

# Carrier-Mediated Transport of Thyroid Hormones through the Rat Blood-Brain Barrier: Primary Role of Albumin-Bound Hormone\*

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**ABSTRACT.** The transport of [ $^{125}$ I] $T_3$  and [ $^{125}$ I] $T_4$  through the brain capillary wall, *i.e.* the blood-brain barrier, was studied in barbiturate-anesthetized rats using a tissue-sampling-carotid injection technique. The percent extraction of unidirectional influx of thyroid hormone during a single pass through the brain was measured relative to a highly diffusible [ $^3$ H]water reference. The  $K_m$  of  $T_3$  transport was 1.1  $\mu$ M;  $T_3$  transport was inhibited by  $T_4$  ( $K_i = 2.6 \mu$ M),  $rT_3$  ( $K_i = 5.4 \mu$ M), and D- $T_3$  but not by 1000  $\mu$ M concentrations of tyrosine, leucine, or potassium iodide. Bovine albumin also inhibited blood-brain barrier transport of  $T_3$ . The fractional inhibition of  $T_3$  transport by albumin was a measure of the binding of  $T_3$  by albumin *in vivo*, *i.e.* in the presence of a competing binding system, the BBB  $T_3$  carrier. The apparent

dissociation constant ( $K_d$ ) of albumin binding of  $T_3$  at the brain capillary level (76  $\mu$ M) was 16-fold greater than the  $K_d$  of albumin binding of  $T_3$  *in vitro* (4.7  $\mu$ M), as determined by equilibrium dialysis. A model was derived that allowed for the *in vivo* application of the principles of the competitive ligand-binding assay; given apparent  $K_d = K_d (1 + C/K_m)$ , the local capillary  $T_3$ -binding capacity ( $C$ ) may be calculated from the known values for apparent  $K_d$ ,  $K_d$ , and  $K_m$ . Based on the relative binding index ( $C/K_m$ ) of BBB binding of  $T_3$  *vs.* the binding index of physiological concentrations of albumin, it may be estimated that about 10% of albumin-bound  $T_3$  (which is 10-fold the fraction of dialyzable  $T_3$ ) is transported into the brain on a single pass in the rat. (*Endocrinology* 105: 605, 1979)

THE BRAIN is an important target organ for the action of the major thyroid hormones,  $T_3$  and  $T_4$ . The thyroid hormones act on the brain to 1) increase the rate of glucose transport into the developing brain (1), 2) increase the rate of amino acid transport into brain (2) and amino acid incorporation into brain proteins (2, 3), and 3) influence the rate of monoamine synthesis in brain (4). Before the action of blood-borne thyroid hormones in brain, these substances must first be transported into the central nervous system through one of two barrier systems, either the brain capillary wall, *i.e.* the blood-brain barrier (BBB), or the choroid plexus, *i.e.* the blood-cerebrospinal fluid (CSF) barrier. Since the surface area of the BBB is at least 5000-fold that of the choroid plexus (5), it is likely that the major route of thyroid hormone transport into brain is via the BBB. Despite the importance of BBB transport of  $T_4$  or  $T_3$ , there are few direct studies of thyroid hormone transport through this membrane. Ford and Gross (6) showed that the brain took up both  $T_4$  and  $T_3$  after an iv injection and that the uptake of  $T_3$  was about 3-fold greater than that of  $T_4$ . Hagen

and Solberg (7) reported quantitative data on the rate at which infused thyroid hormone entered the CSF and showed that the process mediating CSF uptake of  $T_4$  was saturable, with an  $ED_{50}$  of approximately 15  $\mu$ M total plasma  $T_4$ . Although it is likely that the locus of saturation of  $T_4$  transport into CSF was at the BBB, measurements of the rate of  $T_4$  or  $T_3$  entry into CSF are not direct studies of BBB permeability. Transport into CSF is a function of the rate of compound influx into CSF via transport through the BBB or choroid plexus minus the rate of efflux of the compound from the CSF compartment, *e.g.* into brain cells or back to blood. Therefore, the present investigations were undertaken to determine whether the saturable transport system observed by Hagen and Solberg (7) for thyroid hormones exists at the BBB. Moreover, since the thyroid hormones are primarily bound to albumin in the rat (8), the effect of albumin binding on BBB transport of thyroid hormones was investigated. The presence of the putative BBB transport system for the thyroid hormones would provide a setting in which competition for ligand binding at the capillary level may occur between albumin and the transport system.

## Materials and Methods

### Isotopes and reagents

Radiolabeled L- $T_4$  ([ $^{125}$ I] $T_4$ ; 0.8  $\mu$ Ci/pM), sodium iodide ([ $^{125}$ I]NaI; 2.1  $\mu$ Ci/pM), bovine albumin ([ $^{125}$ I]bovine albumin;

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20  $\mu\text{Ci}/\text{pM}$ ), and water ( $[^3\text{H}]\text{water}$ ) were purchased from New England Nuclear Corp. (Boston, MA). Radiolabeled L-T<sub>3</sub> ( $[^{125}\text{I}]\text{T}_3$ ; 2  $\mu\text{Ci}/\text{pM}$ ) was purchased from Amersham (Chicago, IL). Radiochemical purity of the  $^{125}\text{I}$ -labeled thyronines was at least 90% and was assessed by thin layer chromatography (Silical gel H, Analtech, Newark, DE) with the solvent system butanol-50-acetone-25-NH<sub>4</sub>OH-18, followed by radioscanning (Berthold scanner).

Unlabeled bovine albumin (fraction V, nondefatted), L-T<sub>4</sub>, L-T<sub>3</sub>, sodium iodide, D-T<sub>3</sub>, L-tyrosine, and L-leucine, were all purchased from Sigma Chemical Co. (St. Louis, MO); rT<sub>3</sub> was kindly provided by Dr. Inder J. Chopra.

