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# CS641A Assignment-4

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Sherlocked

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## 1 How we reached the cipher text:

1. On the first screen, there was a door with a panel but there was nothing written on it, so we used **go**.
2. We reached the edge of a lake, where we used **dive**. We came out so we used **dive** again. We found a magic wand, and we tried **pull** but we ran out of breath and died.
3. So, we got to the magic wand again using aforementioned commands, and used **back** and then **dive** again. Now, we used **pull** and got the wand.
4. We went back to the first screen using **back**. We tried to read the panel again but it was still blank. We then figured out that the chapter's name is *THE SPIRIT* and there was a spirit in level 3.
5. We went back to level 3 using **back**, used the command **go** to reach the second screen where we used **wave** to free the spirit. Then we used the commands we found in level 3, i.e, **thrnxtzy** then **read** and then the password **kgg\_mnzer\_yv**.
6. We reached the first screen of level 4 again where we used **read** and found the question read by the spirit.

## 2 How we cracked the cipher text:

1. Knowing it is a 3-round DES, we used the differential cryptanalysis method taught in class for cryptanalysis of 3-rounds, which is a chosen plaintext attack where input pairs are chosen such that the differential of right side (32 least significant bits) is equal to 0.
2. We were given that 2 letters constituted one byte, hence each letter is of 4 bits. Hence total possible letters in input and output must be 16. Also the input and output size of DES is 64 bits, which is 8 bytes or 16 letters, and the output size was indeed 16 letters. We did a frequency analysis of output and found that it consisted only of letters between 'f' and 'u', and as we had 16 total letters, with 4 bits for each letter, we mapped letters 'f' to 'u' to numbers from 0 to 15 respectively.
3. First, we started by generating 10 pairs of random 64 bits, such that the last 32 bits of a pair are same, i.e, has xor value equal to 0. This was done in **1\_random\_inputs.py** and the pairs were stored in **random\_inputs.txt**.
4. Using these random bits, we generated input for DES by first permuting the 64 bits using inverse initial permutation ( $IP^{-1}$ ), and then mapped the 4-bit blocks to letters between 'f' and 'u'. This was done in **2\_actual\_inputs.py** and the inputs were stored in **actual\_inputs.txt**.
5. Using the script **3\_generate\_outputs.py**, we got corresponding ciphertexts to the plaintexts we generated in previous step, and stored them in **generated\_outputs.txt**.
6. After obtaining plaintext and corresponding ciphertexts, we converted the ciphertexts to binary and permuted them using initial permutation ( $IP$ ) (which is inverse of final permutation) and then swapped their left and right parts. This step was carried out by **4\_outputs\_after\_IP\_swap.py** and the outputs were stored in **outputs\_after\_IP\_swap.txt**.

7. We then calculate the xor of input and output pairs using **5\_inputs\_xor.py** and **6\_outputs\_xor.py**.

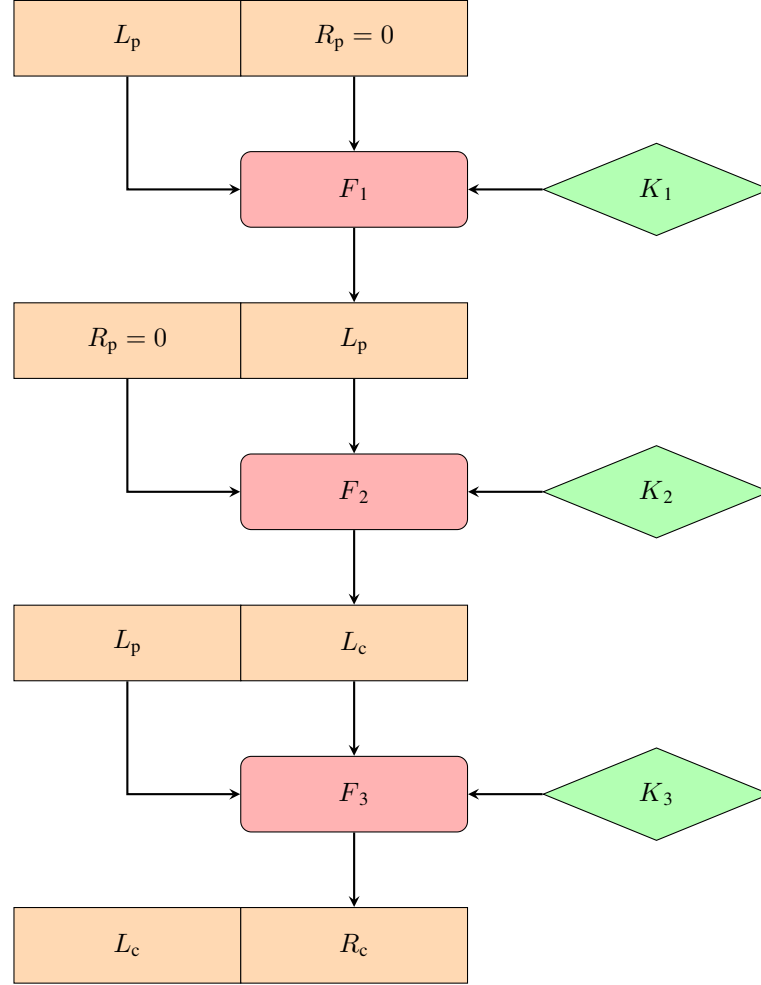


Fig. 1

8. Fig. 1 shows the values of differential at different stages of encryption, where  $R_c, L_c$  are ciphertexts and  $R_p, L_p$  are plaintexts, also  $R_p = 0$  and all of the above values (xor as well as individual values of plaintext and ciphertext pairs) are known. We know the individual values of pairs constituting  $L_c$ , hence we know the values after expansion. We also know the input as well as output xor of each sbox in  $F_3$ . Now, for every possible key combination of  $K_3$  for each of the 8 sboxes, we xor it with the two  $L_c$ s after expansion and pass the value obtained through sbox and calculate their xor. If the xor value matches with the one obtained using  $R_c$ , we consider the key value a possible one. After repeating this for all 10 input-output pairs, we are left with only one possible  $K_3$ . Hence,  $K_3$  is obtained to be

$$K_3 = 011101110000001000011001000110100011100110011101$$

This is done using **7\_k3\_breaker.py**. One can directly obtain  $K_3$  by running the script **k3\_break.sh**.

9. We use the 48 bit  $K_3$  obtained to get the 56 bit DES-key using **reverse\_key\_scheduling.py** which reverses the key scheduling algorithm of DES. Note that 8 bits of 56 bit DES-key are still unknown.
10. We find the remaining 8 bits of DES-key using brute force using **key\_brute\_force.py** and **des\_3round.py** (which is the implementation of 3 round des using given constants.py). We check all the  $2^8$  possibilities and check whether they produce the correct outputs for the taken inputs. We thus obtain the 56 bits key:

56-bit key = *10110101010110000100000010001010111011100011100110100*

11. We now have the 56-bit key. We obtain round-keys, i.e.  $k_1, k_2, k_3$  using the 56 bit key using key-scheduling algorithm of DES. Once we have the round keys, we decrypt the given ciphertext(password) by using  $k_3, k_2, k_1$  respectively in DES and passing the encrypted text as the input. Hence, we decrypt the password *hshjsijnrkptugsifjfnluhuphpkpqn*m using **inverse\_des.py** and obtain the password:

**tkjkkktmpghsqfosqkjsjihgsnsnsrij**