

Implementing Lockless Look Up Tables in a NegaMax Search

Outline

- Key point: Lockless lookup table – Implementation
 - We need a context!
- Some basics
- Search algorithm: NegaMax
- Lockless lookup table

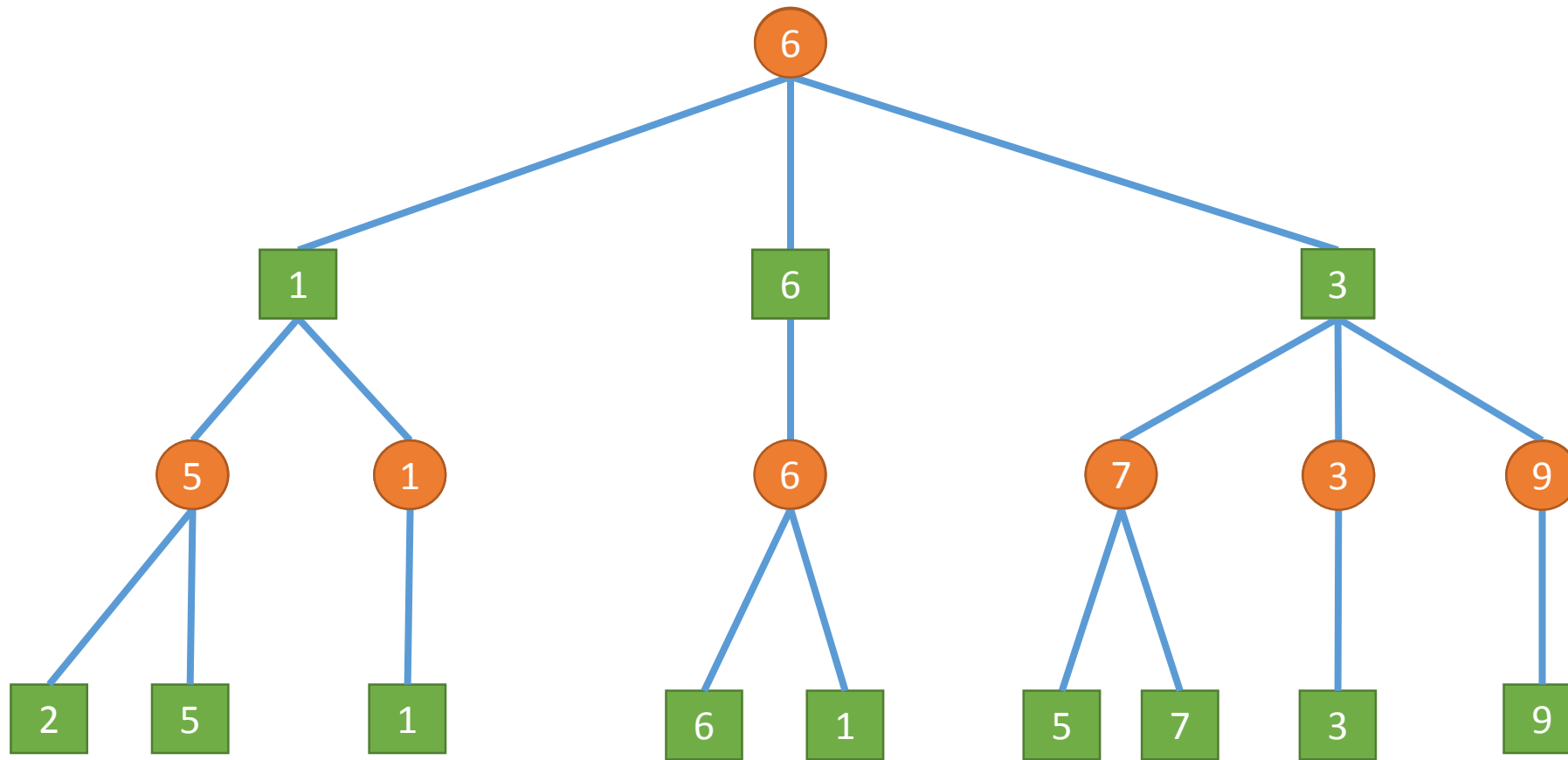
More \geq Less

Elements

- Board
 - GenerateMoves()
 - MakeMove()
 - UndoMove()
- **Search()**
- Evaluate()

