25.	Let C be the capacitance of a capacitor discharging through a resistor R. Suppose $t_1$ is the time taken for the energy stored in the capacitant and the capacitant
	stored in the capacitor to reduce to half its initial value and $t_2$ is the time taken for the charge to reduce to one-fourth initial value. Then, the ratio $t_1/t_2$ will be:
	(A) 1 (B) 1/2 (C) 1/4 (D) 2

A charged capacitor C with initial charge  $q_0$  is connected to a coil of self inductance L at t = 0. The time at which the energy is stored equally between the electric and the magnetic fields is: (B)  $2\pi\sqrt{LC}$ 

A charged capacitor is allowed to discharge. The current flowing in the circuit is plotted against time as shown. The time instant when the current is  $\frac{i_0}{16}$  is  $t = \tau_2$ . Then  $\frac{\tau_2 + \tau_1}{\tau_2 - \tau_1} =$ 

39.

The two plates of a parallel plate capacitor of capacitance C are given charge  $+\frac{Q}{2}$  and  $+\frac{2Q}{2}$ . The potential difference between the plates becomes V. Then,  $\frac{Q}{CV} = \frac{1}{CV}$ 

## **Vidyamandir Classes**

Two capacitors of capacitance C and 2C are charged to the same potential. Let the total potential energy stored in the capacitors be  $U_i$ . The capacitors are now connected in series such that plates carrying opposite charge are connected to each other. After the current has become zero, the total potential energy stored in both capacitors is  $U_f$ . Then,

A capacitor charged to a potential V has potential energy U. It is connected in series with a resistance and discharged.

Until the time the potential across the capacitor reduces to  $\frac{V}{N}$ , the heat dissipated in the resistance is  $H = \frac{15}{16}U$ . Then,