homework 1, version 4

```
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```

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Homework I - convolutions

18.S191, fall 2020

This notebook contains *built-in*, *live answer checks*! In some exercises you will see a coloured box, which runs a test case on your code, and provides feedback based on the result. Simply edit the code, run it, and the check runs again.

For MIT students: there will also be some additional (secret) test cases that will be run as part of the grading process, and we will look at your notebook and write comments.

Feel free to ask questions!

```
student = (name = "Juli Osorio", kerberos_id = "ju")

    # edit the code below to set your name and kerberos ID (i.e. email without @mit.edu)

    student = (name = "Juli Osorio", kerberos_id = "ju")

    # press the ▶ button in the bottom right of this cell to run your edits

    # or use Shift+Enter

    # you might need to wait until all other cells in this notebook have completed running.

    # scroll down the page to see what's up
```

Let's create a package environment:

```
begin
import Pkg
Pkg.activate(mktempdir())
end
```

We set up Images.jl again:

```
- begin
- Pkg.add(["Images", "ImageMagick"])
- using Images
- end
```

bigbreak

Exercise 1 - Manipulating vectors (1D images)

A Vector is a 1D array. We can think of that as a 1D image.

```
example_vector = Float64[0.5, 0.4, 0.3, 0.2, 0.1, 0.0, 0.7, 0.0, 0.7, 0.9]

example_vector = [0.5, 0.4, 0.3, 0.2, 0.1, 0.0, 0.7, 0.0, 0.7, 0.9]
```



colored_line(example_vector)

Exerise 1.1

← Make a random vector random_vect of length 10 using the rand function.

```
random_vect = Float64[0.534029, 0.40331, 0.313604, 0.309896, 0.868636, 0.346217,
    random_vect = rand(10) # replace this with your code!
```

random_vect = rand(10) # replace this with your code:



colored_line(random_vect)

Got it!

Great!



← Make a function mean using a for loop, which computes the mean/average of a vector of numbers.

mean (generic function with 1 method)

```
function mean(x)

m = 0

for i =1:length(x)

m += x[i]

end

return m/length(x)

end
```

2.0

```
mean([1, 2, 3])
```

Got it!

Let's move on to the next section.

The Define m to be the mean of random_vect.

```
\mathbf{m} = 0.4540710587407634
```

```
m = mean(random_vect)
```

Got it!

Keep it up!

 \checkmark Write a function demean, which takes a vector x and subtracts the mean from each value in x.

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demean (generic function with 1 method)

```
function demean(x)
dem = x .- mean(x)
return dem
end
```

Let's check that the mean of the demean(random_vect) is 0:

Due to floating-point round-off error it may not be exactly 0.

1.6653345369377347e-17

```
mean(demean(copy_of_random_vect))
```

```
copy_of_random_vect = copy(random_vect); # in case demean modifies `x`
```

Exercise 1.2

Generate a vector of 100 zeros. Change the center 20 elements to 1.

create_bar (generic function with 1 method)

```
function create_bar()
    y = zeros(100)
    y[5:5:95] .= 1
    return y
end
```

colored_line(create_bar())

Got it!

Good job!

Exercise 1.3

Write a function that turns a Vector of Vectors into a Matrix.

vecvec_to_matrix (generic function with 1 method)

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```
function vecvec_to_matrix(vecvec)
A = zeros((length(vecvec), length(vecvec[1])))
for i=1:length(vecvec)
A[i,:] = vecvec[i]
end
return A
end
```

```
2×2 Array{Float64,2}:
1.0 2.0
3.0 4.0

vecvec_to_matrix([[1,2], [3,4]])
```

Got it!

Let's move on to the next section.

Write a function that turns a Matrix into a Vector of Vectors.

matrix_to_vecvec (generic function with 1 method)

```
function matrix_to_vecvec(matrix)
v = fill(Float64[], size(matrix)[1])
for i =1: size(matrix)[1]
v[i] = matrix[i,:]
end
return v
end
```

```
Array[Float64[6.0, 7.0], Float64[8.0, 9.0]]
```

```
matrix_to_vecvec([6 7; 8 9])
```

Got it!

