

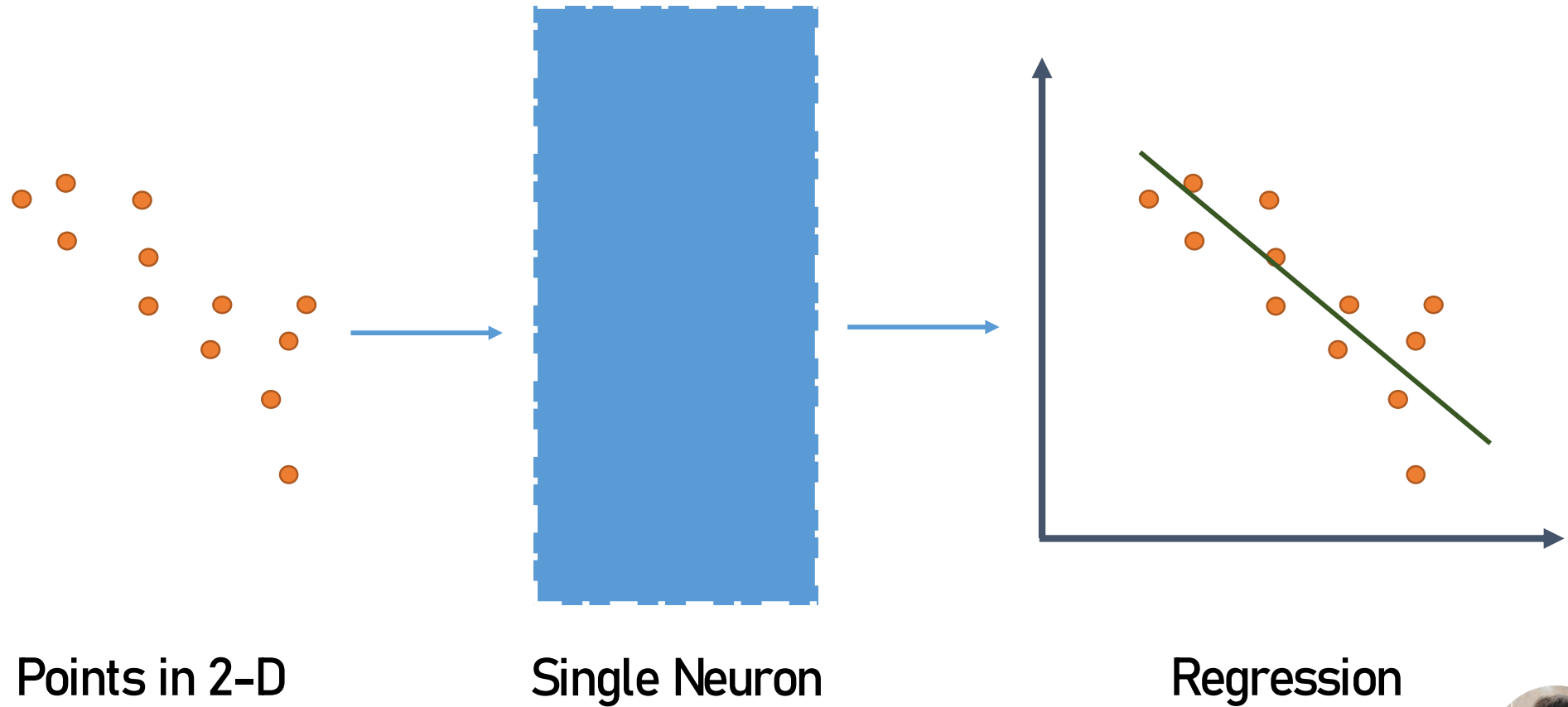
# Activation & Loss functions

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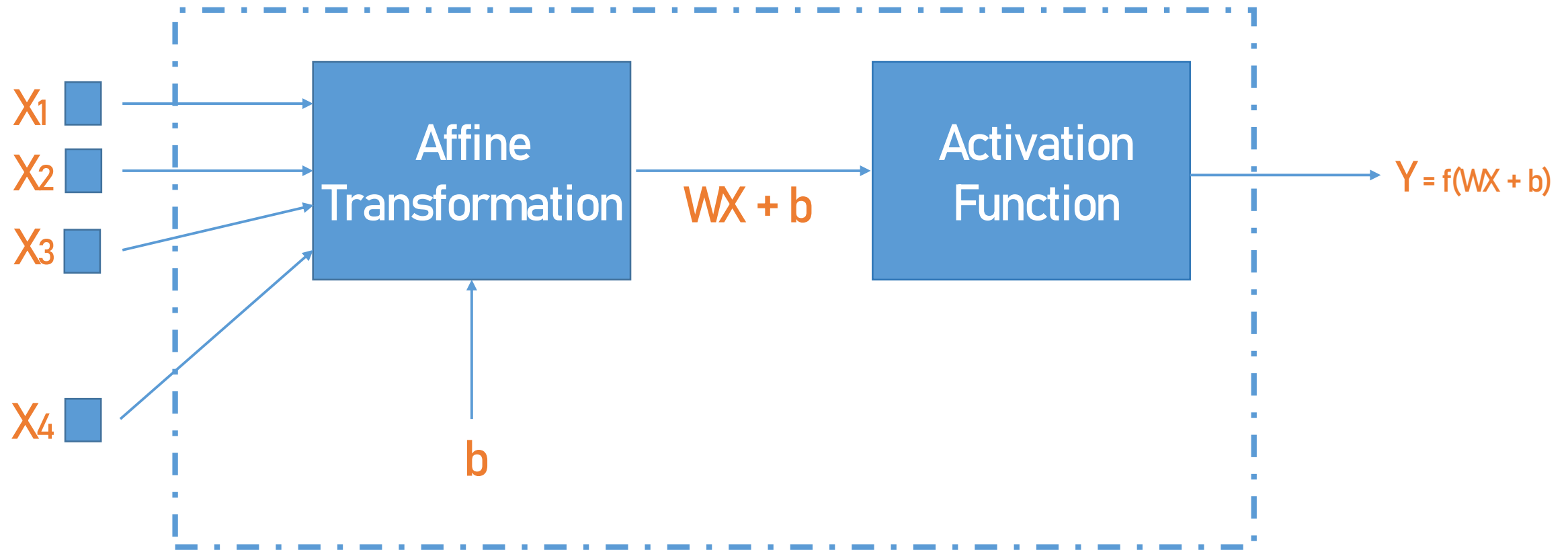
Functions to be used in case of classification problem



