Detection of de novo copy number alterations in case-parent trios using the R package MinimumDistance

Moiz Bootwalla and Rob Scharpf

November 4, 2011

Abstract

In studies involving case-parent trios assayed on high-throughput genotyping arrays, a common goal is to identify regions of de novo copy number alterations. This package defines a statistic, referred to as the minimum distance, that can be useful for identifying de novo copy number alterations in the offspring. We smooth the minimum distance using the circular binary segmentation algorithm implemented in the Bioconductor package DNAcopy. Trio copy number states are inferred from the maximum a posteriori probability of the segmented data, incorporating information from the log R ratios and B allele frequencies. As both log R ratios and B allele frequencies can be estimated from Illumina and Affymetrix arrays, this package supports de novo copy number inference in both platforms.

1 Introduction

There are numerous R packages available from Bioconductor for smoothing copy number alterations. For example, the biocview CopyNumberVariants in the 2.9 release of Bioconductor lists 27 packages. For the analysis of germline diseases, hidden Markov models have emerged as a popular tool as inference regarding the latent copy number state incorporates information from both the estimates of copy number (or relative copy number) and the allelic frequencies, such as the B allele frequency [4] or genotype calls [1, 7, 5]. For the analysis of somatic cell diseases such as cancer, algorithms that segment the genome into regions of constant copy number (referred to here as segmentation algorithms) may be more preferable for the detection of copy number aberrations (CNA) as a mixture of cells with different copy numbers give rise to mosaic (non-integer) copy numbers. Examples include circular binary segmentation implemented in the R package DNAcopy and the GLAD, both of which were originally developed for array CGH platforms [3, 2, 6]. One disadvantage of segmentation algorithms is that inference regarding duplication and deletions is not directly available.

More recently, HMMs and segmentation algorithms have been developed for inferring common regions of copy number alterations in multiple samples. However, relatively few algorithms are available for inferring copy number alterations, especially de novo copy number alterations, in family-based study designs involving case-parent trios. Instead, a common strategy has been a two-step approach of identifying copy number alterations in the individual samples and then comparing the results across samples to infer whether an alteration observed in the offspring is de novo. A disadvantage of the two-step approach is that technical sources of variation, such as genomic waves that can effect parents and offspring differentially, often contribute to false positives. To our knowledge, the joint HMM implemented in the PennCNV software is the only software to date that provides direct inference regarding de novo alterations in case parent studies.

This package develops an alternative framework for inferring regions of de novo copy number alterations in case-parent trios. Like PennCNV, inference regarding de novo alterations integrates information from both the log R ratios and B allele frequencies. Differences in the two approaches are most apparent in non-HapMap experimental datasets in which technical and experimental sources of variation appear to contribute to a large number of false positives. Section 2 describes the data structures required for using this package. Section 3 outlines the steps for computing the minimum distance, segmenting the minimum distance, and computing maximum a posteriori probabilities to infer regions of de novo copy number alterations. We provide convenient tools for visualizing the low-level statistical summaries in the context of the segmented (ranged data) based on the lattice graphics. The workflow is illustrated using publicly available HapMap

trios assayed on the Illumina 610quad array. Where possible, we have adopted standard data structures for encapsulating the low-level data (eSet extensions) and the segmented data (RangedData extensions).

2 Required data structures

We begin by describing how to instantiate the data structures required for inferring changes in the de novo copy number. A key design consideration is that the 'unit' of our analysis is a trio, the sample size is the number of trios, and a common query will be to access the low level statistical summaries (log R ratios and B allele frequencies) for a set of markers for all members in a trio. For this particular use-case, it is much more convenient to store statistical summaries in a feature x trios x family member array rather than a feature x samples matrix. As the number of trios in a typical genome-wide association study may exceed 1000 (corresponding to several thousand samples), it may be impractical to store the low-level summaries in a single array. To make the size of the arrays more manageable, we organize the low-level summaries by chromosome in an object termed a TrioSet. We define a formal S4 class for a list of TrioSet objects as a TrioSetList. In addition to containing a TrioSet for each chromosome, the TrioSetList class has a slot for pedigree information defining the family relationships and a slot for the sampleSheet containing metadata on the experiment. We begin by constructing object of class Pedigree and SampleSheet that contain this information.