Good job!

colored_line (generic function with 2 methods)

```
begin
colored_line(x::Vector{<:Real}) = Gray.(Float64.((hcat(x)')))
colored_line(x::Any) = nothing
end</pre>
```

Exercise 2 - Manipulating images

In this exercise we will get familiar with matrices (2D arrays) in Julia, by manipulating images. Recall that in Julia images are matrices of RGB color objects.

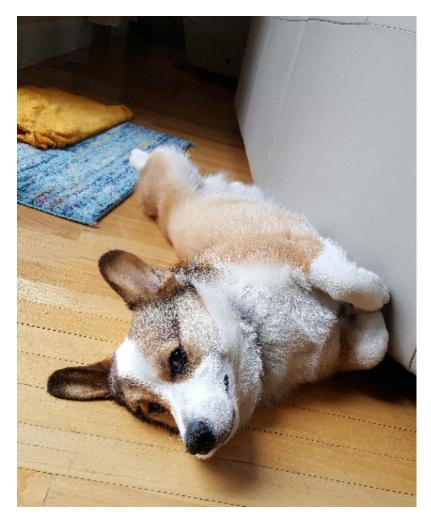
Let's load a picture of Philip again.

```
philip_file = "/var/folders/1_/9n_ymmss70q94ytkkmyg_qzh0000gn/T/jl_W1E10K"

    philip_file = download("https://i.imgur.com/VGPeJ6s.jpg")
```

```
philip =
```

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```
philip = let
    original = Images.load(philip_file)
    decimate(original, 8)
    end
```

Hi there Philip

```
md"_Hi there Philip_"
```

Exercise 2.1

Write a function mean_colors that accepts an object called image. It should calculate the mean (average) amounts of red, green and blue in the image and return a tuple (r, g, b) of those means.

mean_colors (generic function with 1 method)

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```
function mean_colors(image)
    red = 0
    green = 0
    blue = 0
    A = channelview(image)
    n = size(A)[2]
    m = size(A)[3]
    for i = 1:n
        red += mean(A[1,i,:])
        green += mean(A[2,i,:])
        blue += mean(A[3,i,:])
    end
    rgb_avg = (red/n, green/n, blue/n)
    return rgb_avg
end
```

```
(0.600728, 0.547328, 0.479731)

mean_colors(philip)
```

Got it!

Awesome!

Exercise 2.2

Look up the documentation on the floor function. Use it to write a function quantize (x::Number) that takes in a value x (which you can assume is between 0 and 1) and "quantizes" it into bins of width 0.1. For example, check that 0.267 gets mapped to 0.2.

quantize (generic function with 3 methods)

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```
(0.2, 0.9)

quantize(0.267), quantize(0.91)
```

color =



```
color = RGB(0.65, 0.34, 0.11)
```

0.6

quantize(color).r

Got it!

Keep it up!

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```
if !@isdefined(quantize)
      not_defined(:quantize)
else
      let
          result = quantize(.3)
          if ismissing(result)
              still_missing()
          elseif isnothing(result)
              keep_working(md"Did you forget to write `return`?")
          elseif result != .3
              if quantize(0.35) == .3
                  almost(md"What should quantize(`0.2`) be?")
              else
                  keep_working()
              end
          else
              correct()
          end
      end
end
```

Exercise 2.3

Write the second **method** of the function quantize, i.e. a new *version* of the function with the *same* name. This method will accept a color object called color, of the type AbstractRGB.

Write the function in the same cell as quantize(x::Number) from the last exercise. \checkmark



Here, :: AbstractRGB is a type annotation. This ensures that this version of the function will be chosen when passing in an object whose type is a subtype of the AbstractRGB abstract type. For example, both the RGB and RGBX types satisfy this.

The method you write should return a new RGB object, in which each component (r, g and b) are quantized.

Exercise 2.4

Write a method quantize(image::AbstractMatrix) that quantizes an image by quantizing each pixel in the image. (You may assume that the matrix is a matrix of color objects.)

Write the function in the same cell as quantize(x::Number) from the last exercise. \checkmark



Let's apply your method!