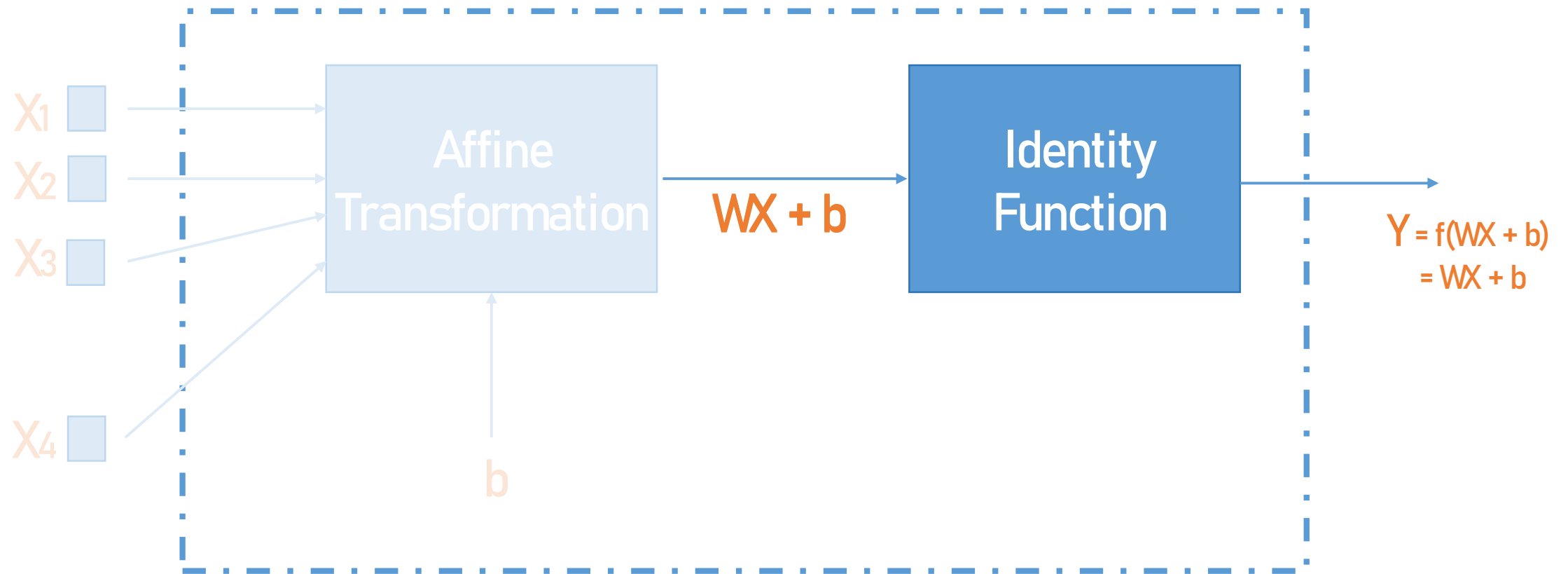
# Regression Problem



# Neuron Mathematical Functions



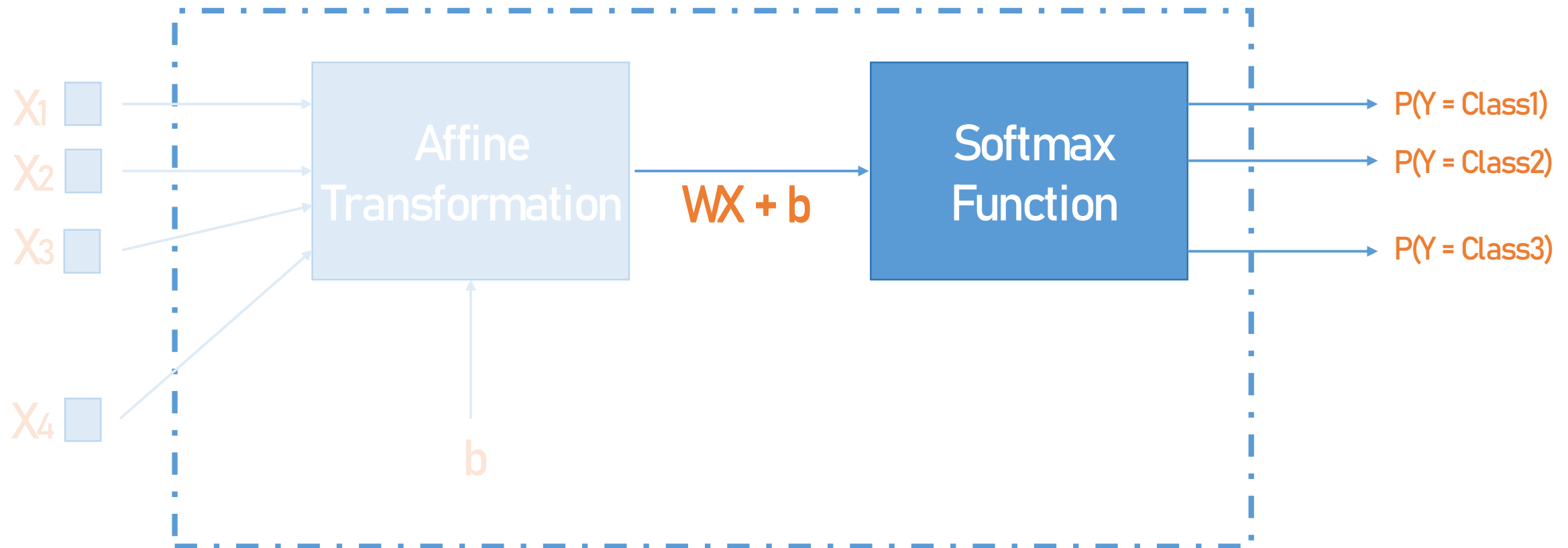
# Neuron Mathematical Functions



Activation function is an **Identity Function**