A constructor for the SampleSheet class is the SampleSheet function. The SampleSheet has 3 arguments (filename, id, and plate), but additional metadata on the samples can be supplied. For example, below we also include information in the well of the chemistry plate, the gender, and the SentrixPosition for the Illumina array. The id can either be the same as the filename, or a more convenient sample identifier. For example, we use the NA identifiers instead of the lengthy sample names in the example below.

```
R> library(MinimumDistance)
R> library(human610quadv1bCrlmm)
R> path <- system.file("extdata", package="MinimumDistance")</pre>
R> load(file.path(path, "sample.sheet.rda"))
R> samplesheetExample <- SampleSheet(filename=sample.sheet$Sample.Name,
                                     id=paste("NA",substr(sample.sheet$Sample.Name, 6, 10),sep=""),
                                    plate=sample.sheet$Plate,
                                     well=sample.sheet$Well,
                                     gender=sample.sheet$Gender,
                                     SentrixPosition=sample.sheet$SentrixPosition)
   An object of class Pedigree is constructed in the following codechunk:
R> load(file.path(path, "pedigreeInfo.rda"))
R> indId <- unlist(pedigreeInfo)</pre>
R> trioFactor <- matrix(seq_len(nrow(pedigreeInfo)), nrow(pedigreeInfo), 3, byrow=FALSE)
R> memberId <- substr(names(indId), 1, 1)</pre>
R> ## which row in the pedigree file
R> trio.index <- as.integer(trioFactor) ## note this gives the index in the pedigree
R> pedigreeIndex <- data.frame(individualId=indId,</pre>
                              memberId=memberId,
                              index.in.pedigree=trio.index,
                              stringsAsFactors=FALSE)
R> rownames(pedigreeIndex) <- NULL</pre>
R> pedigreeExample <- new("Pedigree", trios=pedigreeInfo,</pre>
                         trioIndex=pedigreeIndex)
R> allNames(pedigreeExample)
[1] "NAO6993" "NA11881" "NAO6985" "NA11882" "NAO6991" "NA10859"
R> show(pedigreeExample)
```

trios:

F M 0 1 NA06993 NA06985 NA06991 2 NA11881 NA11882 NA10859

pedigreeIndex:

	$\verb"individualId"$	${\tt memberId}$	<pre>index.in.pedigree</pre>
1	NA06993	F	1
2	NA11881	F	2
3	NA06985	M	1
4	NA11882	M	2
5	NA06991	0	1
6	NA10859	0	2

Next, we load matrices of the \log_2 R ratios and B allele frequencies extracted from the BeadStudio output. These matrices contain 25 markers for each chromosome as the intent is to illustrate the steps required for initializing a data structure of the TrioSetList class. (In order to illustrate some of the smoothing functions downstream, we will use the trioSetListExample data provided with the package. The trioSetListExample contains many more markers, but only for two autosomes). A TrioSetList object can be created using the helper function TrioSetList.

Note that the log R ratio and B allele frequency matrices have been transformed into arrays using the information stored in the pedigree object.

R> trioSetList

TrioSetList of length 22

R> dims(trioSetList)

	chr	1 (chr 2	2 cl	nr 3	chi	r 4	chr	5 c	hr 6	chi	7	chr	8	chr	9
Features		25	25	5	25		25	2	25	25	,	25	2	25	2	5
Trios		2	2	2	2		2		2	2	?	2		2	;	2
F, M, O		3	3	3	3		3		3	3	}	3		3		3
	chr	10	chr	11	chr	12	chr	13	chr	14	chr	15	${\tt chr}$	16	chr	17
Features		25		25		25		25		25		25		25		25
Trios		2		2		2		2		2		2		2		2
F, M, O		3		3		3		3		3		3		3		3
	chr	18	chr	19	chr	20	chr	21	chr	22						
Features		25		25		25		25		25						
Trios		2		2		2		2		2						
F, M, O		3		3		3		3		3						