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```
[quantize(philip) philip]
```

Exercise 2.5

ightharpoonup Write a function invert that inverts a color, i.e. sends (r,g,b) to (1-r,1-g,1-b).

invert (generic function with 2 methods)

```
begin
    function invert(color::AbstractRGB)

return RGB(1-color.r, 1- color.g, 1-color.b)
end

function invert(image::AbstractMatrix)
    inverted = copy(image)
    for i=1:size(image)[1], j = 1:size(image)[2]
        inverted[i,j] = invert(image[i,j])
    end
    return inverted
end
end
```

Let's invert some colors:

black =



= black = RGB(0.0, 0.0, 0.0)

```
invert(black)
```

red =



red = RGB(1.0, 0.0, 0.0)



invert(red)

Can you invert the picture of Philip?



invert(philip)

Exercise 2.6

Write a function noisify (x::Number, s) to add randomness of intensity s to a value x, i.e. to add a random value between -s and +s to x. If the result falls outside the range (0,1) you should "clamp" it to that range. (Note that Julia has a clamp function, but you should write your own function myclamp(x).)

noisify (generic function with 3 methods)

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```
begin
      function myclamp(x::Number,a,b)
          if (x >a) && (x < b )
              y = x
          elseif x >= b
              y = b
          else
              y = a
          end
          return y
      end
      function noisify(x::Number, s)
          y = myclamp(x + 2*s*rand() - s,0,1)
          return y
      end
      function noisify(color::AbstractRGB, s)
          return RGB(noisify(color.r,s), noisify(color.g, s), noisify(color.b, s))
      end
      function noisify(image::AbstractMatrix, s)
          noise_image = copy(image)
          for i=1:size(image)[1], j = 1:size(image)[2]
              noise_image[i,j] = noisify(image[i,j],s)
          return noise_image
      end
end
```

Hint

 \leftarrow Write the second method noisify (c::AbstractRGB, s) to add random noise of intensity s to each of the (r, g, b)values in a colour.

Write the function in the same cell as noisify (x::Number) from the last exercise.



0.0

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@bind color_noise Slider(0:0.01:1, show_value=true)



noisify(red, color_noise)

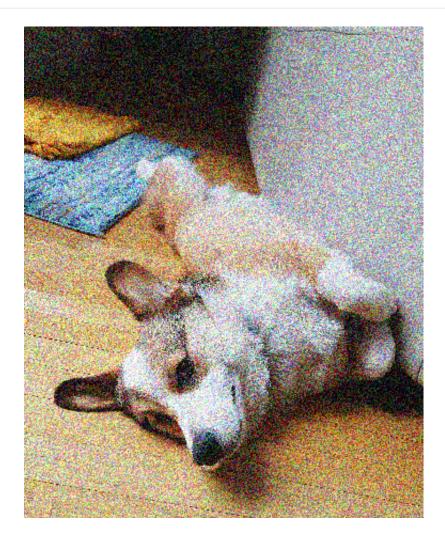
Write the third method noisify(image::AbstractMatrix, s) to noisify each pixel of an image.

Write the function in the same cell as noisify (x: Number) from the last exercise. \checkmark



0.32

@bind philip_noise Slider(0:0.01:8, show_value=true)



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```
noisify(philip, philip_noise)
```

For which noise intensity does it become unrecognisable?

You may need noise intensities larger than 1. Why?

```
answer_about_noise_intensity =
```

The image is unrecognisable with intensity bigger than 1.5 approximately

```
begin
Pkg.add("PlutoUI")
using PlutoUI
end
```

```
decimate (generic function with 2 methods)
```

```
decimate(image, ratio=5) = image[1:ratio:end, 1:ratio:end]
```

Exercise 3 - Convolutions

As we have seen in the videos, we can produce cool effects using the mathematical technique of **convolutions**. We input one image M and get a new image M' back.

Conceptually we think of M as a matrix. In practice, in Julia it will be a Matrix of color objects, and we may need to take that into account. Ideally, however, we should write a **generic** function that will work for any type of data contained in the matrix.

A convolution works on a small **window** of an image, i.e. a region centered around a given point (i, j). We will suppose that the window is a square region with odd side length $2\ell+1$, running from $-\ell,\ldots,0,\ldots,\ell$.

The result of the convolution over a given window, centred at the point (i,j) is a *single number*; this number is the value that we will use for $M'_{i,j}$. (Note that neighbouring windows overlap.)

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To get started let's restrict ourselves to convolutions in 1D. So a window is just a 1D region from $-\ell$ to ℓ .

Let's create a vector v of random numbers of length n=100.

