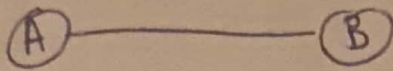
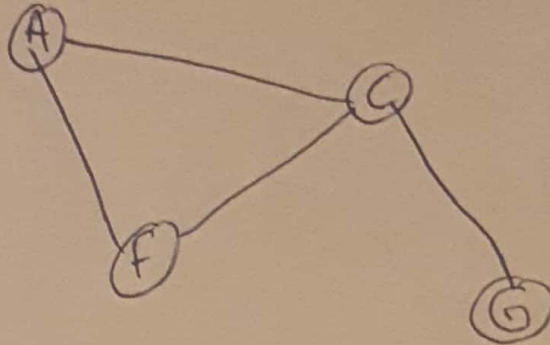


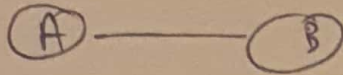
1) A)



B)



C)



D), there is not subset x of vertex set V so that $H = G[x]$ because if we took the graph composed of vertices A, B, F we need the edge that links B and F . that it does not exist in H .

$$E) V_1 = \{A, B, C, D, F, H\}$$

$$V_2 = \{D, E, I\}$$

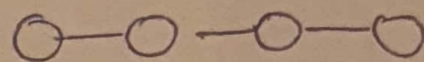
2) $G(V, E)$ is a simple connected

3) a) Suppose is that $V = V_1 \cup V_2 \cup \dots \cup V_k$ where V_i are all disjoint

find (x, y) in E that x in V_i and y in V_j

so there will be a necessary path between every two vertices
so this edge exists

b) consider the following graph



$$n = 4 \text{ so } (n-1, 2) =$$

$$\Rightarrow 3 > 3 \times 2$$

$$\Rightarrow 3 > 3^2 \text{ so it is false}$$

c) if G have n vertices, G must have
at least $n-1$ edges to be connected

Mazul exercise