R> sampleSheet(trioSetList)

filename id plate well gender
1 CIDR_06993@0072958140 NA06993 WG1001552-DNA C12 Male
4 CIDR_11881@0072958128 NA11881 WG1001557-DNA E06 Male

```
2 CIDR_06985@0072958138 NA06985 WG1001574-DNA F12 Female
5 CIDR_11882@0072958127 NA11882 WG1001558-DNA G09 Female
3 CIDR_06991@1007845680 NA06991 WG1001289-DNA D10 Female
6 CIDR_10859@0072958146 NA10859 WG1001558-DNA E03 Female
    SentrixPosition
1 4256206347_R01C02
4 4256206437_R01C01
2 4256206089_R02C01
5 4256206428_R01C02
3 4256193742_R01C02
6 4256193768_R01C01
R> pedigree(trioSetList)
trios:
        F
1 NA06993 NA06985 NA06991
2 NA11881 NA11882 NA10859
pedigreeIndex:
  individualId memberId index.in.pedigree
       NA06993
                      F
                      F
2
       NA11881
3
       NA06985
                      М
                                         1
4
       NA11882
                      М
                                         2
5
       NA06991
                      0
                                         1
6
       NA10859
                      0
                                         2
R> trios(trioSetList)
        F
                        0
1 NA06993 NA06985 NA06991
2 NA11881 NA11882 NA10859
R> trioSetList[1:5]
TrioSetList of length 5
R> trioSetList[[1]]
TrioSet (storageMode: lockedEnvironment)
assayData: 25 features, 2 samples
  element names: BAF, logRRatio
  As the offspring name uniquely identifies a trio, sampleNames and offspringNames are interchangeable.
R> ## Note
R> identical(sampleNames(trioSetList), offspringNames(trioSetList))
```

Feature annotation such as chromosome and position for each SNP is added by the function feature-DataFrom defined in the oligoClasses package. Alternatively, users may supply their own feature annotation through the optional featureData argument to the R function TrioSetList. Platforms supported by the function featureDataFrom are listed below.

R> annotationPackages()[grep("Crlmm", annotationPackages())]

[1] TRUE

```
[1] "genomewidesnp6Crlmm"
                              "genomewidesnp5Crlmm"
[3] "human370v1cCrlmm"
                              "human370quadv3cCrlmm"
[5] "human550v3bCrlmm"
                              "human650v3aCrlmm"
[7] "human610quadv1bCrlmm"
                              "human660quadv1aCrlmm"
[9] "human1mduov3bCrlmm"
                              "humanomni1quadv1bCrlmm"
```

3 Detection of de novo copy number

In order to make the size of this package manageable, the trioSetList object created in the previous section contained only 25 markers for each of the 22 autosomes. While useful for illustrating the steps for creating the required data structures, it is not useful for detetecting de novo copy number alterations. To illustrate the smoothing steps, we load an object that contains all the markers for 2 chromosomes (7 and 22) for 2 HapMap trios. A few summary statistics for this object are displayed below.

```
R> data(trioSetListExample)
R> show(trioSetList)
TrioSetList of length 2
R> dims(trioSetList)
         chr 7 chr 22
Features 34080
Trios
F, M, O
             3
                    3
R> sampleNames(trioSetList)
```

[1] "NA12878" "NA12864"

R> allNames(trioSetList)

[1] "NA12891" "NA12872" "NA12892" "NA12873" "NA12878" "NA12864"

R> annotation(trioSetList)

[1] "human610quadv1bCrlmm"

For a given trio, the signed minimum absolute difference of the offspring and parental \log_2 R ratios (r)is defined as

$$d \equiv (r_{\mathrm{O}} - r_{\mathrm{M}}) \times \mathbb{I}_{[|r_{\mathrm{O}} - r_{\mathrm{F}}| > |r_{\mathrm{O}} - r_{\mathrm{M}}|]} + (r_{\mathrm{O}} - r_{\mathrm{F}}) \times \mathbb{I}_{[|r_{\mathrm{O}} - r_{\mathrm{F}}| \le |r_{\mathrm{O}} - r_{\mathrm{M}}|]}. \tag{1}$$

The above calculation is vectorized in R. The following codechunk calculates the minimum distance for each chromosome in the trioSetList object, returning a list of matrices for each chromosome. We store the minimum distances in the *TrioSet* objects using the replacment method mindist.

