

## Exercise Assignment 4

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## 3.4 c)

Convert  $[1011]_2$  from binary to decimal, assuming unsigned binary.

$$1011_2 = 11_{10}$$

## 3.4 e)

Convert  $[11111]_2$  from binary to decimal, assuming unsigned binary.

$$11111_2 = 31_{10}$$

## 3.13 a)

Write the polynomial representation of  $29.458_{10}$

$$(2)10^1 + (9)10^0 + (4)10^{-1} + (5)10^{-2} + (8)10^{-2}$$

## 3.13 c)

What is the decimal value of  $1011.100101_2$

$$1011.100101_2 = 11.65625_{10}$$

## 3.16 a)

Convert  $[51]_{10}$  to binary using nine-bit two's compliment.

$$51_{10} = 000110011_2$$

## 3.16 e)

Convert  $[-256]_{10}$  to binary using nine-bit two's compliment.

$$-256_{10} = 100000000_2$$

## 3.20 c)

Perform a binary addition, assuming nine-bit two's compliment. Show the effect on the status bits:

$$\begin{array}{r} 1\ 0001\ 1011 \\ \text{ADD } 1\ 0101\ 0100 \\ \hline 0\ 0110\ 1111 \\ N = 1 \\ Z = 0 \\ V = 1 \\ C = 1 \end{array}$$

**3.20 e)**

Perform a binary addition, assuming nine-bit two's complement. Show the effect on the status bits:

```

      0 0011 0100
ADD 0 1101 0010
-----
      1 0000 0110
N = 0
Z = 0
V = 1
C = 0

```

**3.21 c)**

With two's complement binary representation what is the range of numbers in binary and decimal notation for: a four-bit cell

A four bit cell has:

$range_2 = 1000 \text{ to } 0111$

$range_{10} = -8 \text{ to } 7$

**3.21 d)**

With two's complement binary representation what is the range of numbers in binary and decimal notation for: a five-bit cell

A five-bit cell has:

$range_2 = 10000 \text{ to } 01111$

$range_{10} = -16 \text{ to } 15$

## References

Warford, J. (2009). *Computer systems* (4th ed.). Jones and Bartlett.