

Types of Learning

Supervised (inductive) learning

 Given: training data + desired outputs (labels)

Unsupervised learning

Given: training data (without desired outputs)

Semi-supervised learning

Given: training data + a few desired outputs

Reinforcement learning

- A reinforcement learning algorithm, or agent, learns by interacting with its environment.
- The agent receives rewards by performing correctly and penalties for performing incorrectly.
- The agent learns without intervention from a human by maximizing its reward and minimizing its penalty.

Supervised Learning

We are given input samples (X) and output samples (y) of a function y = f(X).

We can represent the entire data set:

Data= (X,y); {Standard Notation}

We would like to "learn" f, and evaluate it on new data. Types:

- -Classification: y is factors (class labels).
- -Regression: y is continuous, e.g. linear regression.

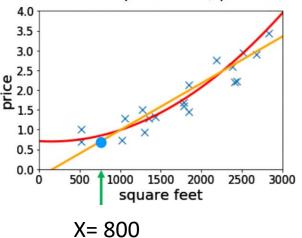
Housing Price Prediction

 \triangleright Given: a dataset that contains n samples

$$(x^{(1)}, y^{(1)}), \dots (x^{(n)}, y^{(n)})$$

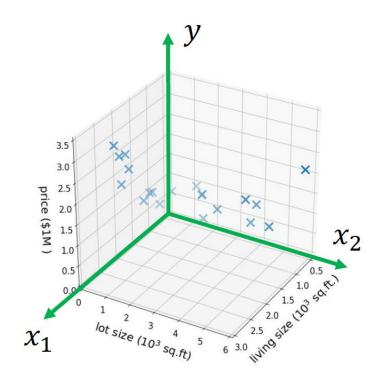
> Task: if a residence has x square feet, predict its price?

Y= ?



fitting linear/qaudratic functions to the dataset

More Features



- Suppose we also know the lot size
- Task: find a function that maps

(size, lot size)
$$\rightarrow$$
 price features/input label/output $x \in \mathbb{R}^2$ $y \in \mathbb{R}$

- ➤ Dataset: $(x^{(1)}, y^{(1)}), ..., (x^{(n)}, y^{(n)})$ where $x^{(i)} = (x_1^{(i)}, x_2^{(i)})$
- \succ "Supervision" refers to $y^{(1)}, \dots, y^{(n)}$

High Dimensional Features

- $x \in \mathbb{R}^d$ for large d
- E.g.,

$$x = \begin{bmatrix} x_1 \\ x_2 \\ x_3 \\ \vdots \\ x_n \end{bmatrix} --- \text{ living size}$$

$$x = \begin{bmatrix} x_1 \\ x_2 \\ x_3 \\ \vdots \\ x_n \end{bmatrix} --- \text{ floors}$$

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Unsupervised Leaning

Given only samples X of the data (unlabelled data), we compute a function used to draw inferences.

-y is factor: Clustering

-y is continuous: Matrix factorization, Kalman filtering, unsupervised neural networks.