

COMP 4320 HW 2

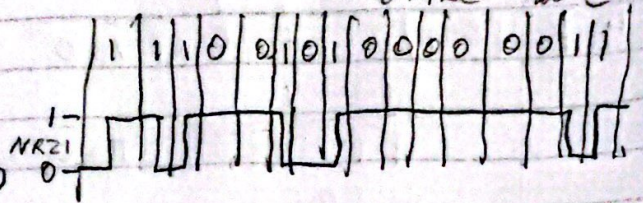
Blink more

1. Sequence: 1110 0101 0000 0011

4B/5B: 11100 01011 11110 10101

NRZI: 10111 10010 10100 11001

(changes at 1 and holds over 0)



2.

11010 11111 01111 11010 10111 11110

Result: 11010 11111 01010 11111 11010 10111 11110 110

Stuffed:

11th 20th 30th

3.

Two-dimensional parity allows detection of 3-bit errors. Using the example to the right we try covering up the error in either the row or column parity bit by flipping a third bit. It will hide one, but not both. So all 3-bit errors are caught.

1	1	1	0	1	1	0	1
1	1	0	1	0	1	0	0
0	1	1	1	1	1	0	1
0	1	1	0	1	0	0	1
1	1	0	0	0	1	0	1
0	0	1	0	1	0	1	1
1	1	0	0	0	0	0	0
0	0	0	0	0	0	1	1

If we flip the first two bits of the first two rows, the parity bits and corresponding parity byte remains the same. So, it does not catch all 4-bit errors. The general circumstance is when

4. A.

11111100
1001 | 11100011000
1001
01110011000
1001
00111011000
1001
00011111000
1001
00001101000
110101
00000100000
1001
00000000100

4-bit errors balance the parity bits.

2-D parity tells us the location (ex. (1,2)) of the error, allowing for correction in the 1-bit error scenario.

If we have a 2-bit error, we only detect it, we do not get the location, so we cannot correct it.

0	0	1	0	1	1	0	1
0	0	0	1	0	1	0	0
0	1	1	1	1	1	0	1
0	1	1	0	1	0	0	1
1	1	0	0	0	1	0	1
0	0	1	0	1	0	1	1
1	1	0	0	0	0	0	0
0	0	0	1	0	0	1	0

Message: 111 000 11 100

$$\begin{array}{r}
 4. B. \quad 1001 \overline{) 01100011100} \\
 \underline{1001} \\
 11110011100 \\
 \underline{1001} \\
 10111011100 \\
 \underline{1001} \\
 10011111100 \\
 \underline{1001} \\
 10001101100 \\
 \underline{1001} \\
 10000100100 \\
 \underline{1001} \\
 10000000000
 \end{array}$$

Remainder = 100

Since the remainder does not equal zero, there is error.