### Single injection studies

The transport of labeled T<sub>4</sub> or T<sub>3</sub> through the BBB was measured with a tissue-sampling-single injection technique (9) in barbiturate-anesthetized (45 mg sodium pentobarbital/kg ip) male Sprague-Dawley rats, weighing 250–350 g. A carotid artery (usually on the right side) was exposed and cannulated with a 27-gauge needle and an approximately 200- $\mu\text{l}$  bolus (the exact volume is immaterial) of buffered Ringer's solution (5 mM Hepes, pH 7.4) was rapidly injected as a bolus. The injection solution contained 1.25–2.5  $\mu\text{Ci}/\text{ml}$   $^{125}\text{I}$ -labeled compound, 12.5–25  $\mu\text{Ci}/\text{ml}$   $[^3\text{H}]\text{water}$  (a highly diffusible internal reference), and 0.025 g/dl bovine albumin (added to prevent the binding of labeled compounds to syringe walls or glass vials). At 15 sec after injection, a period sufficient for a single pass of the bolus through the brain but short enough to prevent recirculation, the rat was decapitated. Due to the bolus injection (9), there was no mixing of the labeled hormone with the circulating plasma proteins, so that only plasma proteins added to the injection solution bound the hormone at the capillary transport sites. After removal of the brain from the cranium, the cerebral hemisphere ipsilateral to the injection and rostral to the mid-brain and an aliquot of the injection solution were solubilized in 1.5 ml NCS (Amersham) by shaking at 50 C for 2 h. The  $^3\text{H}$  and  $^{125}\text{I}$  radioactivity was counted simultaneously in a double isotope liquid scintillation counting system and after quench correction (see below), the brain uptake index (BUI) was calculated (9):

$$\text{BUI} = \frac{(^{125}\text{I dpm}) + (^3\text{H dpm}) \text{ brain}}{(^{125}\text{I dpm}) + (^3\text{H dpm}) \text{ injection solution}} \times 100$$

The  $\text{BUI} = E_{\text{T}}/E_{\text{R}}$  (10), where  $E_{\text{T}}$  and  $E_{\text{R}}$  are the percent extraction due to unidirectional influx of the  $^{125}\text{I}$  test and  $[^3\text{H}]\text{water}$  reference compounds, respectively, on a single pass through the brain. Since  $E_{\text{R}} = 75\%$  (10) under the experimental conditions, the BUI overestimates  $E_{\text{T}}$  by about 25%.

### Liquid scintillation $^{125}\text{I}$ quench curves

An essential feature of the BUI calculation is that it is a ratio of ratios, so that weights of brain or injection solutions cancel out (9). This obviates weighing samples and greatly improves the reproducibility of the technique. To preserve this feature, it was necessary to count the  $^{125}\text{I}$  and  $^3\text{H}$  radioactivity simultaneously, which was conveniently done in a liquid scintillation system using a Packard Tri-Carb spectrometer (model 3320,

Downers Grove, IL). Standard quench curves for  $^3\text{H}$  were obtained using a  $[^3\text{H}]\text{toluene}$  standard. Quench curves for  $^{125}\text{I}$  were obtained by adding a known radioactivity ( $\sim 100,000$  dpm) of  $[^{125}\text{I}]\text{bovine albumin}$  or  $[^{125}\text{I}]\text{iodide}$  to 10 scintillation vials containing 1 ml NCS. Ten milliliters of scintillation fluor (Liquifluor, Packard) were added to each vial along with 50–500  $\mu\text{l}$  chloroform as a quenching agent. The radioactivity of the  $[^{125}\text{I}]\text{albumin}$  stock solution was standardized by counting in a Baird Atomic  $\gamma$ -spectrometer (Bedford, MA).

### Competition studies

After assessing the BUI for  $[^{125}\text{I}]\text{T}_3$  in Ringer's solution, various concentrations of unlabeled L-T<sub>3</sub>, D-T<sub>3</sub>, rT<sub>3</sub>, L-T<sub>4</sub>, L-leucine, L-tyrosine, potassium iodide, or bovine albumin were added to the injection solution, and the BUI for  $[^{125}\text{I}]\text{T}_3$  was subsequently determined.

### Efflux studies

The rate of efflux of  $[^{125}\text{I}]\text{T}_3$  from brain subsequent to influx was studied by determining the BUI at 1, 2, or 4 min after carotid injection. Multiplying the BUI at each time point by the known concentration (10) of the water reference ( $E_{\text{R}}$ ) yields the amount of  $^{125}\text{I}$  remaining in the brain ( $E_{\text{T}}$ ) at the respective time points. Analysis of these data by a log plot gives the rate constant ( $K$ ) of  $^{125}\text{I}$  efflux from the brain back to the blood. The  $K$  value relates to BBB permeability on the brain side of BBB, which is represented by the  $E_{\text{eff}}$ , *i.e.* the percent of brain T<sub>3</sub> extracted by blood (11);  $K = (E_{\text{eff}}F/V)$ , where  $F$  is cerebral blood flow ( $0.6 \text{ ml min}^{-1}\text{g}^{-1}$ ), *i.e.* the whole brain value in the barbiturate-anesthetized rat (10), and  $V$  (in milliliters per g) is the ratio of the volumes of distribution of T<sub>3</sub> in the brain (in milliliters per g) to that in the blood (in milliliters per ml).

The symmetry of T<sub>3</sub> transport across the BBB may be examined by comparing the extraction of efflux ( $E_{\text{eff}}$ ) to the extraction of influx ( $E_{\text{inf}}$ ), as determined from the BUI (see above). A symmetrical transport system, *i.e.* one that mediates the bidirectional equilibrative (not concentrative) transport of substrate through the BBB, is characterized by comparable  $E_{\text{inf}}$  and  $E_{\text{eff}}$  (10). A transport system that actively transports thyroid hormone from blood into brain against a concentration gradient is characterized by  $E_{\text{inf}} \gg E_{\text{eff}}$ .

### Equilibrium dialysis

The  $K_{\text{d}}$  of  $[^{125}\text{I}]\text{T}_3$  binding to bovine albumin was determined from the law of mass action,  $K_{\text{d}} = (\text{percent free} + \text{percent bound}) / (\text{albumin concentration})$ . One and a half milliliters of the injection solution buffer containing 0.3 g/dl (44  $\mu\text{M}$  based on a mol wt of 68,000) bovine albumin, 2 nM  $[^{125}\text{I}]\text{T}_3$ , and 0.05 g/dl sodium azide were added to a dialysis bag made of a 1.5  $\times$  20-cm strip of dialysis tubing and dialyzed against 15 ml injection solution buffer at 37 C for 3.5 h; the dialysis bag was then rinsed and placed in 15 ml new buffer and dialyzed at 37 C for 20 h. The first dialysis served to remove any radiolabeled contaminants, *e.g.*  $[^{125}\text{I}]\text{iodide}$ , from the  $[^{125}\text{I}]\text{T}_3$ . The free to bound ratio was determined from the ratio of disintegrations per min/ml in the dialysis buffer to that in the dialysis bag.

