



### Sample Question Format

**KIIT Deemed to be University**  
**Online Re-Mid Semester Examination(Autumn October-2021)**

**Subject Name & Code:**

**Applicable to Courses:**

**Design & Analysis of Algorithms (DAA)**  
**(CS-2012)**

**Full Marks=20**

**Time:1 Hour**

**SECTION-A(Answer All Questions. All questions carry 2 Marks)**

**Time:20 Minutes**

**(5×2=10 Marks)**

<b><u>Question No</u></b>	<b><u>Question Type (MCQ/ SAT)</u></b>	<b><u>Question</u></b>	<b><u>Answer Key (if MCQ)</u></b>	<b><u>CO Mapping</u></b>
<b><u>Q.No:1 (a)</u></b>	<b><u>MCQ</u></b>	What is time complexity of the following function fun()? int fun(int n) { int i, j, k=0; for (i = n; i > 0; i /= 2) for (j = 0; j < i; j++) k = k + 1; return k; } A. O(n) B. O(n <sup>2</sup> ) C. O(log n) D. O(n log n) E. NONE	A	1
	<b><u>SAT</u></b>	What is the time complexity of the following function fun()? int fun(int n) { int i, j, k=0; for (i = n; i > 0; i /= 2) for (j = i; j > n; j--) k = k + 1; return k; } A. O(n) B. O(n <sup>2</sup> ) C. O(log n) D. O(n log n) E. NONE	C	1
	<b><u>SAT</u></b>	What is the time complexity of the following function fun()? int fun(int n)	B	1

		<pre> {     int i, j, k=0;     for (i = 0; i &lt; n; i++)         for (j = i; j &gt; 0; j--)             k = k + 1;     return k; } </pre> <p>A. <math>O(n)</math>  B. <math>O(n^2)</math>  C. <math>O(\log n)</math>  D. <math>O(n \log n)</math>  E. NONE</p>		
	<b><u>SAT</u></b>	<p>What is the time complexity of the following function fun()?</p> <pre> int fun(int n) {     int i, j, k=0;     for(i = 1; i &lt;= n; i++)         for(j=1; j&lt;n; j += i)             k = k + 1;     return k; } </pre> <p>A. <math>O(n)</math>  B. <math>O(n^2)</math>  C. <math>O(\log n)</math>  D. <math>O(n \log n)</math>  E. NONE</p>	D	1
<b><u>Q.No:1</u></b> <b><u>(b)</u></b>	<b><u>MCQ</u></b>	<p>Which of the following is correct recurrence for worst case of Binary Search?</p> <p>A. <math>T(n) = 2T(n/2) + 1</math> and <math>T(1) = 1</math>  B. <math>T(n) = T(n-1) + 1</math> and <math>T(1) = 1</math>  C. <math>T(n) = T(n/2) + 1</math> and <math>T(1) = 1</math>  D. <math>T(n) = T(n-1) + n</math> and <math>T(1) = 1</math></p>	C	3
	<b><u>MCQ</u></b>	<p>Which of the following is correct recurrence for worst case of Quick Sort?</p> <p>A. <math>T(n) = 2T(n/2) + n</math> and <math>T(1) = 1</math>  B. <math>T(n) = T(n-1) + 1</math> and <math>T(1) = 1</math>  C. <math>T(n) = T(n/2) + 1</math> and <math>T(1) = 1</math>  D. <math>T(n) = T(n-1) + n</math> and <math>T(1) = 1</math></p>	D	3
	<b><u>MCQ</u></b>	<p>Which of the following is correct recurrence for best case of Quick Sort?</p> <p>A. <math>T(n) = 2T(n/2) + n</math> and <math>T(1) = 1</math>  B. <math>T(n) = T(n-1) + 1</math> and <math>T(1) = 1</math>  C. <math>T(n) = T(n/2) + 1</math> and <math>T(1) = 1</math>  D. <math>T(n) = T(n-1) + n</math> and <math>T(1) = 1</math></p>	A	3
	<b><u>MCQ</u></b>	<p>Which of the following is correct recurrence for worst case of Linear Search?</p> <p>A. <math>T(n) = 2T(n/2) + 1</math> and <math>T(1) = 1</math>  B. <math>T(n) = T(n-1) + 1</math> and <math>T(1) = 1</math>  C. <math>T(n) = T(n/2) + 1</math> and <math>T(1) = 1</math>  D. <math>T(n) = T(n-1) + n</math> and <math>T(1) = 1</math></p>	B	3
<b><u>Q.No:1</u></b> <b><u>(c)</u></b>	<b><u>MCQ</u></b>	<p>If the given input array is sorted or nearly sorted, which of the following algorithm gives the best performance?</p> <p>A. Insertion sort  B. Selection sort</p>	A	4

