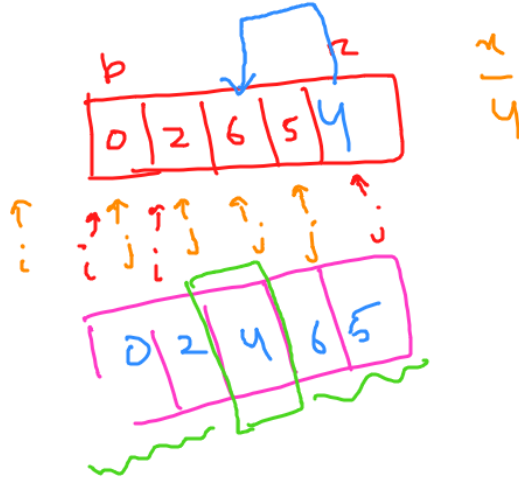
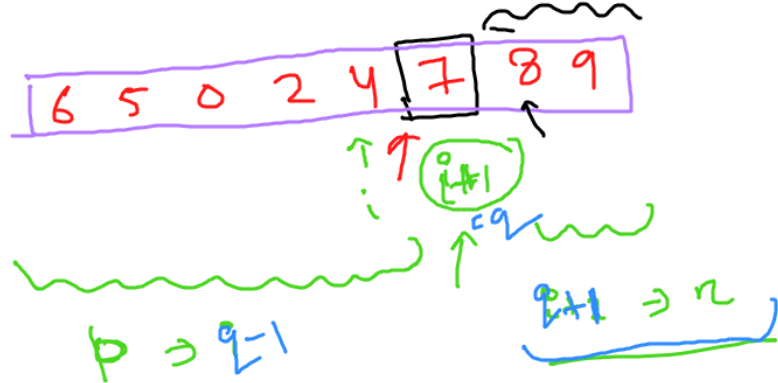
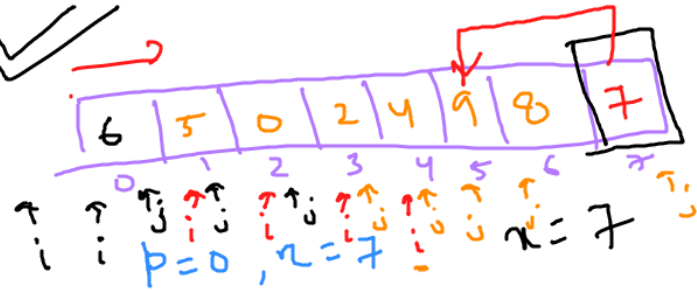


Quick sort ← Divide & Conquer Technique

Partition ← Heart of the algorithm
Quick sort



int partition (A, p, r)

```

{
    n = A[r]
    i = p-1
    for (j = p; j <= r; j++)
    {
        if (A[j] <= n)
        {
            i++;
            swap(A[i], A[j]);
        }
    }
    swap(A[i+1], A[r]);
    return i+1;
}
    
```

```
void quickSort (A, p, r)
```

