



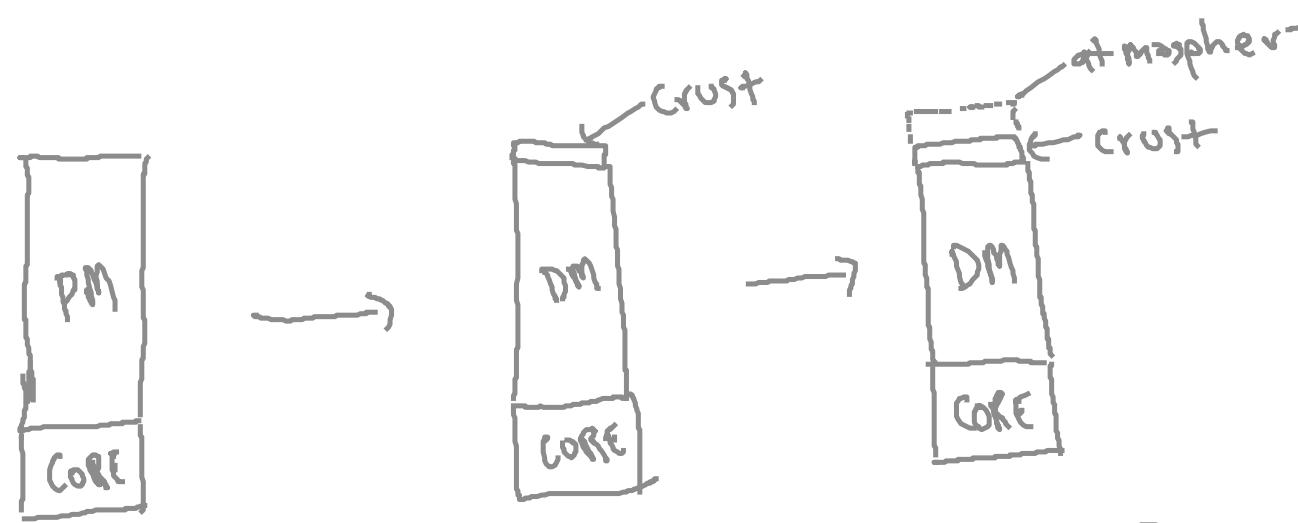
# Lecture 14-20: the Atmosphere and Oceans

1. The atmosphere
2. Planetary habitability
  - A. Mysterious water
3. The temperature of the Earth
4. A faint young Sun
  - A. The necessity of a negative feedback
5. The (long-term) Carbon cycle
6. Changing climate
7. Stable isotopes
8. Cenozoic Climate
9. Pleistocene Climate

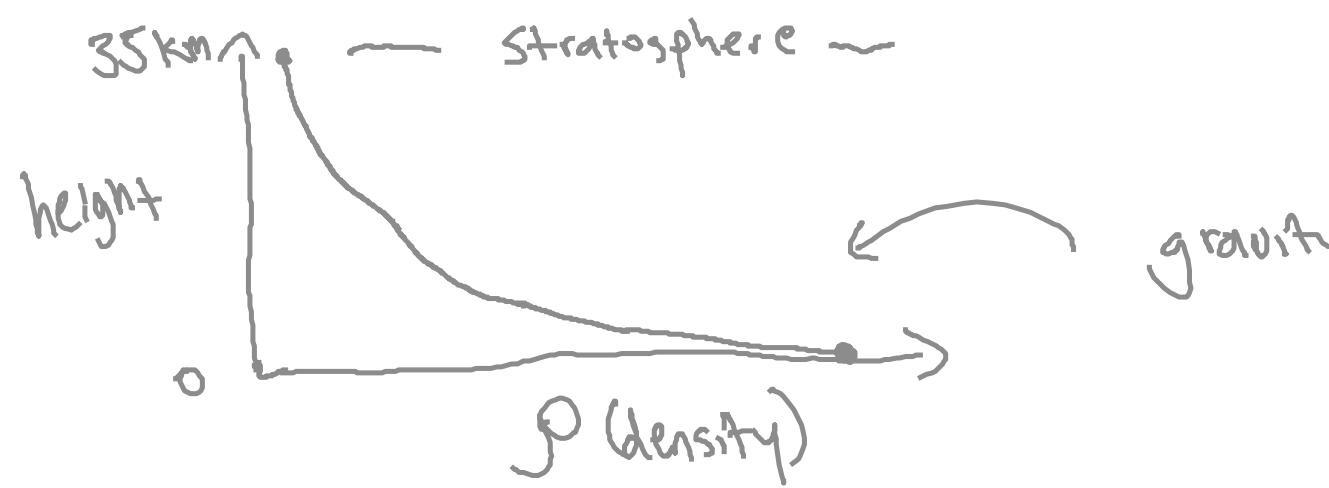
*We acknowledge and respect the lək'ʷəŋən peoples on whose traditional territory the university stands and the Songhees, Esquimalt and WSÁNEĆ peoples whose historical relationships with the land continue to this day.*



# The atmosphere



What is the atmosphere (physically)?



What is the atmosphere chemical composition?

78% Nitrogen

21% Oxygen

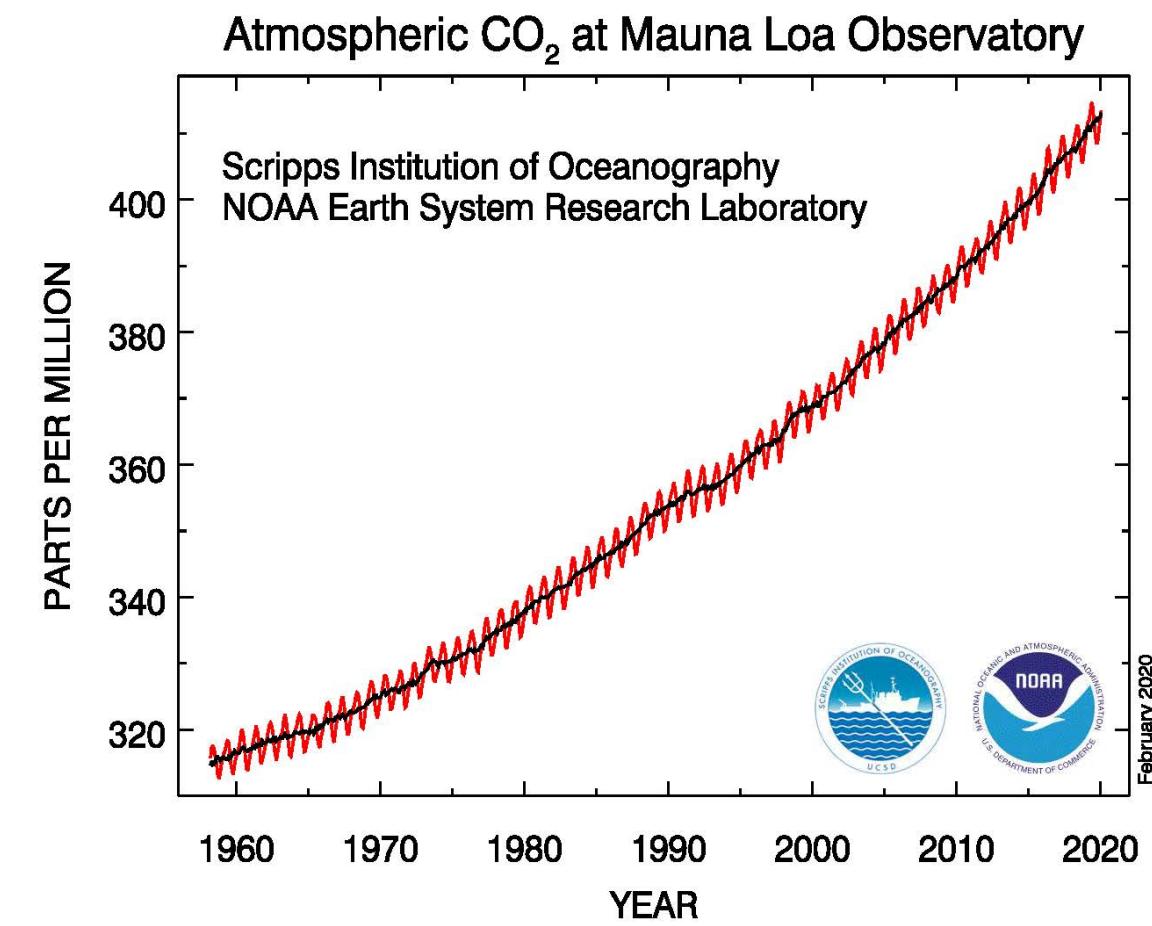
0.9% Argon

0.04%  $\text{CO}_2$  (400 ppm)

