## hackerrank

## August 28, 2023

```
[4]: from datetime import datetime
      import math
      import os
      import random
      import re
      import sys
      from datetime import datetime
      from itertools import groupby, combinations
      from collections import deque
      import numpy as np
[133]: for num in range(2, 2):
          print("Hello")
def time delta(t1, t2):
          \# .strptime(date_string, format) => return a datetime corresponding to_\sqcup
       ⇒date_string, parsed according to format.
          # %a (weekday), %d (day), ..., %z (zone OR UTC offset)
          a=datetime.strptime(t1,"%a %d %b %Y %H:%M:%S %z")
          # a => 2015-05-02 19:54:36+05:30
          # type(a) => <class 'datetime.datetime'>
          b=datetime.strptime(t2,"%a %d %b %Y %H:%M:%S %z")
          \# a-b \Rightarrow 1 day, 0:30:00
          # type(a-b) => <class 'datetime.timedelta'>
          # (a-b).total_seconds() => 88200.0
          return str(int(abs((a-b).total_seconds())))
      given two timestamps in the following format: Day dd Mon yyyy hh:mm:ss +xxxx.
      Here +xxxx represents the time zone. Your task is to print the absolute \sqcup
       ⇔difference (in seconds) between them.
      1 => first line contains T, the number of testcases.
```

```
Sat 02 May 2015 19:54:36 +0530 => each testcase contains 2 lines, representing \Box
      \hookrightarrow time t1 and time t2.
     Fri 01 May 2015 13:54:36 -0000
      111
     for in range(int(input())):
         t1 = input()
         t2 = input()
     delta = time_delta(t1, t2)
     print(delta)
     Sat 02 May 2015 19:54:36 +0530
     Fri 01 May 2015 13:54:36 -0000
     88200
1222311 => single line of input consisting of the string S.
     (1, 1) (3, 2) (1, 3) (2, 1) \Rightarrow 0/P
     First, the character 1 occurs only once. It is replaced by (1,1). Then the
      ⇔character 2 occurs three times, and it
     is replaced by (3 => occurence count, 2 => character/element) and so on.
      111
     # list(qroupby(input())) => [('1', < itertools._qrouper object at_{\sqcup})]
      \hookrightarrow 0x7f330c055890>),
            ('2', <itertools._grouper object at 0x7f330474a950>), ('3', <itertools.
      \rightarrow grouper object at 0x7f330474a590>),
            ('1', <itertools._grouper object at 0x7f330474a510>)]
     for k, c in groupby(input()):
         # k, c \Rightarrow 1, <itertools._grouper object at 0x7f33047a4250>
         # list(c) => 1
         \# %d => this placeholder is used to represent an integer value.
         print("(%d, %d)" % ( len(list(c)), int(k) ), end=' ')
     1222311
     (1, 1) (3, 2) (1, 3) (2, 1)
[]:
# taking input
     n, m = input().split()
```

```
sc_ar = input().split()
      # converting to set
      A = set(input().split())
      B = set(input().split())
      111
      There is an array of n integers. There are also 2 disjoint sets, A and B, each \sqcup
       ⇔containing m integers.
      You like all the integers in set A and dislike all the integers in set B. Your_{\sqcup}
       \hookrightarrow initial happiness is 0.
      For each i integer in the array , if i e A, you add 1 to your happiness. If i e_{\sqcup}
      \hookrightarrow B, you add -1 to your happiness.
      Otherwise, your happiness does not change. Output your final happiness at the ...
       \hookrightarrow end.
      3\ 2 \Rightarrow first\ line\ contains\ integers\ n\ and\ m\ separated\ by\ a\ space.
      1 5 3 => second line contains n integers, the elements of the array.
      3 1 => third and fourth lines contain m integers, A and B, respectively.
      5 7
      111
      \# A \Rightarrow \{'1', '3'\}
      # (i in A) => True
      \# (i in A) - (i in B) => 1
      # (True-True) => 0
      # (True-False) => 1
      print (sum([(i in A) - (i in B) for i in sc_ar]))
     3 2
     1 5 3
     3 1
     5 7
     1
a = int(input())
      b = int(input())
      M = math.sqrt(a**2 + b**2)
      \# acos => return the "arc cosine" (cosine inverse) of x, in radians.
      theta = math.acos(b/M)
```

```
111
     ABC is a right triangle, 90 degree at B.
     Point M is the midpoint of hypotenuse AC.
     You are given the lengths AB and BC.
     Your task is to find angle MBC in degrees.
     10 => first line contains the length of side AB.
     10 => second line contains the length of side BC.
     # theta => 0.7853981633974484
     # math.degrees(theta) => 45.0000000000001
     # int(round(math.degrees(theta),0)) => 45
     print(int( round(math.degrees(theta),0) ), '\u00B0', sep='')
    10
    10
    45°
#from collections import deque
     There is a horizontal row of n cubes. The length of each cube is given. You_{\!\scriptscriptstyle \perp}
     ⇔need to create a new vertical pile
     of cubes. The new pile should follow these directions:
     cube[j] ^cube[i]
                                   (if cube[i] is on top of cube[j]) then
     sideLength[j] >= sideLength[i].