## Results

### Liquid scintillation counting of $^{125}\text{I}$

The liquid scintillation quench curves for  $^{125}\text{I}$  in conventional  $^{14}\text{C}$  and  $^3\text{H}$  channels are shown in Fig. 1. These quench curves reflect the multiple non $\gamma$  (e.g. internal conversion electron) emissions of the  $^{125}\text{I}$  isotope within the energy range of the  $^3\text{H}$  and  $^{14}\text{C}$   $\beta$ -emissions. The quench of all experimental samples was greater than 0.4, i.e. greater than the point where there was a break in linearity of the  $^{125}\text{I}$  quench curve in the  $^3\text{H}$  channel (Fig. 1). To minimize the correction for  $^{125}\text{I}$  spillover into the  $^3\text{H}$  channel, a 10:1  $^3\text{H}$ : $^{125}\text{I}$  radioactivity ratio was used in all injection solutions.

### Inhibition of $T_3$ transport by analogs

The BUIs for  $T_3$  and  $T_4$  were  $31.2 \pm 1.5\%$  and  $15.8 \pm 1.0\%$ , respectively (mean  $\pm$  SE;  $n = 4-6$  rats). As shown in Fig. 2, the transport of  $[^{125}\text{I}]\text{T}_3$  was saturable; the  $K_m$  (half-saturation constant) of  $T_3$  transport was  $1.1 \mu\text{M}$ . The possibility of a high affinity component of  $[^{125}\text{I}]\text{T}_3$  transport was examined by adding a low dose (200 nM), of unlabeled  $T_3$  to the injection solution. The BUI for  $T_3$  was  $30.9 \pm 3.0$  (mean  $\pm$  SE;  $n = 3$  rats), which was not significantly different from the control BUI, indicating the absence of a high affinity  $T_3$  transport system. The transport of  $[^{125}\text{I}]\text{T}_3$  was also inhibited by unlabeled  $T_4$  with a  $K_i$  (half-inhibition constant) of  $2.6 \mu\text{M}$  (Fig. 3). Therefore, the affinity of the transport system is 2.5-fold greater for  $T_3$  than for  $T_4$ , which correlates with the 2-fold greater BUI for  $T_3$  relative to  $T_4$ . In addition, the inhibition of labeled  $T_3$  transport by unlabeled  $rT_3$  was assessed. The BUI for  $[^{125}\text{I}]\text{T}_3$  in the presence of 1, 5, and  $20 \mu\text{M}$   $rT_3$  was  $24.7 \pm 5.5$ ,  $16.6 \pm 2.5$ , and  $10.7 \pm 1.0$ , respectively (mean  $\pm$  SE;  $n = 3$  rats for each point); a

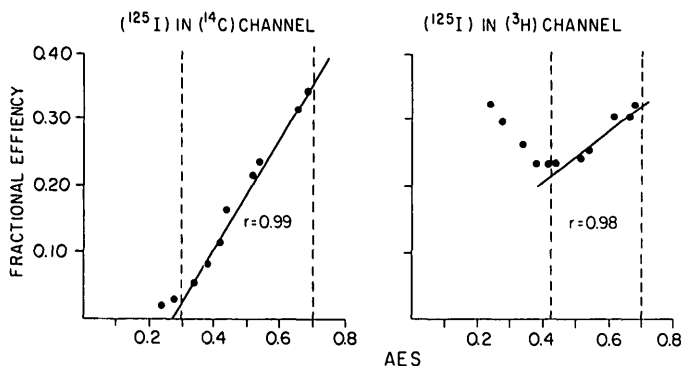


FIG. 1. Liquid scintillation  $^{125}\text{I}$  quench curves at conventional settings for  $^3\text{H}$  and  $^{14}\text{C}$   $\beta$ -emissions are obtained by plotting the fractional efficiency vs. the automated external standard (AES). The brackets define the linear portion of the quench curves. Corrections for  $^{125}\text{I}$  spillover into the  $^3\text{H}$  channel was minimized by using a 10:1  $^3\text{H}$ : $^{125}\text{I}$  ratio in all studies involving simultaneous  $^3\text{H}$  and  $^{125}\text{I}$  counting.

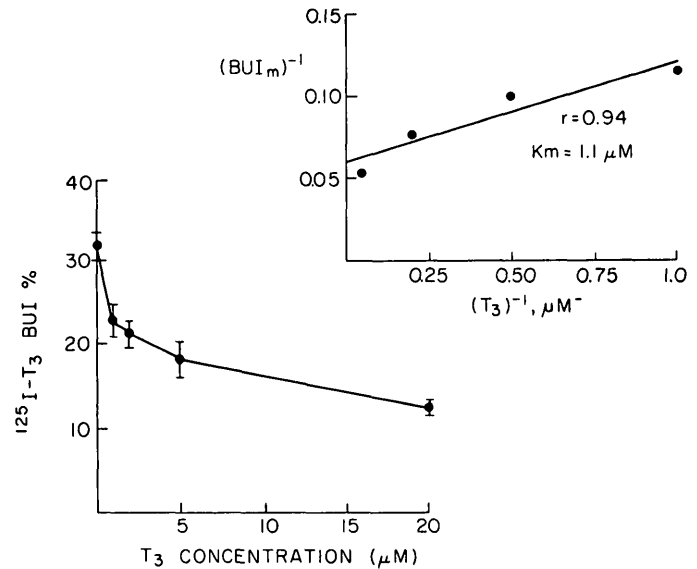


FIG. 2. The BUI for  $[^{125}\text{I}]\text{T}_3$  is plotted vs. the concentration of unlabeled  $T_3$  in the carotid injection solutions. Data are the mean  $\pm$  SE ( $n = 3-4$  rats). A double reciprocal linear transformation of the saturation data is obtained by plotting the reciprocal of  $\text{BUI}_m$  ( $\text{BUI}_m = \text{BUI}_0 - \text{BUI}$ , where  $\text{BUI}_0$  is the uptake at a tracer concentration of  $T_3$  and BUI is the uptake at the respective level of unlabeled  $T_3$ ) vs. the reciprocal of the  $T_3$  concentration. The  $K_m$  is obtained from the slope to intercept ratio. Since  $\text{BUI}_m$  is dimensionless,  $V_{\text{max}}$  cannot be obtained from the intercept. Details of the kinetic analysis have been reported previously (27).