R> md <- calculateMindist(trioSetList)</pre>



R> mindist(trioSetList) <- md</pre>

We calculate the median absolute deviation (MAD) of the minimum distance and the log R ratios. For the log R ratios, we calculate the MAD across markers and across independent offspring.

```
R> ## calculate the mad of the minimum distance
R> mads.md <- mad2(mindist(trioSetList), byrow=FALSE)</pre>
R> mad.mindist(trioSetList) <- mads.md</pre>
R> mads.lrr.sample <- mad2(lrr(trioSetList), byrow=FALSE)</pre>
R> mads.lrr.marker <- mad2(lrr(trioSetList), byrow=TRUE)</pre>
R> mad.sample(trioSetList) <- mads.lrr.sample</pre>
R> mad(trioSetList)
                 F
                            М
                                       n
NA12878 0.1291345 0.1125293 0.1083781
NA12864 0.1377335 0.2068227 0.1654582
R> mad.marker(trioSetList) <- mads.lrr.marker</pre>
R> fvarLabels(trioSetList[[1]])
[1] "chromosome"
                          "position"
                                               "isSnp"
[4] "marker.mad"
                          "marker.mad.father" "marker.mad.mother"
```

The circular binary segmentation algorithm implemented in the R package DNAcopy is used to smooth the minimum distance estimates. The method segment2 is a wrapper to the CNA.smooth and segment functions defined in DNAcopy. Arguments to the segment function can be passed through the ... argument in segment2, allowing users to modify the segmentation from the default values in DNAcopy.

The object returned by the segment2 method is an object of class RangedDataCBS. Currently, I do not use space in RangedData objects.

R> md.segs

RangedDataCBS with 33 rows and 6 value columns across 1 space

num.mark	chrom	-	ranges		space	
<numeric></numeric>	<integer></integer>	- 1	<pre><iranges></iranges></pre>		<factor></factor>	
1936	7	- 1	8197116]	[37124,	1	1
2	7	- 1	8200467]	[8200167,	1	2
11315	7	- 1	49923859]	[8200896,	1	3
13212	7	1	49923859]	[37124,	1	4
1636	7	- 1	57941963]	[50003183,	1	5
1632	7	- 1	57941963]	[50003183,	1	6
101	7	- 1	62120420]	[61060840,	1	7
1829	7	- 1	72534486]	[62128107,	1	8
79	7	- 1	616681547	Γ61060840.	1	9

25	1 [14	456412, 1707	74487]	22	515
26	1 [17	092563, 1711	18296]	22	2
27	1 [17	135059, 2078	30261]	22	825
28	1 [20	784580, 2155	54058]	22	290
29	1 [21	579040, 3964	12296]	22	4621
30	1 [39	719455, 4469	90948]	22	1439
31	1 [39	719455, 4469	90948]	22	1432
32	1 [44	801602, 4956	62479]	22	1559
33	1 [44	801602, 4956	S2479]	22	1552
	id	start.index	$\verb"end.index"$	seg.mean	
	<character></character>	<integer></integer>	<pre><integer></integer></pre>	<numeric></numeric>	
1	NA12878	1	1936	0.0003	
2	NA12878	1937	1938	-0.6592	
3	NA12878	1939	13254	-0.0028	
4	NA12864	1	13254	-0.0159	
5	NA12878	13255	14890	-0.0092	
6	NA12864	13255	14890	-0.0274	
7	NA12878	14891	14991	0.0784	
8	NA12878	14992	16820	-0.0080	
9	NA12864	14891	14969	-0.0421	
25	NA12864	1	516	-0.0199	
26	NA12864	517	518	-0.7901	
27	NA12864	519	1348		
28	NA12864	1349	1640	-0.3484	
29	NA12864	1641	6286	-0.0180	
30	NA12878	6287	7725		
31	NA12864	6287	7725		
32	NA12878	7726	9284		
33	NA12864	7726	9284	-0.0131	

Accessors for objects of this class include

R> sampleNames(md.segs)