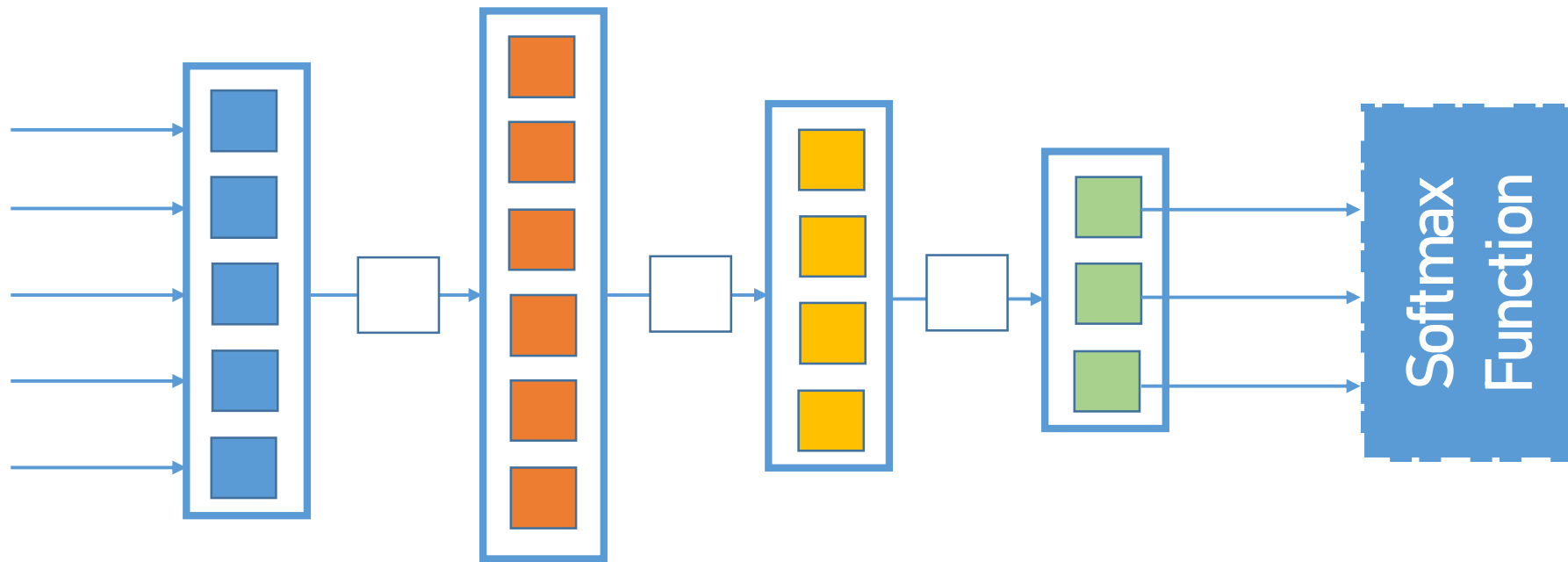
# Neuron Mathematical Functions



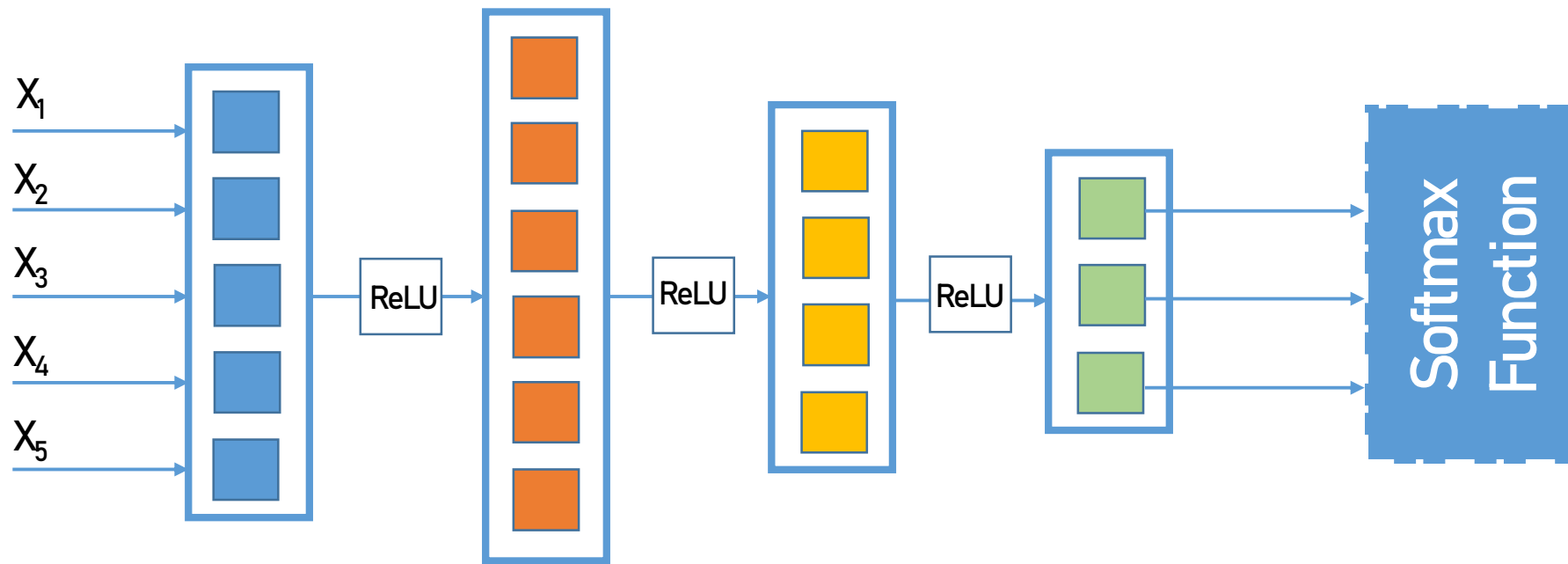
Activation function is an **Identity Function**