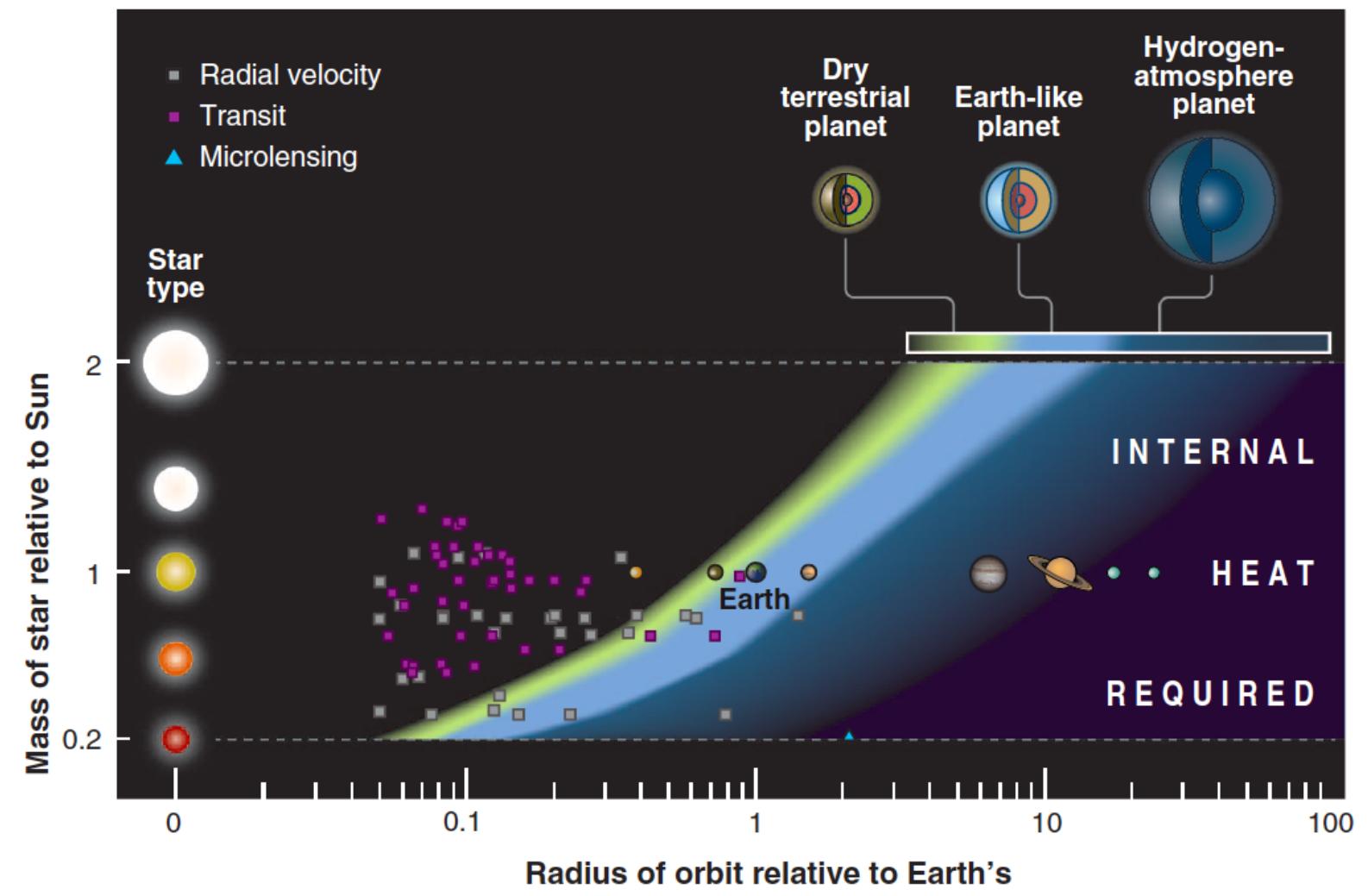
~1% water vapor at sea level

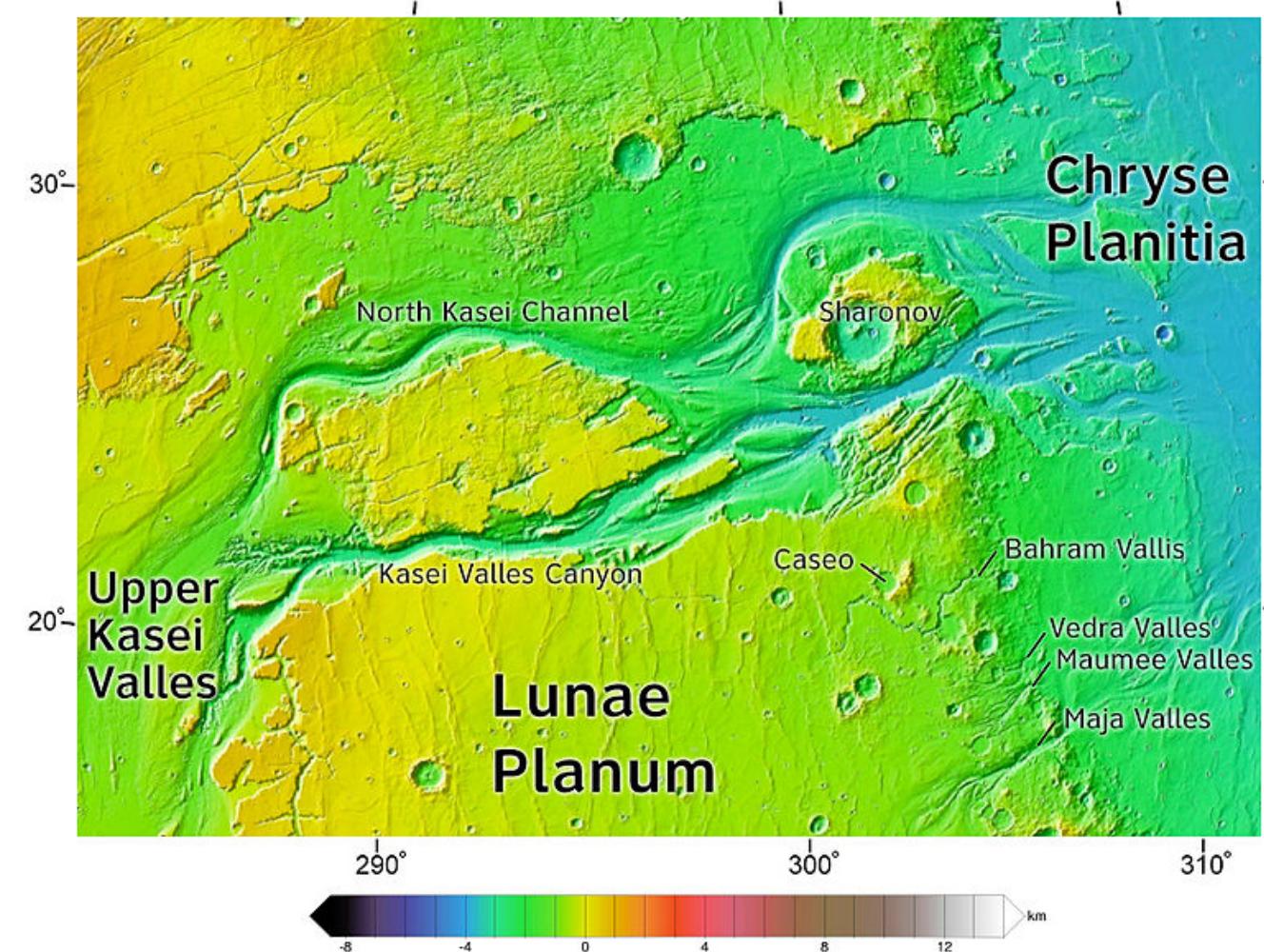
↳ temp dependant

GOE:  
Great Oxygenation Event ~ 2.5 Ga  
70.01%



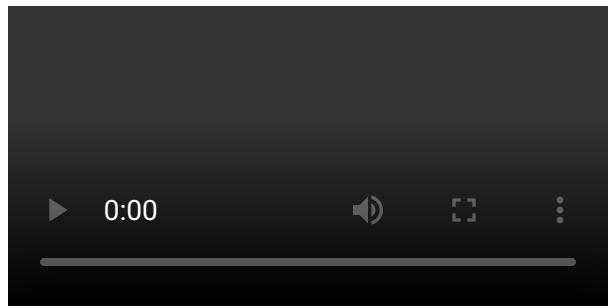






In [3]: `Video("videos/planet_formation.mp4")`

Out [3]:



# Where does our water come from?

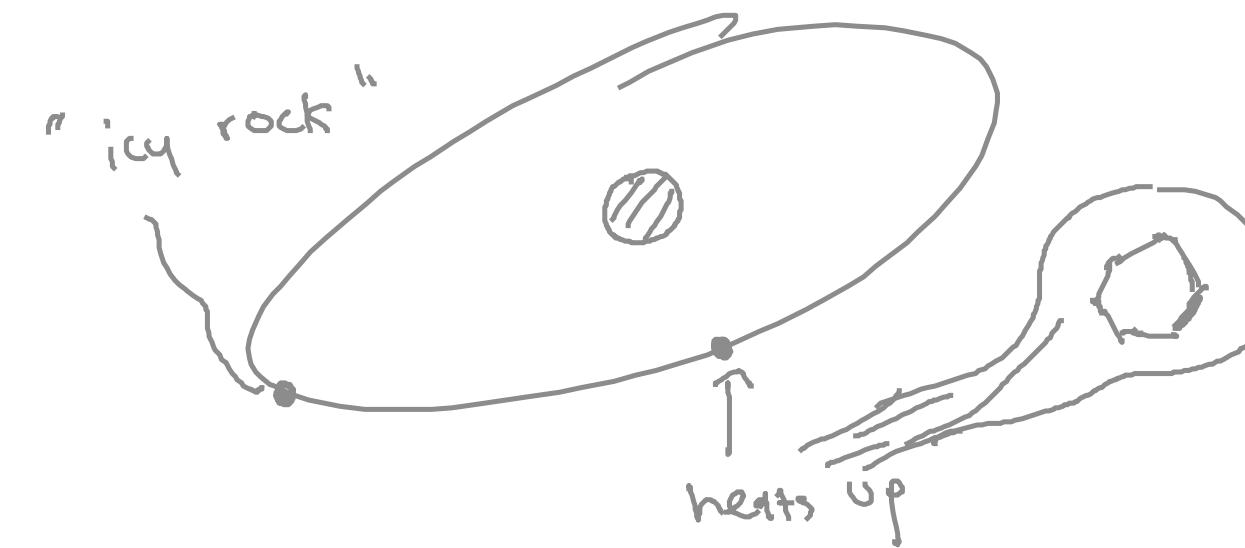
① Started with it

↳ during accretion major heating which releases volatiles

② Late heavy bombardment - many impactors from 4.5 to 4.0 Gyr



③ Captured from comets



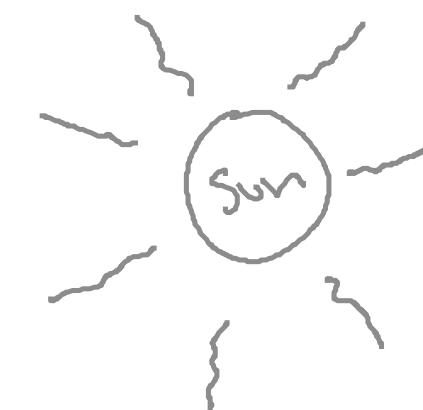


# What sets the temperature of the Earth?

of any planet?

- incoming radiation
- interior heating (radioactive decay)

$$3.87 \times 10^{26} \text{ W} = Q$$

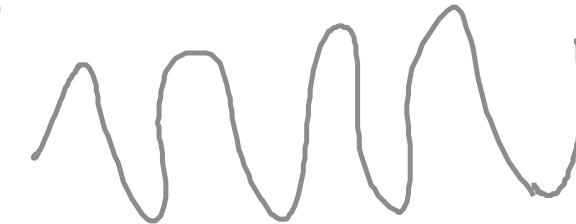


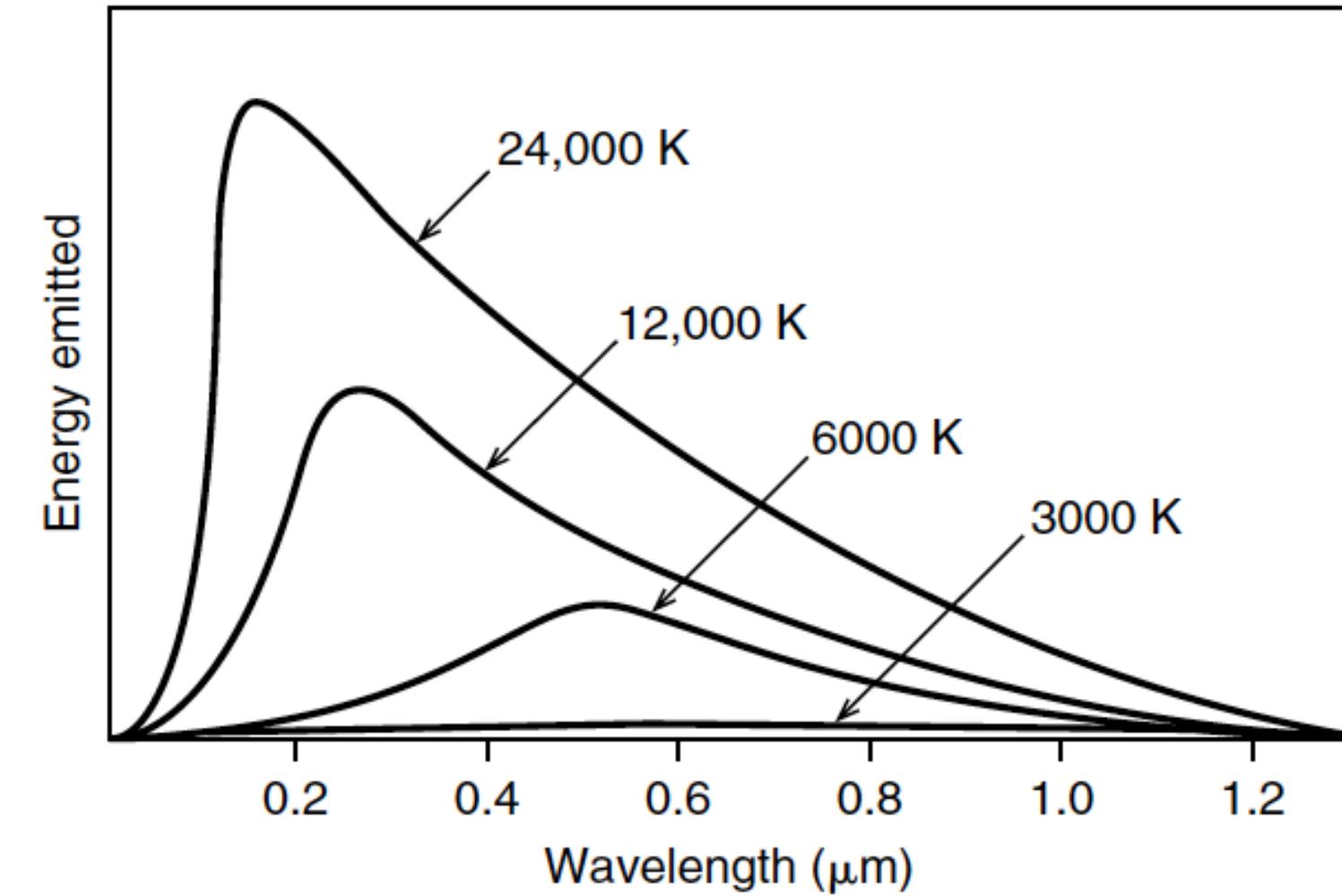
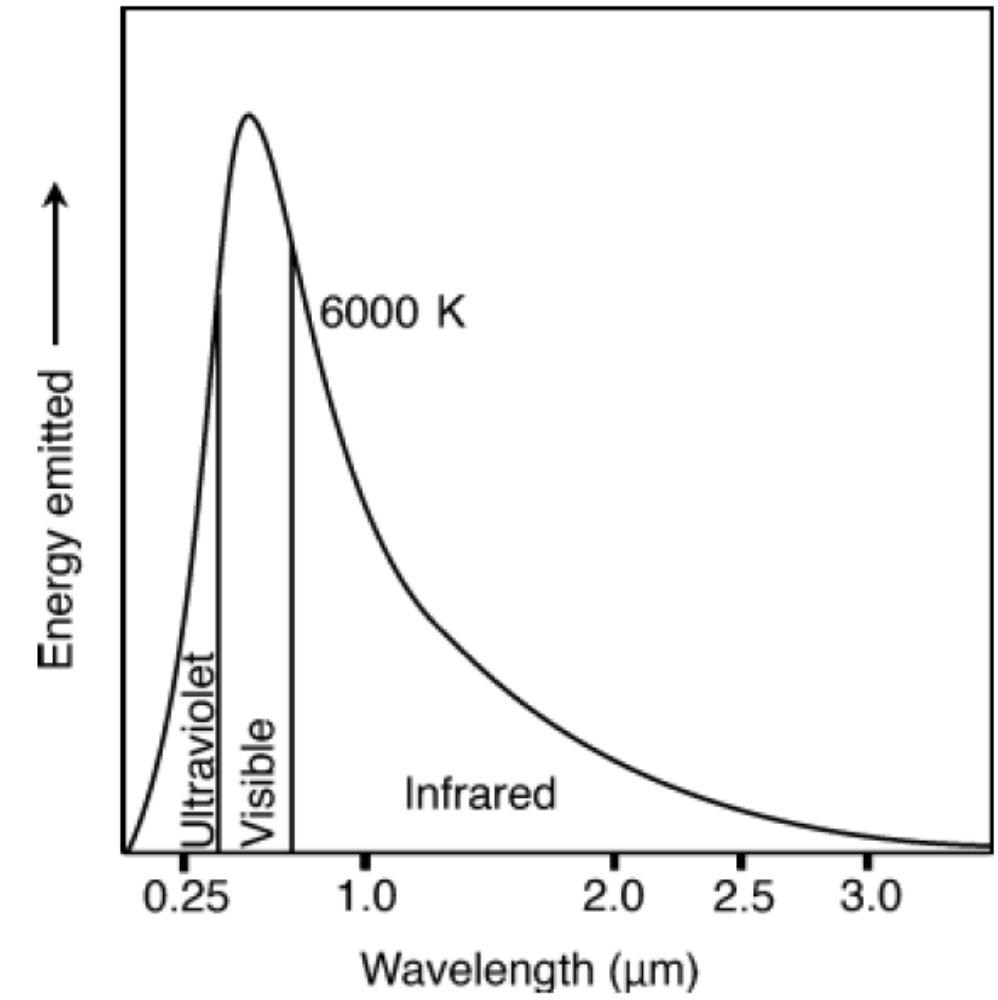
how much energy does Earth see?  
- function of radius

