Introduction to Magic Sets

a.k.a. Sideways Information Passing (SIP)

Objective:

- · Learn about the key logical optimization concerning
 - · Nested queries (so also views)
 - · Recursive Datalog programs and SQL queries (SQL 99)
 - · It follows, central to graph database query engines, (but almost none are there yet).

Slide thanks: (originals can be found under readings)

- · Ramakrishnan and Gehrke text slides
- Not borrowed for lecture, but are very goo, Stefan Brass's course slides

Scholarship:

With the identification of recursion in the relational model...

 In the beginning, invited paper, SIGMOD '86 François Bancilhon, Raghu Ramakrishnan:

An Amateur's Introduction to Recursive Query Processing Strategies. 16-52

Scholarship:

With the identification of recursion in the relational model...

And then (>1986), annually

• SIGMOD, VLDB, ICDE & PODS, at least one full session:

Recursion

- 🖺 🕹 🤄 🖒 Isabel F. Cruz, Alberto O. Mendelzon, Peter T. Wood:

 A Graphical Query Language Supporting Recursion. 323-330
- A Study of Transitive Closure As a Recursion Mechanism. 331-344
- 🖺 🕹 🤏 《 Weining Zhang, Clement T. Yu:

A Necessary Condition for a Doubly Recursive Rule to be Equivalent to

[SIGMOD '87]

Critical Papers:

The beginning of the end:

- 1990
 - (PODS) "Magic Conditions", Mumick et.al.... Ramakrishnan
 - (SIGMOD) "Magic is Relevant", same authors

Then:

- 1996
 - (SIGMOD) "Cost-Based Optimization for Magic: Algebra and Implementation", Seshadri, Hellerstein,..., Ramakrishnan, ...

Commercial implementations followed, then standardized: SQL 99

- On going research – occasional paper, not >12 major papers a yesr

Two more things to know, upfront, ... to get your attention

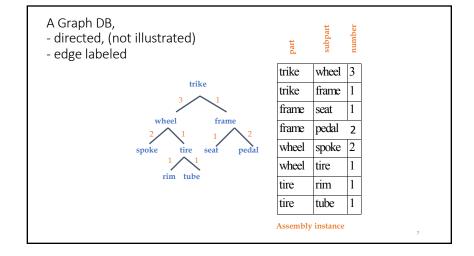
- Conceptual, logical, physical....
 - Our interest, relative to graph database queries: logical
- Our physical targets are very different, but:

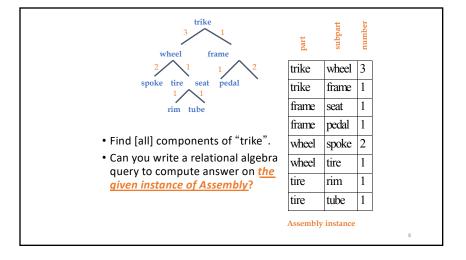
"Pushing θ -Semijoin through Join: We present below a transformation rule that describes how to push θ -semijoins through joins. [Cost-Based Optimization for Magic: Algebra and Implementation]

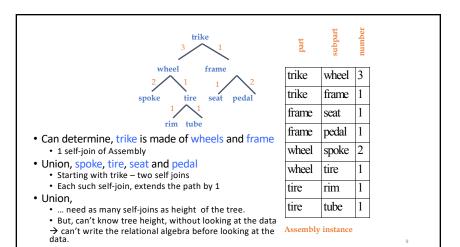
- Bloom filters:
 - · Central to cloud-native data stores
 - Enable, fast, approximate, implementation of semi-join

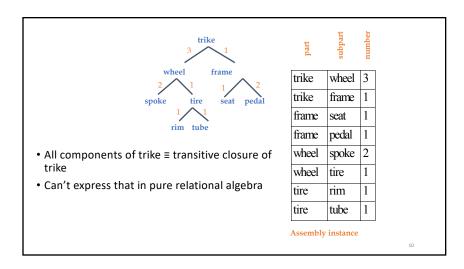
Today's running example:

