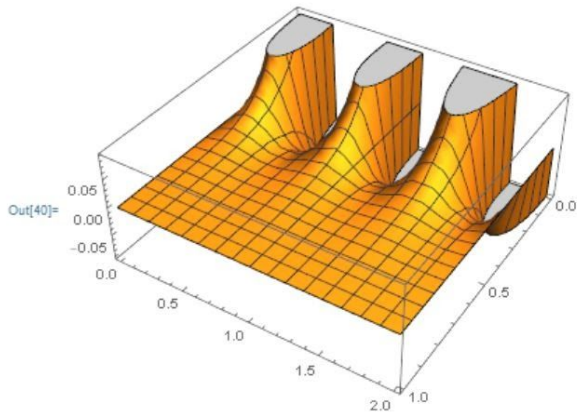


Plots for Book Problems.

```
In[34]:= Clear[V0, a, b, m, V]
a = 1;
b = 2;
V0 = 3;
m = 50;

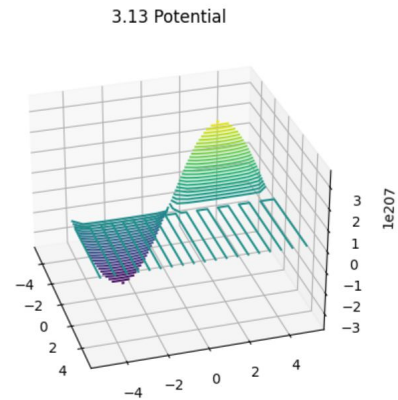
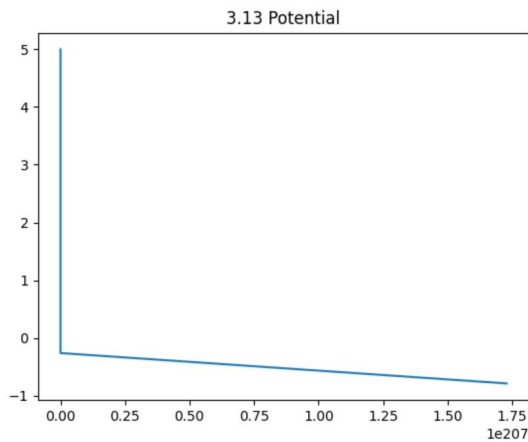
V[x_, y_, N_] := V0 * (8/Pi) * Sum[(1/(4*n+2)) * Exp[-(4*n+2) * (Pi/2) * x] * Sin[(4*n+2) * (Pi/2) * y], {n, 1, N}];
Plot3D[V[x, y, m], {x, 0, a}, {y, 0, b}]
```



The function being graphed above is the following:

$$V(x, y) = \sum_{n=1}^{\infty} \frac{8V_0}{(4n-2)\pi} e^{-\frac{(4n-2)\pi x}{a}} \sin\left(\frac{(4n-2)\pi y}{a}\right)$$

I tried graphing this in Python, but couldn't seem to get it to work. However, the graph does look similar to what I was supposed to get.



```

1  import numpy as np
2  import matplotlib.pyplot as plt
3
4  x = np.linspace(-5,5,20)
5  y = np.linspace(-5,5,20)
6
7  X, Y = np.meshgrid(x,y)
8  dx = 1
9  a = 1
10 b = 2
11 vo = 3
12
13 def potential(x,y):
14     sum = 0
15     for n in np.arange(0,50,dx):
16         sum += (8*vo)/((4*n-2)*np.pi)*np.exp((-4*n-2)*np.pi*x/a)*np.sin(((4*n-2)*np.pi*y)/a)
17     return sum
18
19 Z = potential(X,Y)
20
21 plt.figure()
22 ax = plt.axes(projection='3d')
23 plt.title("3.13 Potential")
24 plt.contour(X,Y,Z,50)
25
26 plt.figure()
27 plt.title("3.13 Potential")
28 plt.plot(potential(x,y),y)
29 plt.show()
30

```

I'm only showing this because I feel dirty using mathematica -- it's like driving a manual or using a chainsaw, you just feel better using the analog. Plus mathematica is basically a calculator with extra complication.

```

In[41]:=
Clear[V0, a, b, m, V]

a = 1;
b = 2;
V0 = 3;
m = 50;

V[x_, y_, N_] = Sum[(4/Pi*n)*V0/Sinh[(Pi*n/a)*b]*Sinh[(Pi*n/a)*x]*Sin[(Pi*n/a)*y], {n, 1, N}];
Plot3D[V[x, y, m], {x, 0, a}, {y, 0, b}]

```

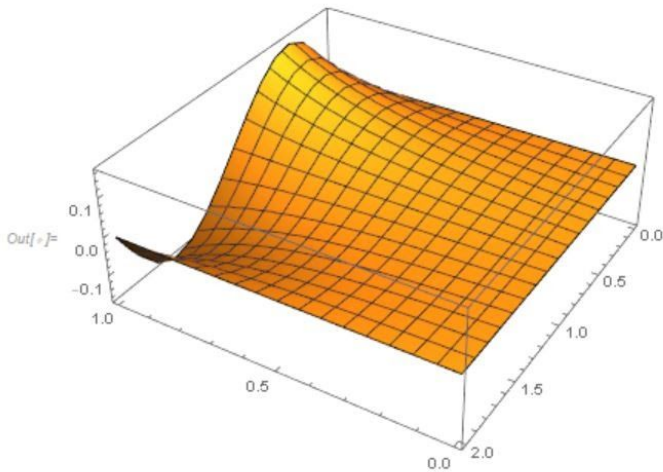
Out[41]= 3

Out[41]= 1

Out[41]= 2

Out[41]= 50

$$\text{Out[41]} = \sum_{n=1}^N \frac{12 n \operatorname{Csch}[2 n \pi] \sin[n \pi y] \sinh[n \pi x]}{\pi}$$



The function being graphed above is the following:

$$V(x, y) = \frac{4V_0}{\pi} \sum_{n=1,3,5,\dots} \frac{\sinh\left(\frac{n\pi x}{a}\right) \sin\left(\frac{n\pi y}{a}\right)}{n \sinh\left(\frac{n\pi b}{a}\right)}$$