$$\frac{Q}{4\pi r^2} = S_0 \quad \leftarrow \text{Solar constant}$$

$$S_0 = 1367 \text{ W m}^{-2} \text{ for Earth}$$

Spectrum of frequencies





# Calculating the 'emission' temperature of Earth

- incoming radiation
  - interior heat (radioactive decay)
  - other heat from accretion

$$Q = 3.87 \times 10^{26} \text{ W}$$



$$\frac{Q}{4\pi r^2} = S_0$$

distance from sun

$$\text{Solar constant} = 5$$

$$T_E = 255 \text{ K } (-18^\circ)$$

$$T_s = 200 \text{ K} (15^\circ \text{C})$$

- Difference is the "greenhouse" effect

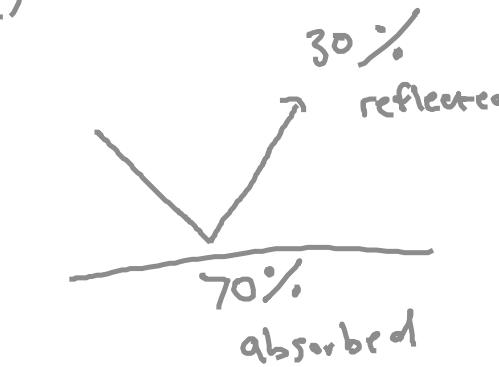
outgoing 4

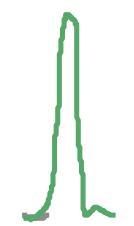
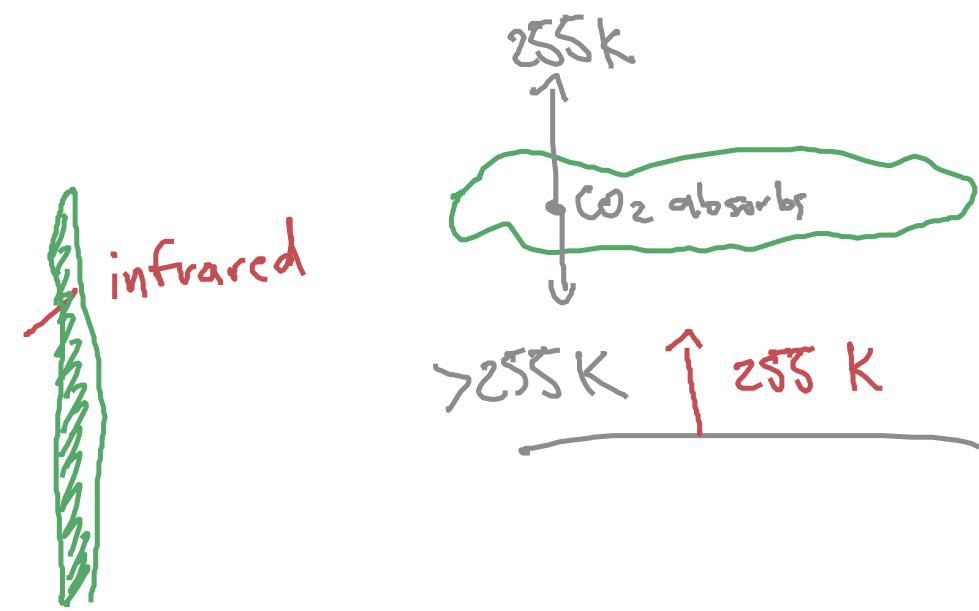
incoming radiation on the surface  
 $\alpha = \text{albedo}$

