

Cycle

Given a sequence of number generated by evaluating $(A * B^i) \% N$, where A is the starting number, B is the multiplier, i is the i -th number, and N is the modulo. Find the size of the cycle. For example, suppose $A = 2$, $B = 2$, and $N = 5$. Then the sequence will be $2 \rightarrow 4 \rightarrow 3 \rightarrow 1 \rightarrow 2$. The size of cycle is 4.

Format Input

The input begins with an integer T , indicating the number of test case. In each test case, there are 3 positive integers n , a , and b , describing the modulo, the starting number, and the multiplier. It is guaranteed for any kind of input, there will always be a cycle.

Format Output

For each test case, print a line containing "Case #X: Y" with X is the test case number starting from 1 and Y is the size of the cycle.

Constraints

$1 \leq T \leq 100$

$1 \leq n, a, b \leq 100,000$

Sample Input	Sample Output
2 3 2 2 5 2 2	Case #1: 2 Case #2: 4

Note

You can use one of these equations to calculate the answer

$$(a + b) \% k == ((a \% k) + (b \% k)) \% k$$

$$(a - b) \% k == ((a \% k) + k - (b \% k)) \% k$$

$$(a * b) \% k == ((a \% k) * (b \% k)) \% k$$