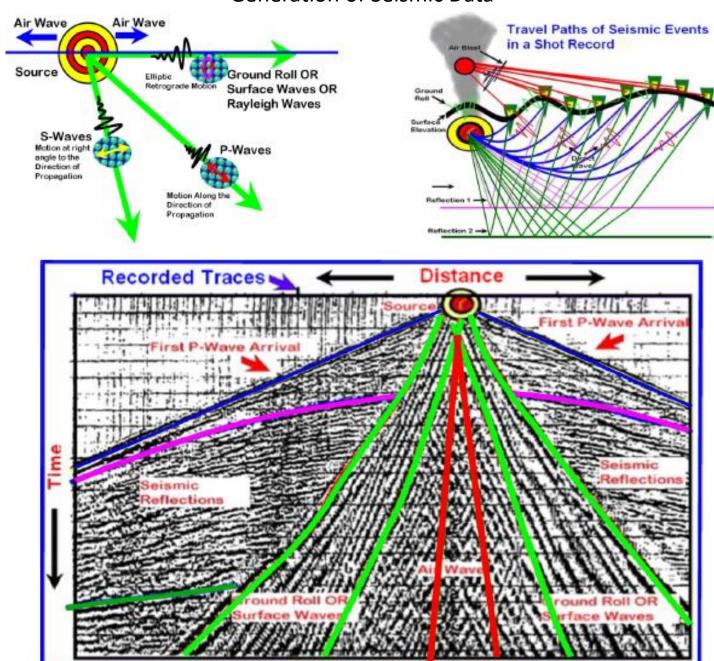
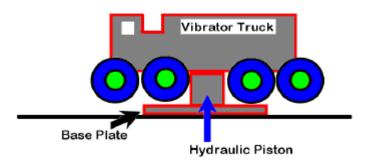
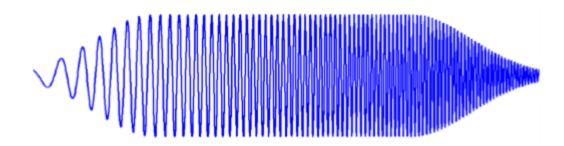
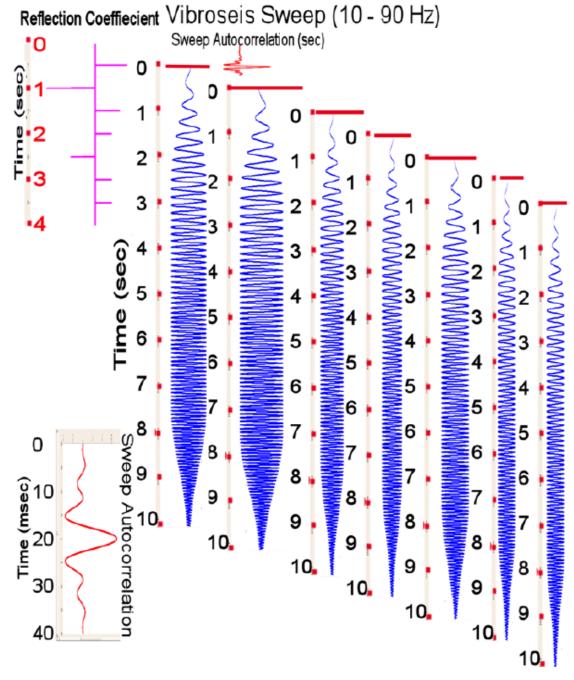
Generation of Seismic Data



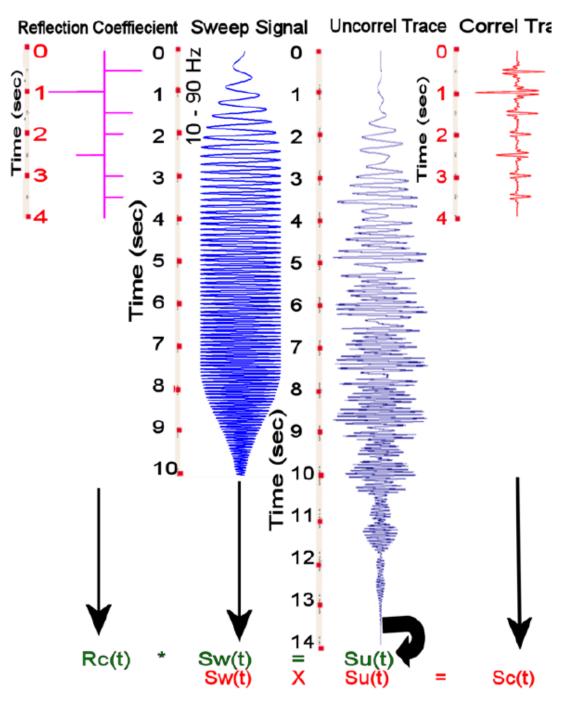








shows how the sweep signal is modified by the reflection coefficients to generate uncorrelated vibroseis trace. Autocorrelation of this sweep produces a 40 ms wavelet.