```
n = 100
n = 100
```

```
v = Float64[0.990099, 0.756639, 0.070899, 0.0832139, 0.772248, 0.924601, 0.077600
v = rand(n)
```

Feel free to experiment with different values!

Exercise 3.1

You've seen some colored lines in this notebook to visualize arrays. Can you make another one?

Try plotting our vector v using colored_line(v).

```
- colored_line(v)
```

Try changing n and v around. Notice that you can run the cell v = rand(n) again to regenerate new random values.

Exercise 3.2

We need to decide how to handle the **boundary conditions**, i.e. what happens if we try to access a position in the vector \mathbf{v} beyond 1:n. The simplest solution is to assume that v_i is 0 outside the original vector; however, this may lead to strange boundary effects.

A better solution is to use the *closest* value that is inside the vector. Effectively we are extending the vector and copying the extreme values into the extended positions. (Indeed, this is one way we could implement this; these extra positions are called **ghost cells**.) \checkmark Write a function extend(v, i) that checks whether the position i is inside 1:n. If so, return the ith component of v; otherwise, return the nearest end value.

extend (generic function with 1 method)

```
function extend(v, i)
return v[myclamp(i,1, length(v))]
end
```

Some test cases:

- 0.9900988383831115
- 0.9900988383831115

```
extend(v, -8)
```

0.8595618272822978

```
\cdot extend(v, n + 10)
```

Extended with o:



Extended with your extend:



Got it!

Let's move on to the next section.

Exercise 3.3

✓ Write a function blur_1D(v, 1) that blurs a vector v with a window of length 1 by averaging the elements within a window from $-\ell$ to ℓ . This is called a **box blur**.

blur_1D (generic function with 1 method)

```
function blur_1D(v, 1)
    v_blured = zeros(length(v))
    for i = 1 : length(v)
        v_blured[i] = mean([extend(v,i+k) for k =-1:1])
    end
    return v_blured
end
```

Exercise 3.4

Apply the box blur to your vector v. Show the original and the new vector by creating two cells that call colored_line.

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Make the parameter ℓ interactive, and call it 1_box instead of just 1 to avoid a variable naming conflict.



Exercise 3.5

Hint

The box blur is a simple example of a **convolution**, i.e. a linear function of a window around each point, given by

$$v_i' = \sum_n \, v_{i-n} \, k_n,$$

where k is a vector called a **kernel**.

Again, we need to take care about what happens if v_{i-n} falls off the end of the vector.

Write a function convolve_vector(v, k) that performs this convolution. You need to think of the vector k as being centred on the position i. So n in the above formula runs between $-\ell$ and ℓ , where $2\ell+1$ is the length of the vector k. You will need to do the necessary manipulation of indices.

convolve_vector (generic function with 1 method)

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```
function convolve_vector(v, k)
n = length(k)
conv_vector = zeros(length(v))
for i =1 : length(v)
conv_vector[i] = sum([extend(v,i+(2*j -n-1)÷2)*k[j] for j =1:n])
end
return conv_vector
end
```

Hint

```
colored_line(test_convolution)
```

```
test_convolution = Float64[1.0, 10.0, 100.0, 1000.0, 10000.0]

test_convolution = let
    v = [1, 10, 100, 1000, 10000]
    k = [0, 1, 0]
    convolve_vector(v, k)
end
```

Edit the cell above, or create a new cell with your own test cases!

Got it!

Great!

Exercise 3.6

Write a function gaussian_kernel.

The definition of a Gaussian in 1D is

$$G(x) = rac{1}{\sqrt{2\pi\sigma^2}} \exp\left(rac{-x^2}{2\sigma^2}
ight)$$

We need to **sample** (i.e. evaluate) this at each pixel in a region of size n^2 , and then **normalize** so that the sum of the

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resulting kernel is 1.

