### Gac > Gcc

$$X = (N+h) \cos \varphi \cos \lambda$$

$$Y = (N+h) \cos \varphi \sin \lambda$$

$$Z = [N(1-e^2) + h] \sin \lambda$$

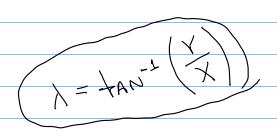
PRIME VERTICAL RADIUS OF CURVATURE

$$\sqrt{N = \alpha / \sqrt{1 - e^2 \sin^2 \varphi}}$$

### GCE -> GGC

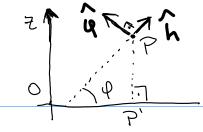
HIRVONEN-MORITZ ALGORITHM

input: X, Y, Z, a, b, it max



· 
$$\varphi_0 = +AN^{-1}\left(\frac{2}{p(1-e^2)}\right)$$

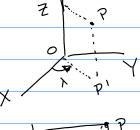
• 
$$h = \frac{P}{\cos \varphi} - N$$



# Unit vectors relating GCC and GGC

$$\lambda$$
  $(h, \psi, \lambda) = cos \lambda$ 

### GSC > GCC



$$X = x \cos \phi \cos \lambda$$

$$\phi = \sin^{-1}\left(\frac{z}{r}\right)$$

$$\lambda = +AN^{-1}(Y/X)$$

ONIT VECTORS RELATING GSC and GCC

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$$\frac{1}{\phi}(r,\phi,\lambda) = -\sin\phi \cos\lambda$$

$$\cos\phi$$

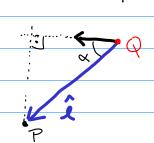
$$\lambda$$
  $(x, \phi, \gamma) = \cos \gamma$ 

## 1 CC

- · Origin At A point Q
- · Q may be defined with GCC, GGC or GSC

Consider two points defined with GCC





$$R^T = R^{-1}$$
 ok.

$$\begin{bmatrix} \times \\ Y \end{bmatrix} = \begin{bmatrix} X_o \\ Y_o \end{bmatrix} + \begin{bmatrix} X \\ y \\ 3 \end{bmatrix}$$