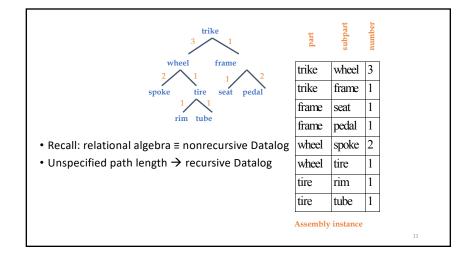
• From Ramakrishan and Gehrke

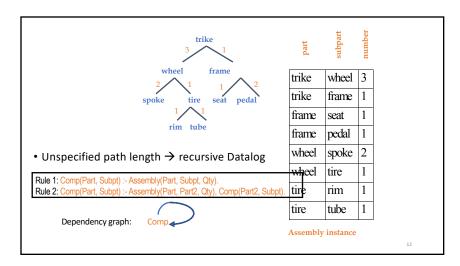












If not Relational Algebra, what about SQL?

In SQL

- Keyword, WITH
- A statement forms a temporary, intermediate table,
 - Statement is called a <Common Table Expression>, (CTE)
- As needed, keyword, RECURSIVE

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- · Keyword, WITH
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 - Statement is called a <Common Table Expression>, (CTE)
- · As needed, keyword, RECURISVE

Documenation:

• https://www.postgresql.org/docs/11/queries-with.html

Tutorials:

- https://www.sqlservertutorial.net/sql-server-basics/sql-server-cte/
- https://www.sqlservertutorial.net/sql-server-basics/sql-serverrecursive-cte/

Recursive SQL Query Example

WITH RECURSIVE Comp(Part, Subpt) AS /* Define Comp */

(SELECT A1.Part, A1.Subpt FROM Assembly A1)

UNION

(SELECT A2.Part, C1.Subpt FROM Assembly A2, Comp C1 WHERE A2.Subpt=C1.Part)

SELECT * FROM Comp C2 /* Returns all parts of a trike */

Recursive SQL Query Example

WITH RECURSIVE Comp(Part, Subpt) AS /* Define Comp */ Think of Comp is a View name

(SELECT A1.Part, A1.Subpt FROM Assembly A1) 1) Initialize: Comp(Part, Subpt) :- Assembly(Part, Subpt, Qty).

(SELECT A2.Part, C1.Subpt FROM Assembly A2, Comp C1 WHERE A2.Subpt=C1.Part)

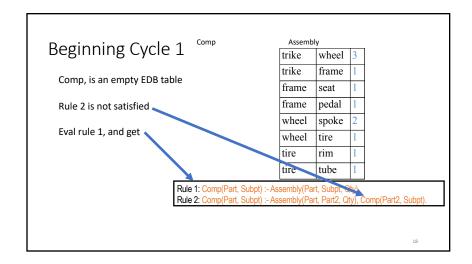
2) Add through repeated, recursive, execution

Comp(Part, Subpt) :- Assembly(Part, Part2, Qty), Comp(Part2, Subpt)

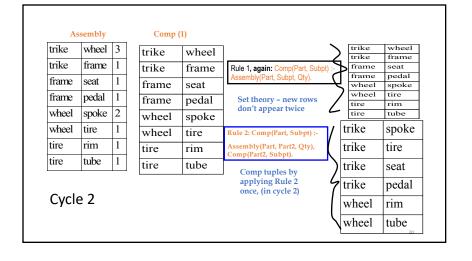
SELECT * FROM Comp C2 /* Returns all parts of a trike */

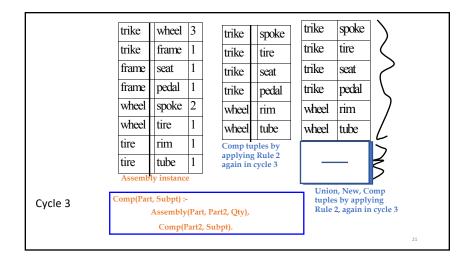
3) Get a result as is the net result, Comp, is the name of a view