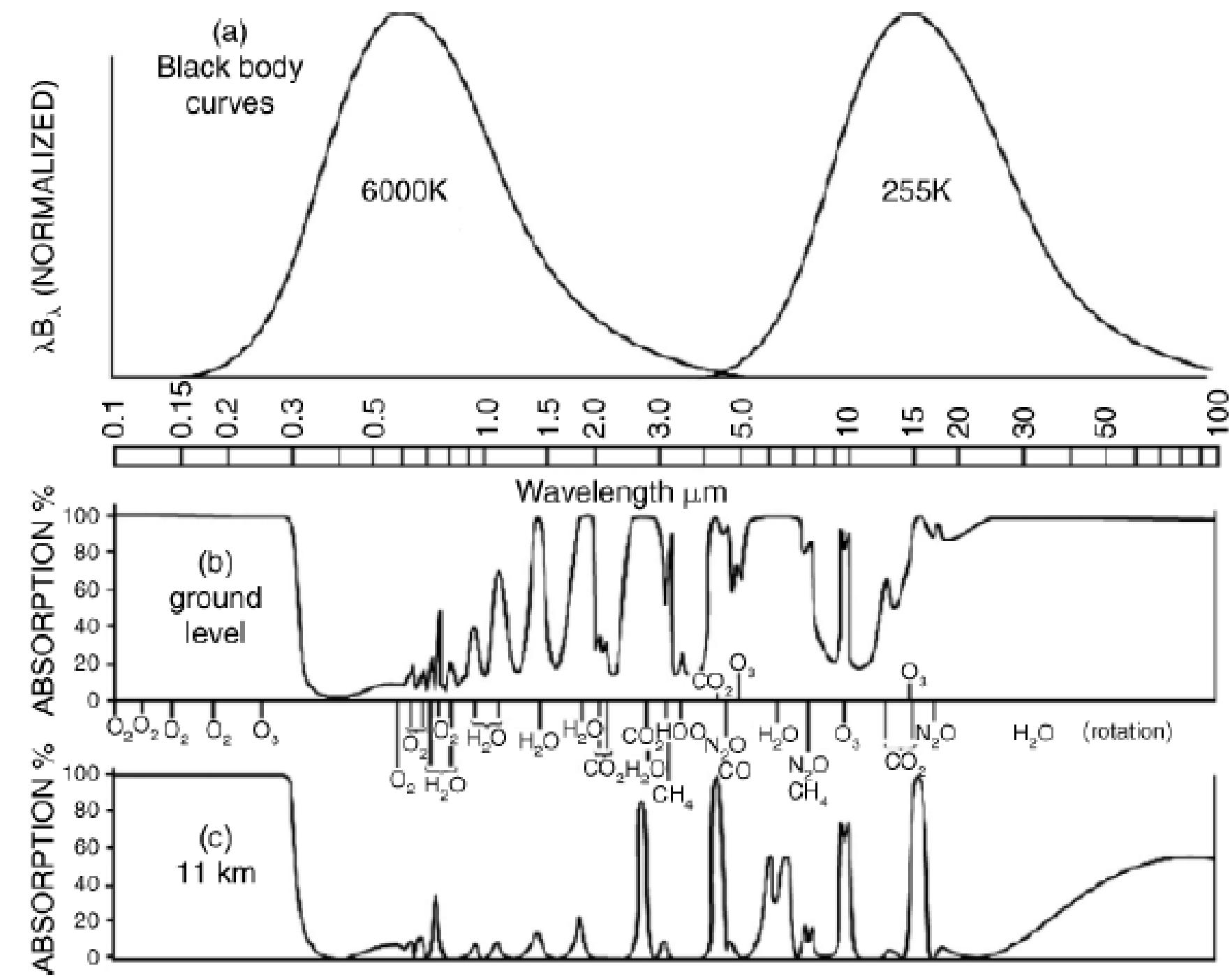
$\alpha = \text{albedo}$

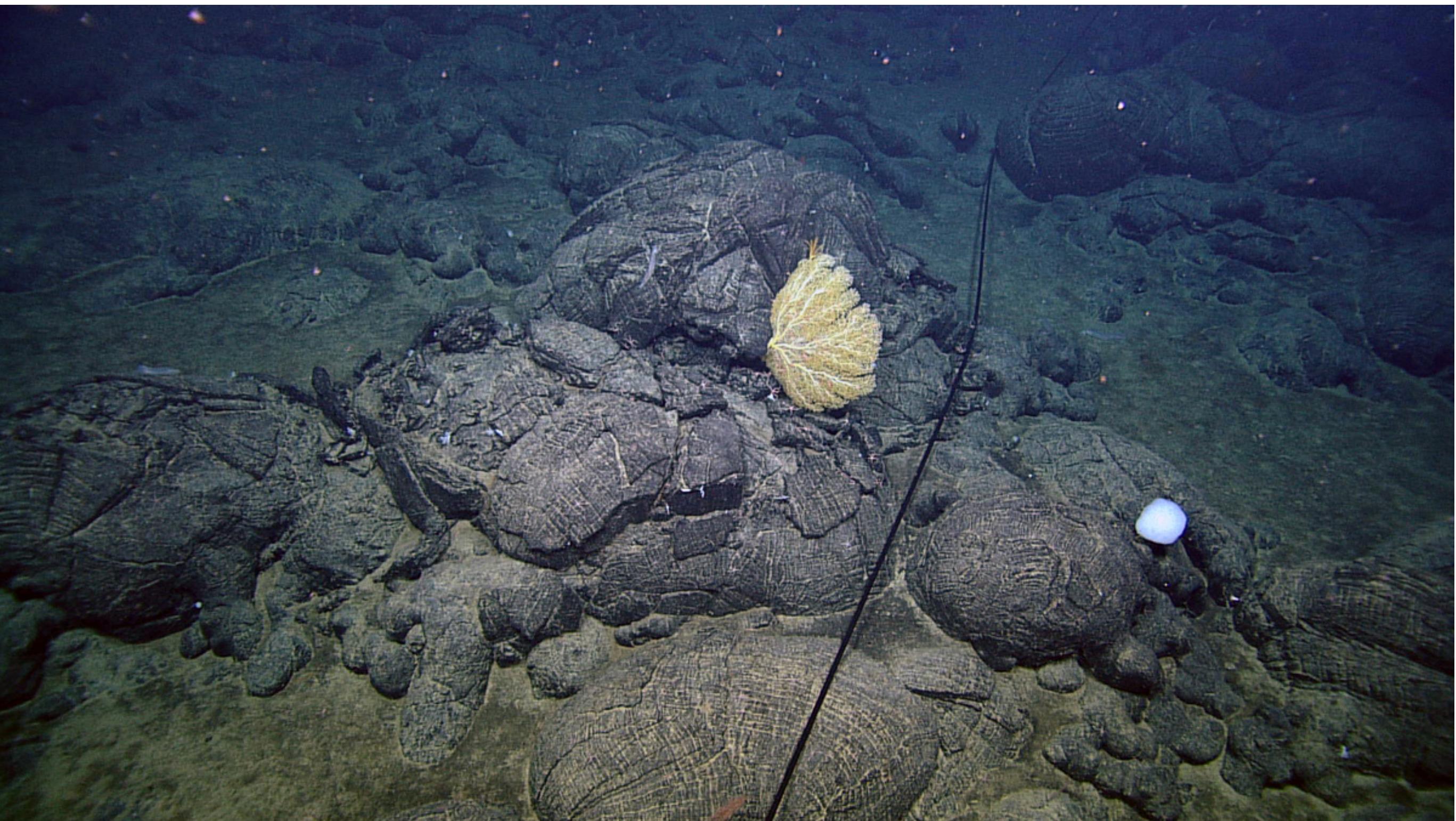
$$\text{Stefan - Boltzmann law}$$

$$\sigma = 5.67 \times 10^{-8} \text{ W m}^{-2} \text{ K}^4$$

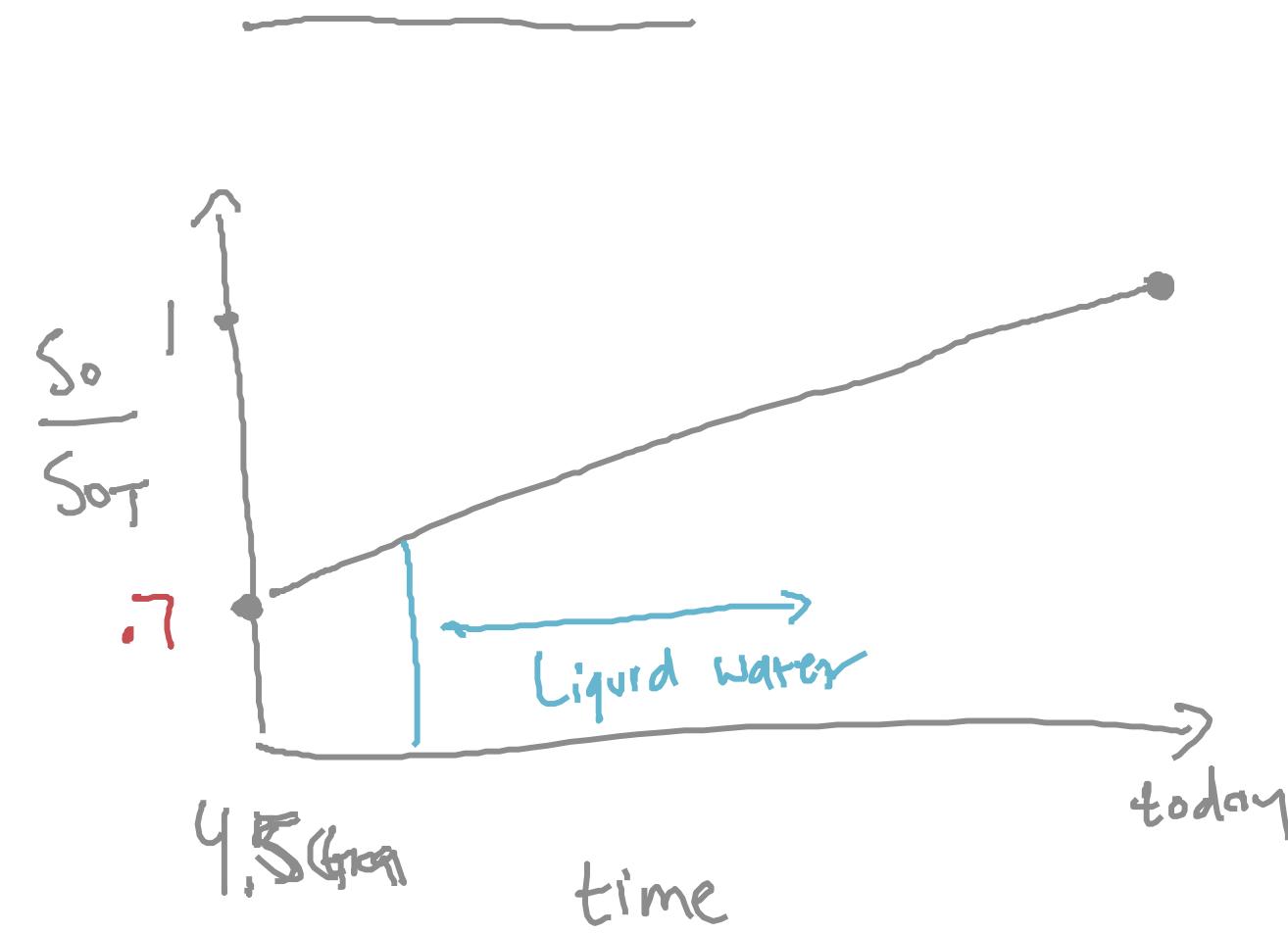








## A faint young Sun and possible solutions



Solar constant increased by 30%

→ we need  $72 \text{ W/m}^2$

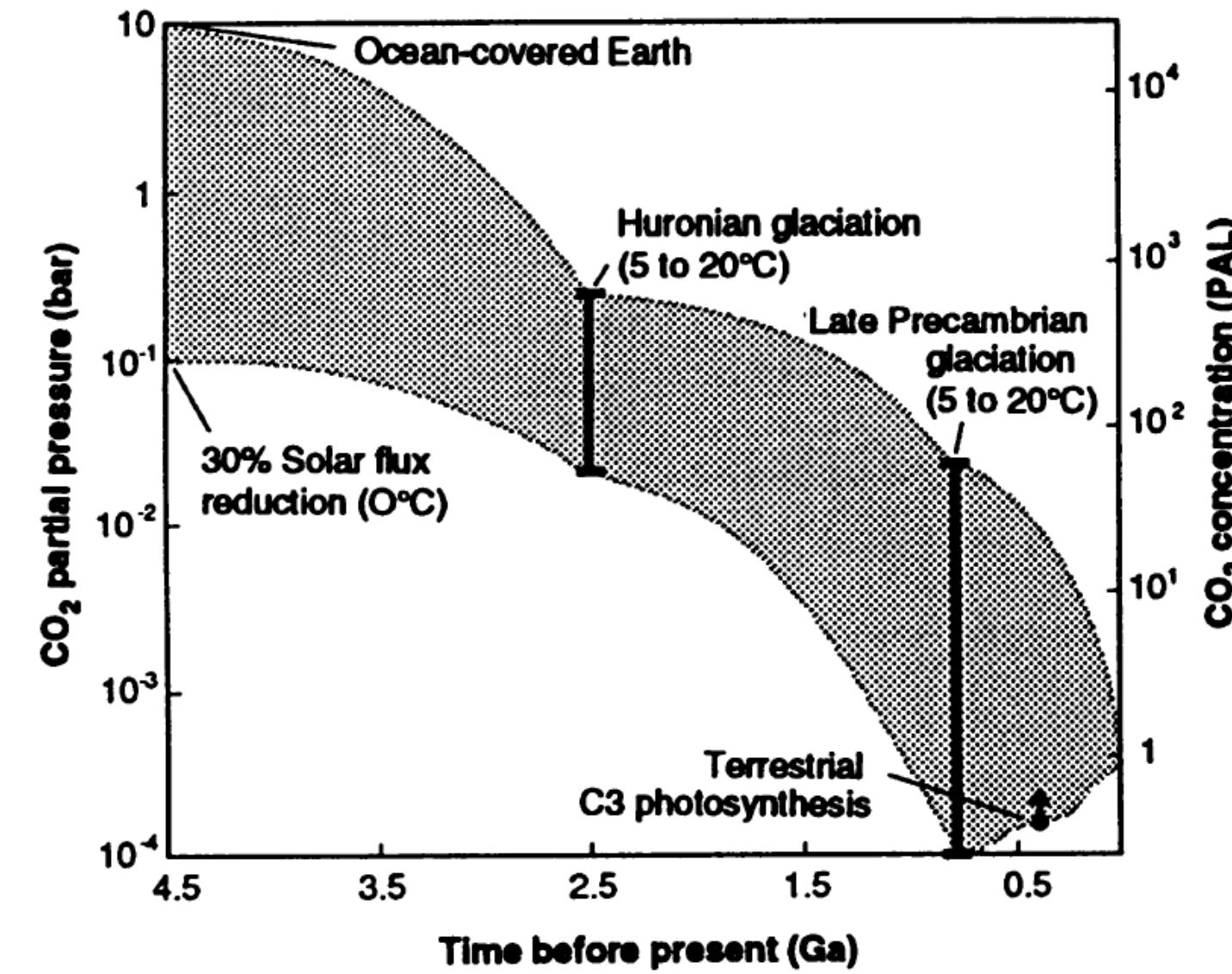
- Larger GHG effect

- radioactive decay

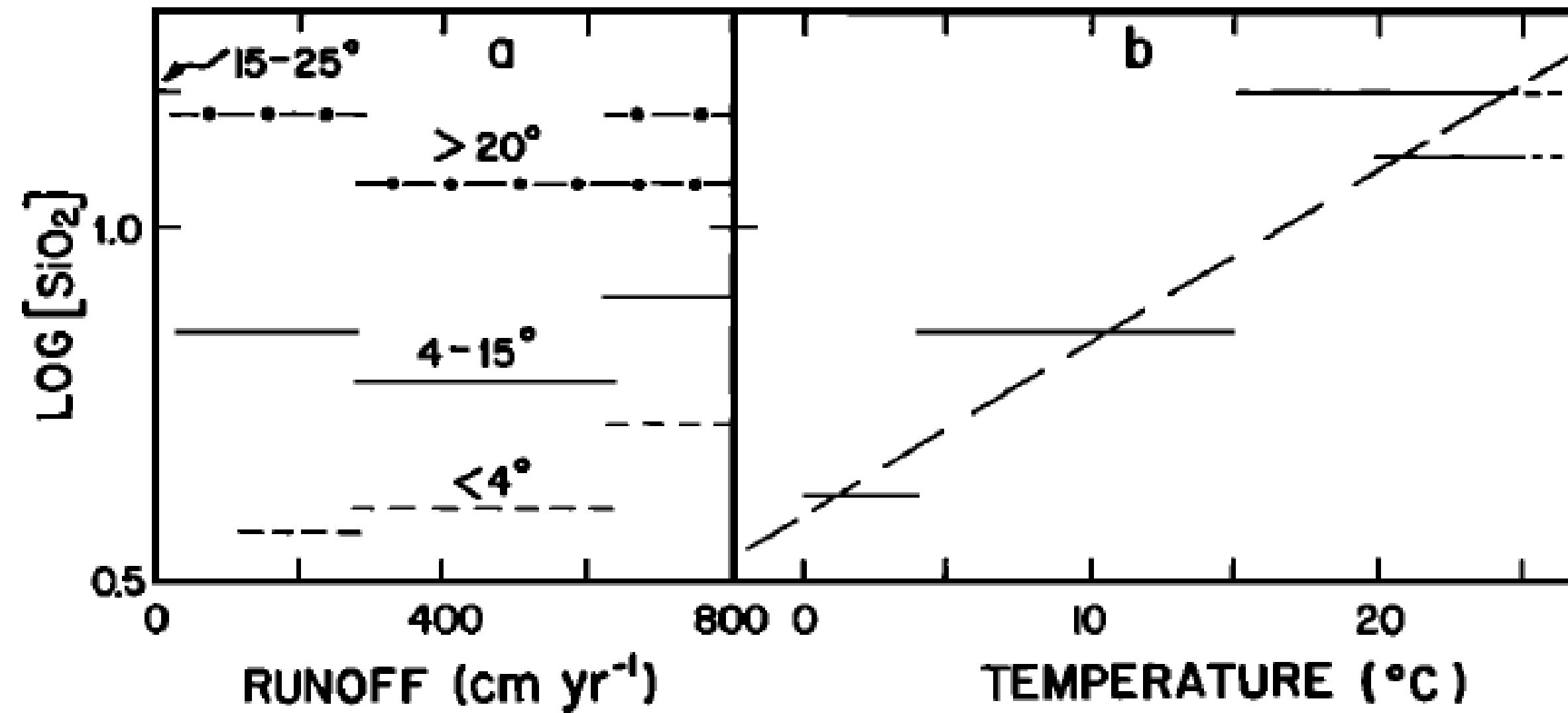
$f_{\text{today}}: 0.06 \text{ W/m}^2$

$4.5 \text{ Ga}: 0.3 \text{ W/m}^2$

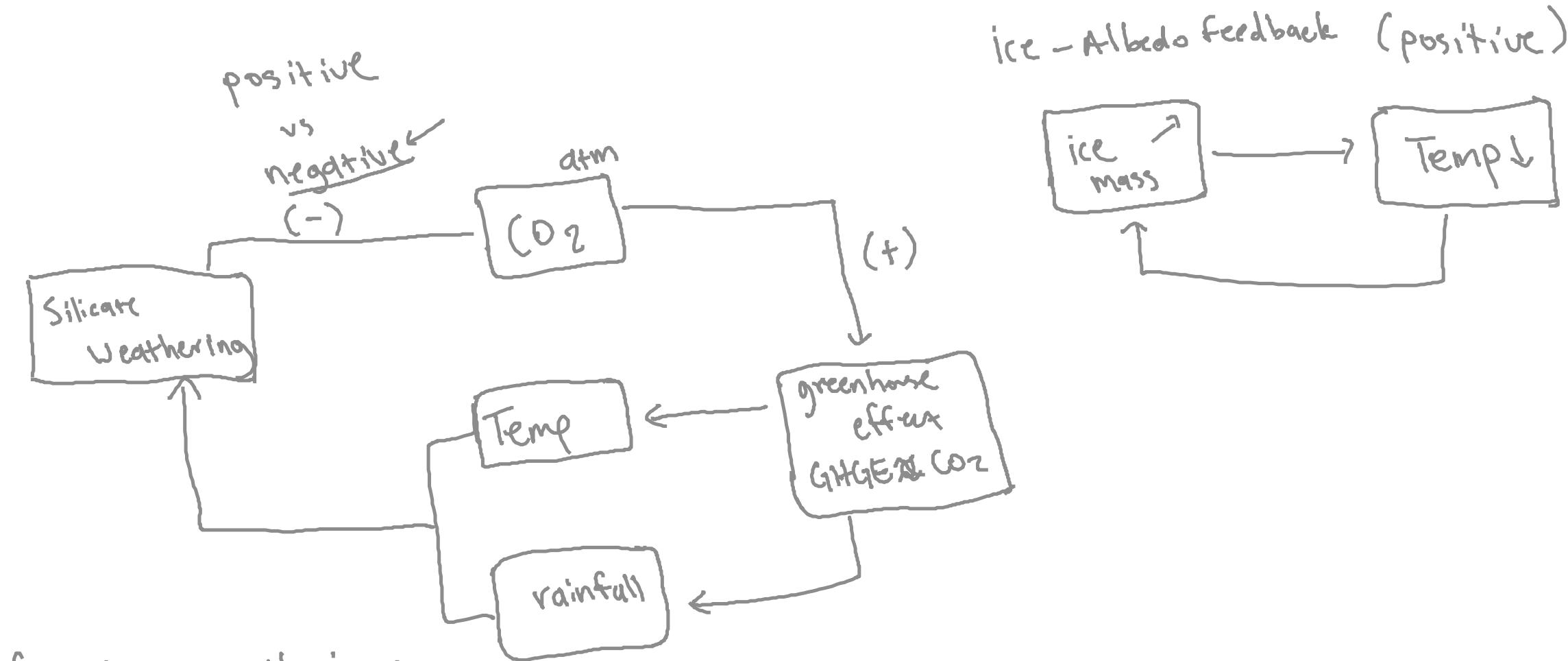