- [1] "NA12878" "NA12878" "NA12878" "NA12864" "NA12878" "NA12864"
- [7] "NA12878" "NA12878" "NA12864" "NA12864" "NA12864" "NA12878"
- [13] "NA12864" "NA12878" "NA12864" "NA12878" "NA12864" "NA12878"
- [19] "NA12878" "NA12878" "NA12878" "NA12878" "NA12878" "NA12878"
- [25] "NA12864" "NA12864" "NA12864" "NA12864" "NA12864" "NA12878"
- [31] "NA12864" "NA12878" "NA12864"

R> coverage2(md.segs)

- [1] 1936 2 11315 13212 1636 1632 101 1829 79 64 [11] 1782 3746 3730 12176 12143 1334 1330 445 2 1181
- [21] 10 604 70 3974 515 2 825 290 4621 1439
- [31] 1432 1559 1552

R> chromosome(md.segs)

[22] 22 22 22 22 22 22 22 22 22 22 22 22

R> mean(md.segs)

```
[1] 0.0003 -0.6592 -0.0028 -0.0159 -0.0092 -0.0274 0.0784 -0.0080 [9] -0.0421 0.2125 -0.0190 -0.0028 -0.0215 -0.0059 -0.0190 -0.0009 [17] -0.0215 0.0063 0.5924 0.0017 -0.3244 -0.0080 -0.2317 -0.0064 [25] -0.0199 -0.7901 -0.0250 -0.3484 -0.0180 -0.0029 -0.0194 -0.0026 [33] -0.0131
```

Having partitioned the genome by the segmentation of the minimum distance, we can call the trio copy number state for each genomic interval. Before we do so, consider that minimum distance estimates near zero are consistent with normal copy number in all members of the trio and a copy number alteration in the offspring inherited from either parent. Or that minimum distance estimates near -1 are consistent with a denovo hemizygous deletion in which both parents are normal and a denovo homozygous deletion in the offspring when both parents are hemizygous. While we can distinguish between these possibilities by examining the distribution of log R ratios and B allele frequencies in the family members, an automatic means to correctly classify the trio copy number state becomes more difficult if a single segment contains a mixture of these states. We therefore edit minimum distance ranges that are nonzero, where nonzero is defined by the number of MADs the mean is from zero. The editing is acheived by segmenting the log R ratios of the offspring. If a breakpoint is identified within a nonzero minimum distance segment, the breakpoints of the minimum distance segment are edited. The following diagram using vertical dashes (1) to denonte breakpoints illustrates the basic principle.

```
--|-----|-- ## minimum distance segment (before editing)
---|-----|-----| ## segmenation of log R ratios for offspring
->
--|-|-----|----| ## after editing
```

In the following codechunk, we segment the log R ratios for all chromosomes in the trioSetList object for the father, mother, and offspring. While only the segmentation of the offspring log R ratios are required to edit the minimum distance breakpoints, the segmenation of the parental log R ratios are useful for the visualization methods discussed in Section 3.1.

Note that the object lrr.segs is also a RangedDataCBS object. Minimum distance segments with a mean absolute value greater than 0.9 MADs from zero are edited using the narrow:

```
R> md.segs2 <- narrow(md.segs, lrr.segs, 0.9, mad.minimumdistance=mads.md)
```

Note that the number of segments after editing is typically greater than the original number of segments:

```
R> nrow(md.segs2) > nrow(md.segs)
```

[1] FALSE

Finally, we use the ranged data in the md.segs2 object to call the trio copy number state for each interval. Conditional on the underlying trio copy number state, we calculate the probability of the observed log R ratios and the probability of the observed B allele frequencies. Details regarding the mixture model used to estimate the emission probabilities are discussed elsewhere. The copy number state with the maximum posterior probability is assigned to each genomic range. We assign to each range both the maximum posterior probability and the posterior probability of the normal range. The ratio of posterior probabilities provides a useful statistic to rank the genomic ranges by the evidence of de novo copy number alteration. Consecutive

genomic ranges in a sample that are assigned the same copy number state are collapsed into a single range. As a consequence, the number of ranges in the object returned by computeBayesFactor is typically smaller than the number of ranges passed to the ranges argument. We continue the previous example to illustrate how ranges are subject to pruning following the posterior classification of the copy number states:

