82 [L_{36.87}]$$

$$= 117.5 + j56.15$$

$$I_s = 573.66 L_{78.18}$$

$$V_s = 3758 \text{ kV} L_{3.73} \text{ V}$$

$$\therefore V_{\text{reg}} = \frac{V_s - V_R}{j100}$$

$$= -1.36 \text{ A}$$

$$1 - \eta = \frac{P_r}{P_r + \text{losses}} \times 100 = \frac{P_r}{P_s} \times 100$$

$$= 97.8982$$

$$A = 0.9437 + 0.0587 j$$

$$D = 0.9437 + 0.0587 j$$

$$B = 38.4127 + 37.5753 j$$

$$C = -0.0001 + j0.029$$

$$V_{\text{reg}} = -1.6559$$



Scanned with
CamScanner

$$= 97.8982$$

Matlab Programme for Long Transmission Line

```
clc;
clear all;
close all;
r=0.133;
l=0.398e-3;
c=31.83e-9;
g=0;
tl=300;
pf=0.8;
Vr=220e+03
Pr=50e+06
R=r*tl;
Xl=2*3.14*50*l*tl;
y=2*3.14*50*c*tl;
z=complex(R,Xl);
Y=complex(0,y);
Z0=(z/Y)^(1/2);
gs=(z*Y)^0.5;
A=cosh(gs)
D=cosh(gs)
B=Z0*sinh(gs)
C=(1/Z0)*sinh(gs)
I=Pr/(1.732*Vr*pf);
Ip=complex(I*pf,-I*(1-pf^2)^0.5);
disp('sending voltage per phase');
Vsp=(A*Vr)+(B*Ip)
disp('sending voltage in volts');
Vs=1.732*Vsp
disp('sending current in amperes');
Is=(C*Vr)+(D*Ip)
Ps=Pr+I^2*R;
disp('voltage reg in percentage');
V=((real(Vsp)-real(Vr))/real(Vr))*100
disp('efficiency in percentage');
n=(Pr/Ps)*100
```

Output:

```
Workspace
Command Window
    2.1636e+05 + 1.4064e+04i

    sending voltage in volts

Vs =
    3.7473e+05 + 2.4360e+04i

    sending current in amperes

Is =
    1.1661e+02 + 5.6210e+02i

    voltage reg in percentage

V =
    -1.6552

    efficiency in percentage

n =
    97.8982

fx >>
```

Result: Long transmission line performance parameters evaluated and verified.