     When stacking the cubes, you can only pick up either the leftmost or the \sqcup
      ⇔rightmost cube each time.
     After choosing the rightmost element, choose the leftmost element and \Box
     ⇔vice-versa.
     Print "Yes" if it is possible to stack the cubes. Otherwise, print "No".
     *Hint*: "Yes" is possible for the cases where innermost elements are less than \sqcup
     ⇔outermost elements.
     1 => first line contains a single integer T, the number of test cases.
     6 \Rightarrow first line of each test case contains n, the number of cubes.
     4 3 2 1 3 4 => second line contains n space separated integers, denoting the \Box
     \hookrightarrow sideLengths of each cube.
     1
     3
     1 3 2
     111
```

```
for i in range(int(input())):
    size = int(input())
    top = 2**31 # maximum value that an integer can take on
    # top => 2147483648
    d = deque(map(int,input().split()))
    # d => deque([4, 3, 2, 1, 3, 4])
    for j in range(len(d)):
         if d[0] > = d[len(d) - 1] and d[0] < = top:
             top = d.popleft()
             # top => 4
             \# d \Rightarrow deque([3, 2, 1, 3, 4])
         elif d[len(d)-1] \le top:
             top = d.pop()
             # top => 4
             \# d \Rightarrow deque([3, 2, 1, 3])
             print('No')
             break
           if j==1: break
#
    if len(d) == 0:
         print('Yes')
1
4 3 2 1 3 4
Yes
class Complex(object):
    def __init__(self, real, imaginary):
```

```
prod = complex(self.real , self.imaginary)*complex(no.real , no.
 →imaginary)
        return Complex(prod.real , prod.imag)
    def __truediv__(self, no):
        div = complex(self.real , self.imaginary)/complex(no.real , no.
 →imaginary)
        return Complex(div.real , div.imag)
    def mod(self):
        m = math.sqrt(self.real**2 + self.imaginary**2)
        return Complex(m,0)
    def __str__(self):
        if self.imaginary >= 0:
             result = "%.2f+%.2fi" % (self.real, self.imaginary)
        else:
             result = "%.2f-%.2fi" % (self.real, abs(self.imaginary))
        return result
c = map(float, input().split())
d = map(float, input().split())
# *c => 2.0 1.0
x = Complex(*c)
\# x \Rightarrow 2.00+1.00i
y = Complex(*d)
# y => 5.00+6.00i
given two complex numbers (C and D), and you have to print the result of their
 \hookrightarrow addition, subtraction,
multiplication, division and modulus operations i.e., C+D, C-D, C*D, C/D, U
\hookrightarrow mod(C) and mod(D).
2.1 => two lines of input for 2 numbers: the real and imaginary part of a each \Box
 \hookrightarrow number.
5 6
111
print(*map(str, [x+y, x-y, x*y, x/y, x.mod(), y.mod()]), sep='\n')
```

```
5 6
             (2+1j)
             7.00+7.00i
             -3.00-5.00i
             4.00+17.00i
             0.26-0.11i
             2.24+0.00i
             7.81+0.00i
[53]: print(complex(5,10))
               complex(5,10).imag
              (5+10i)
[53]: 10.0
n = int(input())
               ls = input().split()
               # ls => ['a', 'a', 'c', 'd']
               k = int(input())
               \# .combinations(iterable, r) => return r length subsequences of elements from
                 ⇔the input iterable.
               # combinations(ls, k) => <itertools.combinations object at 0x7f32eafaed70>
               \# combinations(ls, k) => generate all possible combinations of k letters from
                  ⇔the input list of letters.
               com = list(combinations(ls, k))
               \# com => [('a', 'a'), ('a', 'c'), ('a', 'd'), ('a', 'c'), ('a', 'd'), ('c', "d'), ('c', "d'), ('a', 'd'), ('a', 
                 \hookrightarrow 'd')7
               tol = [i for i in com if "a" in i]
               # tol => [('a', 'a'), ('a', 'c'), ('a', 'd'), ('a', 'c'), ('a', 'd')]
                111
               You are given a list of N lowercase English letters. For a given integer K, you,
                 \hookrightarrow can select any K indices
                (assume 1-based indexing) with a uniform probability from the list. Find the \Box
                 ⇔probability that at least one of
               the K indices selected will contain the letter: 'a'.
               4 => first line contains the integer N, denoting the length of the list.
               a a c d \Rightarrow next line consists of N space-separated lowercase English letters,
                 ⇔denoting the elements of the list.
