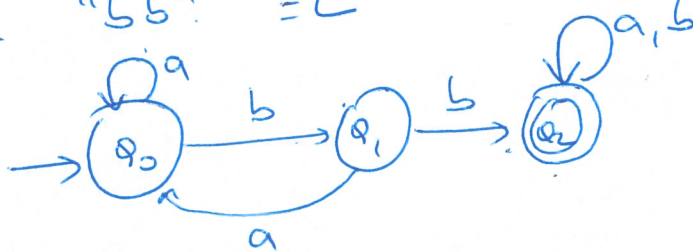


- * Design a DFA that accepts all the strings that contain a "bb" = L

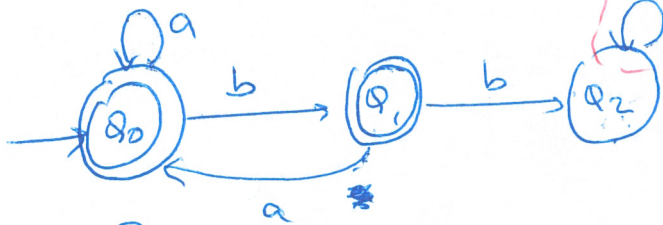


$$M_1 = (\{q_0, q_1, q_2\}, \{a, b\}, \delta, q_0, \{q_2\})$$

F

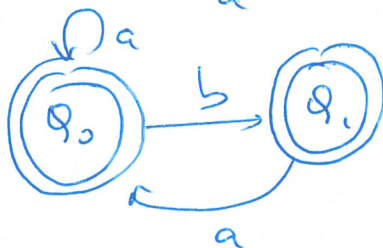
| | | | |
|---|---|---|---|
| a | b | b | a |
|---|---|---|---|

- * Design a DFA that accepts all the strings that do not contain a "bb" = \bar{L}



can omit this because it would transition to the dead state.

w
q_n



$$M_2 = (\{q_0, q_1, q_2\}, \{a, b\}, \delta, q_0, \{q_0, q_1\})$$

$$M_1 = (Q, \Sigma, \delta, q_0, F) \quad L(M_1)$$

M_2 where $L(M_2) = L(\overline{M_1})$ is constructed

as:

$$M_2 = (Q, \Sigma, \delta, q_0, Q - F)$$

F

(2)

* Design a machine with $\Sigma = \{a, b\}$

that accepts strings with an even number of "a"s, (0 even) and odd number of "b"s.

