# **Texas BA II Calculator Workshop**



# **Setting up your BAII**



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Setting up your calculator (BAII Plus)



Decimal places

2nd [FORMAT] [5] [ENTER]

Set to mathematical precedence

2nd [FORMAT] † 2nd ENTER

No. of payments per year

2nd [/Y 1]

Clear time value calculations

2nd FV

#### Memory function

The calculator can store numbers for you

#### **Example:**

- You calculate the answer to 2 + 3.5 = 5.5 and then wish to store it
- Press STO then 1 (5.5 has now been stored and assigned to button 1
- Having cleared the screen (CE/C), it is now possible to recall the number by pressing RCL then 1

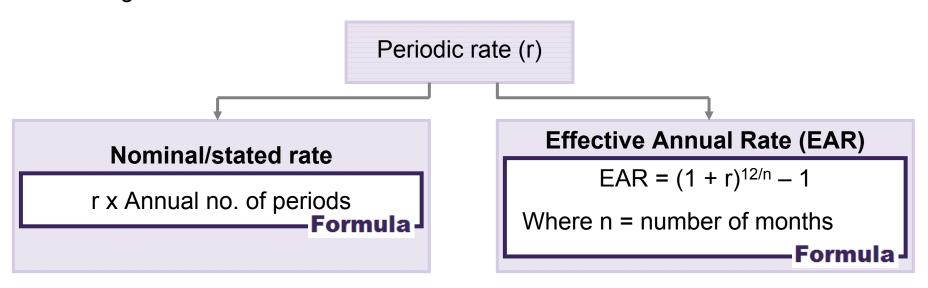


It is always possible to recall the last answer from the calculator by pressing 2nd and then [ANS]

### **Nominal vs. Effective Interest Rates**



Calculating nominal and effective rates



#### **Example:** Calculating nominal and effective rates

- Calculate the nominal rate from a 4% six-monthly periodic rate
- Calculate the EAR from a 4% six-monthly rate
- Calculate the EAR from a nominal rate of 8% paid quarterly

#### **Example:**

- 8% paid 6-monthly is, in effect, 8.16%
- 8% paid quarterly is, in effect, 8.243%

$$FV = \$100 \left(1 + \frac{0.08}{4}\right)^4 = \$108.243$$

Effective rate = 
$$\left(1 + \frac{r}{n}\right)^n - 1$$

where r is the nominal rate

Formula

You can calculate effective rates from nominal rates using the BA-II
 2nd[ICONV]

$$C/Y = 2 ENTER \uparrow$$

#### **CONTINUOUS COMPOUNDING**

Future value based on continuous compounding

- \$1 for 1 year at 100% pa, single period \$2
- \$1 for 1 year at 100% pa, four periods ———— \$2.44



- \$1 for 1 year at 100% pa, 1,000 periods
   \$2.717
- \$1 for 1 year at 100% pa, infinite periods \$2.71828...



e

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Future value based on continuous compounding

- FV = PVert
- PV = FVe<sup>-rt</sup>
- There are two ways to get the BAII to continuously compound / discount:
  - Compounding
    - 0 . 0 8 2nd LN × 1 0 0 = 108.33
  - Discounting
    - 0 . 0 8 +/- 2nd LN × 1 0 8 . 3 2 8 7 1 =

#### Cheating

2nd [ICONV]

$$FV = PV (1 + i)^n$$

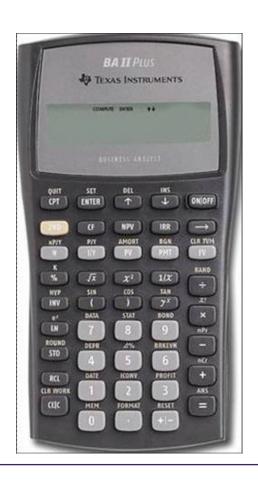
**Using the Present Value Function** 



# Example: \$2,000 for five years at a compound interest rate of 4%? BEFORE YOU START CLEAR THE CALCULATOR [2nd] [CLR TVM] BA II PLUS $\mathbb{N}$ TEXAS INSTRUMENTS I/YPV PMT FV CPT **NB**: Signs AMORT BGN CFA考友论坛 PMT

#### **Example:**

- If \$5,000 grows to \$5,798.47 over three years, what is the six-monthly interest rate?
- BEFORE YOU START CLEAR THE CALCULATOR 2nd [CLR TVM]



