

Library

Extra

Total Subject = 16

Compiler Design/CS3002/CSE,IT,CSSE,CSCE/6th/2020

## SPRING MID-SEMESTER EXAMINATION-2020

School of Computer Engineering  
KIIT Deemed to be University, Bhubaneswar-24

Compiler Design  
[CS3002]

Time:1.5 hours

Full Marks:20

*Answer any four questions including Q.No:1 which is compulsory.  
The figures in margin indicate full marks. Candidates are required to give answers in their own words as far as practicable and all parts of a question should be answered at one place only.*

**Q1)** Answer all questions.

**[1×5]**

- (a) How are LL(k) parsers different from LR(k) parsers?
- (b) What is input buffering? What is the significance of sentinels in input buffering?
- (c) Identify the lexemes and the corresponding tokens in the following statement,

Printf("arr + brr = %d\n", arr>=123);

- (d) Consider the grammar

$X \rightarrow X@Y \mid X\#Y \mid Y$

$Y \rightarrow Z\$Y \mid Z$

$Z \rightarrow a.$

Find the associativity of the operators  $\{ @, \#, \$ \}$  and compare their precedence.

- (e) Consider the grammar  $S \rightarrow (L)$  and  $L \rightarrow L,S \mid a$ . Derive the string  $((a,a),a)$  using left most derivation and right most derivation.

**Q2)** Explain all the phases of compiler. Find the output of each phase for the following assignment statement. Assume pos, val and rem are of real type. **[5]**

**pos = val \* 60 + rem;**

**Q3)** Identifiers in ABC programming language are similar to those in many other languages, but a little different. An identifier: **[5]**

i. Contains any combination of letters, digits, and underscores (for this problem,

assume that letters are only the ASCII characters a-z and A-Z, and digits are 0-9)

ii. Should not begin with a digit.

iii. May optionally have a single \$ or a single @ character at the beginning

iv. May optionally have a single ! or a single # character at the end.

a. Give a regular definition that generates the set of valid ABC identifiers.

b. Draw a transition diagram that accepts the set of valid ABC identifiers.

**Q4)** Consider the following grammar G:

[5]

$E \rightarrow E+T \mid T$

$T \rightarrow id \mid id[] \mid id[X]$

$X \rightarrow E,E \mid E$

a. Eliminate left recursion in G to construct G1 with  $L(G1)=L(G)$ .

b. Perform left factoring for G1 to construct G2 with  $L(G2)=L(G1)$ .

c. Compute the FIRST sets for all non-terminals in G2.

d. Compute the FOLLOW sets for all non-terminals in G2.

e. Construct a LL(1) parsing table for the grammar G2.

**Q5)** Design a recursive descent parser in for parsing the string generated by the grammar,

[5]

$A \rightarrow x C \mid z$

$B \rightarrow y A$

$C \rightarrow B x \mid A y B$