

Database Systems (CS F212)

MidSem Solutions

Q1. (a) If all sets of attributes are closed, then there cannot be any nontrivial functional dependencies. For suppose $A_1A_2\dots A_n \rightarrow B$ is a nontrivial dependency. Then $A_1A_2\dots A_n+$ contains B and thus $A_1A_2\dots A_n$ is not closed.

Non trivial FDs – **3 marks**

Contradiction – **2 marks**

(b) Let $R(A,B)$ be a 2-attribute relation. The possibilities for keys are A , B , both A & B are keys separately, & composite AB . – **1 mark**

If A (or B) is the only key (therefore PK), then the only FD is $A \rightarrow B$ (or $B \rightarrow A$). So BCNF. – **1 +1 mark**

If AB is the composite key, then the only trivial FD is $AB \rightarrow AB$. So BCNF. – **1 mark**

If A and B , both are CKs, then the FDs are $A \rightarrow B$, and $B \rightarrow A$.

Determinants in both FDs are CKs. So BCNF. – **1 mark**

Q2 a) Attendance (sid, cid, fid, rid, date, day, hour) (2 Marks, If PK not specified deduct 1 Marks)(If finest granularity not considered, 1 marks deducted)
 student(Sid, name,...) (1/2 Marks, If PK not specified 0 Marks)
 course(cid, name,...) (1/2 Marks, If PK not specified 0 Marks)
 faculty(fid, name,...) (1/2 Marks, If PK not specified 0 Marks)
 room(rid,...) (1/2 Marks, If PK not specified 0 Marks)

b) **Functional Dependencies**

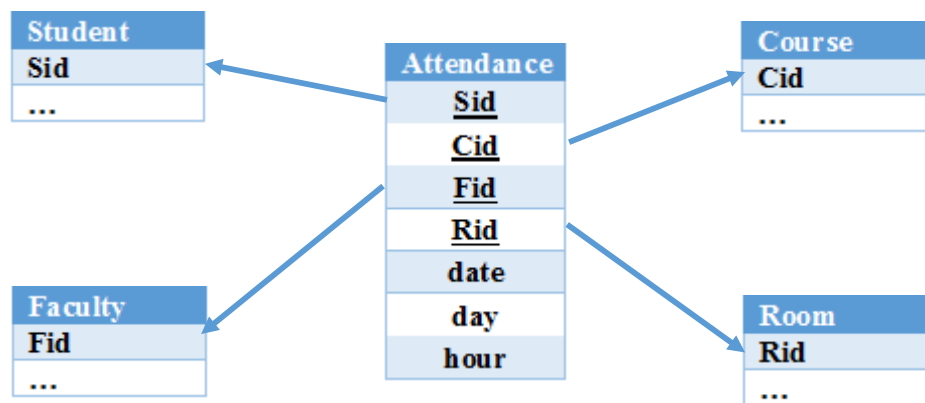
PK Dependency (2 Marks)

(If a) is not correct/ there is a problem with functional dependencies 1Marks)

c) **Normalize it to BCNF**

Already in BCNF (2 Marks) (If a) is not correct/ there is a problem with normalization 1 Marks)

d) **Referential Integrity Diagram**



(2 Marks)

(1/2 Marks each of the table, with PK mentioned)

Q6 (a) **FD, for the relation:**

Primary Key Dependency

sub_category -> category (1 mark)

category -> department (1 mark)

(If PK not written ½ marks deducted)

(b) **Identifying all redundancies:**

Category and Department information getting repeated for each product which should not be the case.

with reason for both is given (1 mark + 1 mark)

(c) **Normalized relation:**

Table1 : prod_key, prod_name, prod_decription, sub_category

Table2: sub_category, category

Table3: category, department

(For All three tables 2 Marks, For 2 correct tables 1 marks)

Tables are normalized to BCNF Form (1 Marks)

(d) **Space Saving:**

Before Normalization: $60,000 \times 25 \times 6 = 9,000,000$ bytes (1 marks)

After Normalization: $(60,000 \times 25 \times 4) + (600 \times 25 \times 2) + (60 \times 25 \times 2) = 6033000$ bytes (1 marks)

Space Saving : 2967000 bytes (1 Marks)

Q3. How to create/update FDs? For example:

Create FDs - **2 marks**

R.A \rightarrow R.BC as R.FD.1 (name optional) – **1 mark**

R.C \rightarrow R.D as. R.FD.2

R.C \rightarrow R.E as R.FD.3

(can be done at the time of creation of R or any time later using Alter Table) – **1 mark**

Any FD violations are flagged and corresponding update operation is denied.