Note that 'result 1' recovers the original segmentation of the minimum distance. Pragmatically, the above steps are implemented in the function computeBayesFactor:

```
R> map.segs <- computeBayesFactor(object=trioSetList, ranges=md.segs2)
R> map.segs <- map.segs[order(sampleNames(map.segs), chromosome(map.segs), start(map.segs)), ]</pre>
```

R> map.segs

Raı	ngedDataCBS	with	16 r	ows	and 11	val	ue	columns	across	1 8	space
	space			:	ranges	1		id	ch	rom	${\tt num.mark}$
	<factor></factor>			<ir< td=""><td>anges></td><td> <</td><td>cha</td><td>racter></td><td><integ< td=""><td>er></td><td><integer></integer></td></integ<></td></ir<>	anges>	<	cha	racter>	<integ< td=""><td>er></td><td><integer></integer></td></integ<>	er>	<integer></integer>
1	1 [371	24,	616	68154]	1		NA12864		7	14969
2	1 [616730	05,	623	36389]	1		NA12864		7	64
3	1 [623424	53,	1588	12247]	1		NA12864		7	19047
4	1 [144564	12,	207	80261]	1		NA12864		22	1348
5	1 [207845	80,	215	54058]	1		NA12864		22	292
6	1 [215790	40,	495	62479]	1		NA12864		22	7644
7	1 [371	24,	81	97116]	1		NA12878		7	1936
8	1 [82001	67,	82	00467]	1		NA12878		7	2
9	1 [82008	96,	1588	12247]	1		NA12878		7	32142
10	1 [144564	12,	168	71770]	1		NA12878		22	445
11	1 [168720	32,	168	72749]	1		NA12878		22	2
12	1 [168739	80,	214	19339]	1		NA12878		22	1181
13	1 [214411	99,	215	38519]	1		NA12878		22	10
14	1 [215403	89,	239	70628]	1		NA12878		22	604
15	1 [239804	.06,	242	44593]	1		NA12878		22	70
16	1 [242544	44,	495	62479]	1		NA12878		22	6972
	seg.me	an sta	rt.i	ndex	end.i	ndex	mi	.ndist.ma	ıd :	lik.	.state
	<numeri< td=""><td>.c> <</td><td>nume</td><td>ric></td><td><nume:< td=""><td>ric></td><td></td><td><numeric< td=""><td>;></td><td><nun< td=""><td>neric></td></nun<></td></numeric<></td></nume:<></td></numeri<>	.c> <	nume	ric>	<nume:< td=""><td>ric></td><td></td><td><numeric< td=""><td>;></td><td><nun< td=""><td>neric></td></nun<></td></numeric<></td></nume:<>	ric>		<numeric< td=""><td>;></td><td><nun< td=""><td>neric></td></nun<></td></numeric<>	;>	<nun< td=""><td>neric></td></nun<>	neric>
1	-0.0172951	.37		1	1	4969	C	.1168288	88 4.6	5793	32e+04
2	0.2125000	000	1	4970	1	5033	C	.1168288	88 1.0	0142	22e+02
3	-0.0196667	72	1	5034	3	4080	C	.1168288	88 6.0	2170)5e+04
4	-0.0241829	38		1		1348	C	.1168288	88 4.5	3110)5e+03
5	-0.3484000	000		1349		1640	C	.1168288	88 7.8	7591	19e+02
6	-0.0172641	.94		1641	!	9284	C	.1168288	88 2.6	8966	55e+04
7	0.0003000	000		1		1936	C	.0888077	4 7.1	3245	57e+03
8	-0.6592000	000		1937		1938	C	.0888077	4 -9.2	0271	14e-01
9	-0.0042623	867		1939	3	4080	C	.0888077	4 1.1	6393	36e+05
10	0.0063000	000		1		445	C	.0888077	4 1.5	7179	98e+03
11	0.5924000	000		446		447	C	.0888077	4 -4.2	1125	52e+00
12	0.0017000	000		448		1628	C	.0888077	4 4.1	6680)2e+03
13	-0.3244000	000		1629		1638	C	.0888077	4 1.9	7474	13e+01
14	-0.0080000	000		1639		2242	C	.0888077	4 2.1	7888	36e+03
15	-0.2317000	000	:	2243	:	2312	C	.0888077	4 2.0	6866	62e+02
16	-0.0048278	97	:	2313	:	9284	C	.0888077	4 2.6	6028	37e+04
	lik.no	rm	argm	ax	s.	tate					
		- > - 2			_1	L>					

