

# MGMT-3453-X20: Homework 1

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## Operations Break-Even Examples using software

Formula for calculating break even point

```
BEP_Unit = FixedCost / (SellingPrice - VariableCost)
ContributionMargin = (TotalRevenue - VariableCosts) / TotalRevenue
BEP_Dollar = FixedCost / ContributionMargin
BEP_Dollar = BEP_Unit * SellingPrice
```

## BEP Functions

```
# BEP Unit
bep_unit <- function(fixed_cost, selling_price, variable_cost) {
  paste0('Break Even Point Units: ',
    scales::comma(
      fixed_cost / (selling_price - variable_cost), accuracy = .01
    )
  )
}

# BEP Revenue
bep_rev <- function(fixed_cost, selling_price='', variable_cost='', cm = NULL) {

  if (is.null(cm)) {
    cm <- ((selling_price - variable_cost) / selling_price)
  }

  paste0('Break Even Point: ',
    scales::dollar(
      fixed_cost / cm , accuracy = .01
    )
  )
}
```

## Problem 1

1. The Beta Manufacturing Company produces stepladders that sell for \$27 each. The production capacity is limited to 48,000 units per year. Fixed costs are \$50,000 and variable costs are \$12 per

item. Compute the break even point in number of stepladders. How many items must be sold to provide a profit of \$20,000 What is allocation of fixed costs per stepladder at 75 percent capacity?

```
price = 27
capacity = 48000
variable_cost_unit = 12
total_fixed_cost = 50000
expected_profit = 20000
```

### Answer 1

Compute the break even point in number of stepladders:

Break Even Point Units: 3,333.33

How many items must be sold to provide a profit of \$20,000:

Break Even Point Units: 4,666.67

What is allocation of fixed costs per stepladder at 75 percent capacity?

\$1.39 Fixed cost per unit.

### Problem 2

2. A firm produces four models of tool sets. The fixed costs are \$42,000 and the other data are as follows:

Model	Qty	Price	Variable_Cost	Sales_Revenue
S	4000	20	6	80000
T	5000	32	8	160000
U	1000	60	20	60000
V	2000	50	18	100000

- Total \$400,000

Determine the break even in dollars

What is the Margin of Safety if Sales = \$75,000?

```
fixed_costs = 42000
total_rev = 400000

cm_2 <- prob_2 %>%
  mutate(
    cm = (Price - Variable_Cost) / Price,
```

```

relative_sales = Sales_Revenue / total_rev,
total = cm * relative_sales
) %>%
summarise(cm = sum(total))

```

**Answer 2:** Determine the break even in dollars:

Break Even Point: \$60,000.00

What is the Margin of Safety if Sales = \$75,000?

\$15,000

### Problem 3

3. The Clutch Engineering Company is proposing to locate a branch office in one of two West Coast locations, A or B. These two sites have quite different estimated operating costs:

	A	B
Engineering labor cost	\$15/hr.	\$16/
Materials and supplies	2.40/hr.	\$1.80/
- (tied to engineering hours)		
Variable overhead	5.50/hr.	4.40/hr.
Total annual fixed cost	\$150,000	\$190,000
Price to customers.	\$30	\$30

Consider the hourly costs to be variable costs.

- Compute the break even for both locations.
- At what level of output (number of hours) are you in different to the location?

```

prob_3 <- tibble::tibble(
  product = c('a', 'b'),
  v_labor_cost = c(15, 16),
  v_materials = c(2.40, 1.80),
  v_variable_overhead = c(5.50, 4.40),
  total_fixed_cost = c(150000, 190000),
  price = c(30, 30)
)

knitr::kable(prob_3)

```

product	v_labor_cost	v_materials	v_variable_overhead	total_fixed_cost	price
a	15	2.4	5.5	150000	30
b	16	1.8	4.4	190000	30

```
resp <- prob_3 %>%  
  rowwise() %>%  
  mutate(variable_costs = sum(across(starts_with('v_'), sum)))
```

### Answer 3

A: Break Even Point Units: 21,126.76

B: Break Even Point Units: 24,358.97

Indifference:

$$\begin{aligned}150,000 + 22.9x &= 190,000 + 22.2x \\0.7x &= 40,000 \\57,142 \text{ hours}\end{aligned}$$

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