Every FD on every relation is stored in the metadata, like any other DB Object. – **2 marks**

Normalize R into R1, R2 using R.C \rightarrow R.D (or using name R.FD.1) – **2 marks**

Dropping a FD – **1 mark**

Drop R.FD.1 - **1 mark**

Q4

Given :

Block Size (B) = 512 Bytes

Block Pointer (P) = 6 Bytes

Record Pointer (P_R) = 7 Bytes

Record Size (R) = 114 Bytes

No. of Records (r) = 30,000

(a) Taking 'SSN' as the key field

(i) Index Blocking factor:

For an index on the SSN field, field size $V_{SSN} = 9$ bytes, block pointer size $P = 6$ bytes.

Then: index entry size $R_i = (V_{SSN} + P) = (9 + 6) = 15$ bytes

Index blocking factor $Bfr_i = B/R_i = 512/15 = 34$ entries/block

-----1/2M

(ii) Number of First Level Index Entries:

$Bfr = 512/114 = 4$ records/block

number of file blocks $b = (r/Bfr) = (30000/4) = 7500$

Therefore, $r_1 = 7500$ entries

-----1/2

M

Number of First level index Blocks:

number of index blocks $b_1 = (r_1/Bfr_i) = (7500/34) = 221$ blocks

-----1/2M

(iii) Number of levels needed if we make it into a multi-level index:

Number of First level index Blocks:

number of index blocks $b_1 = (r_1/Bfr_i) = (7500/34) = 221$ blocks

Number of Second level index Blocks:

number of index blocks $b_1 = (r_2/Bfr_i) = (221/34) = 7$ blocks

Number of Third level index Blocks:
number of index blocks $b_1 = (r_3 / Bfr_i) = (7/34) = 1$ block
Therefore, 3 levels

-----2 M

(iv) Number of Blocks required by the multi-level index:

number of blocks = $1+7+221 = 229$ blocks

-----1M

(v) Number of block accesses needed to search for and retrieve a record from the file –given its SSN value—using the primary index:

3 index block accesses + 1 data block = 4

-----1/2M

(b) Using secondary index on SSM

(i) Index Blocking factor:

For an index on the SSN field, field size $V_{SSN} = 9$ bytes, block pointer size $P = 6$ bytes.

Then: index entry size $R_i = (V_{SSN} + P_R) = (9+6) = 15$ bytes

Index blocking factor $Bfr_i = B/R_i = 512/15 = 32$ entries/block

-----1/2M

(ii) Number of First Level Index Entries:

Therefore, $r_1 = 30,000$ entries

Number of First level index Blocks:

number of index blocks $b_1 = (r_1 / Bfr_i) = (30000/32) = 938$ blocks

-----1/2M

(iii) Number of levels needed if we make it into a multi-level index:

Number of First level index Blocks:

number of index blocks $b_1 = (r_1 / Bfr_i) = (30000/32) = 938$ blocks

Number of Second level index Blocks:

number of index blocks $b_2 = (938/(34)) = 27$ blocks

Number of Third level index Blocks:

number of index blocks $b_3 = (27/(34)) = 1$ block

Therefore, 3 levels

-----2 M

(iv) Number of Blocks required by the multi-level index:

number of blocks = $1+27+938 = 966$ block

-----1/2M

(v) Number of block accesses needed to search for and retrieve a record from the file –given its SSN value—using the primary index:

3 index block accesses + 1 data block = 4

-----1/2M

Comparison:

	<p>Primary index is better than secondary index -----1/2M</p> <p>Because: space requirement by PI is much less than SI, although the no. of block accesses needed to search for a SSN value by both is same.</p> <p>1/2M</p>
Q5	<p>Given: $R(A, B, C, D)$ $FD_s (A \rightarrow AC, B \rightarrow ABC, D \rightarrow ABC)$ Steps to find F_c :</p> <ol style="list-style-type: none"> 1. Simpleton RHS $\{A \rightarrow A, A \rightarrow C, B \rightarrow A, B \rightarrow B, B \rightarrow C, D \rightarrow A, D \rightarrow B, D \rightarrow C\}$ Therefore, $F = \{A \rightarrow C, B \rightarrow A, B \rightarrow C, D \rightarrow A, D \rightarrow B, D \rightarrow C\}$ $F = \{A \rightarrow C, B \rightarrow AC, D \rightarrow ABC\}$ ----- 2M 2. Removal of Extraneous attributes Checking for A in $B \rightarrow AC$ (A is not extraneous) Checking for C in $B \rightarrow AC$ (C is extraneous) ----- 3M Checking for A in $D \rightarrow ABC$ (A is extraneous) Checking for B in $D \rightarrow ABC$ (B is not extraneous) Checking for B in $D \rightarrow ABC$ (A is extraneous) ----- 3M 3. Removal of redundant FD_s Therefore, $F_c (A \rightarrow C, B \rightarrow A, D \rightarrow B)$ ----- 2M