## The silicate weathering feedback



# Feedbacks



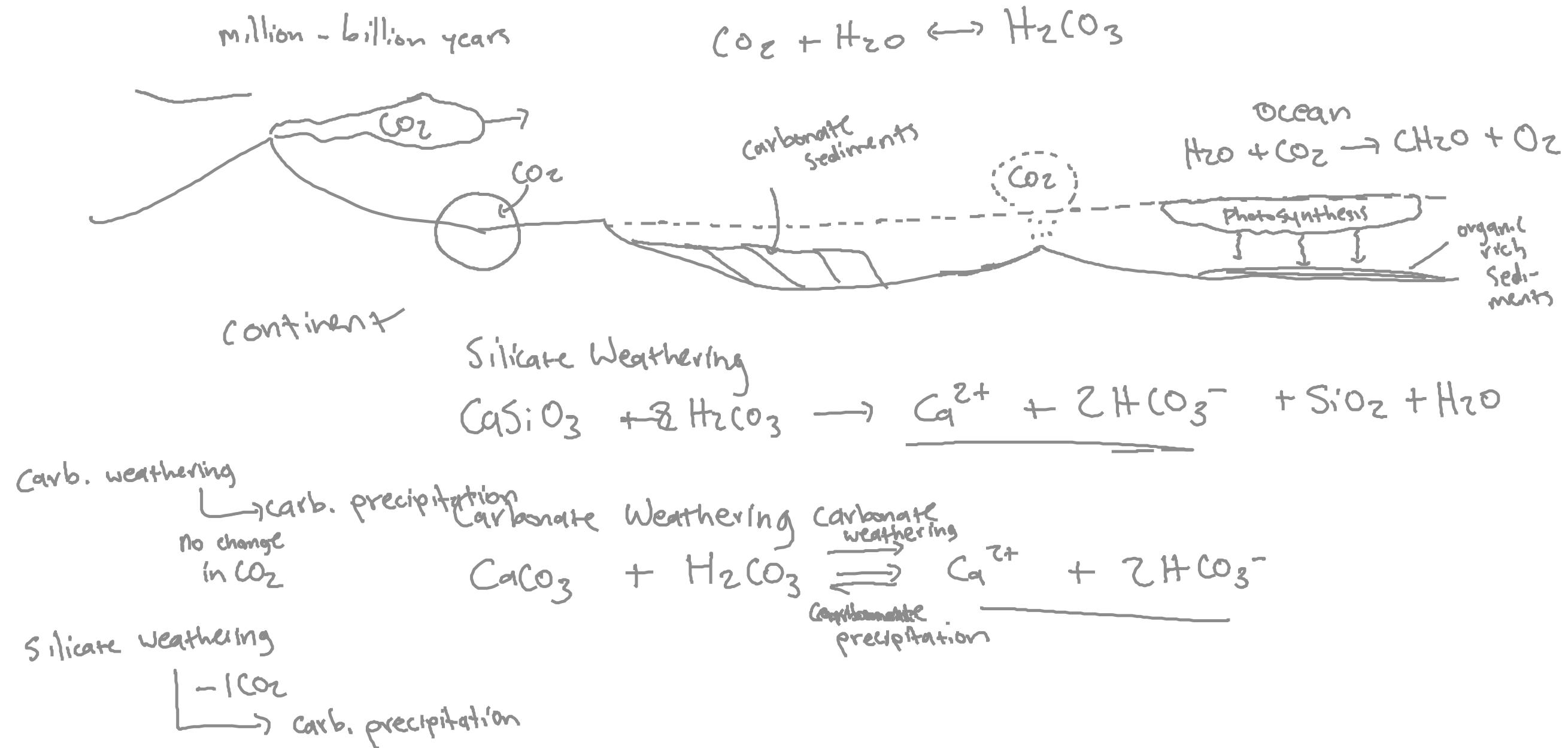
if silicate weathering:

→ then CO<sub>2</sub> ↓

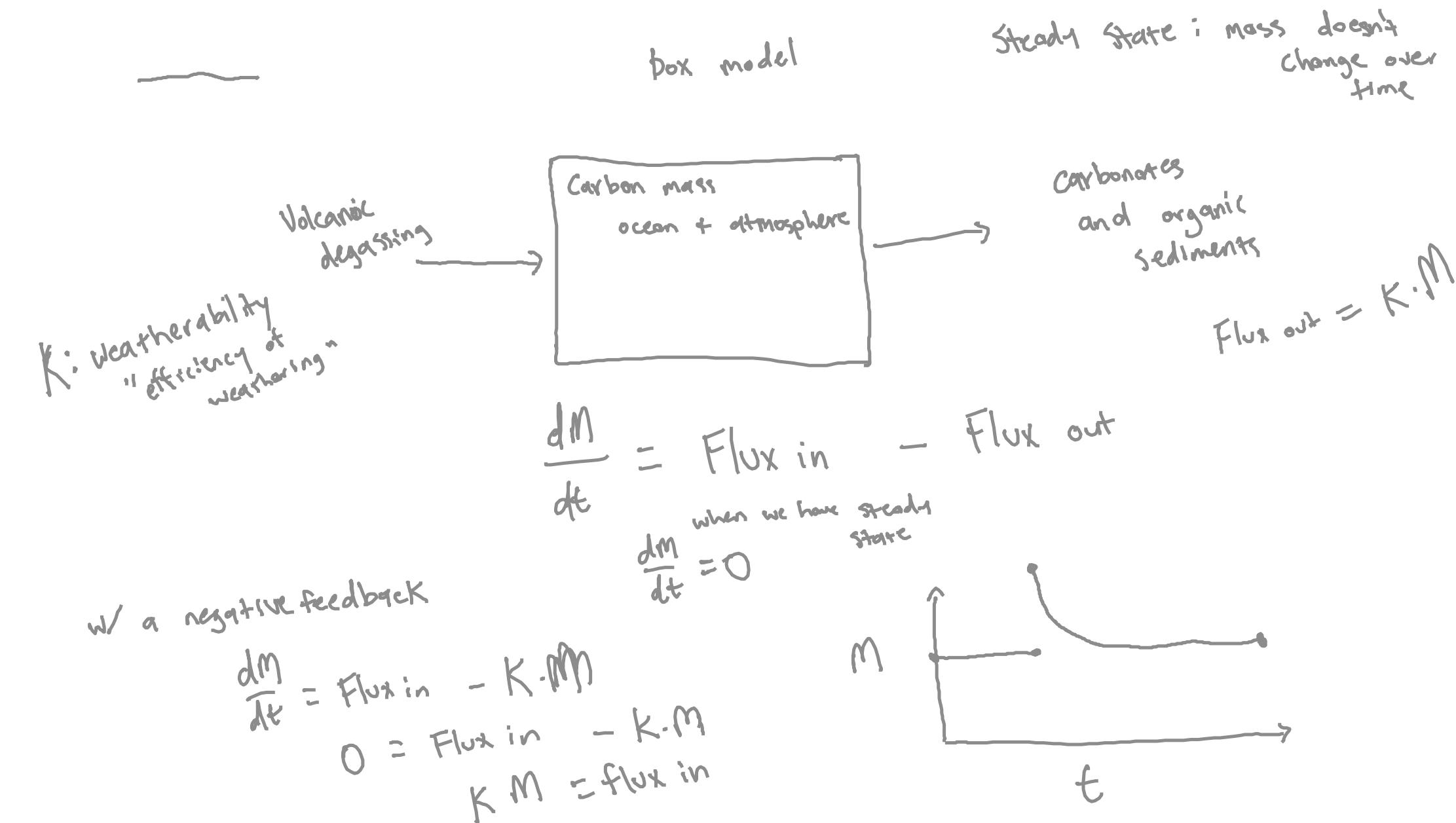
↓ then CO<sub>2</sub> ↑



# The long term carbon cycle (conceptual)



# The long term carbon cycle (a model)

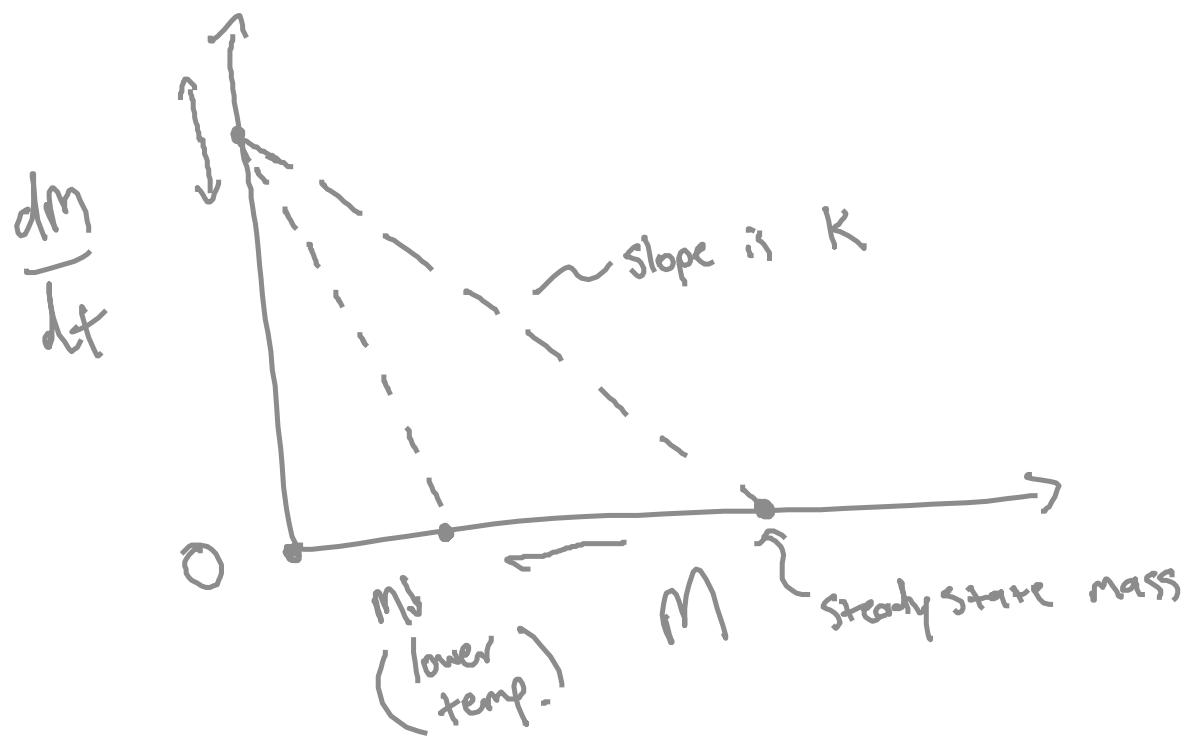


# How does climate change?

• Change steady state  $M$

$$\frac{dM}{dt} = F_{in} - \kappa M$$

$$(y = b - mx)$$

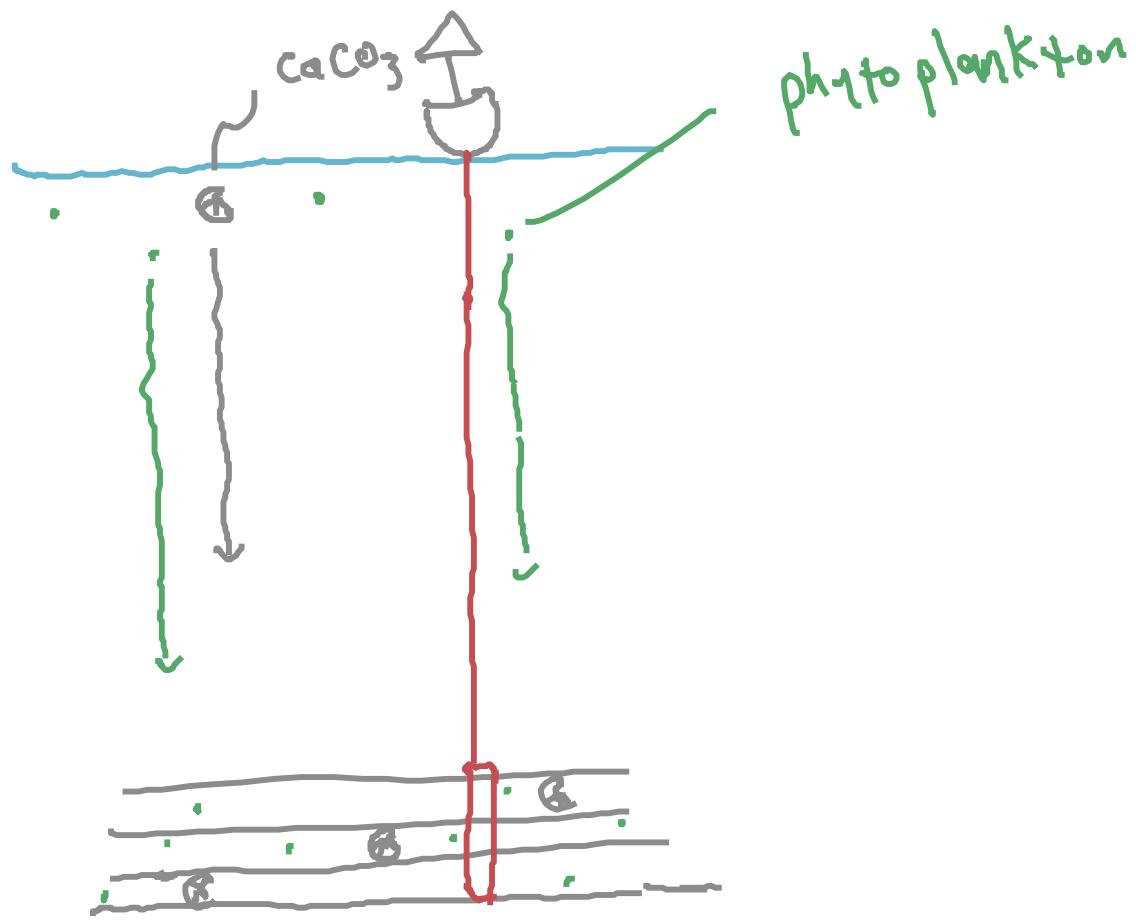


# How do we measure past climate change?

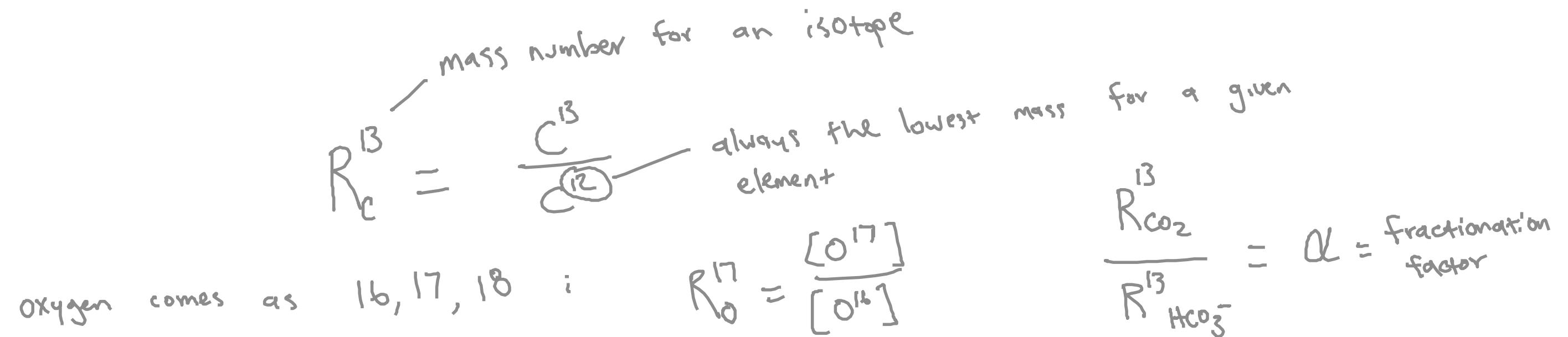
Sediment hold records of the past  
surface conditions