NegaMax == Compact form of MiniMax

MiniMax



MiniMax Pseudo Code

```
int maxi( int depth ) {  
    if ( depth == 0 ) return evaluate();  
    int max = -oo;  
    for ( all moves ) {  
        score = mini( depth - 1 );  
        if( score > max )  
            max = score;  
    }  
    return max;  
}
```

```
int mini( int depth ) {  
    if ( depth == 0 ) return -evaluate();  
    int min = +oo;  
    for ( all moves ) {  
        score = maxi( depth - 1 );  
        if( score < min )  
            min = score;  
    }  
    return min;  
}
```

NegaMax Pseudo Code

```
int negaMax( int depth ) {  
    if ( depth == 0 ) return evaluate();  
    int max = -oo;  
    for ( all moves ) {  
        score = -negaMax( depth - 1 );  
        if( score > max )  
            max = score;  
    }  
    return max;  
}
```


Using NegaMax

- Root
- Actual

Root Pseudo Code:

```
int root( int depth ) {  
    if ( depth == 0 ) return evaluate();  
    int max = -oo, score;  
    for ( all moves ) {  
        make move();  
        score = -negaMax(depth - 1);  
        if(score > max)  
        {  
            max = score;  
        }  
    }  
    return max;  
}
```

Parallelised NegaMax

- Parallel **for** loop in the **root** negamax method
 - Results of all iterations go in a separate array
 - Look for maximum value in that array
- One array slot for every iteration

Transposition Table

- MiniMax Tree has cycles in it
 - Cache search results in a lookup table, called transposition table in chess
-
- **Key:** Board Position
 - **Value:** Score, Depth, Best Move

Problem

How to use a single transposition table in a parallelised search?

Solutions

1. Sync locks
2. **Lockless transposition table**

Lockless Transposition Table

- Key: Zobrist Hash (64 bit word)
- Value: A 64-bit word

➤ In C/C++ the 64-bit word will be **unsigned long long**

Lockless Transposition Table

- Dr Robert Hyatt's article: <http://www.cis.uab.edu/hyatt/hashtable.html>
- Our solution is for x86_64 architectures

Zobrist Hash

- 64-bit hash of a board position in chess

board position == positions of every piece + side to move + castling rights + en passant

- Like any hash, it has little chance of clash
- Hashes of two similar positions will be far apart

Exact Problem

- We have 64-bit key and a 64-bit value
 - On x86_64 architecture, 64-bit reads and writes are atomic
 - Therefore: when read, a key or a value will either be new or original, but not half-way in-between
-
- Old Key – Old Value
 - New Key – New Value
 - **Old Key – New Value**
 - **New Key – Old Value**

How It Works

- XOR is a reversible operation:

$$X \oplus Y \oplus Y == X$$

- For example:

$$X = 1011; Y = 0101;$$

$$X \oplus Y = 1011 \oplus 0101 = 1110$$

$$X \oplus Y \oplus Y = 1110 \oplus 0101 = 1011 = X$$

How It Works

- Modify how we store keys:

Key = Zobrist Hash ^ 64-bit Value

- Retrieve as follows:

```
if(Key ^ 64-bit Value == Search Zobrist Hash)  
    Value is fine; // so use it  
else  
    Value is corrupted; // discard it
```

Using Transposition Table

- Size of the table is limited
 - One scheme to enter values into the table:
 - Zobrist hash modulo length of the table
- Zobrist hash helps keep similar board positions in the table for longer

For Further Exploration...

- <https://github.com/bytefire/Shutranj>
 - C#, NegaMax
- A better engine called Stockfish:
<https://github.com/mcostalba/Stockfish>
 - C++, a variant of Alpha-Beta