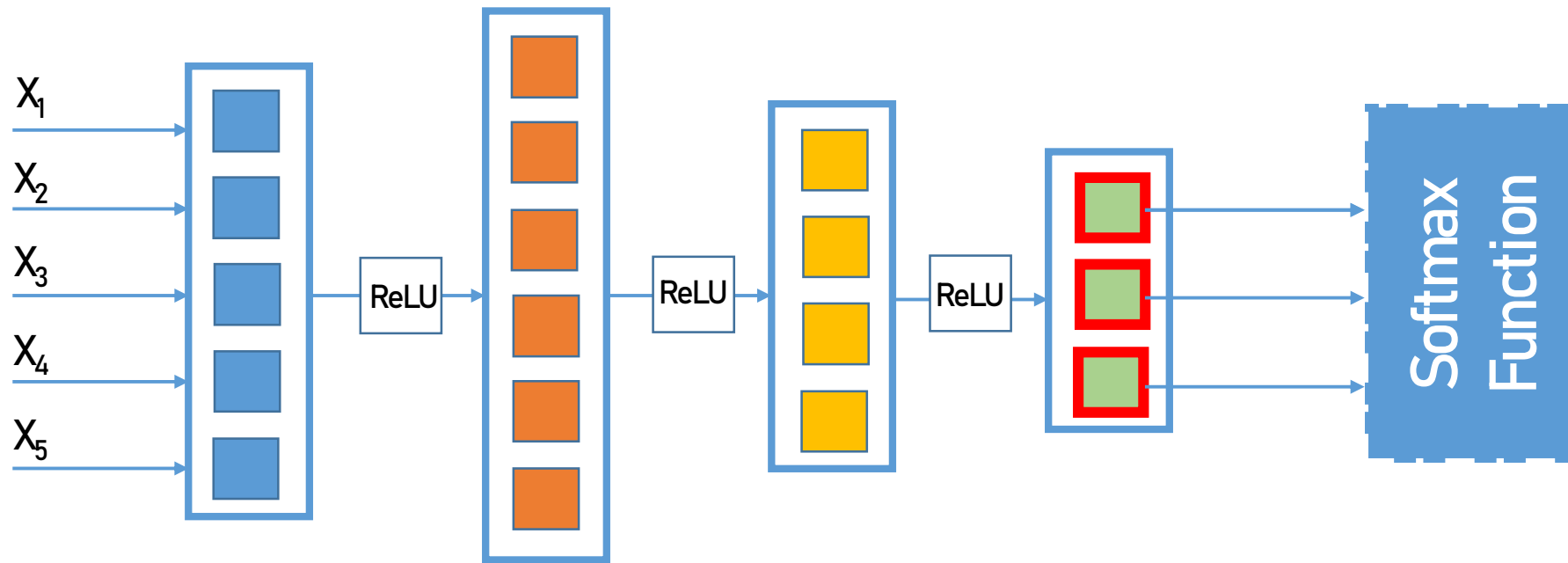
# Neural Network with Softmax



# Neural Network with Softmax



# Neural Network with Softmax



Number of neurons in last layer = number of classes





# Softmax Function

$$Z_N^1 = W_N X_N + b_N$$

$$Z_N^2 = W_N X_N + b_N$$

$$Z_N^3 = W_N X_N + b_N$$



# Softmax Function

$$z_N^1$$

$$z_N^2$$

$$z_N^3$$



# Softmax Function

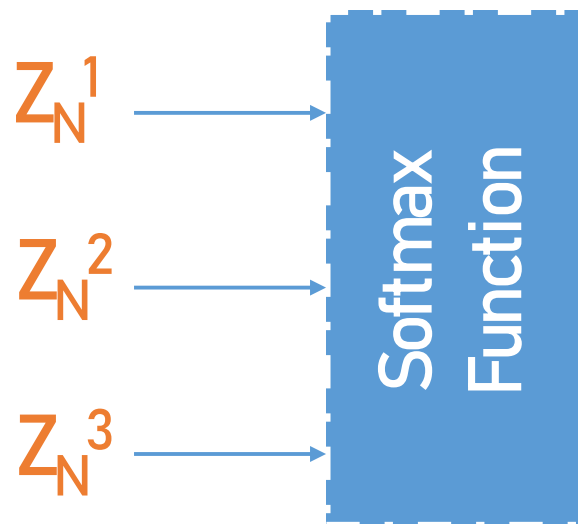
$z_N^1$

$z_N^2$