<numeric> <integer> <character>

copy number	symbol for copy number state
0	1
1	2
2	3
3	4
4	5

Table 1: We use the notation adopted by PennCNV for representing the copy number states. The trio copy number state is indicated by the triplet xyz where x is the symbol for the copy number state of the father, y is the symbol for the copy number state of the mother, and z is the symbol for the offspring copy number state. For example, the trio copy number state '332' indicates a de novo hemizygous deletion in the offspring as both parents have normal copy number (copy number 2) and the offspring has a single copy.

1	41730.970277	61	333
2	45.951226	85	334
3	5691.972685	61	333
4	1670.035038	61	333
5	470.318982	37	332
6	16416.834538	61	333
7	7132.456873	61	333
8	-1.013983	37	332
9	40615.749758	61	333
10	1571.798135	61	333
11	-11.899091	55	223
12	4166.802470	61	333
13	16.348665	37	332
14	2178.885858	61	333
15	119.096697	37	332
16	15420.296813	61	333

The integer code for the copy number states are provided in the Table 1 and can be accessed by the function state. For example, here we tabulate the frequency of the trio copy number states by chromosome from the map.segs object.

R> table(state(map.segs), chromosome(map.segs))

3.1 Visualizations

The R package VanillalCE contains methods for visualizing RangedData objects that build on the infrastructure in the lattice package. In the following codechunk, we construct a trellis object for the log R ratios, minimum distance, and B allele frequencies.

```
range=rd.denovoDel[1, ],
                  lrr.segs=lrr.segs,
                  md.segs=md.segs,
                  frame=500e3,
                  panel=xypanelMD,
                  xlab="physical position (Mb)",
                  cex=0.2.
                  pch=21,
                  border="orange",
                  scales=list(cex=0.5),
                  par.strip.text=list(lines=0.8, cex=0.6),
                  col.np="royalblue", fill.np="grey",
                  index.cond=list(4:1),
                  return.data.frame=FALSE,
                  cex.state=0.5)
R> baffig <- xyplot(baf ~ x | id,</pre>
                  data=trioSet,
                  range=rd.denovoDel[1, ],
                  xlab="",
                  lrr.segs=lrr.segs,
                  md.segs=md.segs,
                  frame=500e3,
                  panel=VanillaICE::xypanel,
                  cex=0.2.
                  pch=21,
                  border="orange",
                  scales=list(cex=0.6),
                  par.strip.text=list(lines=0.8, cex=0.6),
                  col.np="royalblue", fill.np="grey",
                  index.cond=list(3:1), cex.state=0.5)
```

The final graphic is displayed in Figure 1.

R> print(VanillaICE:::arrangeSideBySide(lrrfig, baffig))

4 Session information

R> toLatex(sessionInfo())

- R Under development (unstable) (2011-11-03 r57560), x86_64-unknown-linux-gnu
- Locale: LC_CTYPE=en_US.iso885915, LC_NUMERIC=C, LC_TIME=en_US.iso885915, LC_COLLATE=en_US.iso885915, LC_MONETARY=en_US.iso885915, LC_MESSAGES=en_US.iso885915, LC_PAPER=C, LC_NAME=C, LC_ADDRESS=C, LC_TELEPHONE=C, LC_MEASUREMENT=en_US.iso885915, LC_IDENTIFICATION=C
- Base packages: base, datasets, graphics, grDevices, grid, methods, stats, utils
- Other packages: Biobase 2.15.0, BiocInstaller 1.3.1, DNAcopy 1.29.0, human610quadv1bCrlmm 1.0.2, IRanges 1.13.1, MinimumDistance 0.1.47, oligoClasses 1.17.1, VanillaICE 1.17.2
- Loaded via a namespace (and not attached): affyio 1.23.0, Biostrings 2.23.0, bit 1.1-7, ff 2.2-3, lattice 0.20-0, msm 1.1, mvtnorm 0.9-9991, SNPchip 1.19.0, splines 2.15.0, survival 2.36-10, tools 2.15.0, zlibbioc 1.1.0

