ROC Analysis Assignment

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In [24]:

In [46]: import pandas as pd import numpy as np import matplotlib.pyplot as plt from sklearn.model selection import train test split from numpy import trapz from sklearn.neighbors import KNeighborsClassifier from sklearn import metrics

Probabilistic classifier h has been first trained on some labeled training data and tested on test instances # For each test instance x, classifier h outputs posterior probability of positive and negative class In the ROC class there is the function compute_ROC_coordinates

def compute ROC coordinates(self, probs, trueClass):

probs = probs.sort values(ascending = False) trueClass = trueClass.reindex(probs.index)

get pos class probs and true class # compute TPr and FPr coordinates

plas pres skin insu mass

35

29

0

35

48

23

0

31

classify = KNeighborsClassifier(n neighbors=3)

trueClass = pd.DataFrame(Y test).reset index(drop=True)

0

94

168

180

112

0

0

72

66

64

40

76

72

70

classify.fit(X_train, Y_train)

class

6 148

8

10

85

183

137

101

121

126

93

768 rows × 9 columns

trueClass

2 tested_negative

259 tested_positive

260 tested_negative 261 tested_negative

262 rows × 1 columns

0 0.000000 1.000000

1 0.666667 0.333333

2 0.333333 0.666667

3 1.000000 0.000000 4 0.333333 0.666667

258 0.000000 1.000000

259 0.000000 1.000000

260 1.000000 0.000000

261 1.000000 0.000000

1.000000 0.333333 0.666667

0.000000 0.666667

0.000000 0.000000

roc.plot ROC(TPr, FPr)

262 rows × 2 columns

probs

2 3

260

261

1

2

4

763

764

765

766

767

pedi

0.627

0.351

0.167

• • •

50

33.6

26.6

28.1

23.3 0.672

43.1 2.288

32.9 0.171

36.8 0.340

26.2 0.245

30.1 0.349

30.4 0.315

We define the true class to be the actual output that we know is correct from the data set.

With a for loop it is continuously updating a threshold t (like in the example in the slides), which starts from the greatest probability in the

Sort the test instances into decreasing order of the probibility

sorted probs until the lowest. For every threshold t, test instance with a probability above t we say should actually be tested_positive and everything below should be tested_negative. This is done in the code through the use of a variable called "truth". Once the threshold is

This method first sorts the probabilities of predicting "tested_positive" for each test instance x in descending order.

set, we use another for loop to reiterate among all the test instances from the beginning. We check the trueClass to the the actual output if it is tested_positive or tested_negative. For a test instance, if trueClass says tested_positive and the predicted probability in probs for that test instance is above the threshold t, then truth is also tested_positive and we add 1 to the True Positive (tp) counter. Same reasoning but with trueClass saying tested_negative, then we add 1 to the False Positive

(fp) counter. We calculate the rates by dividing TP/P and FP/N and add to the coordinates. class ROC(): # parametric constructor accepts Probs(estimated probs of the test instance for pos) and TrueClass (true def init (self, probs, trueClass): self.probs = probs self.trueClass = trueClass

FPr = []TPr = []truth = False count= trueClass.value counts() # In the beginning everything is either Fnegative or Tnegative coordinates.append([0, 0]) # For each consecutive instance x in probs # Set the threshold value t equal to the probability Ppos of x and compute TPr and FPr of the discrete for i in range(len(probs)): tp = 0fp = 0t = probs.iloc[i] # under t its negative, above t is positive for j in range(len(probs)): if(probs.iloc[j] < t):</pre> truth = "tested negative" truth = "tested positive" if(trueClass.iloc[j]['class'] == "tested positive" and truth == "tested positive"): tp = tp + 1else: if(trueClass.iloc[j]['class'] == "tested negative" and truth == "tested positive"): fp = fp + 1FPr.append(fp/count["tested negative"]) TPr.append(tp/count["tested positive"]) return TPr, FPr def plot ROC(self, TPr, FPr): plt.plot(FPr, TPr) plt.xlabel('fpr') plt.ylabel('tpr') def compute AUCROC(self, TPr, FPr): area = metrics.auc(FPr, TPr) return area # Probabilistic classifier KNN with the diabetes dataset data = pd.read csv("diabetes.csv") data.head() Y = data['class'] X = data.drop(['class'],axis=1)

class

tested_positive

31 tested_negative

32 tested_positive

21 tested_negative

33 tested_positive

63 tested_negative

27 tested_negative

30 tested_negative

23 tested_negative

Splitting the diabetes data set into training and testing data. Using the KNN classifiers with 3-nearest neighbors

X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.34, random_state=10)

tested_positive

0 tested_negative 1 tested_negative

3 tested_positive 4 tested_negative

257 tested_negative 258 tested_positive

Instead, probs is the prediction probabilities of input test data using the classifier

probs = pd.DataFrame(classify.predict proba(X test))

1

257 1.000000 0.000000

We can have a look at these probabilities

0.000000 257 1.000000 258 259 1.000000

Name: 1, Length: 262, dtype: float64

return an X (FPr) and Y(TPr) to plot the ROC curve roc = ROC(probs, trueClass)

TPr, FPr = roc.compute ROC coordinates(probs, trueClass)

probs = probs.iloc[:,1] # predicted probabilities of tested positive

1.0 0.9 0.7

Calling the ROC class and passing as parameters probs and trueClass We then call the method to compute the coordinate that is going to

0.2 0.4 0.8 1.0 0.6 roc.compute AUCROC(TPr, FPr)

Out[54]: 0.7188449848024316 Overall ROC is used to understand and analyse the performance of the classifier (in this case the KNN classifier). The area under the curve (AUC) indicates the separation of the classes. According to the readings "no realistic classifier should have an AUC less then 0.5". Already from our result we can see that the KNN classifier performed well. A high area means that there is good separation of the classes, thus better performance. From our area result, we have a pretty good separation of classes with our classifier.

In [54]:

₽ 0.6

0.5 0.4

0.3

0.0