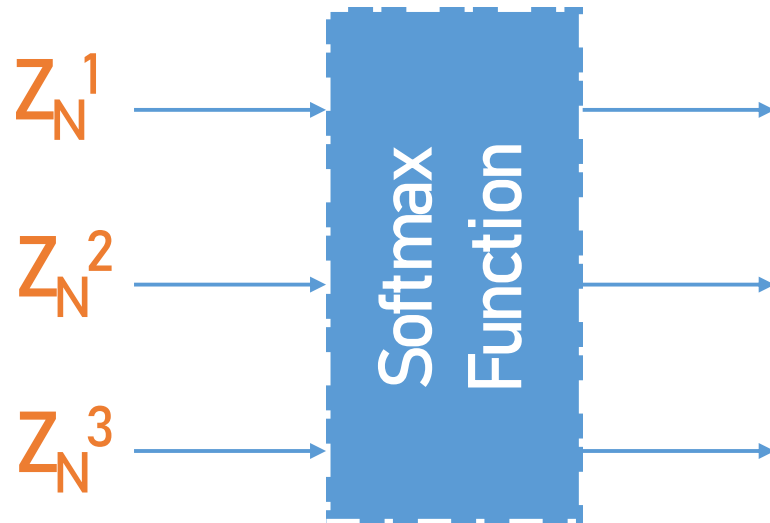
$z_N^3$



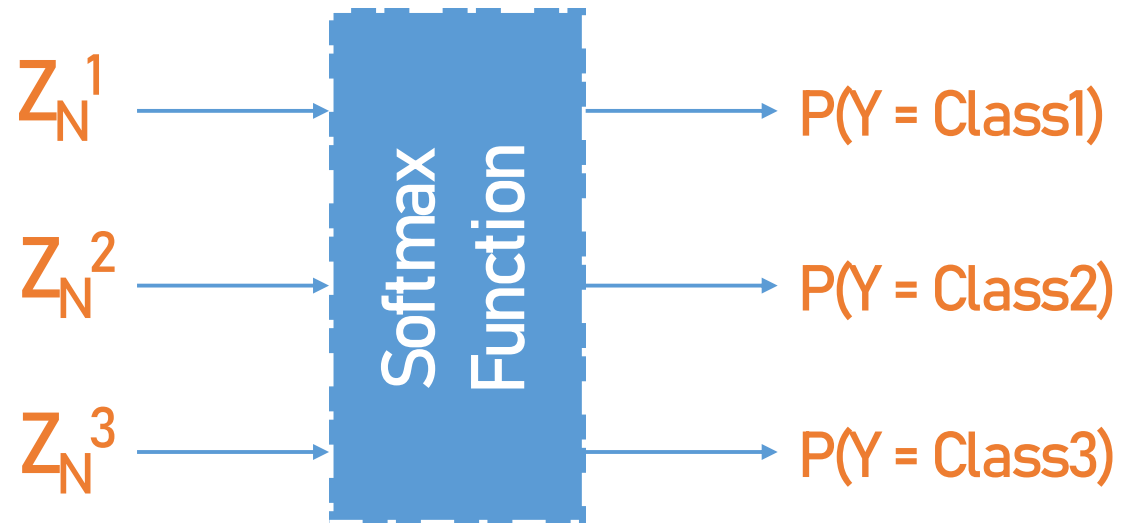
# Softmax Function



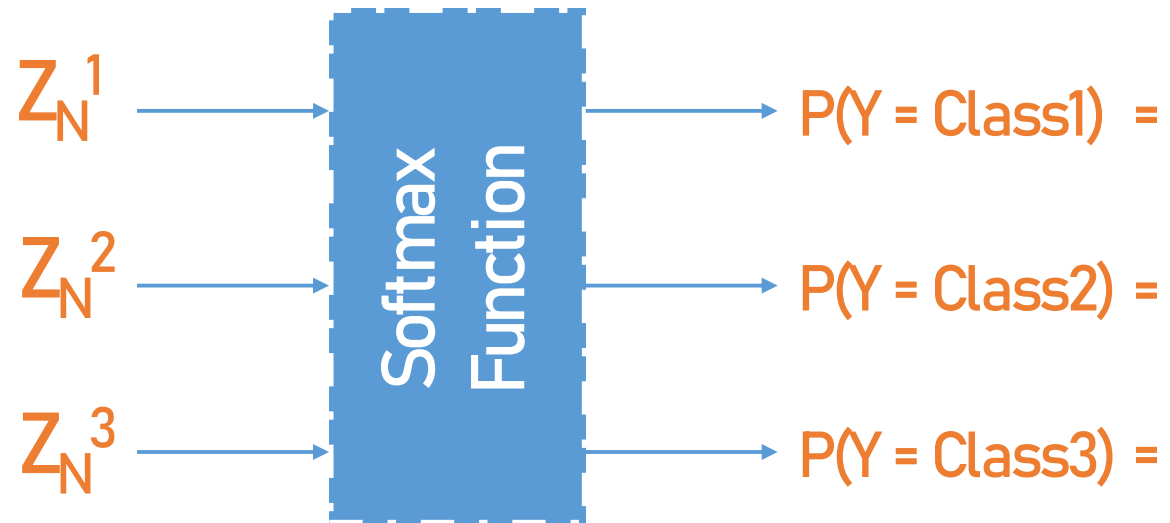
# Softmax Function



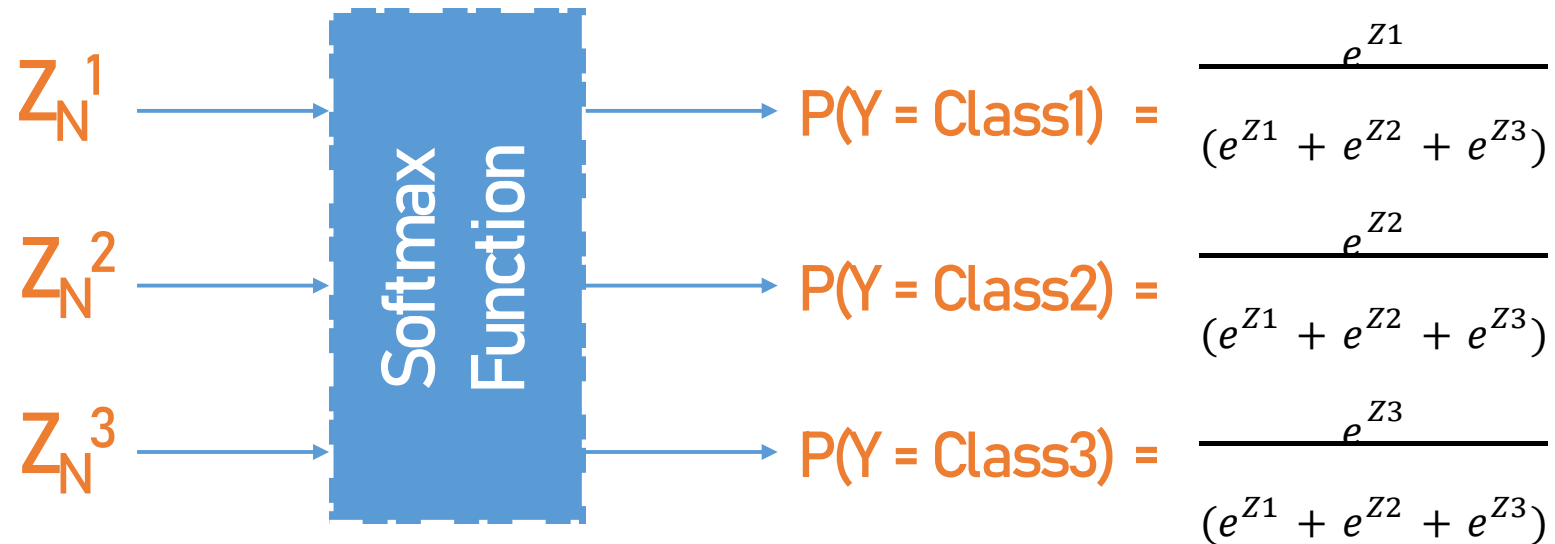
# Softmax Function



# Softmax Function



# Softmax Function





**The class having highest probability is selected**



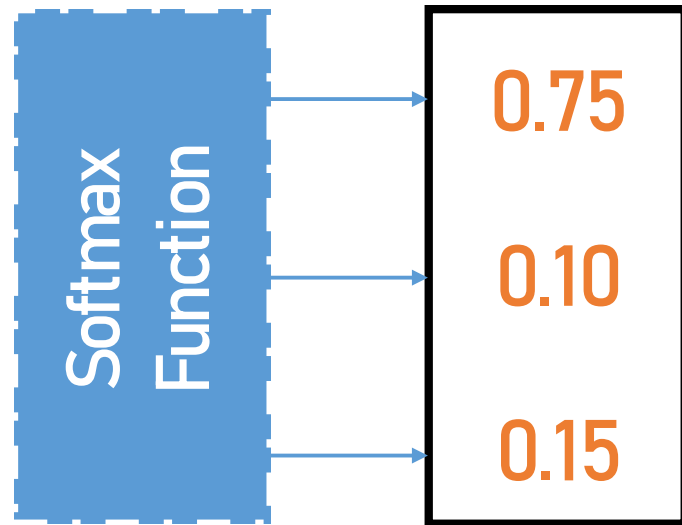
For classification the loss function we use is called **cross entropy loss**