> N

CPT > [/Y]

> PV

> PMT

> [FV]

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Future values of ordinary annuities

• For example, 3-year \$5,000 annuity at 5%:

- > N
- > [I/Y]
- > PV
- > PMT
- CPT > FV 15,762.50

Present value of ordinary annuities

• For example, 3-year \$5,000 annuity at 5%:

> N > I/Y > PV 13,616.24 > PMT > FV

#### **Example:** Ordinary annuities: calculating an unknown variable

- 10yr \$10,000 annuity, interest rates 5%. What is FV?
- 12yr annuity with a future value of \$180,000 Interest rates are 5.5%. What are the annual payments?

How many payments of \$4,342.65 to get a future value of \$60,000 at 7%?

What interest rate would result in a future value of \$50,445.05 over seven years with annual payments of \$5,000?

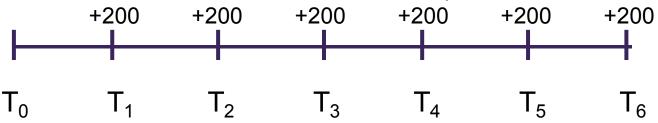
#### SERIES OF EVEN CASH FLOWS

Future Value/(Present Value) of an Annuity

• An annuity is something which pays regular cash flows at fixed periods, over a given period of time:

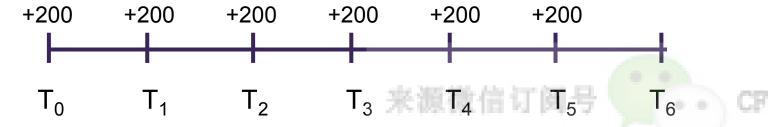
#### **Ordinary Annuity**

The cash flows are made at the end of each period:



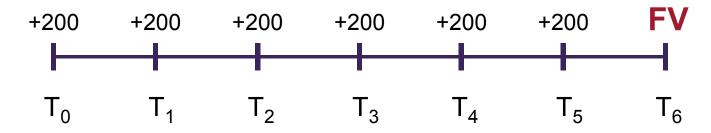
#### **Annuity Due**

The payments are made at the beginning of each period:

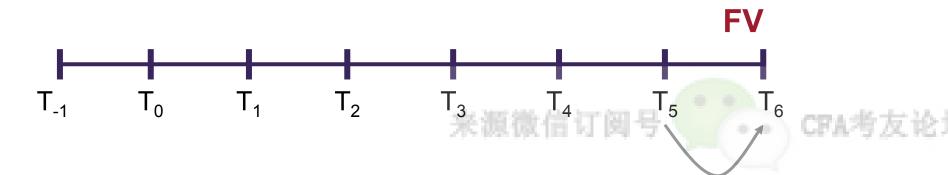


Future value of an annuity due

- Can use begin mode: [2nd] [BGN] [2nd] [ENTER]
- Future value is calculated at the end of the final period:

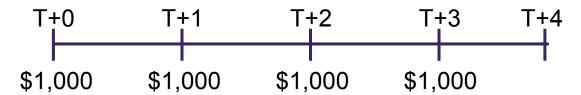


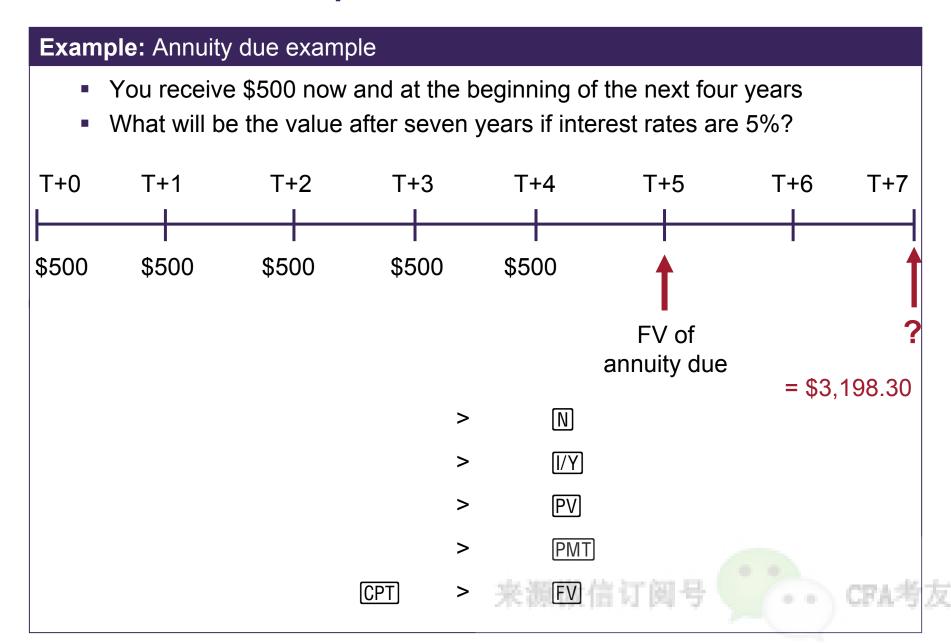
- E.g. Six-year \$200 annuity due, interest rates 8%
- Alternative method



