

Estimating Auxiliary Task Effectivity in Multitask Learning

Multitask Learning (MTL)

- Simultaneously learning several related tasks.
- Common information shared across tasks.
- Proven useful for parsing and POS tagging.

When and why is MTL learning useful in NLP?

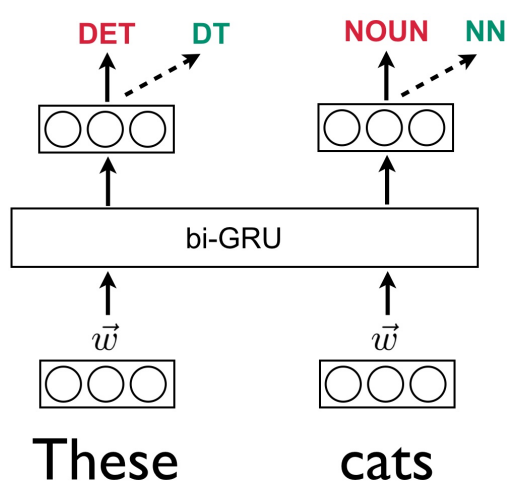
We take an information-theoretic perspective.

tokens	These	cats	live	in	that	house	.
UD POS	DET	NOUN	VERB	ADP	DET	NOUN	PUNCT
PTB POS	DT	NNS	VBP	IN	DT	NN	.

tokens	Jim	bought	300	shares	of	Apple	.
UD POS	NOUN	VERB	NUM	NOUN	ADP	NOUN	PUNCT
NE	PER					ORG	

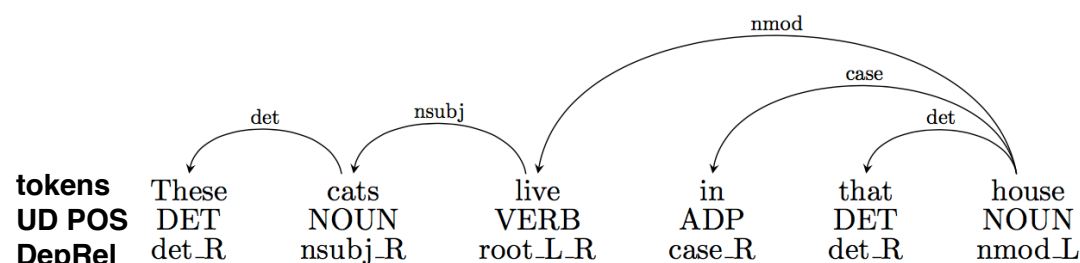
Architecture

- Bi-directional GRU
 - 2 layers, 100d
- Word embeddings
 - no pretraining, 64d
- All parameters shared



Method

- Main task: POS tagging
- Auxiliary task: Dependency Relations (DepRel)



Category	Directionality	Example	H
Full	Full	nmod:poss/R_L	3.77
Full	Simple	nmod:poss/R	3.35
Simple	Full	nmod/R_L	3.00
Simple	None	nmod	2.03
None	Full	R_L	1.54
None	Simple	R	0.72

Table 1: Granularities of DepRel instantiations

Information Theory

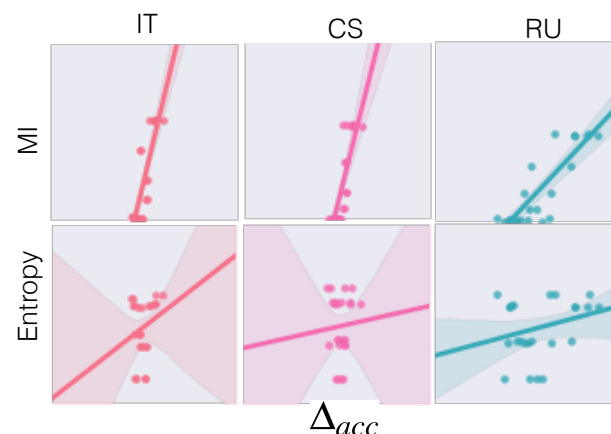
- Entropy (suggested in literature) — $H(Y)$
- Conditional Entropy — $H(Y|X)$
- Mutual Information — $I(X;Y)$

Experiments

- Experiments on 39 languages (most in UD 1.3).
- Varying overlap between Main and AUX task data.
- Comparing Δ_{acc} and information-theoretic measures

Results

- Δ_{acc} and MI — significant correlation (Table 2)
- Δ_{acc} and Entropy — no correlation



Conclusions

- Mutual Information is indicative of auxiliary task effectivity, across a sample of 39 languages.
- Results on semantic tasks in the literature are in line with our findings.

Auxiliary task	$\rho(\Delta_{acc}, H(Y))$	$\rho(\Delta_{acc}, H(Y X))$	$\rho(\Delta_{acc}, I(X;Y))$
Dependency Relations (Identity)	-0.06 (p=0.214)	0.12 (p=0.013)	0.08 (p=0.114)
Dependency Relations (Overlap)	0.07 (p=0.127)	0.27 (p<0.001)	0.43 (p<<0.001)
Dependency Relations (Disjoint)	0.08 (p=0.101)	0.25 (p<0.001)	0.41 (p<<0.001)

Table 2: Correlation scores and associated p -values, between change in accuracy (Δ_{acc}) and entropy ($H(Y)$), conditional entropy ($H(Y|X)$), and mutual information ($I(X;Y)$), calculated with Spearman's ρ , across all languages and label instantiations. Bold indicates the strongest significant correlations.