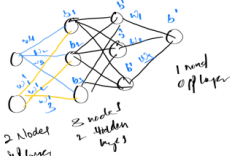


Now let's apply our Data to make the function  
 custom data let person height, person height  
 default value  
 most cases (1 & 0)

Architecture of our Neural Network



Build everything

Implementation:

Step 1: Define how many layers we want to work with the only I/P is included so layers = 3

Step 2: Now number of nodes that you need for each layer nodes = [2, 3, 3, 1]

Step 3: Initialize the weights and biases at Random  
 $w = np.random.randn(n[l], n[l+1])$   
 $b = np.random.randn(n[l], 1)$

Step 4: data prep key points make everything 2D matrix

Step 5: Activation function we are using sigmoid activation which is  $\frac{1}{1+e^x}$

Step 6: Start with feed-forward function  
 → we start with our I/P layer 10  
 $z = w @ 10 + b$   
 $A = \text{sigmoid}(z)$   
 $z = w @ A + b$   
 $A = \text{sigmoid}(z)$

Step 7: Now Calculation of loss (cost)  
 $loss = - \sum y \log(y_{hat}) - (1-y) \log(1-y_{hat})$   
 $m = y_{hat}.reshape(-1).shape[0]$   
 $summed\_loss = (1/m) * np.sum(loss, axis=1)$

Step 8: You can Begin Back Propagation:

we start with  
 $dc\_dz = 1 * (1 - y)$  → local minimum  
 $assert dc\_dz.shape == (n[3], m)$   
 $dz = dw @ A$   
 $assert dz.shape == (n[2], m)$   
 $dc\_dw = dc\_dz @ dz.T$   
 $dz = A$   
 $dc\_dz = w.T @ dc\_dz$

Step 9: back prop by 2

$dz = dz * (1 - A)$  → exact derivative sigmoid function  
 $dc\_dz = prop * dc\_dz$   
 $dz = A$   
 $dc\_dw = dc\_dz @ dz.T$   
 $dc\_db = np.sum(dc\_dw, axis=1)$   
 $dz = A$   
 $dc\_dz = w.T @ dc\_dz$

Step 10: back prop 1:

$dz = 1 * (1 - A)$   
 $dc\_dz = prop * dc\_dz$   
 $dz = A$   
 $dc\_dw = dc\_dz @ dz.T$   
 $dc\_db = np.sum(dc\_dw, axis=1)$

Step 11: Train model!

for each epoch range(1):  
 →  $\hat{y}$ ,  $loss$  = feed-forward  
 → error  
 →  $loss$   
 → backprop 3  
 → back prop 2  
 → back prop 1

Adjust weights  
 $w_3 = w_3 - \text{alpha} * dc\_w3$   
 $w_2 = w_2 - \text{alpha} * dc\_w2$   
 $w_1 = w_1 - \text{alpha} * dc\_w1$   
 $b_3 = b_3 - \text{alpha} * dc\_b3$   
 $b_2 = b_2 - \text{alpha} * dc\_b2$   
 $b_1 = b_1 - \text{alpha} * dc\_b1$

Get output