References

- [1] Stefano Colella, Christopher Yau, Jennifer M Taylor, Ghazala Mirza, Helen Butler, Penny Clouston, Anne S Bassett, Anneke Seller, Christopher C Holmes, and Jiannis Ragoussis. QuantiSNP: an Objective Bayes Hidden-Markov Model to detect and accurately map copy number variation using SNP genotyping data. *Nucleic Acids Res*, 35(6):2013–2025, 2007.
- [2] Philippe Hupe, Nicolas Stransky, Jean-Paul Thiery, Francois Radvanyi, and Emmanuel Barillot. Analysis of array cgh data: from signal ratio to gain and loss of dna regions. *Bioinformatics*, 20(18):3413–3422, Dec 2004.
- [3] Adam B Olshen, E. S. Venkatraman, Robert Lucito, and Michael Wigler. Circular binary segmentation for the analysis of array-based DNA copy number data. *Biostatistics*, 5(4):557–72, Oct 2004.
- [4] Daniel A Peiffer, Jennie M Le, Frank J Steemers, Weihua Chang, Tony Jenniges, Francisco Garcia, Kirt Haden, Jiangzhen Li, Chad A Shaw, John Belmont, Sau Wai Cheung, Richard M Shen, David L Barker, and Kevin L Gunderson. High-resolution genomic profiling of chromosomal aberrations using infinium whole-genome genotyping. *Genome Res*, 16(9):1136–1148, Sep 2006.
- [5] Robert B Scharpf, Giovanni Parmigiani, Jonathan Pevsner, and Ingo Ruczinski. Hidden Markov models for the assessment of chromosomal alterations using high-throughput SNP arrays. *Annals of Applied Statistics*, 2(2):687–713, 2008.
- [6] E. S. Venkatraman and Adam B Olshen. A faster circular binary segmentation algorithm for the analysis of array cgh data. *Bioinformatics*, 23(6):657–663, Mar 2007.
- [7] Kai Wang, Zhen Chen, Mahlet G Tadesse, Joseph Glessner, Struan F A Grant, Hakon Hakonarson, Maja Bucan, and Mingyao Li. Modeling genetic inheritance of copy number variations. *Nucleic Acids Res*, 36(21):e138, Dec 2008.

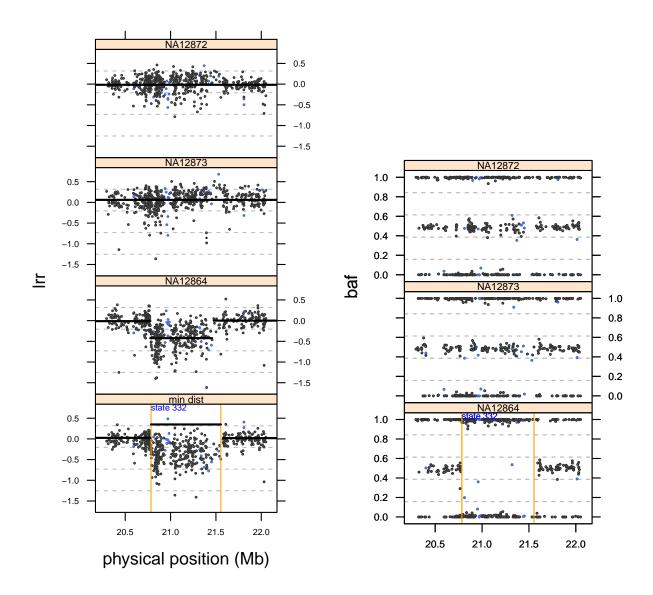


Figure 1: The left panels display the log R ratios for the father (top left), mother, and offspring, as well as the minimum distance (bottom left). The right panels display the B allele frequencies for the father, mother, and offspring. The orange vertical lines indicate the start and stop positions of an inferred de novo hemizygous deletion in the offspring (state '332').