#### **Example:** Present value of an annuity due

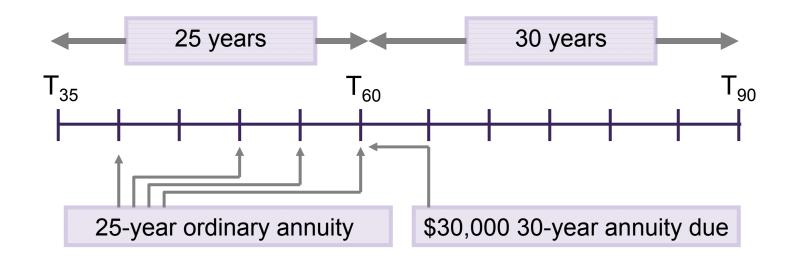
 Compute the present value of a four year \$1,000 annuity using a discount rate of 6% where the first payment is received today.





#### **Example:** Solving problems: funding a retirement program

- A 35-year old investor wishes to retire at 60, and draw \$30,000 per year
   (at the beginning of each year), the last payment being on her 89<sup>th</sup> birthday
- Assuming that expected returns will be 8% prior to retirement and 7% during retirement what is the amount she needs to deposit at the end of each year until retirement?



# **Using the Cash Flow Function**



#### SERIES OF UNEVEN CASH FLOWS

Present value of a series of uneven cash flows

What is the present value of the following cash flows below using a discount rate of 6%?

Cost	\$1,000
Revenue	
Year 1	\$700
Year 2	\$800
Year 3	\$900
Year 4	\$900

CF 2nd [CLR WORK]

1 0 0 0 +/- ENTER +

7 0 0 ENTER ↓ ↓

8 0 0 ENTER ↓ ↓

9 0 0 ENTER 1 2 ENTER

Input	Display shows	Input
NPV	I = 0.00000	6 ENTER ↓
	NPV = 0.00000	CPT
	NPV = 1,840.91616	
IRR	IRR = 0.00000	CPT

#### **Example:** Net Present Value

	0	1	2	3
Project A	(2,000)	1,500	700	400
Project B	(2,000)	800	1,500	500

 Calculate the NPV and IRR of both projects assuming a cost of capital of 10%

	NPV	IRR
Project A	242.67	18.69
Project B	342.60	19.92

#### **Example:** MWRR

An investor buys a stock in XYZ Inc for \$100. After 1 year another share in XYZ Inc. is bought for \$150. At the end of year 2 both shares are sold for \$180 each. During both years, a \$4 dividend is paid on each stock. Calculate the dollar-weighted rate of return:

Cf0	C01	C02
(100)	(150)	360
	4	8
-	(146)	368

#### Enter the cash flows into the calculator

CF 2nd [CLR WORK]

100+-ENTER

1 4 6 +/- ENTER ↓ ↓

[3] [6] [8] [ENTER]

#### Use the IRR function to solve for the DWRR

IRR CPT

**Answer = 32.25%** 

## **Standard Deviation**



#### USING SAMPLE AND POPULATION DATA

Using the BA II plus in statistical calculations

 Calculate the average, standard deviation and variance of the following array:

30% 12% 25% 20% 23%

- [2nd] [DATA] [2nd] [CLR WORK]
- 3 0 ENTER 1
- 1 2 ENTER ↓ ↓
- 2 5 ENTER ↓ ↓
- 2 0 ENTER ↓ ↓
- 2 3 ENTER

USING SAMPLE AND POPULATION DATA Using the BA II plus in statistical calculations