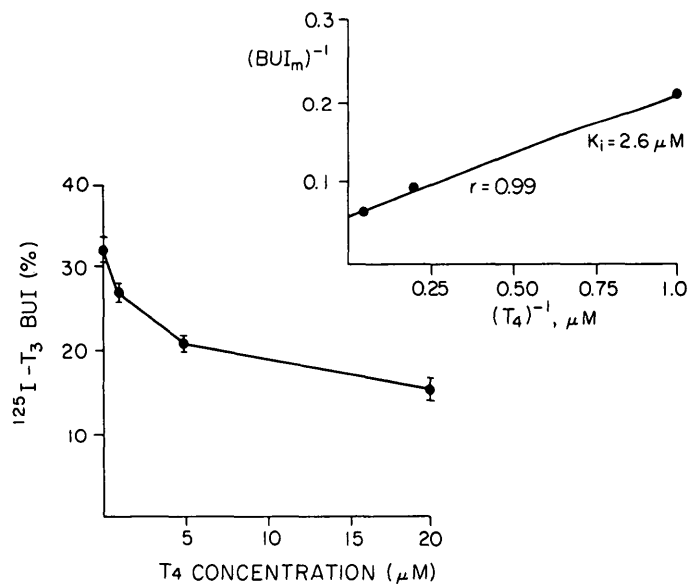


FIG. 3. The BUI for  $[^{125}\text{I}]\text{T}_3$  is plotted vs. the concentration of unlabeled  $T_4$  in the injection solution. Data are the mean  $\pm$  SE ( $n = 3-4$  rats). See Fig. 2 for details of the double reciprocal plot.

double reciprocal plot of these data similar to Figs. 2 and 3 was linear ( $r = 0.99$ ) and indicated that the  $rT_3$   $K_i$  was  $5.4 \mu\text{M}$ .

The cross-inhibition of  $[^{125}\text{I}]\text{T}_3$  transport by unlabeled analog was also observed for  $20 \mu\text{M}$   $D\text{-T}_3$  but not for

unlabeled tyrosine, leucine, or potassium iodide at 1000  $\mu\text{M}$  concentrations (Table 1). These data indicate that the thyroid hormone transport system is 1) only weakly stereospecific and 2) not part of the previously described BBB transport system which mediates the flux of the neutral amino acids, *e.g.* tyrosine or leucine (12).

#### Inhibition of $T_3$ transport by albumin

Albumin is known to bind the thyroid hormones tightly (13). Since albumin is not transported through the BBB (7), the addition of bovine albumin to the injection solution would be expected to bind the hormone and inhibit BBB transport of  $T_3$ . As shown in Fig. 4, albumin inhibits  $T_3$  transport; the fractional inhibition of  $T_3$  transport by albumin (Fig. 4) is a measure of albumin binding of  $T_3$  at the capillary level. Therefore, the slope of the double reciprocal plot (Fig. 4) gives the apparent (app)  $K_d$  (76  $\mu\text{M}$ ) of albumin binding of  $T_3$  *in vivo*. The app  $K_d$  observed in these studies is more than 15-fold greater than the concentration of albumin (4  $\mu\text{M}$ ) which has been previously reported to cause 50% binding *in vitro* (13). Therefore, the  $K_d$  of  $T_3$  binding to the preparation of albumin used in these studies was determined by equilibrium dialysis. The measured  $K_d$  ( $4.7 \pm 0.1 \mu\text{M}$ ) approximates previous estimates in the literature (13).

Since albumin is the major plasma protein which binds  $T_3$  *in vivo* in the rat (8), the effect of rat serum on BBB transport of  $T_3$  was investigated (Table 2). The BUI of  $T_3$  in the presence of 67% rat serum approximated the value obtained at 3 g/dl albumin (Fig. 4). To determine the fraction of the BUI for  $T_3$  in the presence of 67% rat serum that represented specific transport, as opposed to nonspecific adsorption to the capillary wall, a measure of the background BUI for  $^{125}\text{I}$ -labeled compounds was needed. Since iodide does not cross the BBB (14), the BUI for  $^{125}\text{I}$ NaI was measured (Table 2). Assuming that the iodide BUI also represents nonspecific  $T_3$  uptake, the fraction of specific  $T_3$  transport in the presence of 67% rat serum may be calculated; given the BUI for  $T_3$  in the absence (31.2%) or presence (8.8%) of 67% rat serum and using the iodide BUI (4.9%) as background, the fraction of specific  $T_3$  transport is  $(8.8 - 4.9) \div (31.2 - 4.9) =$

