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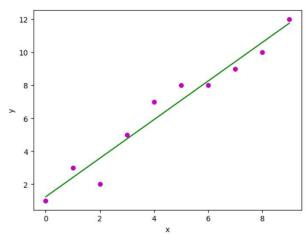
Q1. IMPLEMENT SIMPLE LINEAR REGRESSION USING PYTHON OF THE FOLLOWING DATA POINT.

Code:

```
import numpy as np
import matplotlib.pyplot as plt
def plot_regression_line(x, y, b):
  plt.scatter(x, y, color="m",marker="o", s=30)
  y_pred = b[0] + b[1]*x
  plt.plot(x, y_pred, color="g")
  plt.xlabel('x')
  plt.ylabel('y')
  plt.show()
x = np.array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
y = np.array([1, 3, 2, 5, 7, 8, 8, 9, 10, 12])
n = np.size(x)
x_mean = np.mean(x)
y_mean = np.mean(y)
Sxy = np.sum(x*y) - n*x_mean*y_mean
Sxx = np.sum(x*x) - n*x_mean*x_mean
b1 = Sxy/Sxx
b0 = y_mean-b1*x_mean
p = float(input("enter the value of x to predict y: "))
y pred = b1 * p + b0
print("value at", p, "is", y_pred)
plot_regression_line(x, y, [b0, b1])
INPUT SET:
```

X	0	1	2	3	4	5	6	7	8	9
Υ	1	3	2	5	7	8	8	9	10	12

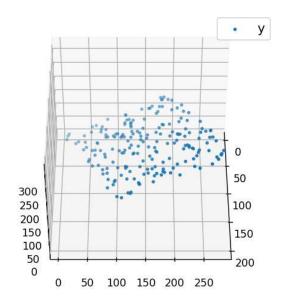
OUTPUT SCREEN:



Q2. IMPLEMENT MULTIPLE REGRESSION MODEL USING RANDOM DATA SET.

Code:

```
import numpy as np
import matplotlib as mpl
from mpl_toolkits.mplot3d import Axes3D
import matplotlib.pyplot as plt
def generate_dataset(n):
  x = []
  y = []
  random_x1 = np.random.rand()
  random_x2 = np.random.rand()
  for i in range(n):
    x1 = i
    x2 = i/2 + np.random.rand()*n
    x.append([1, x1, x2])
    y.append(random_x1 * x1 + random_x2 * x2 + 1)
  return np.array(x), np.array(y)
x, y = generate_dataset(200)
mpl.rcParams['legend.fontsize'] = 12
fig = plt.figure()
ax = fig.add_subplot(projection='3d')
ax.scatter(x[:, 1], x[:, 2], y, label='y', s=5)
ax.legend()
ax.view_init(45, 0)
plt.show()
```



Q3. IMPLEMENT POLYNOMIAL REGRESSION OF THE FOLLOWING DATA.

Code:

INPUT:

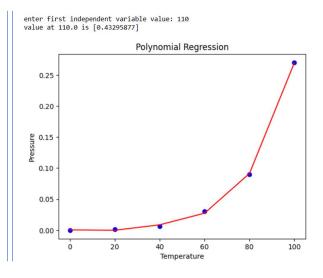
import numpy as np

```
from sklearn.linear_model import LinearRegression
from sklearn.preprocessing import PolynomialFeatures
import pandas as pd
import matplotlib.pyplot as plt
datas = pd.read csv('4.data.csv')
X = datas.iloc[:, 1:2].values
y = datas.iloc[:, 2].values
poly = PolynomialFeatures(degree = 4)
X_poly = poly.fit_transform(X)
poly.fit(X_poly, y)
lin = LinearRegression()
lin.fit(X_poly, y)
p = float(input("enter first independent variable value: "))
predarray = np.array([[p]])
y pred = lin.predict(poly.fit transform(predarray))
print("value at", p, "is", y_pred)
plt.scatter(X, y, color = 'blue')
plt.plot(X, lin.predict(poly.fit_transform(X)), color = 'red')
plt.title('Polynomial Regression')
plt.xlabel('Temperature')
plt.ylabel('Pressure')
plt.show()
```

	sno	Tempetarure	Pressure
0	1	0	0.0002
1	2	20	0.0012
2	3	40	0.0060
3	4	60	0.0300
4	5	80	0.0900

100

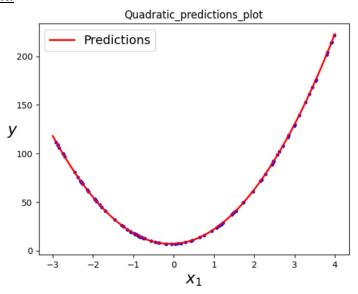
0.2700



Q4. IMPLEMENT POLYNOMIAL REGRESSION FOR NON-LINEAR RANDOM DATASET.