For simplicity you can take $\sigma = 1$.

gauss (generic function with 2 methods)

```
function gauss(x::Number, s=1)
    g = exp((-x^2)/(2*s^2))/(sqrt(2*pi*s^2))
    return g/sum(g)
end
```

```
Float64[1.0, 1.0, 1.0, 1.0, 1.0]
```

```
[gauss(k) for k=-2:2]
```

```
ker = Float64[0.0544887, 0.244201, 0.40262, 0.244201, 0.0544887]
   ker = Kernel.gaussian((1,))
```

gaussian_kernel (generic function with 1 method)

```
function gaussian_kernel(n)
    k = [gauss(j) for j= -n:n]
    return k
end
```

Let's test your kernel function!

0

```
• @bind gaussian_kernel_size_1D Slider(1:10) # change this value, or turn me into a slider!
```

```
test_gauss_1D_a = Float64[1.47137, 1.25094, 1.02681, 1.49214, 1.52475, 2.11766,
```

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```
test_gauss_1D_a = let
    v = random_vect
    k = gaussian_kernel(gaussian_kernel_size_1D)

if k !== missing
    convolve_vector(v, k)
    end
end
```

```
colored_line(test_gauss_1D_b)
```

Exercise 4 - Convolutions of images

Now let's move to 2D images. The convolution is then given by a **kernel** matrix K:

$$M'_{i,j} = \sum_{k,l} \, M_{i-k,j-l} \, K_{k,l},$$

where the sum is over the possible values of k and l in the window. Again we think of the window as being *centered* at (i, j).

A common notation for this operation is *:

$$M' = M * K$$
.

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Exercise 4.1

Write a function extend_mat that takes a matrix M and indices i and j, and returns the closest element of the matrix.

extend_mat (generic function with 1 method)

```
function extend_mat(M::AbstractMatrix, i, j)
    (m,n) = size(M)
    return M[myclamp(i,1,m), myclamp(j,1,n)]
end
```

syntax: invalid identifier name "?"

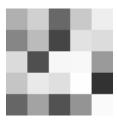
1. top-level scope a none:1

. ?

Hint

Let's test it!

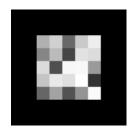
small_image =



```
small_image = Gray.(rand(5,5))
```

Extended with 0:

md"Extended with `0`:"



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```
[get(small\_image, (i, j), Gray(0)) for (i, j) in Iterators.product(-1:7, -1:7)]
```

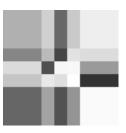
Extended with your extend:

```
- md"Extended with your `extend`:"
```

1

```
myclamp(1,1,3)
```

```
begin
    a = [1 2 ; 3 4]
    [extend_mat(a, i,j) for (i,j) in Iterators.product(-1:3,-1:3)]
end
```



```
[extend_mat(small_image, i, j) for (i,j) in Iterators.product(-1:7,-1:7)]
```

Got it!

Well done!

```
if !@isdefined(extend_mat)
      not_defined(:extend_mat)
else
     let
          input = [42 37; 1 0]
          result = extend_mat(input, -2, -2)
         if ismissing(result)
              still_missing()
          elseif isnothing(result)
              keep_working(md"Did you forget to write `return`?")
          elseif result != 42 || extend_mat(input, -1, 3) != 37
              keep_working()
          else
              correct()
         end
      end
end
```



```
philip_head = philip[250:430,110:230]
[extend_mat(philip_head, i, j) for (i,j) in Iterators.product(-50:size(philip_head,1)+51,
    (-50:size(philip_head,2)+51))]
end
```

Exercise 4.2

Implement a function convolve_image(M, K).

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convolve_image (generic function with 1 method)

```
function convolve_image(M::AbstractMatrix, K::AbstractMatrix)
    M_conv = similar(M) # had to copy M so the convol is of the same type
    row, col = size(K)
    for i = 1:size(M)[1], j = 1:size(M)[2]
        M_conv[i,j] = sum([extend_mat(M, i + (2*k -row - 1)÷2, j + (2*l - col -1)÷
2)*extend_mat(K,k,l) for (k,l) in Iterators.product(1:row, 1:col)])
    end
    return M_conv
end
```

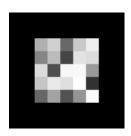
0-dimensional Array{DataType,0}:
Array{RGBX{Normed{UInt8,8}},2}

fill(Array{RGBX{Normed{UInt8,8}},2})

Hint

Let's test it out!