Retrieve:

2nd [STAT] 2nd ENTER

Repeat 2nd ENTER until the display shows 1-V

X = Mean

**n** = number of items input

**Sx** = Sample standard deviation

*O* = population standard deviation

Turns standard deviation to variance

# **Probability Weighted Standard Deviation**



#### PORTFOLIO EXPECTED RETURN AND VARIANCE

Scenario risk and probability

Assigning probabilities to outcomes can be dealt with in a mathematical fashion

#### **Example:**

 A stock may exhibit differing returns dependent on the state of the world oil market. Higher oil prices will give rise to bad results and lower prices will give rise to good results.

Results Outcome	Return (r) %	(P)	p*r	r – E(r)	P(r - E(r)) <sup>2</sup>
Bad	3.000	0.2	0.6	-7.0	9.8
OK	8.000	0.3	2.4	-2.0	1.2
Good	14.000	0.5	7.0	4	8.0
		E(r)	10		

Variance

19

SD

4.36%

Input	Display shows	Input	Display shows	
2nd [DATA] 2nd [CLR WORK]	X01	3 ENTER ↓	Y01= 1.00000	
2 0 ENTER ↓	X02	8 ENTER ↓	Y02=	
3 0 ENTER ↓	X03	1 4 ENTER ↓	Y03=	
5 0 ENTER				

Input	Display shows	
2nd [STAT]	1-V	If it doesn't press 2nd ENTER until it does.
1	n = 100.00000	If it doesn't you've not put the probabilities in correctly
1	$\overline{X} = 10.00000$	
1 1	$\sigma x = 4.3589$	The probability adds up to 100% so we've got all possible values; don't use the sample standard deviation

# **Using the AMORT Function**



#### USING THE AMORT FUNCTION

Amortizing bonds

#### **Example:**

BigCorp Inc. issues at par a \$200,000 8.5% coupon (annual coupon) 30year fixed rate amortising bond. How much interest is paid off in year one?

Year	Opening	Payment	Interest	Ending	Principal
1	\$200,000	(\$18,610)	\$17,000	\$198,390	\$1,610
2	\$198,390	(\$18,610)	\$16,863	\$196,643	\$1,747

Work out the payment that will amortize the bond to zero over it's life

$$\mathbb{N} = 30$$

$$I/Y = 8.5$$

$$PV = 200,000$$

$$FV = 0$$

$$CPT | PMT = 18,610.12$$

2. Now we use the amortization function to observe the bond

#### 2nd [AMORT]

# **Lease Accounting Using the AMORT Function**



#### **Example:** Accounting for leases by a lessee

- Equipment is leased for 4 years on 1/1/03
- Lease payments: \$1,000 due on 31/12
- Rate implicit in the lease: 10%
- Economic life of the asset: 5 years
- Current fair market value of the asset: \$3,500
- Show the effect of the above lease on the financial statements

1. Enter the details of the lease into the calculator:

$$N = 4$$
  $VY = 10$   $PMT = 1,000$   $FV = 0$   $CPT PV = 3,169.87$ 

2. Now we use the amortization function to observe details of the lease at different time periods

```
2nd [AMORT]

1 ENTER ↓

1 ENTER ↓

BAL = $2,486.85

PRN = $683.01

↓

INT = $316.99
```

### **Example:** Accounting for leases by a lessee

Period	Opening balance	Interest expense (income statement) @ 10%	Cash payment	Closing balance (balance sheet)
1	3170	317	(1,000)	2487
2	2487			
3				
4				

**Solution:** Accounting for leases by a lessee

Period	Opening balance	Interest expense (income statement) @ 10%	Cash payment	Closing balance (balance sheet)
1	3,170	317	(1,000)	2,487
2	2,487	249	(1,000)	1,736
3	1,736	174	(1,000)	910
4	910	90	(1,000)	Nil

# **Bond Basics**



#### **Example:** Calculating the present value of the cash flows

How much would you pay for a seven-year 4% coupon bond with a face value of \$1,000 and where the YTM is 8%?