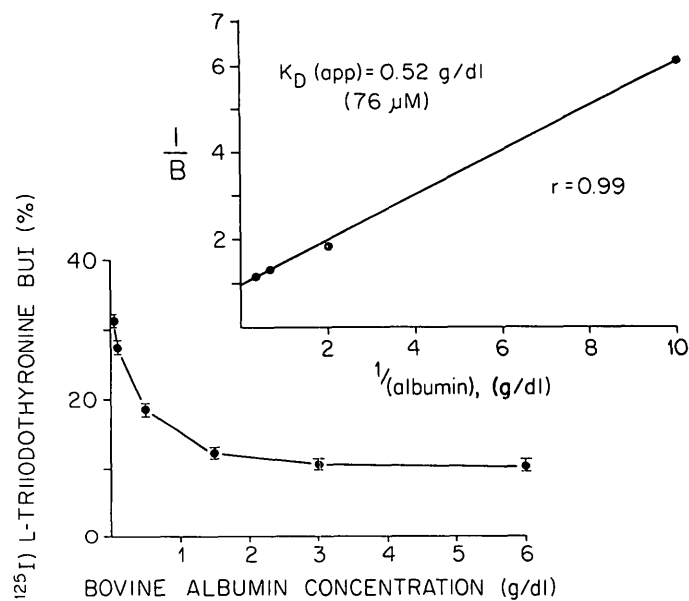


FIG. 4. The BUI for  $^{125}\text{I}$  $T_3$  is plotted vs. the concentration of bovine albumin (0.03–6 g/dl) in the injection solution. Data are the mean  $\pm$  SE ( $n = 3$ –4 rats). The BUI for  $T_3$  in the presence of 0.001 and 0.01 g/dl was unchanged ( $31.6 \pm 1.4$  and  $31.9 \pm 0.9$ , respectively) from the value at 0.03 g/dl. Since albumin inhibits  $T_3$  transport by binding the hormone, the fractional inhibition of the BUI by the respective albumin concentration is a measure of the fraction (B) of  $T_3$  bound to albumin at the capillary level, *i.e.* B is the fraction of  $T_3$  bound to albumin in the presence of the  $T_3$  transport system which is competing with albumin for  $T_3$  binding. The calculation of B is as follows,  $B = (\text{BUI}_0 - \text{BUI}) \div (\text{BUI}_0 - \text{BUI}_{\text{NS}})$ , where  $\text{BUI}_0$  is the uptake at the lowest dose of albumin (0.03 g/dl) where no inhibition is observed, BUI is the uptake at the respective albumin dose at which inhibition is observed, and  $\text{BUI}_{\text{NS}}$  is the nonspecific uptake (5%) represented by the BUI for an infinitely high concentration of albumin. The  $\text{BUI}_{\text{NS}}$  may be obtained by plotting  $1/(\text{BUI}_0 - \text{BUI})$  vs.  $1/(\text{albumin})$ ; such a plot (not shown) is linear ( $r = 0.99$ ) and the y intercept of this linear transformation =  $\text{BUI}_{\text{NS}} = 5\%$ . Since  $\text{BUI}_{\text{NS}}$  also equals the BUI for  $^{125}\text{I}$ iodide, the latter is assumed to represent the nonspecific uptake (see text). The slope of the  $1/B$  vs.  $1/\text{albumin}$  plot gives the app  $K_d$  of albumin binding of  $T_3$  *in vivo* (see Appendix).

TABLE 2. Effects of rat and human serum on BBB transport of  $^{125}\text{I}$  $T_3$

$^{125}\text{I}$ -Labeled compound	Injection solution	BUI (%) <sup>a</sup>
$T_3$	67% Rat serum	$8.8 \pm 0.2$
$T_3$	67% Human serum	$6.9 \pm 0.1$
Iodide	Ringer's (0.1 g/dl albumin)	$4.9 \pm 0.2$

<sup>a</sup> Values given are the mean  $\pm$  SE ( $n = 3$ –4).

15%. This value is several-fold greater than the dialyzable fraction of  $^{125}\text{I}$  $T_3$ ; in the presence of 90% rat serum, the dialyzable fraction was  $1.6 \pm 0.2\%$  (mean  $\pm$  SE;  $n = 3$ ), as determined by equilibrium dialysis. The effect of 67% human serum on  $^{125}\text{I}$  $T_3$  transport was also investigated (Table 2); human serum inhibits  $T_3$  transport to a greater extent than did rat serum, consistent with binding of  $T_3$

TABLE 1. Cross-inhibition of BBB  $^{125}\text{I}$  $T_3$  transport by unlabeled analogs

Analog <sup>a</sup>	BUI (%)
Control (0.1% albumin)	$27.5 \pm 1.5$
20 $\mu\text{M}$ D- $T_3$	$18.7 \pm 1.1$
1000 $\mu\text{M}$ L-Tyrosine	$27.8 \pm 2.4$
1000 $\mu\text{M}$ L-Leucine	$29.0 \pm 1.2$
1000 $\mu\text{M}$ Potassium iodide	$30.2 \pm 2.7$

Values given are the mean  $\pm$  SEM ( $n = 3$ –4).

<sup>a</sup> Bovine albumin (0.1%) was added to all injection solutions.

by both albumin and thyroid-binding globulin in human serum(13).

#### Regional T<sub>3</sub> transport

The hemisphere was dissected into four regions before tissue solubilization and the regional BUI was determined (Table 3). Since regional blood flow may vary markedly from one region to another (Table 3), the regional BUI must be normalized for regional differences in clearance of the water reference (Table 3). The normalized BUI values for T<sub>3</sub>, which represent a kind of clearance data, are shown in Table 3. Regional clearance of T<sub>3</sub> parallels regional blood flow; however, regional differences in BBB permeability to T<sub>3</sub> may also underlie the regional differences in T<sub>3</sub> transport. Moreover, the regional transport studies show clearly that brain uptake of T<sub>3</sub> is via the BBB and not the choroid plexus; although small amounts of choroid tissue are present in whole brain analyses, there is no choroid plexus associated with the colliculi, caudate-putamen, or olfactory bulb samples.

#### Efflux of T<sub>3</sub> from brain to blood

The BUI of [<sup>125</sup>I]T<sub>3</sub> increases with time (Fig. 5), reflecting the greater rate of washout of the [<sup>3</sup>H]water reference relative to T<sub>3</sub> exodus from the brain. Given the known extraction of the water reference at the time points shown in Fig. 5 (10), the T<sub>3</sub> extraction data may be computed from the BUI. A log plot of the T<sub>3</sub> radioactivity in the brain is linear and indicates that T<sub>3</sub> leaves the brain at a rate of  $K = 0.25 \text{ min}^{-1}$  ( $t_{1/2} = 2.8 \text{ min}$ ). Since previous data (7, 15) indicate that the metabolism by brain of thyroid hormones during a 4-min period would be negligible, it is assumed that the loss of T<sub>3</sub> radioactivity from the brain represents efflux of T<sub>3</sub> and not a metabolite (Fig. 5); therefore, the  $E_{\text{eff}}$  may be determined from the  $K$  value (see *Materials and Methods*). Given  $F = 0.6 \text{ ml min}^{-1} \text{ g}^{-1}$  (10) and assuming  $V$  is approximately