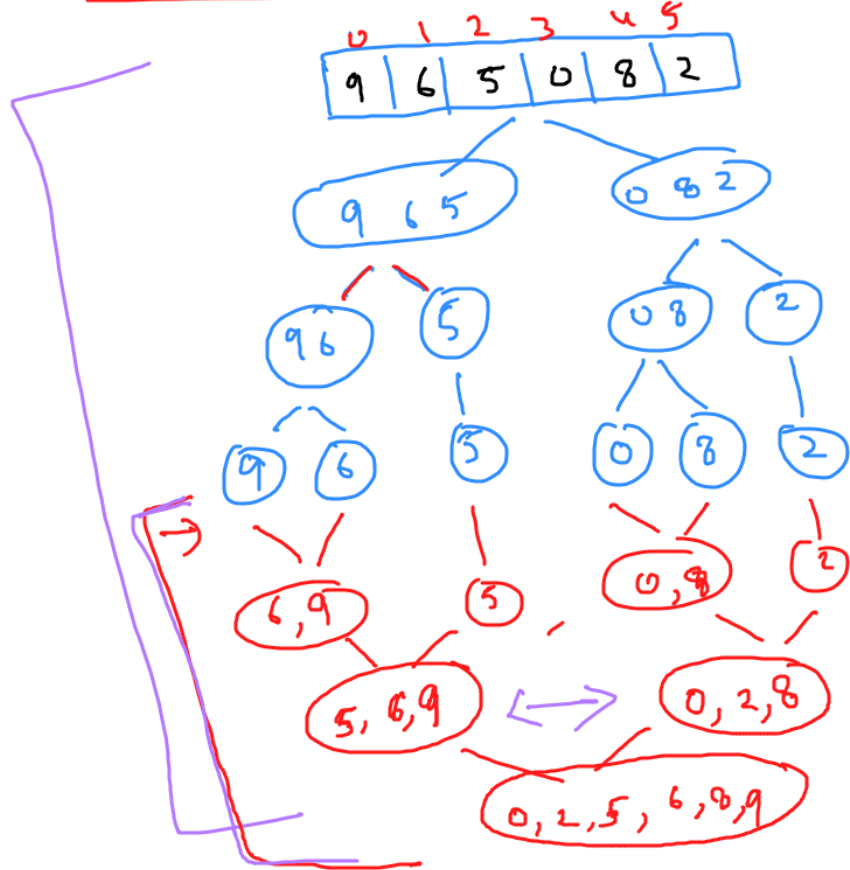
```
{  
    if (p < r)  
    {  
        q = partition (A, p, r)
```

```
        quickSort (A, p, q-1)
```

```
        quickSort (A, q+1, r)
```

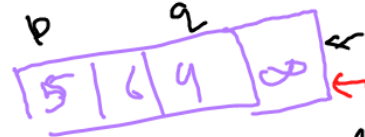
```
    }  
}
```

Merge sort \leftarrow D & L Technique



\rightarrow merge (A, p, q, r) \leftarrow heart of the algo

mergeSort(A, p, r)



merge (A, p, q, r)

}

$n_1 = q - p + 1$

$n_2 = r - q$

Let $L[n_1+1]$ & $R[n_2+1]$ be two arrays.

for ($i=0$; $i < n_1$; $i++$)

$L[i] = A[p+i]$

for ($j=0$; $j < n_2$; $j++$)

$R[j] = A[q+1+j]$

$L[n_1] = R[n_2] = \infty$

3

$L[n_1] = R[n_2] = \infty$

$i = j = 0;$



for ($k = p; k \leq n; k++$)
{

if ($L[i] < R[j]$)

{ $A[k] = L[i]$

$i++;$

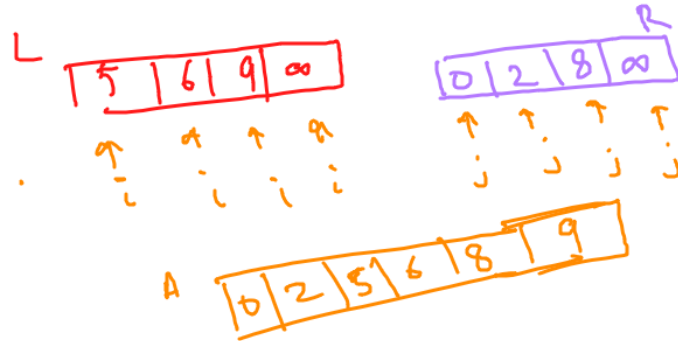
}
else
{

$A[k] = R[j]$

$j++;$

}

}



void mergesort (A, p, n)

{

if ($p < n$)

{

$q = (p + n) / 2$ ←

mergesort (A, p, q)

mergesort ($A, q+1, n$)

merge (A, p, q, n)

}