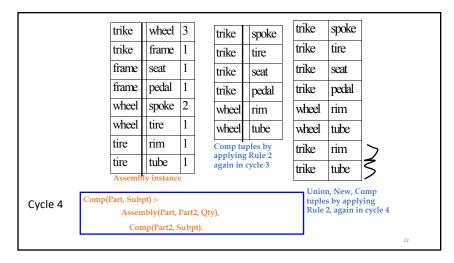
Review: Revisit Naïve Evaluation



End Cycle 1 Comp (1) Assembly trike wheel trike wheel trike trike frame frame frame seat frame seat frame pedal frame pedal spoke wheel spoke wheel wheel tire wheel tire tire rim tire tube tire tube Rule 1: Comp(Part, Subpt) :- Assembly(Part, Subpt, Qty). Rule 2: Comp(Part, Subpt) :- Assembly(Part, Part2, Qty), Comp(Part2, Subpt).







In cycle 4 we finished computing the transitive closure

- Cycle 5 no new rows → achieved fixed point.
- But, we have, on cycle 5, recomputed the entire contents of the EDB

Independent of Efficiency... Have we forgotten something?

Yes, we've only spoken to computing the transitive closure.

What if we don't need the transitive closure, but have a more specific query.

e.g. What are the parts of the wheel?

In SQL, actually kind of nice:

WITH RECURSIVE Comp(Part, Subpt) AS (SELECT A1.Part, A1.Subpt FROM Assembly A1) UNION (SELECT A2.Part, C1.Subpt FROM Assembly A2, Comp C1

SELECT * FROM Comp C2 Where C2.part = wheel.

WHERE A2.Subpt=C1.Part)

General construction

Specific query

The optimizer worries the rest

What are the optimizations?

- Avoid Repeated Inferences:
- Avoid Unnecessary Inferences:

What are the optimizations?

- Avoid Repeated Inferences:
 - Inference ≡ Query Evaluation
 - → Semi-naïve evaluation
- Avoid Unnecessary Inferences:
 - Magic-set transformation

Intuition From SQL Version

If the following were actually a materialized view:

WITH RECURSIVE Comp(Part, Subpt) AS (SELECT A1.Part, A1.Subpt FROM Assembly A1) UNION (SELECT A2.Part, C1.Subpt FROM Assembly A2, Comp C1

WHERE A2.Subpt=C1.Part)

Given query:

SELECT * FROM Comp C2

The answer is the entire WHERE C2.part = trike; transitive closure of trike

> Computer everything - no waste

Avoiding Unnecessary Inferences

If the following were a materialized view:

WITH RECURSIVE Comp(Part, Subpt) AS
(SELECT A1.Part, A1.Subpt FROM Assembly A1)
UNION
(SELECT A2.Part, C1.Subpt
FROM Assembly A2, Comp C1
WHERE A2.Subpt=C1.Part)

Given query:

SELECT * FROM Comp C2
WHERE C2.part = wheel.

From the entire materialized view, Answer = {spoke, tire, rim, tube}

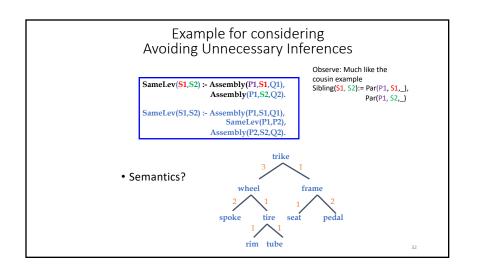
So we did not need to compute the entire transitive closure.

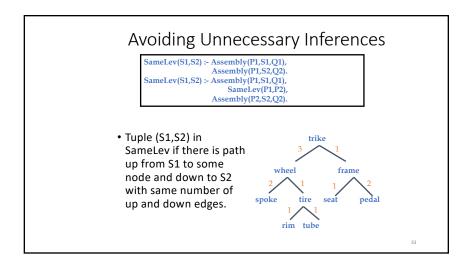
→ Much of initial query execution was not necessary to determine the answer.