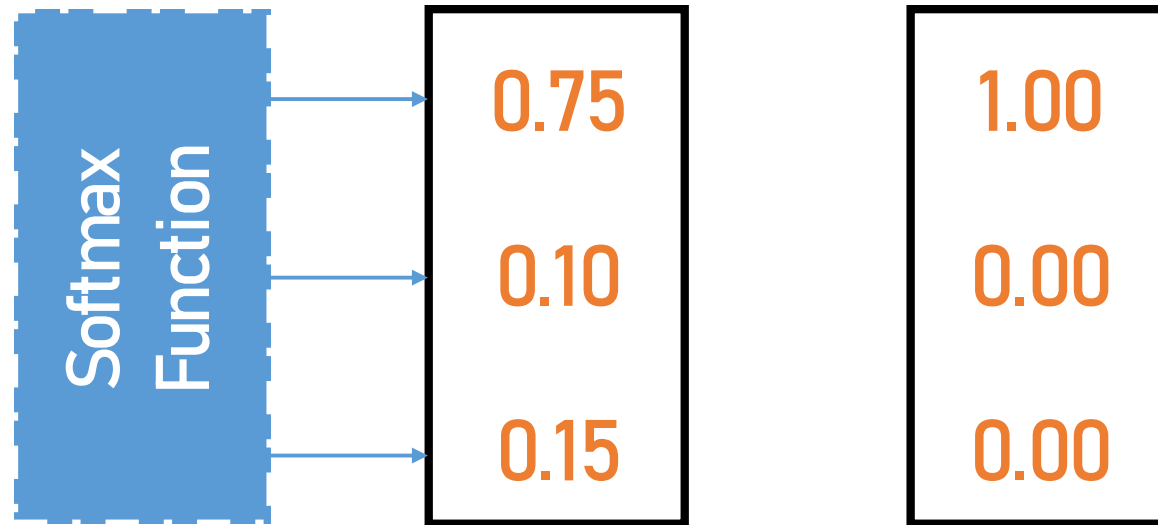
**Cross entropy** is a metric that signifies how different two probability distributions are