Code:

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.linear model import LinearRegression
from sklearn.preprocessing import PolynomialFeatures
from sklearn.metrics import mean squared error, r2 score
x = np.array(7 * np.random.rand(100, 1) - 3)
x1 = x.reshape(-1, 1)
y = 13 * x*x + 2 * x + 7
regression_model = LinearRegression()
regression_model.fit(x1, y)
y predicted = regression model.predict(x1)
poly_features = PolynomialFeatures(degree = 2, include_bias = False)
x_poly = poly_features.fit_transform(x1)
lin_reg = LinearRegression()
lin reg.fit(x poly, y)
x_new = np.linspace(-3, 4, 100).reshape(100, 1)
x new poly = poly features.transform(x new)
y_new = lin_reg.predict(x_new_poly)
plt.plot(x, y, "b.")
plt.plot(x_new, y_new, "r-", linewidth = 2, label ="Predictions")
plt.xlabel("$x 1$", fontsize = 18)
plt.ylabel("$y$", rotation = 0, fontsize = 18)
plt.legend(loc ="upper left", fontsize = 14)
plt.title("Quadratic_predictions_plot")
plt.show()
```



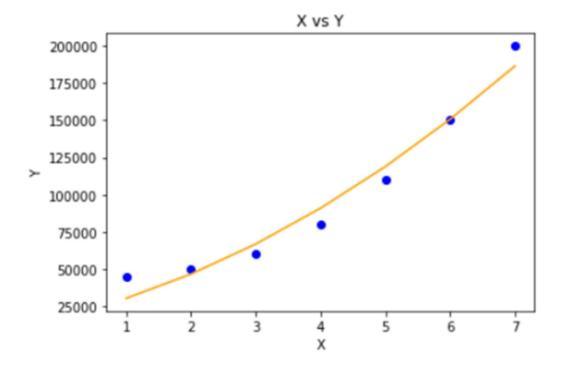
Q5. CALCULATE THE PERFORMANCE OF THE MODEL OBTAINED BY POLYNOMIAL REGRESSION USING PYTHON.

Code:

```
import numpy as np
import math
import matplotlib.pyplot as plt
class PolynomailRegression():
  def __init__( self, degree, learning_rate, iterations ) :
    self.degree = degree
    self.learning_rate = learning_rate
    self.iterations = iterations
  def transform( self, X ):
    X_transform = np.ones((self.m, 1))
    j = 0
    for j in range( self.degree + 1 ):
      if j != 0 :
         x pow = np.power(X, j)
         X_transform = np.append( X_transform, x_pow.reshape( -1, 1 ), axis = 1 )
       return X_transform
  def normalize( self, X ):
    X[:, 1:] = (X[:, 1:] - np.mean(X[:, 1:], axis = 0)) / np.std(X[:, 1:], axis = 0)
    return X
  def fit( self, X, Y):
    self.X = X
    self.Y = Y
    self.m, self.n = self.X.shape
    self.W = np.zeros( self.degree + 1 )
    X_transform = self.transform( self.X )
    X_normalize = self.normalize( X_transform )
    for i in range( self.iterations ):
      h = self.predict( self.X )
      error = h - self.Y
       self.W = self.W - self.learning_rate * (1 / self.m) * np.dot(X_normalize.T, error)
    return self
  def predict( self, X ):
    X_transform = self.transform( X )
    X normalize = self.normalize(X transform)
    return np.dot( X_transform, self.W )
def main():
X = np.array([[1], [2], [3], [4], [5], [6], [7]])
Y = np.array([45000, 50000, 60000, 80000, 110000, 150000, 200000])
model = PolynomailRegression( degree = 2, learning rate = 0.01, iterations = 500)
```

```
model.fit( X, Y )
Y_pred = model.predict( X )
plt.scatter( X, Y, color = 'blue' )
plt.plot( X, Y_pred, color = 'orange' )
plt.title( 'X vs Y' )
plt.xlabel( 'X' )
plt.ylabel( 'Y' )
plt.show()