- we look at "proxies"
  - ↳ paleo sea level elevations
  - ↳ organic molecules
  - ↳ Stable isotopic composition of sediments

- Direct measurements
  - ice cores have trapped gas bubbles that hold old atmosphere



## Stable isotopes: notation

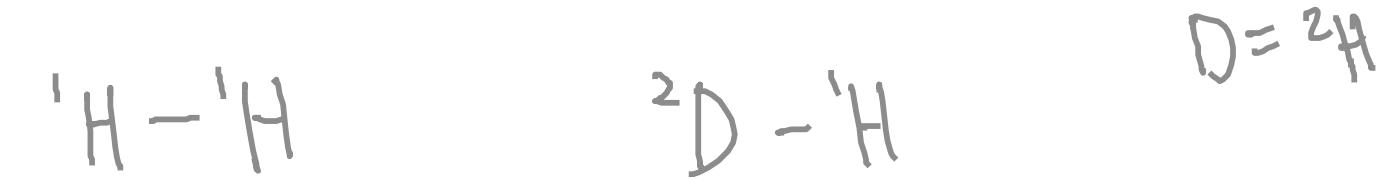
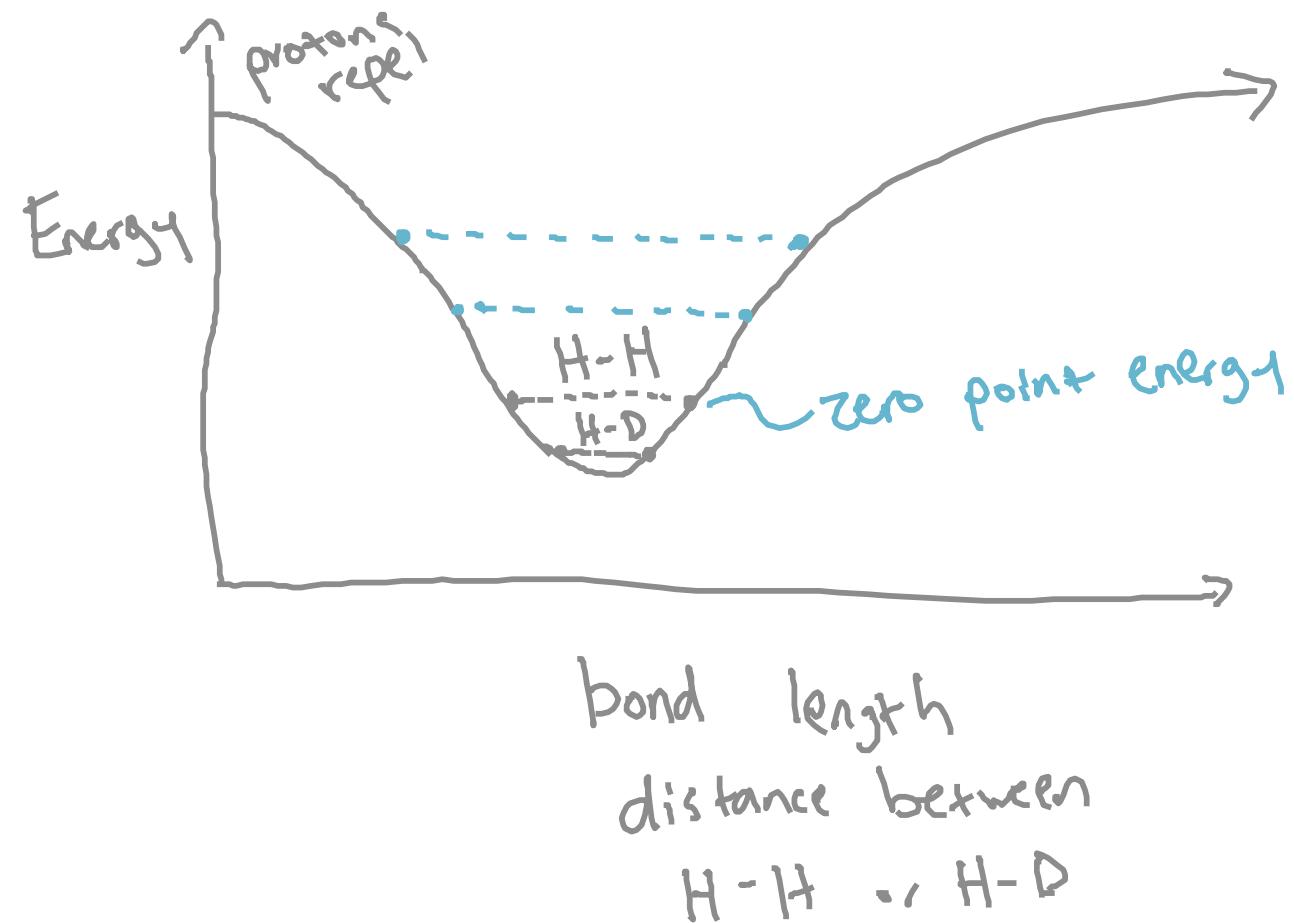


$$\delta = \left( \frac{(R_{CO_2}^{13})_{\text{sample}}}{(R_{CO_2}^{13})_{\text{standard}}} - 1 \right) \times 10^3$$

$$\delta^{13}C_{\text{PDB}} = +4.1$$



# Stable isotopes: equilibrium and zero point energy



$$F = -Kx$$

$$\text{freq} = \sqrt{\frac{1}{2\pi} \frac{K}{\mu}}$$

reduced mass

$$\mu = \frac{m_1 \cdot m_2}{m_1 + m_2}$$

$$\mu_{\text{H}_1-\text{H}_1} = \frac{1 \cdot 1}{2} = 0.5$$

$$\mu_{\text{D}-\text{H}_1} = \frac{1 \cdot 2}{3} = \frac{2}{3} \approx 0.67$$

high freq = high energy



# Stable isotopes: equilibrium example



$K$  is equilibrium constant

$$K = \frac{[HDO][H_2S]}{[HDS][H_2O]} \neq 1 = \alpha$$

"fractionation factor"

$$* \Delta G^\circ = \Delta G_{10}^\circ + RT \ln Q$$

$$\Delta G_{10}^\circ = -RT \ln K$$

$$\Delta E_2 - \Delta E_1 \approx -RT \ln K$$

$$-1(\Delta E_2 - \Delta E_1) \approx -RT \ln K$$

$$\frac{\Delta E_1 - \Delta E_2}{RT} \approx \ln K$$

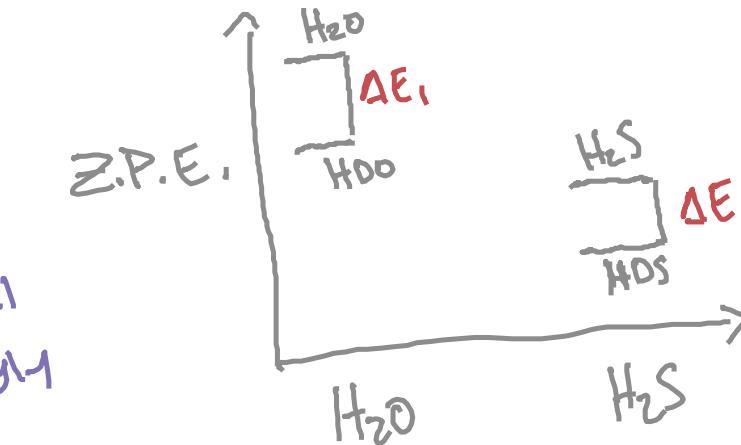
General Rule: heavy isotopes prefer to go into the chemical compound that is more strongly bonded

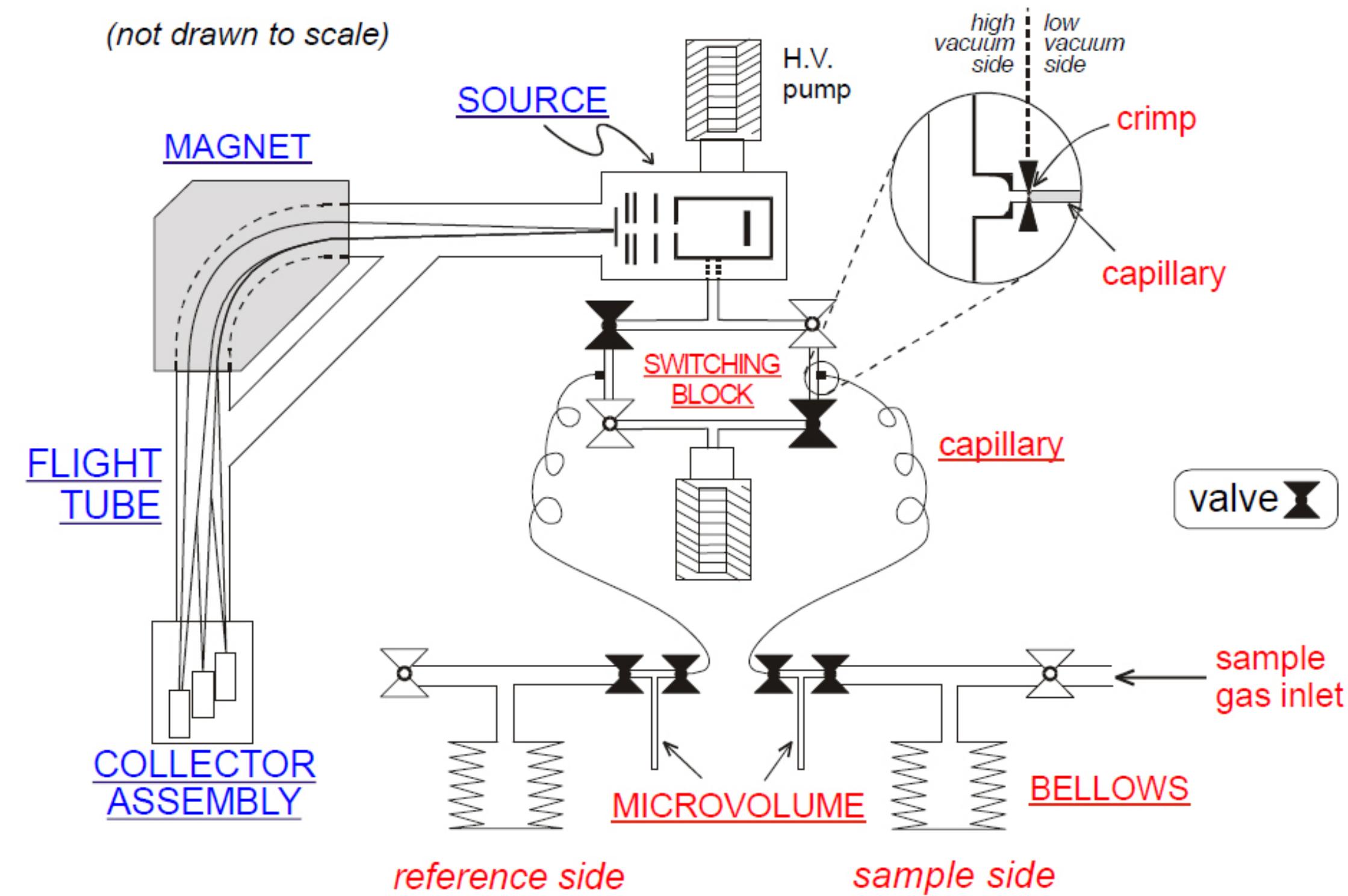
to get to products  $\Delta G_0^\circ$  remains