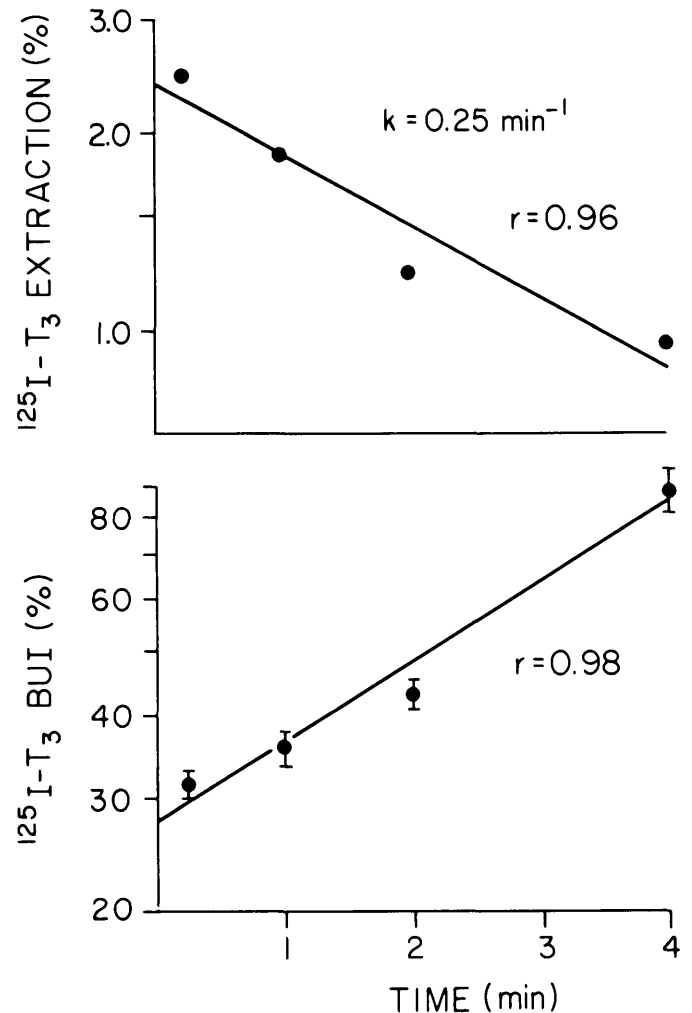


FIG. 5. In the lower figure, the log BUI of T<sub>3</sub> is plotted vs. time after carotid injection. Data are the mean  $\pm$  SE ( $n = 3-4$  rats). The BUI increases with time because the [<sup>3</sup>H]water reference leaves the brain, after pulse labeling at zero time, faster than the [<sup>125</sup>I]T<sub>3</sub>. The rate of T<sub>3</sub> efflux from brain ( $K$ ) is obtained from the slope of the upper panel, where the log of the percent extraction (or percent of injected dose) of T<sub>3</sub> is plotted vs. time after carotid injection. The extraction of T<sub>3</sub> at 0.25, 1, 2, and 4 min was obtained by multiplying the BUI by the known percent extraction (or percent of injected dose) of the [<sup>3</sup>H]water reference at each time point (10). The data shown are approximately 10% of the actual extraction, since only about 10% of the common carotid bolus goes to the internal carotid while the remaining 90% enters the external carotid (9).

$0.7 \text{ ml g}^{-1}$  (7), then  $E_{\text{eff}} = 29\%$ . The  $E_{\text{inf}}$  may be determined from  $\text{BUI} = 31\%$  and  $E_R = 75\%$  (10), as described in *Materials and Methods*, i.e.  $E_{\text{inf}} = 23\%$ ; therefore,  $E_{\text{inf}}$  approximates the calculated  $E_{\text{eff}}$ , suggesting that the BBB permeabilities of both the blood and brain sides of the capillary wall are of a similar magnitude.

#### Maximal transport capacity ( $V_{\text{max}}$ )

The  $V_{\text{max}}$  may be calculated from the  $E_{\text{inf}}$  and  $K_m$  values, as previously reported for hexose transport. The

TABLE 3. Regional BBB transport of [<sup>125</sup>I]T<sub>3</sub>

Region	BUI (%) <sup>a</sup>	Clearance <sup>b</sup>		CBF <sup>c</sup>
		[ <sup>3</sup> H]H <sub>2</sub> O	[ <sup>125</sup> I]T <sub>3</sub>	
Colliculi (inferior, superior)	47.9 $\pm$ 3.4	1.45 $\pm$ 0.11	0.69	1.42
Thalamus-hypothalamus	46.2 $\pm$ 0.8	1.26 $\pm$ 0.08	0.58	1.06
Caudate-putamen	40.5 $\pm$ 1.2	1.30 $\pm$ 0.07	0.53	1.02
Olfactory bulb	38.9 $\pm$ 0.8	1.03 $\pm$ 0.11	0.40	0.74

<sup>a</sup> Values given are the mean  $\pm$  SE ( $n = 3-4$ ).

<sup>b</sup> Regional clearance for T<sub>3</sub> is calculated from the product of the BUI  $\times$  regional clearance of [<sup>3</sup>H]H<sub>2</sub>O; the latter was measured directly (10). Values shown are not absolute measurements but are relative indices of clearance.

<sup>c</sup> Cerebral blood flow for the cat brain (19).

BBB permeability constant (PS; milliliters per g/min), which is equal to the  $V_{\max}:K_m$  ratio (10), may be calculated using Crone's equation (16),  $PS = -F \ln(1 - E_{\text{inf}})$ ; with substitution of  $E_{\text{inf}} = 0.23$  (calculated from BUI = 31%) and  $F = 0.6 \text{ ml min}^{-1}\text{g}^{-1}$  (10),  $PS = V_{\max}:K_m = 0.16 \text{ ml min}^{-1}\text{g}^{-1}$ . Therefore,  $V_{\max} = (0.16 \text{ ml min}^{-1}\text{g}^{-1}) (1.1 \mu\text{M}) = 0.17 \text{ nmol min}^{-1}\text{g}^{-1}$ ; this value overestimates somewhat the actual  $V_{\max}$ , since the  $E_{\text{inf}}$  value includes the nonsaturable component of  $T_3$  transport (Fig. 2). Since  $V_{\max} = (PS) (K_m)$  and the PS and  $K_m$  values for  $T_4$  are about 2-fold lower and higher, respectively, relative to  $T_3$ , the  $V_{\max}$  values for  $T_4$  and  $T_3$  are comparable.