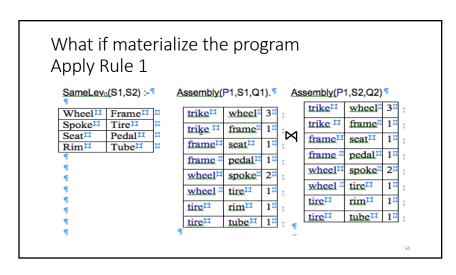
Same explanation: strict Datalog terminology

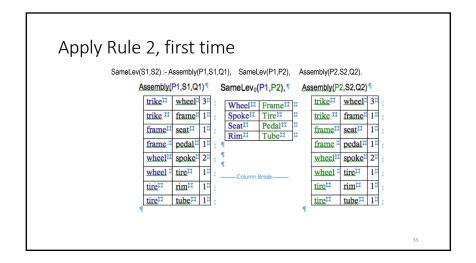
- Unnecessary inferences:
- If we just want to find components of a particular part, say wheel, then first computing general fixpoint of Comp program and then at end selecting tuples with wheel in the first column is wasteful.
- This would compute many irrelevant facts.

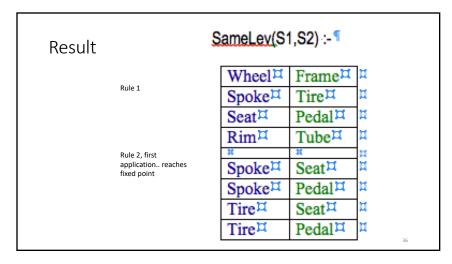
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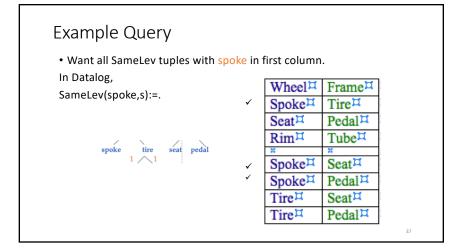


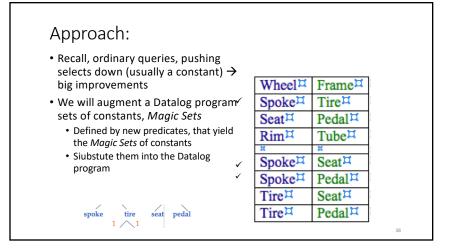


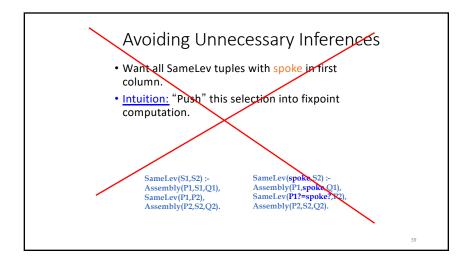


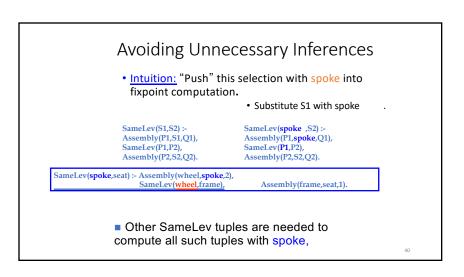












"Magic Sets" Idea

- 1. Define "filter" table that computes all relevant values
- 2. Restrict computation of SameLev to infer only tuples with relevant value in first column.

Intuition

- Relevant values: contains all tuples m for which we require to compute all same-level tuples with m in first column to answer query.
- Put differently, relevant values are all Same-Level tuples whose first field contains value on path from spoke up to root.
- We call it Magic-SameLevel (Magic-SL)

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"Magic Sets" in Example

• Idea: Define "filter" table that computes all relevant values: Collect all parents of spoke.