		C. Quick sort D. Heap sort E. NONE		
	<b>MCQ</b>	Which of the following algorithms has lowest worst case time complexity? A. Insertion sort B. Selection sort C. Quick sort D. Heap sort E. NONE	D	4
	<b>MCQ</b>	In a binary max heap containing n numbers, the smallest element can be found in time _____. A. $\theta(n)$ B. $\theta(\log n)$ C. $\theta(\log \log n)$ D. $\theta(1)$ E. NONE	A	4
	<b>MCQ</b>	In a binary min heap containing n numbers, the largest element can be found in time _____. A. $\theta(1)$ B. $\theta(n)$ C. $\theta(\log n)$ D. $\theta(\log \log n)$ E. NONE	<b>B</b>	4
<b>Q.No:1 (d)</b>	<b>MCQ</b>	Consider two strings X = "10122" and Y = "0102120". Let p be the length of the longest common subsequence between X and Y and let n be the number of such longest common subsequences between X and Y. What is the value of n*p? A. 6 B. 7 C. 9 D. 12 E. NONE	D	5
	<b>MCQ</b>	Consider two strings X = "210120" and Y = "0012122". Let p be the length of the longest common subsequence between X and Y and let n be the number of such longest common subsequences between X and Y. What is the value of n*p? A. 6 B. 7 C. 9 D. 12 E. NONE	C	5
	<b>MCQ</b>	Consider two strings X = "10122" and Y = "0102120". Let p be the length of the longest common subsequence between X and Y and let n be the number of such longest common	B	5

		subsequences between X and Y. What is the value of $n+p$ ? A. 6 B. 7 C. 9 D. 12 E. NONE		
	<b>MCQ</b>	Consider two strings $X = "210120"$ and $Y = "0012122"$ . Let $p$ be the length of the longest common subsequence between X and Y and let $n$ be the number of such longest common subsequences between X and Y. What is the value of $n+p$ ? A. 6 B. 7 C. 9 D. 12 E. NONE	A	5
<b>Q.No:1 (e)</b>	<b>MCQ</b>	Let $A_1, A_2, A_3$ and $A_4$ be four matrices of dimensions $2 \times 3, 3 \times 4, 4 \times 5, 5 \times 2$ respectively. The number of scalar multiplications required to find the product like $((A_1 A_2) A_3) A_4$ is _____ using the basic matrix multiplication method. A. 84 B. 110 C. 124 D. 205 E. NONE	A	2
	<b>MCQ</b>	Let $A_1, A_2, A_3$ and $A_4$ be four matrices of dimensions $2 \times 5, 5 \times 4, 4 \times 5, 5 \times 3$ respectively. The number of scalar multiplications required to find the product like $((A_1 A_2)(A_3 A_4))$ is _____ using the basic matrix multiplication method. A. 84 B. 110 C. 124 D. 205 E. NONE	C	2
	<b>MCQ</b>	Let $A_1, A_2, A_3$ and $A_4$ be four matrices of dimensions $3 \times 5, 5 \times 4, 4 \times 5, 5 \times 2$ respectively. The number of scalar multiplications required to find the product like $(A_1(A_2(A_3 A_4)))$ is _____ using the basic matrix multiplication method. A. 84 B. 110 C. 124 D. 205 E. NONE	B	2
	<b>MCQ</b>	Let $A_1, A_2, A_3$ and $A_4$ be four matrices of	D	2

		<p>dimensions 3x5, 5x4, 4x5, 5x2 respectively. The number of scalar multiplications required to find the product like <math>((A_1(A_2A_3))A_4)</math> is _____ using the basic matrix multiplication method.</p> <p>A. 84 B. 110 C. 124 D. 205 E. NONE</p>		
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**SECTION-B(Answer Any One Question. Each Question carries 10 Marks)**

**Time: 30 Minutes**

**(1×10=10 Marks)**

<b><u>Question No</u></b>	<b><u>Question</u></b>	<b><u>CO Mapping</u></b>
<b><u>Q.No:2</u></b>	<p>a) Solve the recurrence <math>T(n) = T(n-1) + n</math> using master method by changing variable first to transfer the recurrence to an appropriate master theorem form.</p> <p>b) Write a recursive algorithm to add first n natural numbers. Write an appropriate recurrence relation for this algorithm &amp; then solve the recurrence.</p>	5
<b><u>Q.No: 3</u></b>	<p>a) Write the MERGE-SORT-NEW(A, p, r) procedure where at each step it divides the the array/sub-array into two parts such that first part contains elements thrice of second part instead of dividing at middle.</p> <p>b) For array <math>A=\{35, 45, 15, 40, 10, 20, 40, 25, 10\}</math>, MERGE-SORT-NEW(A, 9) is applied to sort the array in ascending order. Show in diagram how this procedure is applied to this array.</p>	4
<b><u>Q.No:4</u></b>	<p>a) Write a function INSERT-MAX-HEAP(A, n, x) to insert a new element x into a max. Heap A of size n.</p> <p>b) Construct a max. heap with each digits of your roll number and then apply the INSERT-MAX-HEAP function by inserting two new values 5 &amp; 7 sequentially to the max. heap constructed with digits of your roll number. Show the resultant max. heap tree.</p>	4
<b><u>Q.No:5</u></b>	Suppose a file to be transferred through the network contains the following characters with their number of occurrences as < a: 10, b: 20, c: 15, d: 35, e: 20 >. Determine an efficient strategy that can minimize the total cost of transferring that file of 500 characters. Find out the total cost of transfer if transferring cost for 1-bit of data is 4 units.	6
<b><u>Q.No:6</u></b>	<p>a) Write an algorithm to find out the longest palindromic subsequence of a given sequence using LCS algorithms.</p> <p>b) Apply the algorithm to the string "abaabbab".</p>	6
<b><u>Q.No:7</u></b>	Given two halls and 12 activities, $A=\langle A_1, A_2, \dots, A_{12} \rangle$ along with their start time ( $s_i$ ) and finish time ( $f_i$ ) as $S_i=\langle 4, 8, 5, 7, 8, 12, 9, 6, 10, 12, 13, 14, \rangle$ and $f_i=\langle 6, 10, 7, 10, 9, 15, 11, 8, 11, 14, 14, 15 \rangle$ . Determine an efficient strategy where largest number of activities can be scheduled in these two halls.	6