### Discussion

These studies confirm and extend the observation of Hagen and Solberg (7) that a saturable transport system exists in the brain which mediates the uptake of circulating thyroid hormones. In contrast to previous studies (7), these investigations demonstrate conclusively that the transport system lies at the brain capillary wall, *i.e.* the BBB. The affinity of the BBB thyroid hormone transport system for its substrates is the highest among the numerous transport systems known thus far to operate at the BBB (17). For example, the  $K_m$  for  $T_3$  ( $1.1 \mu\text{M}$ ) or  $T_4$  ( $2.6 \mu\text{M}$ ) is about 100-fold lower than the  $K_m$  ( $160 \mu\text{M}$ ) of tyrosine transport via the neutral amino acid system (12). However, the capacity ( $V_{\max} = 0.1 \text{ nmol min}^{-1}\text{g}^{-1}$ ) of  $T_3$  transport is more than 100-fold less than the capacity ( $V_{\max} = 46 \text{ nmol min}^{-1}\text{g}^{-1}$ ) of tyrosine transport (12).

Since ligand binding to the transport system is a prerequisite to transport of the substance through the membrane, the thyroid hormone transport system represents a  $T_3$ - or  $T_4$ -binding system localized at the capillary wall in the brain. Since circulating albumin also binds the thyroid hormones (13), competition for ligand binding between albumin and the BBB transport system may occur at the capillary level. Such competition would be manifested by a discrepancy between the app  $K_d$  of albumin binding of  $T_3$  *in vivo* vs. that *in vitro*. The *in vitro*  $K_d$  ( $4.7 \mu\text{M}$ ) of the albumin preparation used in these studies was determined by equilibrium dialysis. The *in vivo* app  $K_d$  ( $76 \mu\text{M}$ ) was found to be 16-fold greater than the real  $K_d$ , consistent with competition between albumin and the BBB transport system. The deviation of app  $K_d$  from  $K_d$  is a function of the binding index of the  $T_3$  transport system, *i.e.* the ratio of the apparent binding capacity (C) to the dissociation constant ( $K_m$ ) of  $T_3$  binding and transport at the BBB (See Appendix), *i.e.* app  $K_d = K_d [1 + (C/K_m)]$ . In addition to describing the relationship between app  $K_d$  and  $K_d$ , the above equation is useful in estimating the apparent C for  $T_3$ . Given app  $K_d = 76 \mu\text{M}$ ,  $K_d = 4.7 \mu\text{M}$ , and  $K_m = 1.1 \mu\text{M}$ , then  $C = 17 \mu\text{M}$ .

Given the binding index (BI) of the  $T_3$  transport sys-

tem, *i.e.*  $C/K_m$ , and the binding index of physiological concentrations of albumin, predictions may be made in regard to the fraction (f) of albumin-bound  $T_3$  that is transported into brain, *i.e.*  $f = (BI_{\text{BBB}}/BI_{\text{BBB}} + BI_{\text{ALB}})$ , where ALB is albumin. Substitution of  $BI_{\text{BBB}} = 17 \mu\text{M} \div 1.1 \mu\text{M} = 15$  and  $BI_{\text{ALB}} = 600 \mu\text{M} \div 4.7 \mu\text{M} = 125$  into the above relationship predicts  $f = 11\%$ , *i.e.* 11% of albumin-bound  $T_3$  will be transported into the brain on a single pass (600  $\mu\text{M}$  albumin is equal to 4.1 g/dl). Since the rat (8) lacks thyroid-binding globulin and only about 1% of rat  $T_3$  is free, *i.e.* dialyzable, as much as 99% of total  $T_3$  in the rat may be albumin-bound. Therefore, the fraction of albumin-bound  $T_3$  that is transported into the brain (11%) is more than 10-fold the free (dialyzable) hormone fraction. These considerations suggest that, in the rat, the major plasma fraction available to the brain is the albumin-bound moiety. The data in Table 2, showing that up to 15% of total  $T_3$  is transported into the brain in the presence of 67% rat serum, corroborate the prediction that about 11% of albumin-bound  $T_3$  is transported. The mechanism by which albumin- $T_3$  might be transferred from the plasma protein to the transport site is discussed in the Appendix.

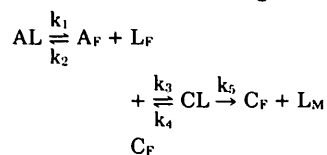
The fraction of albumin-bound  $T_4$  transported into the rat brain was not measured, but would be expected to be much lower than that for  $T_3$ , *e.g.* the  $BI_{\text{BBB}}$  for  $T_4$  may be  $17 \mu\text{M} \div 2.6 \mu\text{M} = 6.5$ , as opposed to the  $BI_{\text{ALB}} = 600 \mu\text{M} \div 0.6 \mu\text{M} = 1000$  (the albumin  $K_d$  for  $T_4$  is about  $0.6 \mu\text{M}$ ) (13). Therefore, the predicted f value for  $T_4$  is  $6.5/1006 = 0.7\%$ , which is equal to the free (dialyzable) fraction of  $T_4$  in rat plasma (8).

In species such as man where TBG is present in the circulation (13), the fraction of protein-bound  $T_3$  transported into the brain would be reduced for two reasons: 1) only about 30% of circulating  $T_3$  is albumin-bound in man (18), and 2) thyroid-binding globulin represents an additional binding site that will compete with the capillary transport system for  $T_3$  or  $T_4$  binding. Therefore, if albumin-bound  $T_3$  is transported into the brain of man, the binding index, *i.e.* capacity and affinity, of the BBB transport system must be much higher than that observed for the rat. One line of indirect evidence that suggests such a process may occur in man is that the ratio of free  $T_3$  in CSF to free  $T_3$  in plasma is about 5 (18). This suggests that  $T_3$  is either actively transported (against a concentration gradient) into CSF or that the total  $T_3$  in CSF is in equilibrium with a fraction of the protein-bound  $T_3$  in plasma. Based on the high rate of  $T_3$  efflux from the brain (Fig. 5), it is unlikely that the BBB  $T_3$  transport system in the rat actively transports the hormone into the brain from the blood. Therefore, it is possible that the high ratio of CSF free  $T_3$  to plasma free  $T_3$  is due to the transport of protein-bound  $T_3$  into the brain in man.

Finally, the observation that albumin-bound T<sub>3</sub> is transported through the BBB may represent one example of a general phenomenon. For example, albumin-bound tryptophan (20, 21) and albumin-bound steroid hormones (22) are known to be readily transported through the BBB. In addition, protein-bound thyroid hormones (23) and steroid hormones (24) are rapidly transported into the liver. In all cases, the fraction of protein-bound hormone that is transported into tissues *in vivo* greatly exceeds the fraction of ligand that is free (dialyzable) *in vitro*.