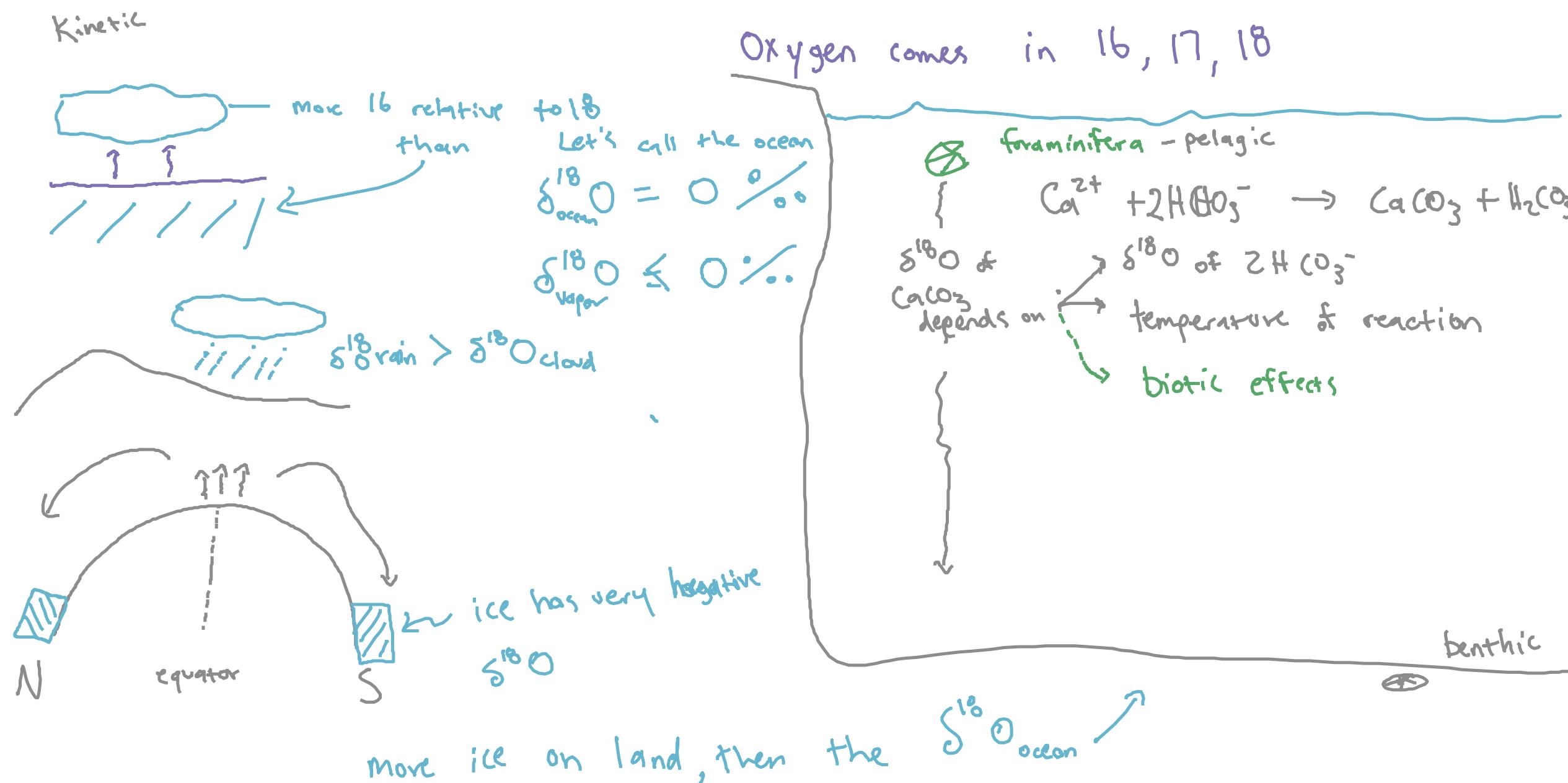
$$(H_2S - HDS) - (H_2O - HDO)$$

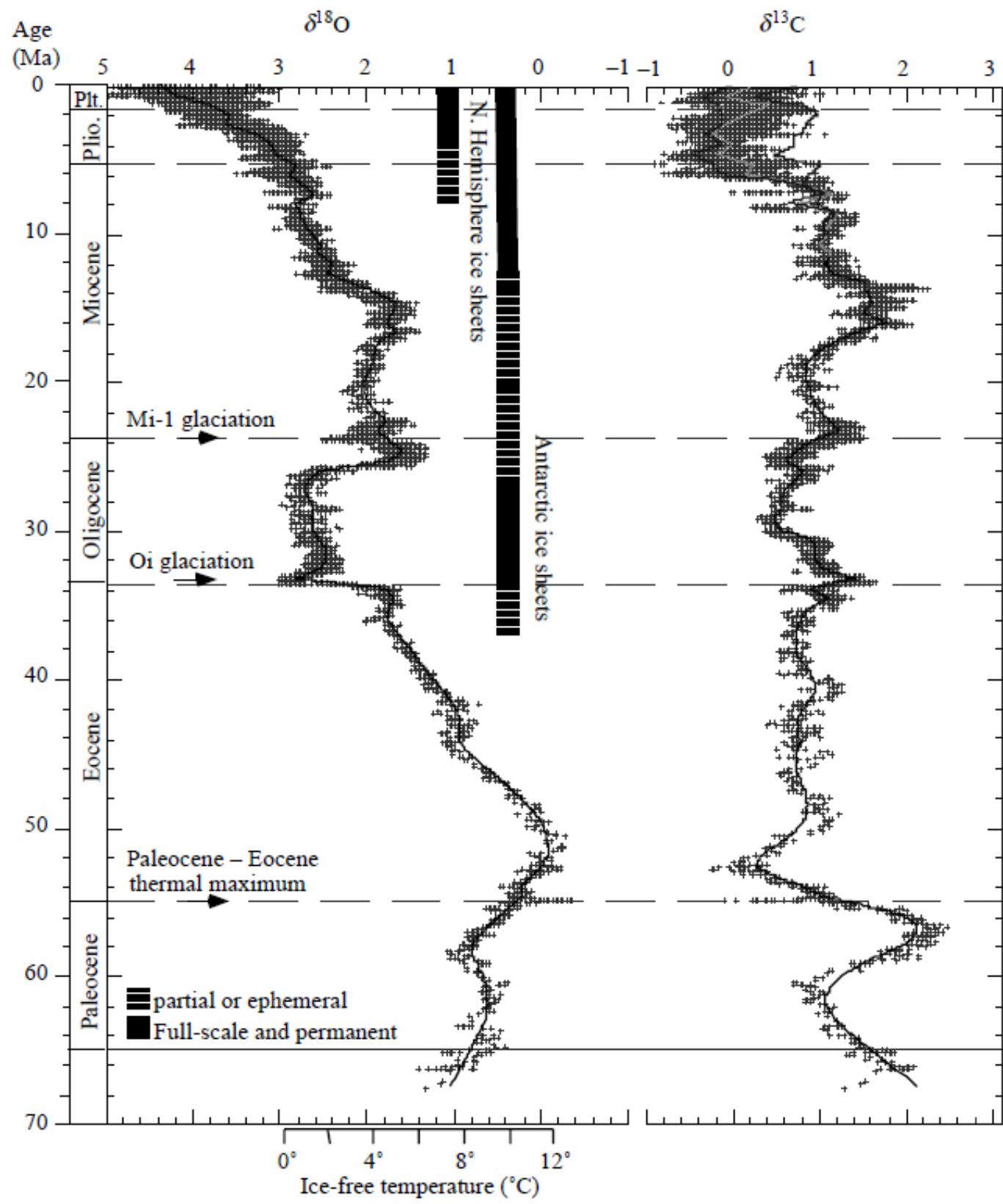
$\Delta E_2$   $\Delta E_1$





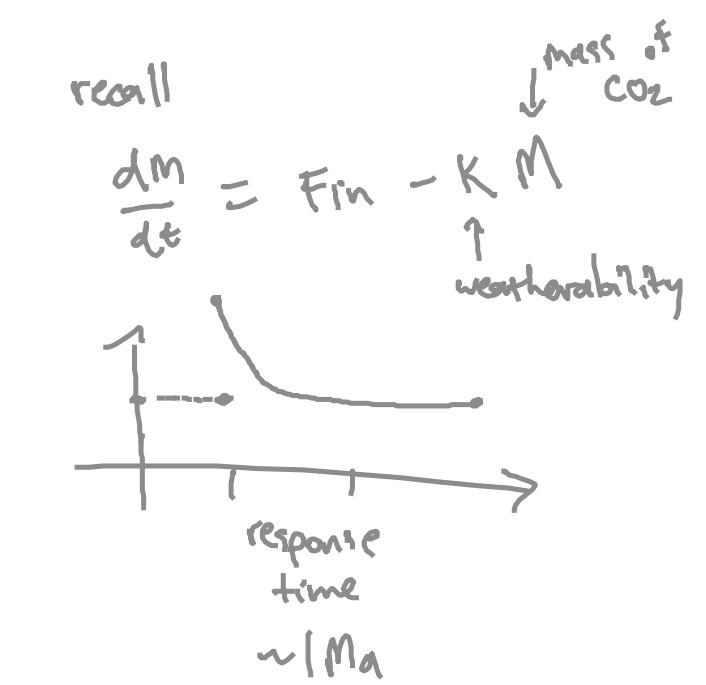
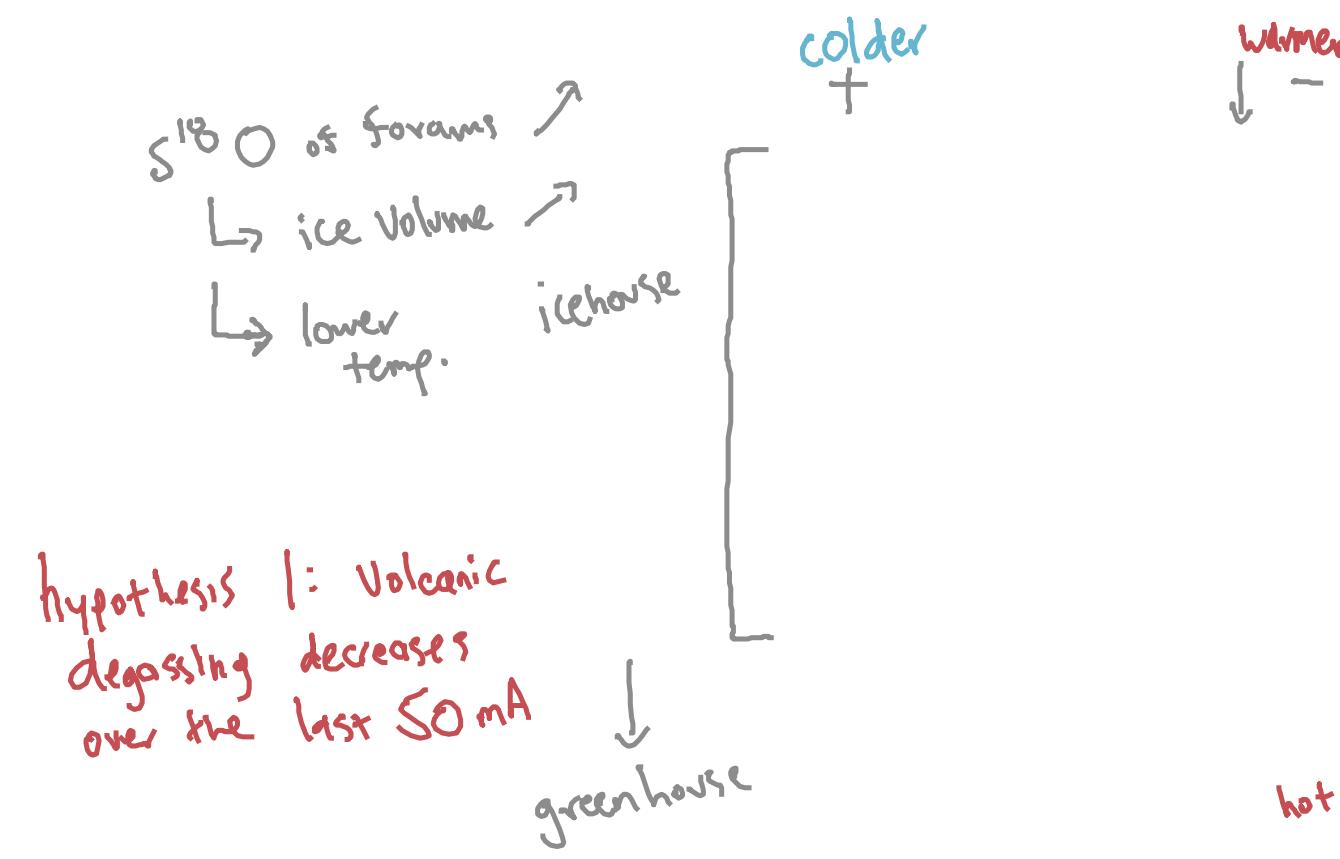
# Stable isotopes: oxygen isotopes in the ocean