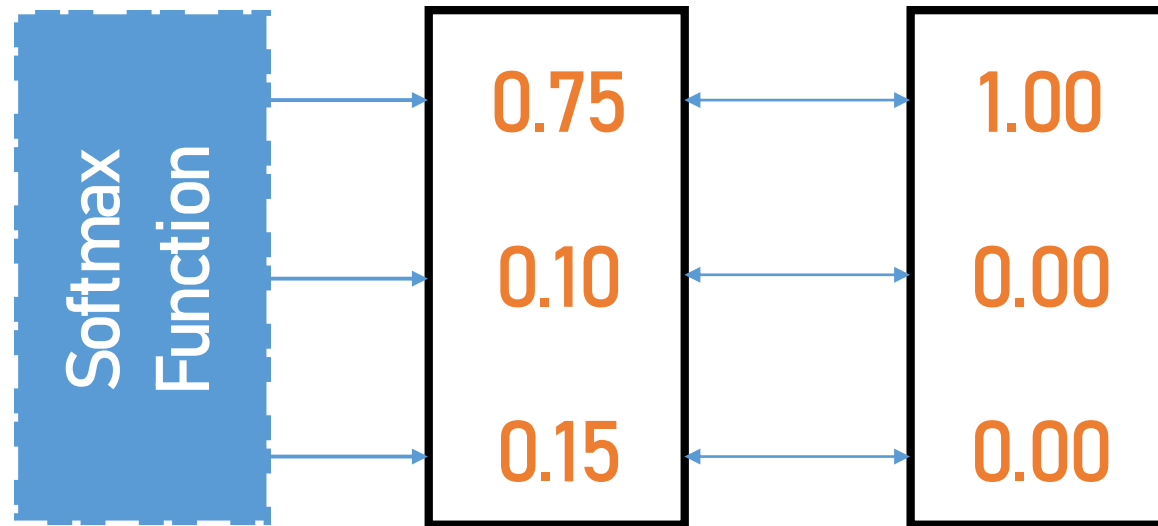
# Softmax Function



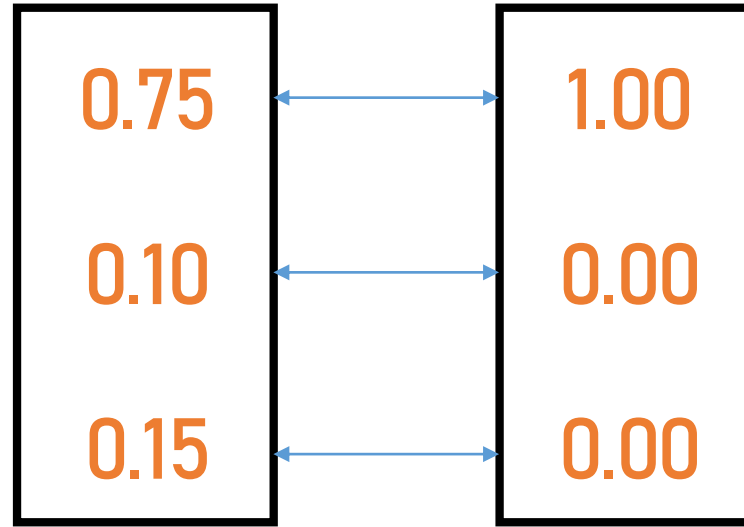
# Softmax Function



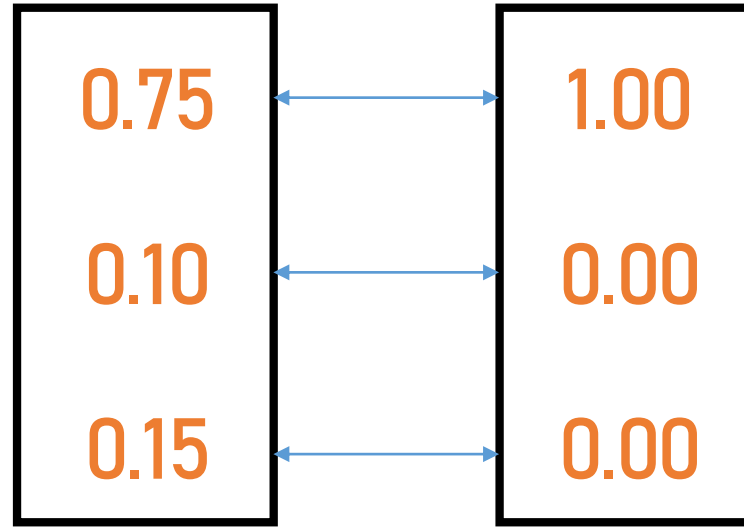
# Softmax Function



# Softmax Function



# Softmax Function

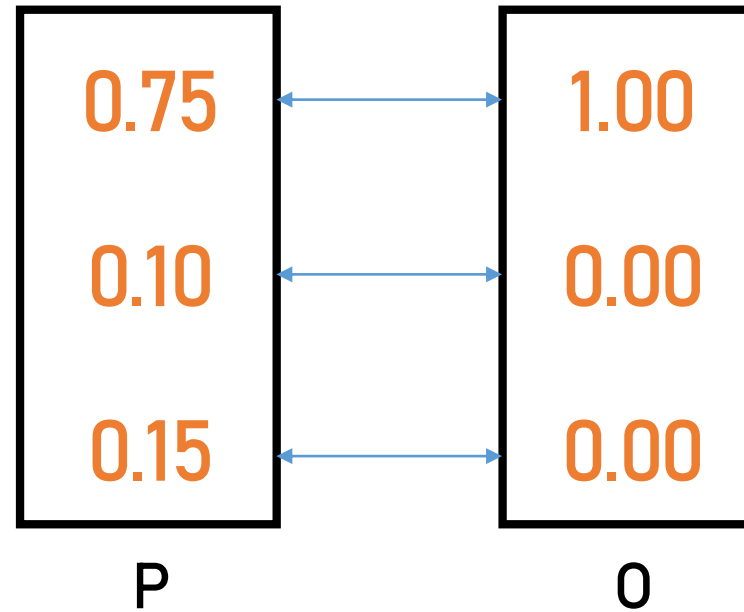


$$\text{CE}(O, P) = -\sum_{i=0}^n O_i \log P_i$$