Answer:  $\mathbb{N}$  =

[/Y] =

[PMT] =

[FV] =

CPT PV =

#### **Example:** Calculating the present value of the cash flows

Using the YTM valuation approach, what is the price of a two-year bond with a semi-annual coupon of 6% matured at \$1000 with a YTM of 4%?

```
[N] =
```

$$I/Y =$$

$$PMT =$$

#### **Example:** Calculating the present value of the cash flows

Using the YTM valuation approach, what is the price of a two-year bond with a semi-annual coupon of 6% matured at \$1000 with a YTM of 8%?

$$\mathbb{N}$$

$$[I/Y] =$$

$$[PMT] =$$

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# CALCULATING THE PRESENT VALUE OF THE CASH FLOWS Valuing zero-coupon bonds

#### **Example:**

How much would you pay for a seven-year zero coupon bond with a face value of \$1,000 and where the YTM is 8%?

Answer:

[/Y] =

[FV] =

CPT PV =

#### YIELD TO MATURITY

- The interest rate that will make the present value of a bond's cash flows equal to it's market price
- An application of the IRR

#### **Example:**

What is the YTM on a bond which is currently priced at \$802.07 with a 6% semiannual coupon, which is to be redeemed at par in 20 years at \$1000?

[N] =

PV=

PMT =

FV=

CPT [/Y] =

#### Example: Cash flow yield

A MBS is currently trading at \$99 and has three months to maturity. The expected cash flows for the remaining three months are \$30, \$35, \$40. Calculate the cash flow yield.

#### Solution: Cash flow yield

A MBS is currently trading at \$99 and has three months to maturity. The expected cash flows for the remaining three months are \$30, \$35, \$40. Calculate the cash flow yield.

$$CF0 = -99$$
 $C01 = 30$ 
 $C02 = 35$ 

40

C03

CF 2nd [CLR WORK]

9 9 +/- ENTER ↓

3 0 ENTER ↓ ↓

3 5 ENTER ↓ ↓

4 0 ENTER

[RR CPT → 2.86%]

 $(1.0286^{6})-1 = 18.44\%$  is the 6-monthly compounded rate

18.44% x 2 = 36.88% is the cash flow yield annualized on a BEY basis

# **Bond Accounting Using the AMORT Function**



#### **Example:**

- A firm issues a three year bond with a face value of \$40,000
  - Semi-annual coupon rate: 8%
  - Market interest rate: 9%
  - Initial receipt (PV of future cash flows, discounted at the market rate)
- How much would the firm have raised at issuance?
  - 6 N 4.5 I/Y 1600 PMT 40000 FV CPT PV
- Show the interest expense (income statement) and the value of the liability (balance sheet) over the three year term of the bond

### Example:

Period	Opening balance	Interest expense (income statement) @4.5%	Cash payment	Closing balance (balance sheet)
1	38968	1754	(1600)	39122
2	39122			
3				
4				
5				
6			来源微信订阅	号 (Page CF)

#### **Solution:**

Period	Opening balance	Interest expense (income statement) @4.5%	Cash payment	Closing balance (balance sheet)
1	38968	1754	(1600)	39122
2	39122	1760	(1600)	39282
3	39282	1768	(1600)	39450
4	39450	1775	(1600)	39625
5	39625	1783	(1600)	39808
6	39808	1792	(1600)	40000 CFA

Input	Display shows	Input (for Yr 1)
2nd [AMORT]	P1 =	1 ENTER ↓
	P2 =	2 ENTER ↓
	BAL= -39,282.49	1
	PRN= -314.07	1
	INT= -3,514.06	

The input for P1 is the start time period and P2 the end time period so for the second year P1 and P2 should be set to 3 and 4 respectively (remember each year is 2 time periods)



# **Depreciation Methods**



Depreciation methods using the calculator

- The calculator can be used to calculate the following methods of depreciation expense
  - Straight line
  - Double-declining balance

#### **Example:**

Fixed asset cost: \$10,000

Salvage value: \$2,000

Useful life: 4 years per 2,500 units per year

- Calculate the depreciation expense for years 1 to 4 using the following depreciation methods:
  - Straight line
  - Double-declining balance

Input	Screen Displays	Meaning	Input	
2nd [DEPR]	SL	Straight line depreciation	2nd ENTER to change	
1	LIF=	Life	4 ENTER	
11	CST=	Cost	1 0 0 0 ENTER	
1	SAL=	Salvage value	2 0 0 0 ENTER	
1	YR=	Year of life you are calculating for		
1	DEP	Depreciation expense for that year		
	RBV	Residual Book Value at the end of that year		