CS348 Sample Midterm (Fall 2019)

## Question 1

(a) Explain how physical data dependencies can increase the cost of maintaining an information system.

If the system is dependent on physical data, then whenever the underlying physical information changes, the system have to be extensively updated to adapt to the new physical information format. This is a maintenance overhead.

(b) What are the two general problems relating to data that are addressed by the user of database technology when implementing an information system?

Physical independence and logical independence.

- (c) Explain each of the following terms:
  - 1. Relational Completeness: A query language is relationally complete if it is as least as expressive as relational calculus.
  - 2. Atomicity: "All or nothing": To an external observer, it should appear as if either all operations in an atom have happened, or none have happened.
  - 3. Domain Independence: A query  $\varphi$  is **domain independent** if for all database instance  $\mathbf{DB}_{1,2} = (\mathbf{D}_i, = \mathbf{R}_1, \dots, \mathbf{R}_k)$  and valuation  $\theta$ ,

$$\mathbf{DB}_1, \theta \models \varphi \iff \mathbf{DB}_2, \theta \models \varphi$$

(d) Describe the primary means of defining external views in the SQL language.

Use the create view comamnd:

```
create view (<query>)
```

(e) Assume relation R has numeric attributes  $\{A, B, C\}$ , with C as the primary key. Express the following query in the range restricted fragment of the relational calculus.

```
select distinct r1.A
from R as r1, R as r2
and not exists (
  select * from R as r3
  where r3.B = r1.B or r3.B = r2.B )
```

Step 1: Convert the above query to relational calculus:

$$\{x_1: \exists y_1, z_1, x_2, y_2, z_2.R(x_1, y_1, z_1) \land R(x_2, y_2, z_2) \land \neg \exists x_3, y_3, z_3.R(x_3, y_3, z_3) \land (y_3 = y_1 \lor y_3 = y_2)\}$$

This is not range restricted, since  $y_3 = y_1$  is not range restricted. First we apply distributive law:

$$\neg \exists x_3, y_3, z_3. R(x_3, y_3, z_3) \land (y_3 = y_1 \lor y_3 = y_2) \equiv \neg \exists x_3, y_3, z_3. (R(x_3, y_3, z_3) \land y_3 = y_1) \lor (R(x_3, y_3, z_3) \land y_3 = y_2) = \neg \exists x_3, y_3, z_3. R(x_3, y_3, z_3) \land (y_3 = y_1) \lor (x_3, y_3, z_3) \land (y_3 = y_2) = \neg \exists x_3, y_3, z_3. (R(x_3, y_3, z_3) \land y_3 = y_1) \lor (x_3, y_3, z_3) \land (y_3 = y_2) = \neg \exists x_3, y_3, z_3. (R(x_3, y_3, z_3) \land y_3 = y_1) \lor (x_3, y_3, z_3) \land (y_3 = y_2) = \neg \exists x_3, y_3, z_3. (R(x_3, y_3, z_3) \land y_3 = y_2) = \neg \exists x_3, y_3, z_3. (R(x_3, y_3, z_3) \land y_3 = y_2) = \neg \exists x_3, y_3, z_3. (R(x_3, y_3, z_3) \land y_3 = y_3) \lor (x_3, y_3, z_3) \land (x_3, y_3,$$

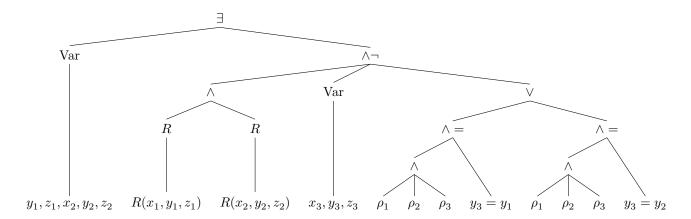
This is still not range restricted since the or causes problems. This can be mitigated by commuting the outer truth  $R(x_1, y_1, z_1), R(x_2, y_2, z_2)$  into the inner clause: (we denote  $R(x_i, y_i, z_i)$  by  $\rho_i$ )

$$\neg \exists x_3, y_3, z_3. (\rho_1 \land \rho_2 \land \rho_3 \land (y_3 = y_1))$$
$$\lor (\rho_1 \land \rho_2 \land \rho_3 \land (y_3 = y_2))$$

This produces the formula

$$\{x_1: \exists y_1, z_1, x_2, y_2, z_2. \rho_1 \land \rho_2 \land \neg \exists x_3, y_3, z_3. (\rho_1 \land \rho_2 \land \rho_3 \land (y_3 = y_1)) \lor (\rho_1 \land \rho_2 \land \rho_3 \land (y_3 = y_2))\}$$

Anatomy of the above formula:



- (f) What are three features of SQL query language that makes it more expressive than the relational calculus? (Three of)
  - $\bullet$  Null
  - Aggregation/Counting
  - $\bullet$  Duplicate semantics
  - Recursive queries (not all dbs support them)

## Question 2

Consider the following relational database schema for maintaining customer rental information

```
create table customer
  ( cnum integer not null,
   cname varchar(20) not null,
   city varchar(20) not null,
 primary key (cnum) );
create table car
  ( license integer not null,
   make
           varchar(20) not null,
            varchar(20) not null,
   model
   year
           integer not null,
 primary key (license) );
create table pickup
             integer not null,
  (rnum
   cnum
             integer not null,
   license integer not null,
             integer not null,
 primary key (rnum),
 foreign key (cnum)
                       references customer,
 foreign key (license) references car );
create table dropoff
             integer not null,
  ( rnum
 primary key (rnum),
 foreign key (rnum) references pickup );
```

The database schema reflects two main events relating to car rentals:

- (a) A customer takes possession of a car at the start of a rental agreement. In this case, a tuple is added to the pickup table.
- (b) A customer returns the car at the end of a rental agreement and pays the agreed rental fee. In this case, a tuple is added to the dropoff table.

For each of the following queries, indicate if the query is a conjunctive query, and then translate the query to both relational calculus and SQL.

(a) The number and name of each customer who has rented the same car at least twice in the past

```
 \{c,n: \exists \gamma. \mathsf{customer}(c,n,\gamma) \land (\exists l,\phi_1,\phi_2,r_1,r_2: (r_1 \neq r_2) \land \mathsf{pickup}(r_1,c,l,\phi_1) \land \mathsf{pickup}(r_2,c,l,\phi_2)) \land \mathsf{dropoff}(r_1) \land \mathsf{dropoff}(r_2) \}  select c.cnum, c.cname from customer as c where exists ( select * from car, pickup as p1, pickup as p1, dropoff as d1, dropoff as d2 where (car.license = p1.license) and (car.license = p2.license) and (p1.rnum <> p2.rnum) and (p1.cnum = c.cnum) and (p2.cnum = c.cnum) and (p1.rnum = d1.rnum) and (p2.rnum = d2.rnum) )
```

(b) The license and fee of cars that are currently rented by some customer in Waterloo.

```
\{l,f:\exists \tau,\mu.\mathrm{car}(l,\tau,\mu) \land \exists c,n,\rho.\mathrm{pickup}(\rho,c,l,f) \land \neg \mathrm{dropoff}(\rho) \land \mathrm{customer}(c,n,\mathrm{Waterloo})\} select car.license, pickup.fee from car, pickup, customer where (car.license = pickup.license) and (customer.cnum = pickup.cnum) and (customer.city = 'Waterloo') and not exists ( select * from dropoff where dropoff.rnum = pickup.rnum )
```

(c) Translate to <del>DDL</del>DML: The make and model of cars that have generated the lowest revenue. That is, for which the total rental fees for past rentals of cars of these makes and models is among the lowest

```
select car.make, car.model
from car
where (
    select avg(p.fee)
    from pickup as p, car as c
    where (c.make = car.make) and (c.model = car.model) and
        (p.license = c.license)
) <= all (
    select avg(p.fee)
    from pickup as p, car as c
    where (p.license = c.license)
    group by c.license, c.model, c.make
)</pre>
```

## Question 3

Questions on the SQL standard, application development, and ER modeling. Answer each of the following using no more than a few sentences in each case.

(a) What is the view update problem?

Some views created by joining two tables cannot be updated unambiguously. i.e. Inserting a tuple into this view can correspond to multiple different changes of the tables in the database.

(b) Is it possible for an information system using a call level interface (CLI) to a SQL database to factor the overhead of compiling SQL queries? Justify your answer

The answer is yes and no. For some queries if the programmer knows that the query will be executed multiple times, the query's compiling stage can be extracted out of the loop to improve performance. This isn't possible for dynamic queries though.

- (c) Explain the main purpose of each of the following
  - 1. A host variable:

Communicate information between the host language and the embedded SQL language.

2. A preprocessor for embedded SQL

Translates the embedded SQL into native C code which can be handled by an ordinary C compiler.

3. the COMMIT WORK command

Commit the modifications of the database into the database so they become permanent changes.

(d) Explain how many-to-one relationships can be captured using general cardinality constraints

Suppose a relation R has two participating entities  $E_1, E_2$ , and  $E_1$  is the "many" side and  $E_2$  is the "one" side. No cardinality constraints is required on  $E_1$ , but  $E_2$  needs a (0,1) cardinality constraint to limit its maximal participation in R to 1.