```

```
2 => third and the last line of input contains the integer K, denoting the \Box
     ⇔number of indices to be selected.
    print(f'{(len(tol)/len(com)):.12f}')
    4
    aacd
    0.83
[]:
given a positive integer N. print a numerical triangle of height N-1 like the \sqcup
     ⇔one below:
    1
    22
    333
    4444
    5 => a single line containing integer, N.
    for i in range(1,int(input())):
                                  (for i=1, 2**i =2)
        # bin(2**i - 1) => 0b1
        # bin(2**i - 1) => 0b11
                                  (for i=2, 2**i =4)
        # bin(2**i - 1) => 0b111
                                  (for i=3, 2**3 =8)
        # binary of "1, 3, 7, 15, 31, ..." is "1, 11, 111, 1111, 11111, ..."
        print (i * int(bin(2**i - 1)[2:]))
    5
    1
    22
    333
    4444
[]:
print a palindromic triangle of size N.
    a palindromic triangle of size 5 is:
    1
    121
```

```
12321
      1234321
      123454321
      5 => a single line of input containing the integer N.
      for i in range(1,int(input())+1):
         \# (10**i - 1) \Rightarrow 9  (for i=1)
          # (10**i - 1) => 99
                              (for i=2)
          # power of "1, 11 , 111, 111, ..." is 2 the o/p is "1, 121, 12321, 1234321, \square
       ···· //
         print (((10**i - 1)//9)**2)
     5
     1
     121
     12321
     1234321
     123454321
A = [[32, 9, 26, 57, 5],
      [32, 39, 89, 96, 1],
      [84, 61, 56, 99, 84],
      [55, 13, 14, 46, 60],
      [6, 70, 27, 7, 32]]
      B = [[35, 94, 4, 62, 67],
      [97, 81, 26, 21, 79],
      [56, 63, 35, 57, 10],
      [22, 18, 16, 88, 43],
      [67, 87, 82, 16, 22]]
      print(np.array(A).shape, np.array(B).shape)
      Matrix multiplication of A and B.
      # A*B
      #print(np.dot(A,B)) # OR
      #print(np.matmul(A,B)) # preferred method # OR
      np.array(A) @ np.array(B)
     (5, 5) (5, 5)
[111]: array([[ 5038, 6836, 2594, 8751, 5676],
            [12066, 13589, 5875, 16340, 10265],
```

```
[114]: A = [32, 9, 26, 57, 5]
      B = [35, 97, 56, 22, 67]
      #print(np.dot(A,B)) # OR
      print(np.matmul(A,B)) # preferred method
     5038
list all primes number below and equal to n.
      def era1():
         n = int(input("Introduce a number: ").strip())
         A = range(2, n+1)
         \# A \implies range(2, 31)
         B, C = [], A
         # math.sqrt(n) => 5.477225575051661
         while C[0] < math.sqrt(n): #Condition</pre>
             firstElement = C[0]
            B += [firstElement]
             C = [x for x in C if x%firstElement!=0]
             # C => [3, 5, 7, 9, 11, 13, 15, 17, 19, 21, 23, 25, 27, 29]
                                                                       (1st_{\sqcup}
       ⇔entry in loop)
             # C => [5, 7, 11, 13, 17, 19, 23, 25, 29]
                                                                       (2nd)
       ⇔entry in loop)
             # C => [7, 11, 13, 17, 19, 23, 29]
                                                                       (3rd
       ⇔entry in loop)
         return B+C
      era1()
      #print(era1())
     Introduce a number: 30
[159]: [2, 3, 5, 7, 11, 13, 17, 19, 23, 29]
 [166]: %%time
      # prime factors of a number.
```

[19799, 25455, 12354, 19737, 17112], [9002, 13153, 6704, 9489, 8150], [10810, 10845, 5525, 4509, 7207]])

```
def prime_factors(n):
        i = 2
        factors = []
        while i * i <= n:
           if n % i:
              i += 1
           else:
              n //= i
              factors.append(i)
        if n > 1:
           factors.append(n)
        return factors
    print(prime_factors(126))
    [2, 3, 3, 7]
    CPU times: user 47 μs, sys: 19 μs, total: 66 μs
    Wall time: 62.7 µs
[]:
def is_leap(year):
       leap = False
        if ((year \% 4 ==0) and (year \% 100 != 0)) | ((year \% 400 == 0) and (year \%
     4100 == 0)):
           leap = True
       return leap
    In the Gregorian calendar, identify leap years as:
    Evenly divisible by 4 and not 100.
    Evenly divisible by 400 and 100.
    is_leap(2017), is_leap(2016)
[2]: (False, True)
row, col = 9, 27
    wel = "WELCOME"
```

```
# .center(width[, fillchar]) => return centered in a string of length width.
     ⇒padding is done using the specified
              - fillchar (default is an ASCII space).
     print(wel.center(col,"-"))
    -----WELCOME-----
w = [int(x) for x in str(i)]
[18]: [5, 4, 8, 9, 7]
[20]: 1 = ['first']
     while len(1):
        print('hello')
        1=[]
    hello
[21]: 1=[5,4,3]
     while 2 not in 1:
        print('hello')
        1.append(2)
    hello
[24]: if not (6 in 1): # ! instead of not gives SyntaxError.
        print('hello')
    hello
[]:
[44]: '''
     factorial of a number
     def factorial_(n):
        if n == 0:
            return 1
        elif n == 1:
            return 1
        else:
            return n*factorial_(n-1)
     factorial_(6)
```

[44]: 720

[]: