

Q: Consider a system with
3 processes that share
4 instances of the
same resource type.

Each process can request
max of N instances.
The largest value of N that
will always avoid
deadlock.

① 1 ② 2 ③ 3 ④ 4

(P) No. of Processes = 3
(R) No. of Resources = 4

$$R \geq P(N-1) + 1$$

$N =$ max
requirement
of each
resource

gradeup

Sahi Prep Hai Toh Life Set Hai

Class 10: Dead Lock Part 2

$$4 \geq 3(N-1) + 1$$

$$3 \geq 3N - 3$$

$$6 \geq 3N$$

$$N \leq 2$$

Q: An OS has 3 processes each required 2 unit of resource R.

The max value of R is 3. The system will never enter in deadlock.

Content :-

1. Banker's Algorithm: It is a deadlock avoidance algorithm. It is used to avoid deadlocks, by maintaining the system in a safe state. The algorithm operates as follows :

a. When a new process is admitted into the system , the process has to pre-declare its maximum requirement of resources they may occur any time during its execution. The process will be admitted for execution only if its maximum requirement of the resources is within the system capacity of resources. The processes admitted for execution can be safely executed in some sequence called SAFE SEQUENCE.

b. Whenever, a process request allocation of resources (of course within its maximum requirement, already declared).

needed

P1	2
P2	2
P3	2

Ans Trick

P1	2	$2-1=1$
P2	2	$2-1=1$
P3	2	$2-1=1$

Max value ← 3
at this point deadlock will occur

3 + 1 = 4

Min value
Deadlock will occur

Q: P1 P2 P3

$\langle P1, P2, P3 \rangle$

Max demand 3 4 5

Min no of resources so that system will not be in deadlock

(1) 3
(2) 7
(3) 9
(4) 10

Free = $13 - 10 = 3$
 $3 + 4 = 7$
 $7 + 1 = 8$

Question: Find the safe sequence:

Total Resources = 13

	Allocation	Maximum
P ₀	5	10
P ₁	4	6
P ₂	1	2

Solution:

10

	Allocation	Maximum	Need (Max - Allocation)
P ₀	5	10	5
P ₁	4	6	2
P ₂	1	2	1
Total	10		

$8 + 5 = 13$

<u>h.w</u>	<u>Allowed</u>	<u>Maximum</u>
<u>Q:</u> A	10211	11213
B	20110	22210
C	11010	21310
D	11110	11221

Available

00X11

$$\text{Free} = 13 - 10 = 3$$

$$\text{Free Resources} = 3 + 4 = 7 \text{ ----} > P_2$$

$$7 + 1 = 8 \text{ -----} > P_3$$

$$8 + 5 = 13 \text{ -----} > P_1$$

The smallest value of
X for which
the system is
in safe state is

$\langle P_2, P_3, P_1 \rangle \rightarrow$ Safe Sequence
 $\langle P_1, P_2, P_3 \rangle$

increased

Marked to
all

(1) 1 (2) 3 (3) 2 (4) 0

Already used NET

Question :

Total resources :- 10 5 7

ABC

10 5 7

$\langle P_1, P_3, P_4, P_0, P_2 \rangle$

$$Free = \underline{10} \ \underline{5} \ \underline{7}$$

$$7 \ 2 \ 5$$

$$3 \ 3 \ 2$$

$$332 + (200)^{P_1} = \underline{532}$$

$$532 + (211)^{P_3} = \underline{743}$$

$$743 + (002)^{P_4} = \underline{745}$$

$$745 + 010 = \underline{755}$$

	Allocation	Maximum
	ABC	ABC
P ₀	010	753
P ₁	200	322
P ₂	302	902
P ₃	211	222
P ₄	002	433

Free resources = 3 3 2

$$755 + 302 =$$

$$1057$$

$$P_{AC} = 230 + (302)^{P_1} = 532$$

$\{P_1, P_3, P_4, P_0, P_2\}$

Make changes in P)
2 resource of C.

ABC
102

$$P_{AC} = 532 + (211)^{P_3} = 743$$

$$P_{AC} = 743 + (002)^{P_4} = 745$$

$$P_{AC} = 745 + (010)^{P_0} = 755$$

$$P_{AC} = 755 + 302 = 1057$$

Solution :-

	Allocation	Maximum	Need
	ABC	ABC	ABC
P ₀	010	753	743
P ₁	302 (200)	322	122 (020)
P ₂	302	902	600
P ₃	211	222	011
P ₄	002	433	431
Total	725		

1) No

2) Yes, P₁ P₃ P₄ P₀ P₂

3) Yes, P₁ P₃ P₄ P₂ P₀

4) Yes P₂ P₃ P₀ P₄ P₁

$$P_{AC} = 332 - (102)^{P_1} = 230$$

230 P_{AC}

$$\begin{aligned} 332 + 200 &= 532 \text{ ---- } P_1 \\ 532 + 211 &= 743 \text{ ---- } P_3 \\ 743 + 002 &= 745 \text{ ---- } P_4 \\ 745 + 010 &= 755 \text{ ---- } P_0 \\ 755 + 302 &= 1057 \text{ ---- } P_2 \end{aligned}$$

$$P_1 \text{ Allow } = 200 + 102 = 302$$

$$P_1 \text{ Need } = 122 - 102 = 020$$

$\langle P_1, P_3, P_4, P_0, P_2 \rangle \rightarrow$ safe sequence