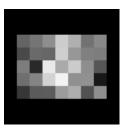
test_image_with_border =



```
test_image_with_border = [get(small_image, (i, j), Gray(0)) for (i,j) in Iterators.product(-1:7,-1:7)]
```

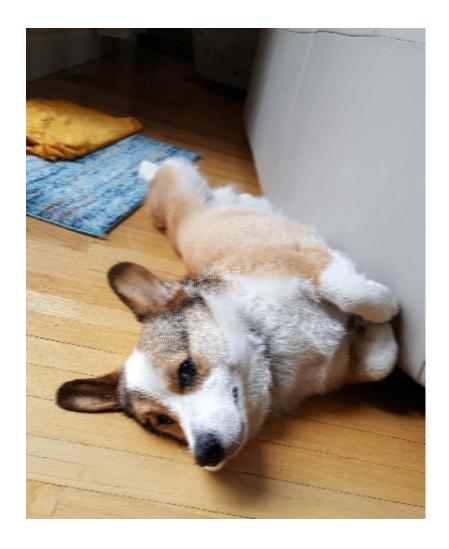
```
K_test = 3×3 Array{Float64,2}:
     0.0 0.0 0.0
     0.5 0.0 0.5
     0.0 0.0 0.0
```

```
K_test = [
     0     0     0
     1/2     0     1/2
     0     0     0
     ]
```

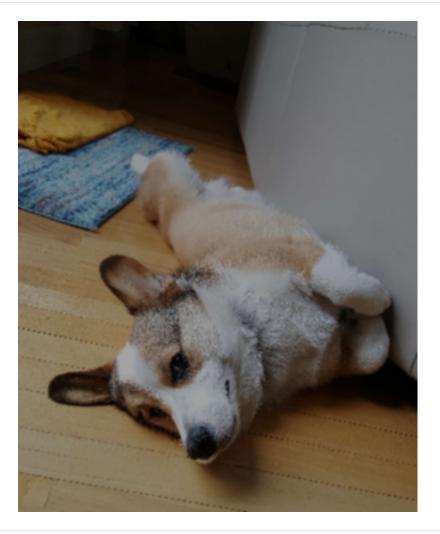


convolve_image(test_image_with_border, K_test)

Edit K_test to create your own test case!



convolve_image(philip, K_test)



You can create all sorts of effects by choosing the kernel in a smart way. Today, we will implement two special kernels, to produce a **Gaussian blur** and a **Sobel edge detect** filter.

Make sure that you have watched **the lecture** about convolutions!

Exercise 4.3

Apply a Gaussian blur to an image.

Here, the 2D Gaussian kernel will be defined as

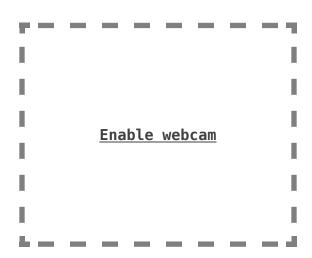
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$$G(x,y)=rac{1}{2\pi\sigma^2}e^{rac{-(x^2+y^2)}{2\sigma^2}}$$

```
gaussian_2D = 5×5 Array{Float64,2}:
                 0.05854983152431917
                                       0.013064233284684921
                                                                3.5974259813700723e-7
                 0.013064233284684921
                                       0.0029150244650281935
                                                                8.026942353452266e-8
                 0.0010723775711956546
                                       0.0002392797792004706
                                                                6.5889155203724425e-9
                 3.238299669088984e-5
                                       7.225623237724322e-6
                                                                1.9896800830595185e-10
                3.5974259813700723e-7 8.026942353452266e-8
                                                                2.2103349154917858e-12
 gaussian_2D = [exp(-(i^2+j^2)/2)/(2*pi) for (i,j) in Iterators.product(1:5,1:5)]
5×5 OffsetArray(::Array{Float64,2}, -2:2, -2:2) with eltype Float64 with indices -2:2×-2:2:
 0.002969016743950497 \quad 0.013306209891013651 \quad \dots \quad 0.002969016743950497
 0.013306209891013651 0.059634295436180124
                                              0.013306209891013651
 0.02193823127971464
                      0.09832033134884574
                                              0.02193823127971464
 0.013306209891013651
 0.002969016743950497  0.013306209891013651
                                              0.002969016743950497
 Kernel.gaussian((1,1))
with_gaussian_blur (generic function with 1 method)
```