# Softmax Function



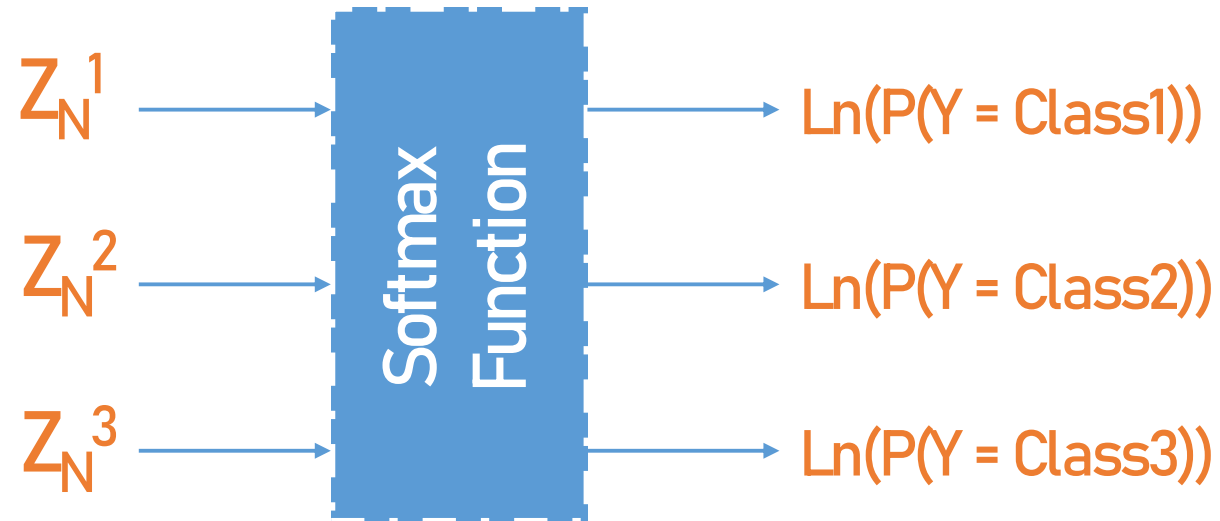
$$CE(O, P) = -\sum_{i=0}^n O_i \log P_i$$



In PyTorch examples we will mostly use **LogSoftmax**  
activation function along with **NLLLoss**



# LogSoftmax Function



LogSoftmax is Log of Softmax



**Softmax + Cross Entropy  $\Leftrightarrow$  LogSoftmax + NLLLoss**

