

Nov 4 Midterm

```
int airbornePlanes;  
struct FlightType *planes;  
printf("How many planes are in the air?");  
scanf("%d", &airbornePlanes);
```

```
planes = (struct FlightType *) malloc(sizeof(struct FlightType));  
airbornePlanes = planes;
```

```
if (planes == NULL) {
```

```
    printf("Error in allocating the data array.\n");
```

```
}
```

```
planes[0].altitude = ...;
```

```
...
```

```
free(planes); "Breaks link ① & ②" OS ignores address to heap "frees" pointer
```

```
malloc - free call
```

```
allocFree (malloc) malloc = [0-128M] malloc = [0-128M]
```

Command Line

System Calls

The OS extends the functionality of the underlying hardware

- OS functionalities exported as a set of system calls
- In C system calls are "wrapped" by C functions (look like C function calls)
- System calls are described in a section of online manual ex man [open]

Physical memory

INSTRUCT

GLOBAL

STACK

airbornePlanes (4B) whatever was here before

① planes (8B) 1000 address to heap 40B

(print) ActivationRecord gone when done

2³³ Heap

DIMM - Dual inline memory model

Virtual Mem

page table
MMU

File I/O

- a file is a contiguous set of bytes
- name / can create, remove, read, write | append.

Data representation

Bug #1

```
scanf("%d", val);
```

Bug #2

* return $y = Ax^*$

```
int * matvec( int *A, int *x ) {
```

* $y = \text{malloc}(N * \text{sizeOF}(\text{int}))$; type casting
int i, j;

Bug #3

int ** p;

should be \ast $p = \text{malloc}(N * \text{sizeOF}(\text{int}))$; wrong mem allocated

```
for (i=0; i<N; i++) {
```

$p[i] = \text{malloc}(n * \text{sizeOF}(\text{int}))$;

}

Binary

Base 2 #'s are 0 or 1

$$\sum_{i=0}^n d_i \times 2^i$$

Hexadecimal

Base 16 0-9 A-F

10A 12C 14E
11B 13D 15F

$$\sum_{i=0}^n d_i \times 16^i$$

Octal

Base 8 0-7

$$\sum_{i=0}^n d_i \times 8^i$$

0x1003B or 0h 1003B

hexadecimal

hexadecimal

binary

1003

11110011

↓

1000

1111

↓

1111

$$1003B$$

$$\begin{array}{r} \downarrow \downarrow \downarrow \\ 16^3 \times 16^2 \times 16^1 \end{array}$$

$$\times 16^0$$

$$(16^4 : 16) \quad \textcircled{1}$$

$$(00) \quad \textcircled{4} \quad \textcircled{8} \quad \textcircled{11}$$

$$16^4 + 0 + 0 + 3(16^1) + 11(16^0) = 16^4 + 59$$

$$\begin{array}{r} \text{hexadecimal} \quad \text{binary} \\ 1000001101101 \end{array}$$

$$\begin{array}{r} \downarrow \downarrow \downarrow \\ 111100110011 \end{array}$$

$$\begin{array}{r} \downarrow \downarrow \downarrow \\ 1000 \quad 1111 \end{array}$$

$$\begin{array}{r} \downarrow \downarrow \downarrow \\ 1000 \quad 1111 \end{array}$$

$$\begin{array}{r} \downarrow \downarrow \downarrow \\ 1000 \quad 1111 \end{array}$$

1000

1111

↓

1001

1111

↓

0101

0101

$$18 \Rightarrow 0x12$$

$$\begin{array}{r} 16^1 : 2 \\ 1(16) + 2(16^0) \end{array}$$

$$27 \quad 16 + 11 + 0$$

$\xrightarrow{\text{hex}}$
 $\xrightarrow{\text{binary}}$

$$0x1B \Rightarrow 8 + 2 + 1 = 1011$$

$$\begin{array}{r} 16 + 8 + 2 + 1 + 0 \\ \downarrow \quad \downarrow \quad \downarrow \quad \downarrow \\ 10001 \quad 1011 \end{array}$$

11011

$$0010 + 010 = 0010$$

$$0010 + 010 = 0010$$

$$0010 + 010 = 0010$$

$$0010 + 010 = 0010$$

$$0010 + 010 = 0010$$

$$0010 + 010 = 0010$$

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$$0010 + 010 = 0010$$

$$0010 + 010 = 0010$$

Signed Magnitude

1100

(1 - 1000) = 1000

1000

Normal

111100110011

1000

In decimal, digits to the right of radix point have value $\frac{1}{10^i}$ for each digit in the i^{th} place

- $$0.25 \text{ is } \frac{2}{10} + \frac{5}{100}$$

Similarly, in binary, digits to the right of radix point have value $\frac{1}{2^i}$. For each i^{th} place

- just base is different
 - 8.625 is 1000 .

