```
#test cholesky
require (MASS)
\#variance of x and y
sd.x = .230
sd.y = .239
\#correlaton between -1 and 1
cor.xy = .5
sg = matrix(0,2,2)
sg[1,1] = sd.x^2
sg[1,2] = sg[2,1] = cor.xy*(sd.x*sd.y)
sg[2,2] = sd.y^2
#note that R does upper triangular decomp; whereas Stan does lower triangular
\#lower triangular in R is simply the transpose of the upper triangular, i.e. t(R \text{ chol})
R_{chol} = chol(sg); L_{chol} = t(R_{chol})
\overline{\text{mu}} = \text{matrix} (c(3.2, -.4), 1, 2)
mvdraw=mvrnorm(n=1000, mu=mu, Sigma=sg)
#Right cholesky
chdraw=matrix(rnorm(2000,mean=0,sd=1),1000,2)%*% R chol + t(matrix(mu,2,1000))
#left cholesky
#correlation cholesky
cormat = matrix(c(1,cor.xy,cor.xy,1),2,2)
R_Omega=chol(cormat); L_Omega = t(R_Omega)
s = c(sd.x, sd.y)
eta=matrix(rnorm(2000,mean=0,sd=1),2,1000)
beta = t(matrix(mu,2,1000)) + t(diag(s) %*% L_Omega %*% eta)
#NOTE THE EQUALITY FOR WHY THE BETA WORKS L_Omega is chol of correlation; L_chol is chor of cov
print(diag(zi) %*% L_Omega)
print(L chol)
plot(mvdraw)
lines(chdraw,type='p',pch=3)
lines(beta, type='p', pch=4)
abline(h=mean(mvdraw[,2]),v=mean(mvdraw[,1]))
abline(h=mean(chdraw[,2]),v=mean(chdraw[,1]), col='gray')
abline(h=mean(beta[,2]), v=mean(beta[,1]), col='gray')
print(apply(mvdraw, 2, FUN= function(x) c(mean=mean(x), sd=sd(x))))
print(apply(chdraw, 2, FUN= function(x) c(mean=mean(x), sd=sd(x))))
\label{eq:print print apply (beta, 2, FUN= function (x) c (mean=mean (x), sd=sd(x))))} \\
#print("Chol' * Chol")
#print(t(cholsg) %*% cholsg)
#print("Sigma")
#print(sg)
#print("diag(s) * cholcor' * cholcor * diag(s)")
#diag(s) %*% t(cholcor) %*% cholcor %*% diag(s)
```