### Appendix: In Vivo Competitive Ligand Binding Assay

The transport of an albumin-bound ligand such as T<sub>3</sub> is believed to occur via the following mechanism,



where AL and CL are the albumin-ligand and BBB carrier-ligand complexes, respectively; A<sub>F</sub> and C<sub>F</sub> are free albumin and free carrier; L<sub>F</sub> and L<sub>M</sub> are free ligand and transported ligand; k<sub>1</sub>, k<sub>2</sub>, k<sub>4</sub>, and k<sub>3</sub> are the dissociation and association constants of the AL and CL complexes, respectively; and k<sub>5</sub> is the rate constant of loaded carrier movement through the membrane. The assumptions of the model are: 1) the ligand dissociation from albumin is an obligatory intermediate in the movement of the ligand between the two binding sites, and this process occurs within the capillary transit time (T), *i.e.* k<sub>1</sub> > T<sup>-1</sup>; 2) both binding systems are in steady state, *i.e.* k<sub>2</sub> > k<sub>1</sub> so that d(AL)/dt = 0 and k<sub>3</sub> > k<sub>4</sub> so that d(CL)/dt = 0; 3) the transport K<sub>m</sub> represents the dissociation constant of the CL complex, *i.e.* k<sub>4</sub> > k<sub>5</sub> such that K<sub>m</sub> = k<sub>4</sub>/k<sub>3</sub>; and 4) the carrier movement through the membrane is faster than the capillary transit time, *i.e.* k<sub>5</sub> > T<sup>-1</sup>. Summarizing the above assumptions, k<sub>2</sub> > k<sub>1</sub> > T<sup>-1</sup> and k<sub>3</sub> > k<sub>4</sub> > k<sub>5</sub> > T<sup>-1</sup>. Since d(AL)/dt = k<sub>2</sub> (A<sub>F</sub>) (L<sub>F</sub>) - k<sub>1</sub> (AL) = 0 and d(CL)/dt = k<sub>3</sub> (C<sub>F</sub>) (L<sub>F</sub>) - k<sub>4</sub> (CL) - k<sub>5</sub> (C<sub>L</sub>) = 0, then (AL) = [(A<sub>F</sub>) (L<sub>F</sub>)/K<sub>d</sub>] and (CL) = [(C<sub>F</sub>) (L<sub>F</sub>)/K<sub>m</sub>], where K<sub>d</sub> = k<sub>1</sub>/k<sub>2</sub> and K<sub>m</sub> = (k<sub>4</sub> + k<sub>5</sub>)/k<sub>3</sub> = k<sub>4</sub>/k<sub>3</sub>. The ligand conservation equation is L<sub>T</sub> = L<sub>F</sub> + AL + CL, where L<sub>T</sub> is the total ligand concentration. Substituting AL and CL into the ligand conservation equation and rearranging the terms results in (AL/L<sub>T</sub>) = [A<sub>F</sub>/K<sub>d</sub> (1 + C<sub>F</sub>·K<sub>m</sub>) + A<sub>F</sub>], where AL/L<sub>T</sub> = B (Fig. 4), *i.e.* the fraction of ligand bound to albumin in the presence of the competing binding system. The double reciprocal plot is 1/B = 1 + app K<sub>d</sub> (1/A<sub>F</sub>), where app K<sub>d</sub> = K<sub>d</sub> (1 + C<sub>F</sub>·K<sub>m</sub>), as described in the text. Although these relationships are based on free albumin and carrier concentrations, the free values are approximated by the total albumin and

carrier concentrations, since the concentration of labeled T<sub>3</sub> (2 nM) << K<sub>d</sub> or K<sub>m</sub> of the two binding systems.

The above equation for app K<sub>d</sub> predicts that if the activity of the capillary transport system is sufficiently low, such that C·K<sub>m</sub> << 1, then app K<sub>d</sub> = K<sub>d</sub>, and only the free (dialyzable) hormone would be transported into the tissue. However, if C·K<sub>m</sub> ≥ 1, then the *in vivo* app K<sub>d</sub> will deviate from the *in vitro* K<sub>d</sub> in proportion to the C·K<sub>m</sub> ratio.

Although verification of the assumptions upon which the above model is based would require measurement of the individual rate constants, there are indirect data that suggest the above four assumptions are valid. Firstly, Hillier (25) has shown that the half-time of T<sub>3</sub> dissociation from albumin (k<sub>1</sub>) is less than 1 sec, which is less than the mean transit time through the rat brain (T = 2–3 sec) (26). Secondly, the steady state assumption is valid, even for a single injection technique, since rates of amino acid transport determined with the carotid injection technique (27) correlate highly (r = 0.8–0.9) with transport rates obtained by a constant infusion technique (28). Thirdly, evidence that the K<sub>m</sub> of T<sub>3</sub> transport is the true dissociation constant, in addition to being a half-saturation constant, comes from the observation that the V<sub>max</sub> values of T<sub>3</sub> and T<sub>4</sub> transport are essentially the same (see *Results*). A constant V<sub>max</sub> among different substrates transported by a given transport system indicates that the rate-limiting step of transport is independent of substrate structure, *i.e.* the movement of the CL complex is rate limiting, not the ligand-carrier binding step (29). Finally the CL complex must move through the membrane faster than the bolus transit time, otherwise, labeled T<sub>3</sub> would be eluted off of the capillary wall by the circulating plasma proteins in the approximate 10-sec period between passage of the bolus through the brain and decapitation at 15 sec after injection; the bolus is through the brain within 5 sec after injection (30).

The above mechanism for tissue uptake of thyroid hormones combines essential features of the two major models previously proposed for the transport of thyroid hormones. Hillier (25) has argued that protein-bound thyroid hormones must first dissociate into the free state before entry into the tissue; however, Hillier (25) did not consider the role of competition between plasma protein and cell membrane-binding sites in determining to what extent thyroid hormones enter the tissue *vs.* reassociation with plasma proteins. Conversely, Oppenheimer and associates (31) proposed a collision model, which suggested that protein-bound hormone was transferred directly from plasma protein to tissue-binding sites without an obligatory dissociation into the free state. While little evidence appears to exist in favor of such a collision mechanism, the Oppenheimer model (23, 31) stressed the fundamental role of the competition between plasma

protein and tissue-binding sites in determining the extent of protein-bound hormone transport into tissues.

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