if __name__ == "__main__":
    main()
```



Q6. IMPLEMENT SIMPLE LINEAR REGRESSION USING PYHTON FOR THE FOLLOWING DATA POINT.

Code:

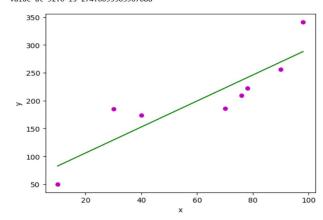
```
import numpy as np
import matplotlib.pyplot as plt
def plot regression line(x, y, b):
  plt.scatter(x, y, color="m",
         marker="o", s=30)
  y_pred = b[0] + b[1]*x
  plt.plot(x, y_pred, color="g")
  plt.xlabel('x')
  plt.ylabel('y')
  plt.show()
x = np.array([10, 30, 40, 70, 76, 78, 90, 98])
y = np.array([50, 185, 174, 186, 209, 222, 256, 341])
n = np.size(x)
x_mean = np.mean(x)
y mean = np.mean(y)
Sxy = np.sum(x*y) - n*x_mean*y_mean
Sxx = np.sum(x*x) - n*x mean*x mean
b1 = Sxy/Sxx
b0 = y_mean-b1*x_mean
p = float(input("enter the value of x to predict y: "))
y pred = b1 * p + b0
print("value at", p, "is", y_pred)
plot_regression_line(x, y, [b0, b1])
```

DATA POINT:

X	10	30	40	70	76	78	90	98
Υ	50	185	174	186	209	222	256	341

OUTPUT SCREEN:

enter the value of x to predict y: 92 value at 92.0 is 274.0095503967088



Q7. IMPLEMENT USING PYTHON PROGRAM TO LOGISTIC REGRESSION USING PYTHON FOR THE GIVEN DATA SET.

Code:

from sklearn import linear_model from sklearn.model_selection import train_test_split import pandas as pd

```
datas = pd.read_csv('data.csv')
X = datas.iloc[:, 2:4].values
y = datas.iloc[:, 4].values
x_train, x_test, y_train, y_test = train_test_split(X, y, test_size = 0.1)
model = linear_model.LogisticRegression()
model.fit(x_train, y_train)

p = float(input("enter first independent variable value: "))
q = float(input("enter second independent variable value: "))
pre = model.predict([[p, q]])
print("predicted value is: ", pre)
```

DATA POINTS:

User ID	Gender	Age	EstimatedSalary	Purchased
15624510	Male	19	19000	0
15810944	Male	35	20000	0
15668575	Female	26	43000	0
15603246	Female	27	57000	0
15804002	Male	19	76000	0
15728773	Male	27	58000	0
15598044	Female	27	84000	0
15694829	Female	32	150000	1
15600575	Male	25	33000	0
15727311	Female	35	65000	0
15570769	Female	26	80000	0
15606274	Female	26	52000	0
15746139	Male	20	86000	0
15704987	Male	32	18000	0
15628972	Male	18	82000	0
15697686	Male	29	80000	0
15733883	Male	47	25000	1
15617482	Male	45	26000	1
15704583	Male	46	28000	1

OUTPUT SCREEN:

enter first independent variable value: 47 enter second independent variable value: 25000 predicted value is: [1]

O8. *IMPLEMENT OF KNN ALGORITHM OF THE FLOWING* DATASET USING PYTHON.

Code:

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.model selection import train test split
from sklearn.neighbors import KNeighborsClassifier
from sklearn.metrics import classification report, confusion matrix
df = pd.read csv("prostate2.csv")
scaler = StandardScaler()
scaler.fit(df.drop('target', axis=1))
scaled_features = scaler.transform(df.drop('target', axis=1))
df feat = pd.DataFrame(scaled features, columns=df.columns[:-1])
X_train, X_test, y_train, y_test = train_test_split(scaled_features, df['target'], test_size=0.30)
knn = KNeighborsClassifier(n neighbors=1)
knn.fit(X_train, y_train)
pred = knn.predict(X test)
print(confusion_matrix(y_test, pred))
print(classification_report(y_test, pred))
error_rate = []
for i in range(1, 40):
  knn = KNeighborsClassifier(n_neighbors=i)
  knn.fit(X train, y train)
  pred i = knn.predict(X test)
  error_rate.append(np.mean(pred_i != y_test))
plt.figure(figsize=(10, 6))
plt.plot(range(1, 40), error_rate, color='blue', linestyle='dashed', marker='o', markerfacecolor='red',
markersize=10)
plt.title('Error Rate vs. K Value')
plt.xlabel('K')
plt.ylabel('Error Rate')
plt.show()
```

DATA POINTS:

	Icavol	lweight	age	lbph	svi	lcp	gleason	pgg45	lpsa
0	-0.579818	2.769459	50	-1.386294	0	-1.386294	6	0	-0.430783
1	-0.994252	3.319626	58	-1.386294	0	-1.386294	6	0	-0.162519
2	-0.510826	2.691243	74	-1.386294	0	-1.386294	7	20	-0.162519
3	-1.203973	3.282789	58	-1.386294	0	-1.386294	6	0	-0.162519
4	0.751416	3.432373	62	-1.386294	0	-1.386294	6	0	0.371564

]				
		precision	recall	f1-score	support
	0	0.92	0.88	0.90	25
	1	0.50	0.60	0.55	5
acc	uracy			0.83	30
macr	o avg	0.71	0.74	0.72	30
weighte	d avg	0.85	0.83	0.84	30