Number = decimal Fraction

• while (number > 0) {

number = number * 2

if (number >= 1) {

Output 1;

number = number - 1;

C declaration

char

Short int

int

only one
that changes pointer

bytes: float

needed

From 32 → double

64 bit

machine

Big Endian vs Little Endian

A0|BC|00|12|

(BD) AOB C0012 or 1200BCAO (LE)

- Big Endian - Most significant byte first
 - Little Endian - Least significant byte first
(no diff in comp arch)

Interprets code & values

 - 1 comp sends info to another comp (LE)
 - Convert into standard form before transmitting

Signed Magnitude

$$\begin{array}{r} 0^+ \\ \text{I}^- \end{array} \begin{array}{l} \boxed{0} \boxed{1} \boxed{0} \\ \text{Sign} \quad \text{Magnitude} \end{array} = 4$$

$$\begin{array}{r} \boxed{1100} = -4 \\ \swarrow \searrow \\ \text{Sign} \quad \text{Magnitude} \end{array}$$

$$\text{III) } \underbrace{s + \frac{M}{n-1}}_{\substack{\leftarrow \\ M}} \rightarrow \frac{1}{2^{n-1}} = \cancel{\text{R} \text{R} \text{R} \text{C} \text{C} \text{C}}$$

$$= 2^n$$

Raney Archon, ♂
0000, 1511' ins+Mag

$$0000 = +0$$

One's Complement - represent negative numbers by complementing positive numbers

$$110 = 6$$

in One's Complement $001 = -6$

$$1110$$

normal - 14

$$S+Mag = -6$$

$$\text{1's Comp} = -1$$

b/c 1st bit is 0
"flip each bit"

$$0110$$

$$6$$

$$6$$

$$6$$

0 - Pos
0 - don't need to flip

two's Complement

advantages: only 1 zero
convenient for arithmetic computations.
used in almost all comps

• 1st comp plus 1

• most sig bit gives sign

• copy all '0' bits from LSB ^{exact} till first '1' bit. Copy '1' bits,

flip remaining till MSB

Q. What..?

$$\begin{array}{r} 1110 \\ + 0001 \\ \hline 0011 \end{array}$$

1110 carryover

$$0110$$

$$0011$$

NORMAL

$$3$$

S+Mag

$$+3$$

1st Comp

$$+3$$

2nd Comp

$$+3$$

$$1011$$

$$11$$

$$-3$$

$$-4$$

$$-5$$

$$0100$$

$$0100$$

$$1$$

$$0101$$

Floating point

IEEE floating point standard

• IEEE 754 standard

5.625 \rightarrow binary $\rightarrow 101.101 \rightarrow 1.01101 \times 2^2$ Exp field is 2

• add 127 to get 129

exp is 10000001

Mantissa 01101 0000

add 0's

Sign bit is 0

 S Exp Mantissa

-5 1101 → sign + Mag
0101 → 1st comp
 ↓
 1010

1001 NORM 9
SMag -1
1st Comp -6
 $\frac{1110}{-111}$ 2nd Comp -7

$$7 \rightarrow 0111 \quad -7 + \begin{array}{r} 0111 \\ \downarrow \\ 1000 \\ + 1 \\ \hline 1001 \end{array}$$

Norm + 2s comp

IEEE floating point standard

Most comp follow IEEE 754 standard

Single precision (32 bits)

Double precision (64 bit)

Extended precision (80 bits)

10 → 2 in binary

\neg -0111 \rightarrow 10001 \rightarrow 1001

$$\begin{array}{r}
 \underline{5} & 0101 \rightarrow 0101\cancel{1} 0101 \\
 -2 & -0010 \quad \cancel{0000} \\
 \hline
 & \underline{\underline{1110}} \\
 & \quad 0001 \\
 & \quad \quad \underline{1+1} \\
 & \quad \quad \underline{0010}
 \end{array}$$

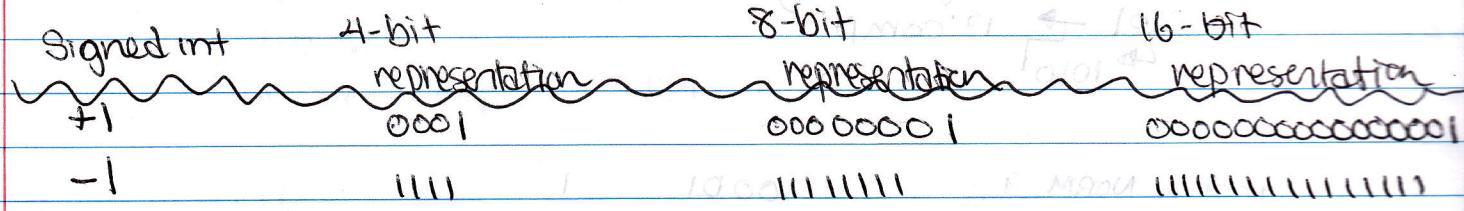
$$\begin{array}{r} 6 \cdot 0110 \\ 5 \overline{)11011} \end{array}$$

Overflow w/ 2's Comp

- + 2 Pos #s \Rightarrow neg #
- 2 neg #s \Rightarrow post#



Sign Extension



Assembly ~~Programmimg~~ Programming

Why?

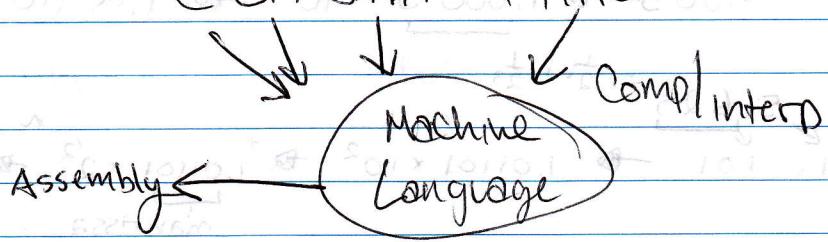
- machine interface: where software meets hardware
- to understand how hardware works, we have to understand the interface it exports

why not binary language? • easier for humans to read & reason

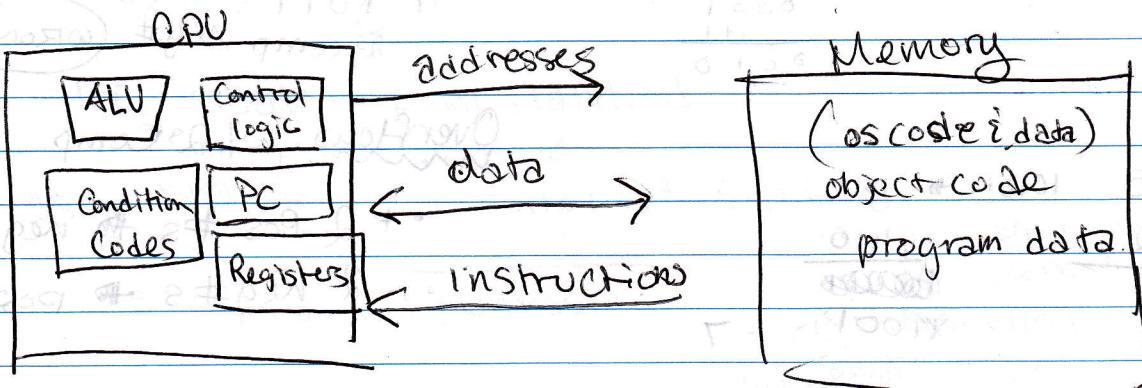
- major differences

- human readable language instead of binary
- relative instead of absolute addresses

C C++ JAVA PYTHON



Macro ops but hardware uses microops



C SYNTH

registers - store memory to be used in main memory

READ = LOAD

WRITE = STORE



for ($i = 0; i < 10; i++$)
 $a[i] = b[i] + c[i];$

R = read
W = write