Surface Elevations & Weathering Layer Corrections to Seismic Reflection Data

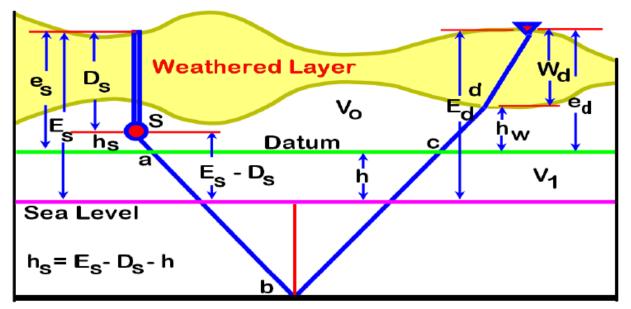


Figure shows an illustration of weathering and elevation corrections. This figure includes all parameters necessary to calculate static corrections.

Residual Statics

A two step process after weathering and elevation correction of seismic data:

- Remove long period static corrections using refraction data.
- (2) Remove remaining short period static corrections using reflection data.

The intercept time
$$t_i$$
 is given by $t_i = \frac{W_d \cos i}{V_0}$ $W_d = t_i \frac{V_0}{\cos i} = t_i \frac{V_i V_0}{\sqrt{V_i^2 - V_0^2}}$ (1)

This correction reduces the travel times by replacing velocity V_0 with V_1 i.e., the effect of the weathering velocity is eliminated.

The correction
$$t_W$$
 is:
$$t_W = W_d(\frac{1}{V_0} - \frac{1}{V_1}) = W_d \frac{V_1 - V_0}{V_1 V_0}$$
 (2)

Assuming a vertical travel path through the surface layer, and substituting # 1 into # 2

$$t_{w} = t_{i} \sqrt{\frac{V_{i} - V_{o}}{V_{i} + V_{o}}}$$
 $K = \sqrt{\frac{V_{i} - V_{o}}{V_{i} + V_{o}}}$ $t_{w} = t_{i} K$ (3)

Correcting Shot and Detector to a Datum Plane:

The datum plane is below the base of the weathering,

 e_S = elevation above datum of surface above shot, e_d = elevation above datum of the detector

Travel time from the shot to the datum plane: $= -\frac{\mathbf{e}_s - D_s}{V_t}$ (4)

Travel time from the datum plane to the base of the weathering: $= -\frac{\mathbf{e}_d - W_d}{V_t}$ (5)

Travel time from the base of the weathering to the detector: $= -\frac{W_d}{V_0}$ (6)

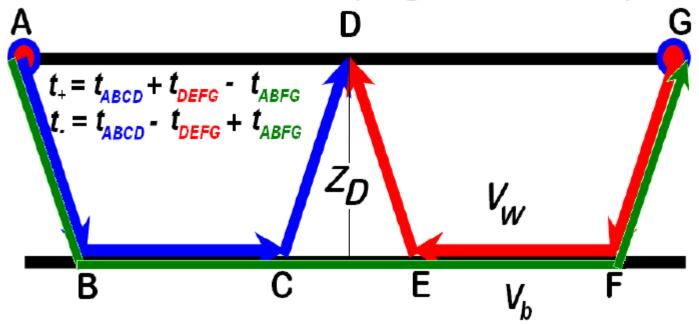
The total correction (sum 4, 5, 6), and the depths calculated are below the datum plane.

$$C_{3} = -\frac{e_{s} + e_{d} - D_{s}}{V_{t}} - W_{d}(\frac{1}{V_{0}} - \frac{1}{V_{t}})$$

$$C_{3} = -\frac{e_{s} + e_{d} - D_{s}}{V_{t}} - t_{i}K = \frac{D_{s} - e_{s} - e_{d}}{V_{t}} - t_{i}K$$

A model for the Plus-Minus method of calculating the weathered layer statics is shown in Figure, which shows the shots for the refraction paths are located at *A* and *G*, and the receiver is located at *D*.

Plus-Minus Method (Hagedoorn, 1959)



$$t_{+} = t_{ABCD} + t_{DEFG} - t_{ABFG}$$

$$t_{-} = t_{ABCD} - t_{DEFG} + t_{ABFG}$$

Shows the model for the Plus-Minus method of calculating the weathered layer statics. The shots for the refraction paths are located at A and G, and the receiver is located at D.