

# Unraveling Multicollinearity between Predictors with PCLR and PLSLR Techniques

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### **PROBLEM STATEMENT**

### THE ISSUES

- The usual dimension reduction techniques avoid multicollinearity
- They undermine the statistical significance of independent variables



**PROBLEM** 

### THE RESOLUTIONS

Need to follow Principal Component Regression (PCR) and Partial Least Squares Regression (PLSR) to solve this kind of situation



Better prediction model with fewer components for regression analysis

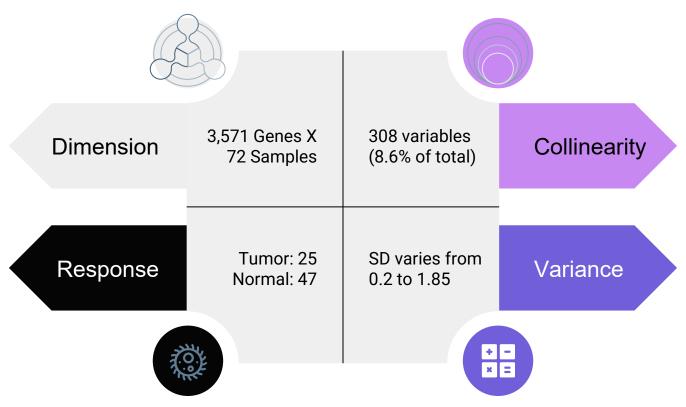


SOLUTION



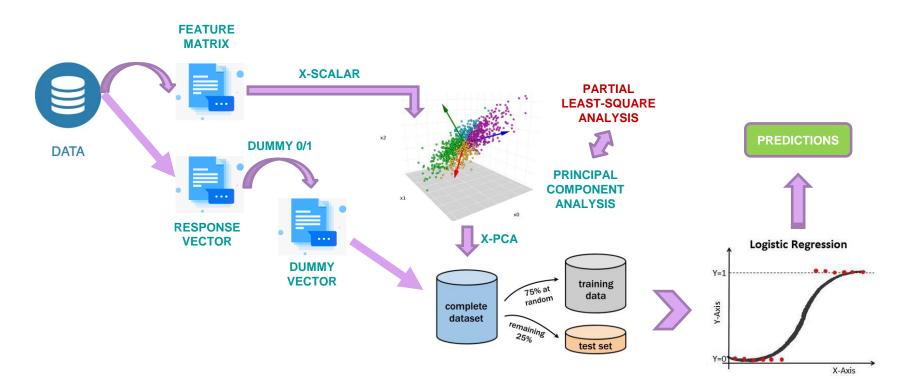
RESULT

## **Tumor Dataset for Analysis**

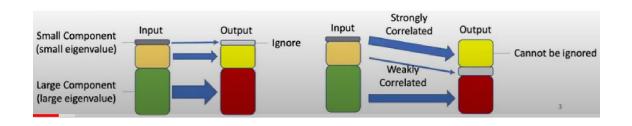




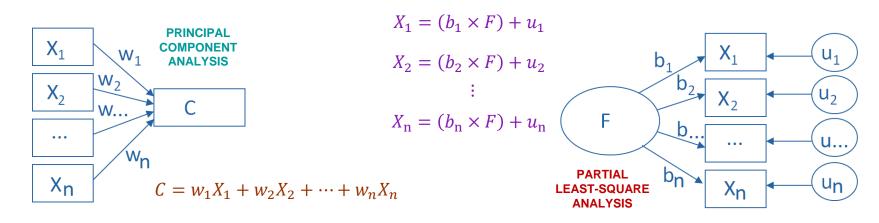
### **PCLR Method**



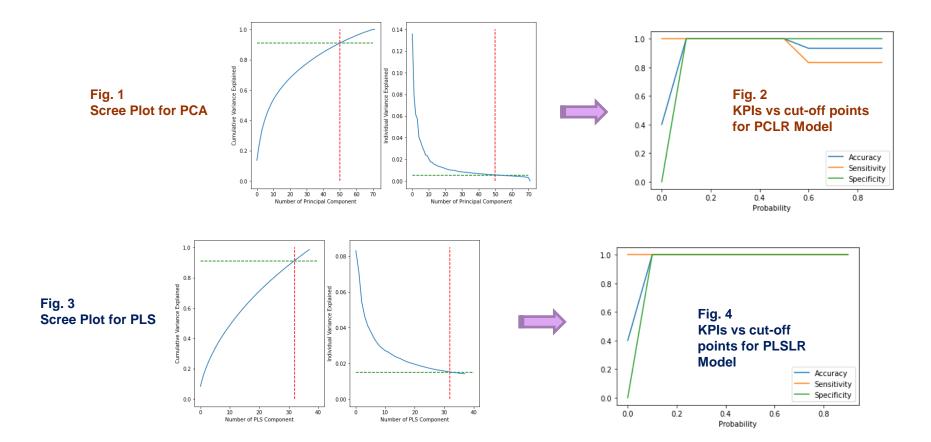
### **PCLR vs PLSLR** ⇒ **PCA vs PLS**



$$y_{n X 1} = X_{n X (p+1)} . \beta_{(p+1) X 1} + \varepsilon_{n X 1}$$



# **Analysis and Results**



# **Findings and Future Scopes**

Criterial	PCLR	PLSLR
Total components for 91% explained variance	50	32
1st component explains	13.58%	8.31%
2 <sup>nd</sup> component explains	7.96%	7.17%
3 <sup>rd</sup> component explains	6.15%	5.45%
Cut-off bandwidth for 100% accuracy	0.1-0.5	0.1-0.9



Based on the results from the analysis, we can conclude that PLSLR performs better over PCLR.

**FUTURE SCOPES:** 

**Overfit Model** 

01

To further analyse the model for overfitting

**PLS-DA** 

02

Partial least squares discriminant analysis

# **THANK YOU!**