 $\begin{aligned} & Magic_SL(P1) :- Magic_SL(S1), Assembly(P1,S1,Q1). \\ & Magic_SL(spoke) :- \ . \end{aligned}$

Make Magic table as Magic-SL

- rule with head, Magic_SL(p1), has no constants
- Magic_SL(spoke):-. Is a separate rule for defining the filter table

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Define "filter" table that computes all relevant values :

• Idea: Collect all parents of spoke.

Magic_SL(P1):- Magic_SL(S1), Assembly(P1,S1,Q1).

Magic_SL(spoke):- .

trike

ywheel frame

2 1 1 1 1 1
rim tube

Make Magic table as Magic-SameLevel.

"Magic Sets" Idea

 Idea: Define a "filter" table (in the form a predicate) to restrict the computation of SameLev to only tuples with a relevant value in the first column

Define:

Magic_SL(P1):- Magic_SL(S1), Assembly(P1,S1,Q1). Magic(spoke).

Add predicate to same level rules (limiting the results to a subset of the original $\begin{array}{l} SameLev(S1,S2) :- Magic_SL(S1), \ Assembly(P1,S1,Q1), \\ Assembly(P1,S2,Q2). \end{array}$

SameLev(S1,S2) :- Magic_SL(S1), Assembly(P1,S1,Q1), SameLev(P1,P2), Assembly(P2,S2,Q2).

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The Magic Sets Algorithm

- 1. Generate an "adorned" program
 - Program is rewritten to make pattern of bound and free arguments in query explicit
- 2. Add magic filters of form "Magic P"
 - for each rule in adorned program add a Magic condition to body that acts as filter on set of tuples generated (predicate P to restrict these rules)
- 3. Define new rules to define filter tables
 - Define new rules to define filter tables of form Magic_P

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Step 1:Generating Adorned Rules

 Adorned program for query pattern SameLev^{bf}, assuming right-to-left order of rule evaluation:

```
SameLev<sup>bf</sup> (S1,S2):- Assembly(P1,S1,Q1), Assembly(P1,S2,Q2).

SameLev<sup>bf</sup> (S1,S2):- Assembly(P1,S1,Q1),

SameLev<sup>bf</sup> (P1,P2), Assembly(P2,S2,Q2).
```

- - \diamond b if it appears to the left in body,
 - * or if it is a b argument of head of rule,
- * Otherwise it is free. (as in won't be bound)
- Assembly not adorned because explicitly stored table (EDB).

Step 2: Add Magic Filters

 For every rule in adorned program add a 'magic filter' predicate

SameLev^{bf} (S1,S2):- Magic_SL (S1), Assembly(P1,S1,Q1), Assembly(P1,S2,Q2).

SameLev^{bf} (S1,S2) :- Magic_SL (S1), Assembly(P1,S1,Q1), SameLev^{bf} (P1,P2), Assembly(P2,S2,Q2).

• Filter predicate: copy of head of rule, Magic prefix, and delete free variable

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Step 3:Defining Magic Tables

- Rule for Magic_P is generated from each occurrence of recursive P in body of rule:
 - Delete everything to right of P
 - Add prefix "Magic" and delete free columns of P
 - · Move P, with these changes, into head of rule

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Step 3:Defining Magic Table

- Rule for Magic_P is generated from each occurrence O of recursive P in body of rule:
 - Delete everything to right of P

 $\begin{array}{c} SameLev^{bf}\left(S1,S2\right):-Magic_SL(S1),\ Assembly(P1,S1,Q1),\\ SameLev^{bf}\left(P1,P2\right), \\ Assembly(P2,S2,Q2). \end{array}$

• Add prefix "Magic" and delete free columns of P

 $\begin{array}{c} \textbf{Magic-SameLev}^{bf}\left(S1,S2\right) :- \textbf{Magic_SL}(S1), \ Assembly(P1,S1,Q1), \\ \textbf{Magic-SameLev}^{bf}\left(P1_\right). \end{array}$

• Move P, with these changes, into head of rule

Magic_SL(P1) :- Magic_SL(S1), Assembly(P1,S1,Q1).

Supplemental Slides: Semi-naïve Evaluation Example