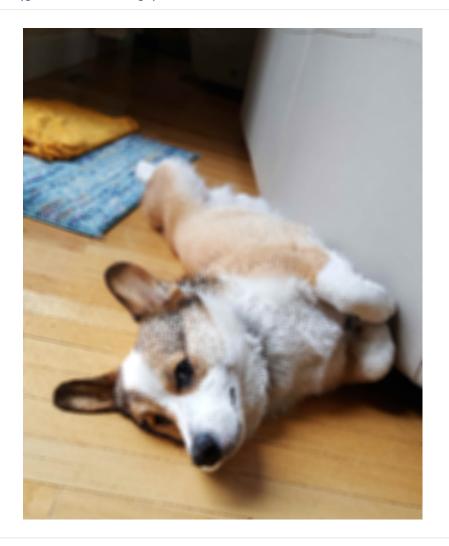
```
function with_gaussian_blur(image)
    gaussian_2D = [gauss(i,0.75).*gauss(j,0.75) for (i,j) in Iterators.product(1:5,1:5)]
    kernel = gaussian_2D/sum(gaussian_2D)
    conv_image = convolve_image(image, kernel)
    return conv_image
end
```

Let's make it interactive.





with_gaussian_blur(gauss_camera_image)



with_gaussian_blur(philip)

Exercise 4.4

Create a Sobel edge detection filter.

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Here, we will need to create two separate filters that separately detect edges in the horizontal and vertical directions:

$$G_x = \left(egin{bmatrix} 1 \ 2 \ 1 \end{bmatrix} \otimes [1 \ 0 \ -1]
ight) *A = \left[egin{bmatrix} 1 & 0 & -1 \ 2 & 0 & -2 \ 1 & 0 & -1 \end{bmatrix} *A \ G_y = \left(egin{bmatrix} 1 \ 0 \ -1 \end{bmatrix} \otimes [1 \ 2 \ 1]
ight) *A = \left[egin{bmatrix} 1 & 2 & 1 \ 0 & 0 & 0 \ -1 & -2 & -1 \end{bmatrix} *A \ \end{array}$$

Here A is the array corresponding to your image. We can think of these as derivatives in the x and y directions.

Then we combine them by finding the magnitude of the **gradient** (in the sense of multivariate calculus) by defining

$$G_{
m total} = \sqrt{G_x^2 + G_y^2}.$$

For simplicity you can choose one of the "channels" (colours) in the image to apply this to.

with_sobel_edge_detect (generic function with 1 method)

```
function with_sobel_edge_detect(image)
Gx = convolve_image(image,[1 0 -1; 2 0 -2; 1 0 -1])
Gy = convolve_image(image,[1 2 1; 0 0 0; -1 -2 -1])
conv_image = sqrt.(Gx.^2 + Gy.^2)
return conv_image
end
```





```
RGB.(with_sobel_edge_detect(sobel_camera_image))
```

Exercise 5 - Lecture transcript

(MIT students only)

Please see the Canvas post for transcript document for week 1 here.

We need each of you to correct about 100 lines (see instructions in the beginning of the document.)

Please mention the name of the video and the line ranges you edited:

```
md"""
## **Exercise 5** - _Lecture transcript_
_(MIT students only)_

Please see the Canvas post for transcript document for week 1 [here]
(https://canvas.mit.edu/courses/5637/discussion_topics/27880).

We need each of you to correct about 100 lines (see instructions in the beginning of the document.)

Please mention the name of the video and the line ranges you edited:
"""
```

lines_i_edited =

Convolution, lines 100-0 (for example)

```
lines_i_edited = md"""
Convolution, lines 100-0 (_for example_)
"""
```

```
hint (generic function with 1 method)

almost (generic function with 1 method)

still_missing (generic function with 2 methods)

keep_working (generic function with 2 methods)

yays = MD[Great!, Yay ♥, Great! ※, Well done!, Keep it up!, Good job!, Awesome!

correct (generic function with 2 methods)

not_defined (generic function with 1 method)

camera_input (generic function with 1 method)

process_raw_camera_data (generic function with 1 method)
```