Compilation from Zachos *et al.*, 2001





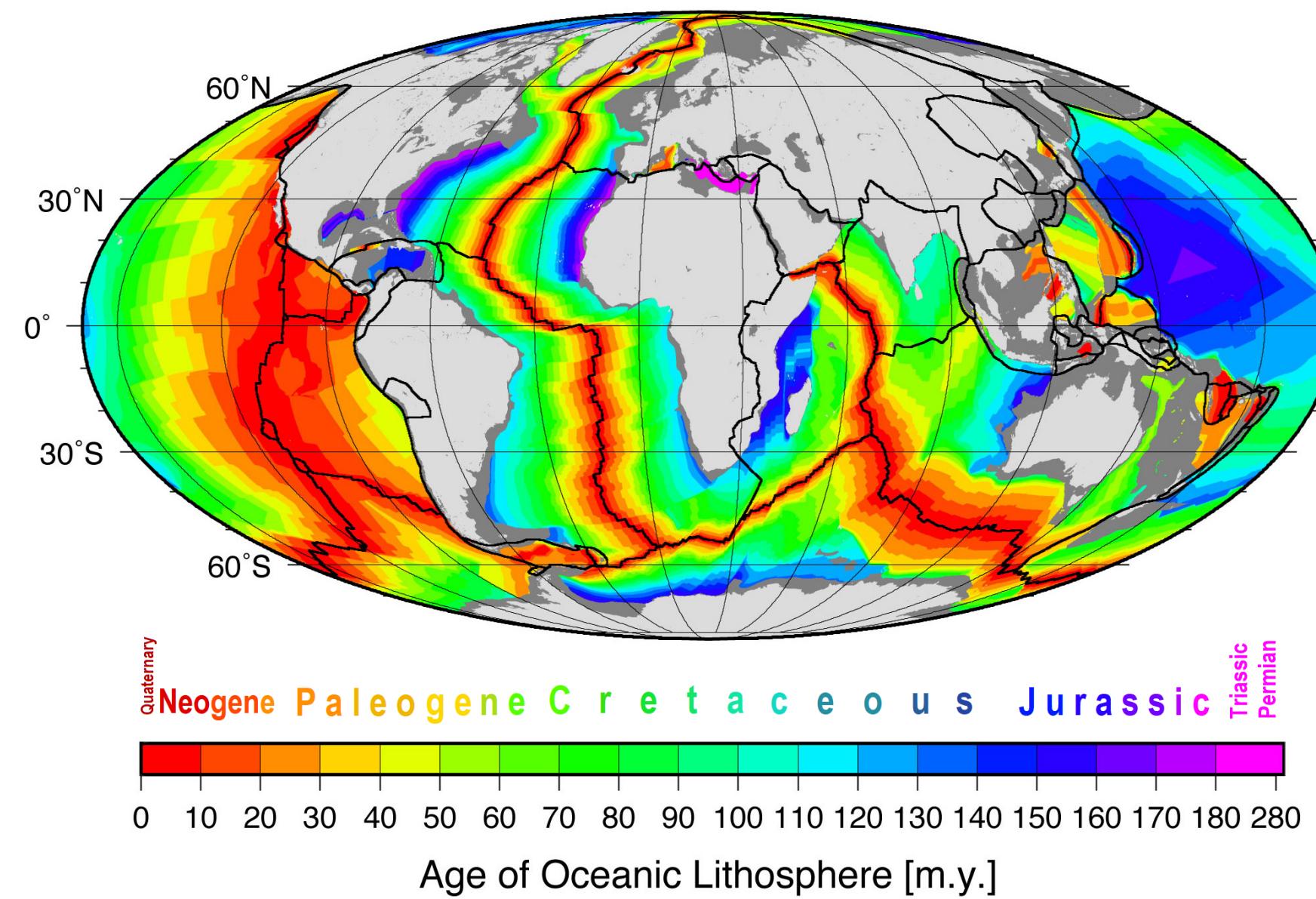
$$\frac{dM}{dt} = 0 \quad \underline{\text{at steady state}}$$

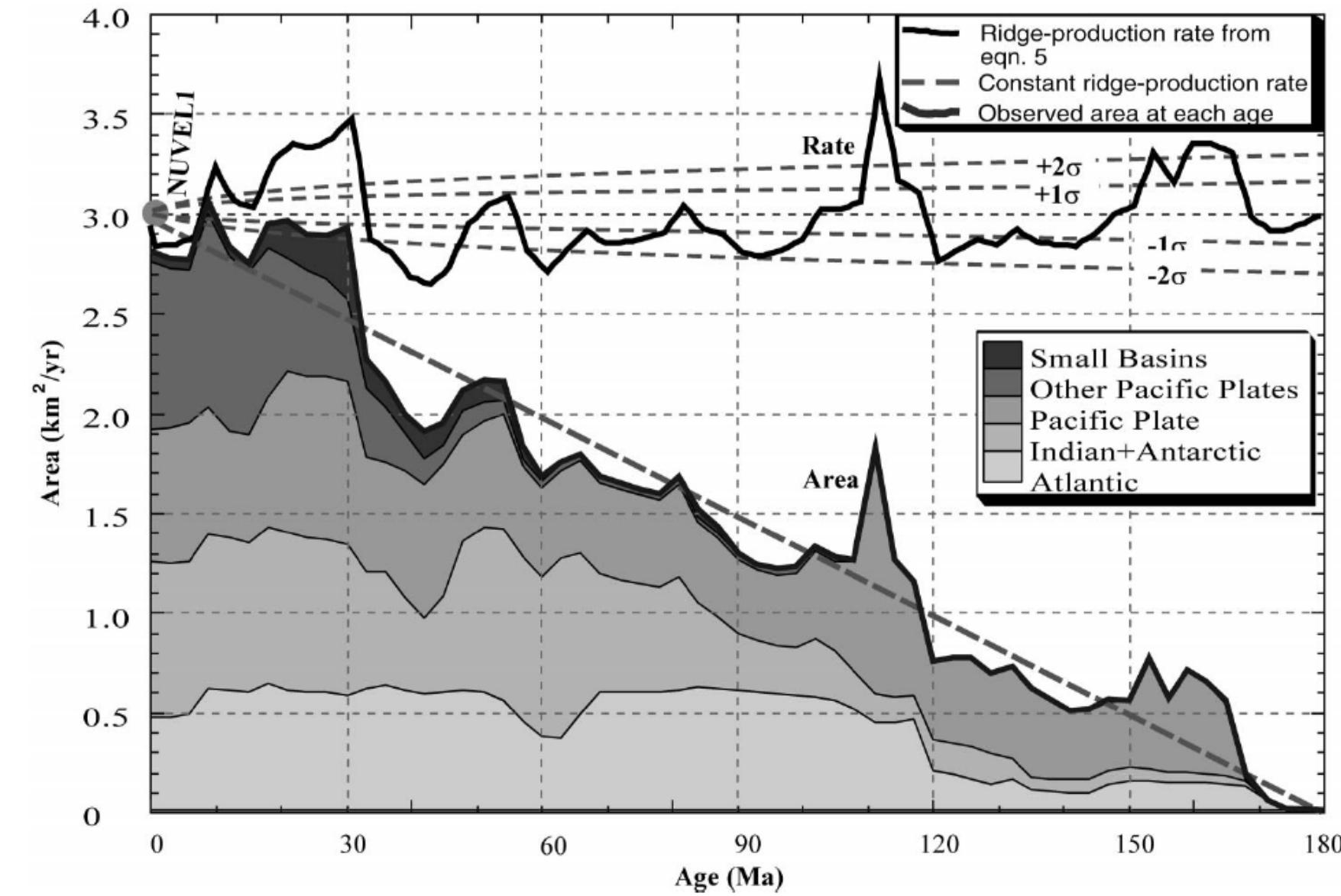
$$0 = F_{in} - K \cdot M$$

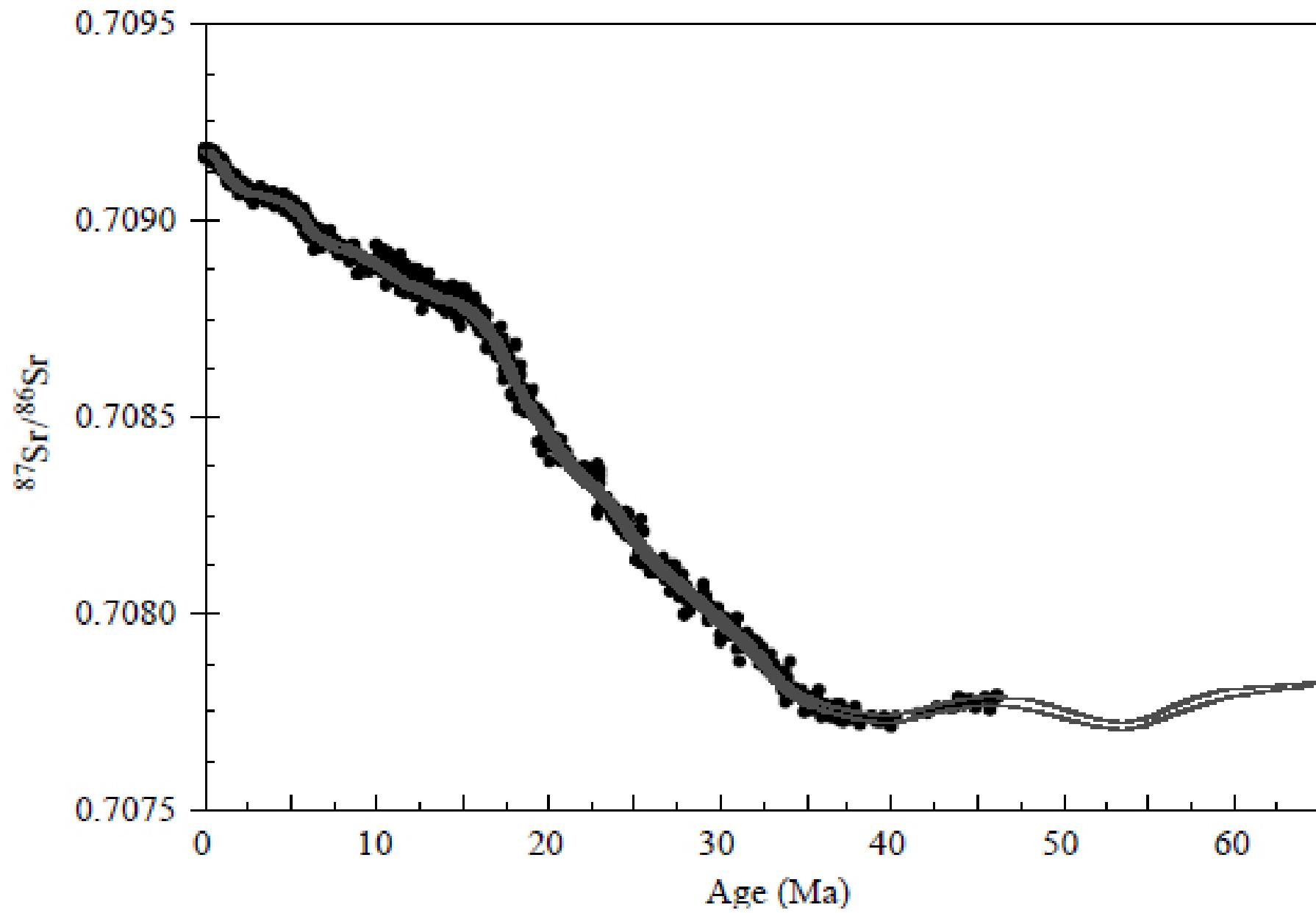
$$F_{in} = K \cdot M$$

$$\frac{F_{in}}{K} = M$$



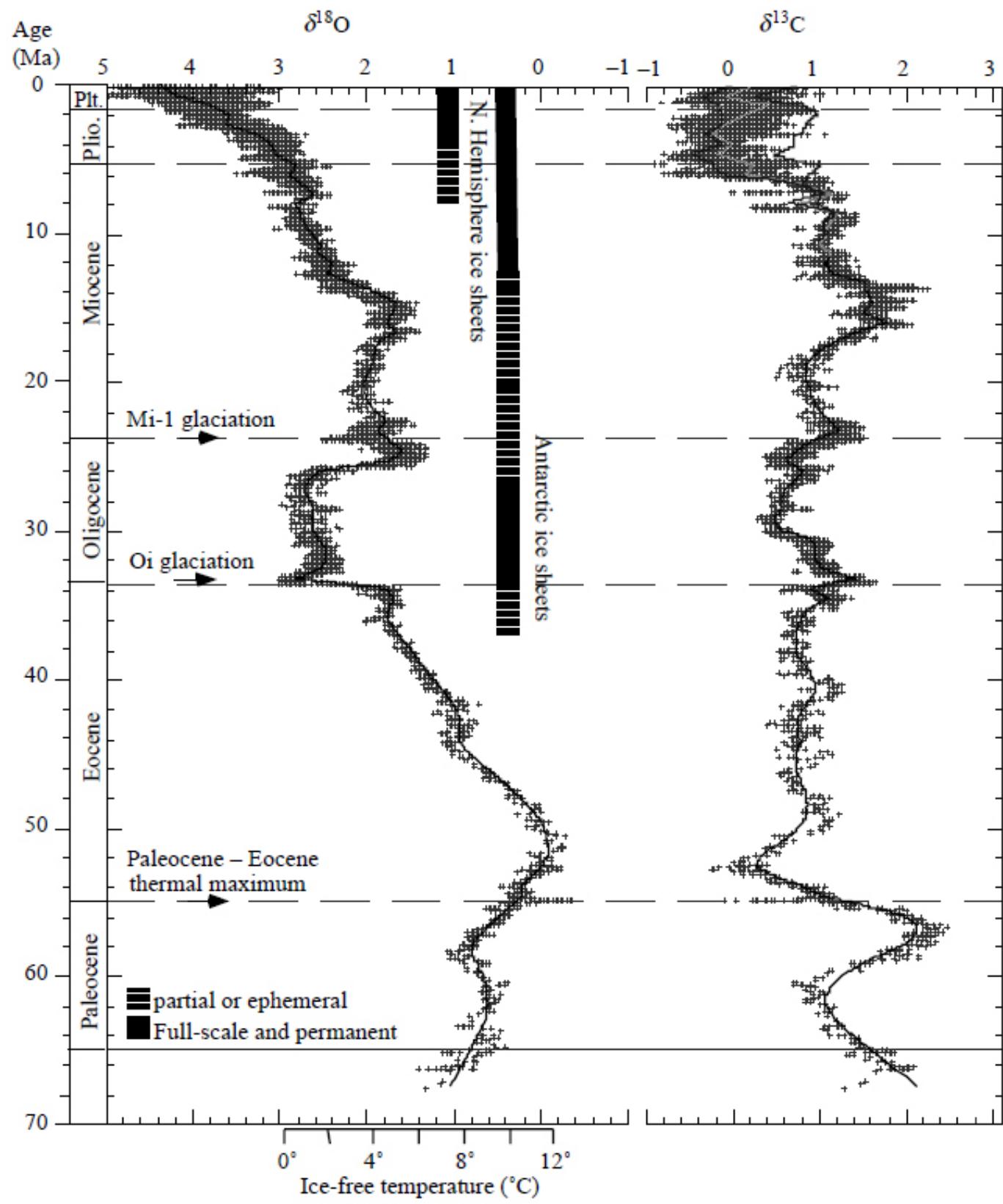






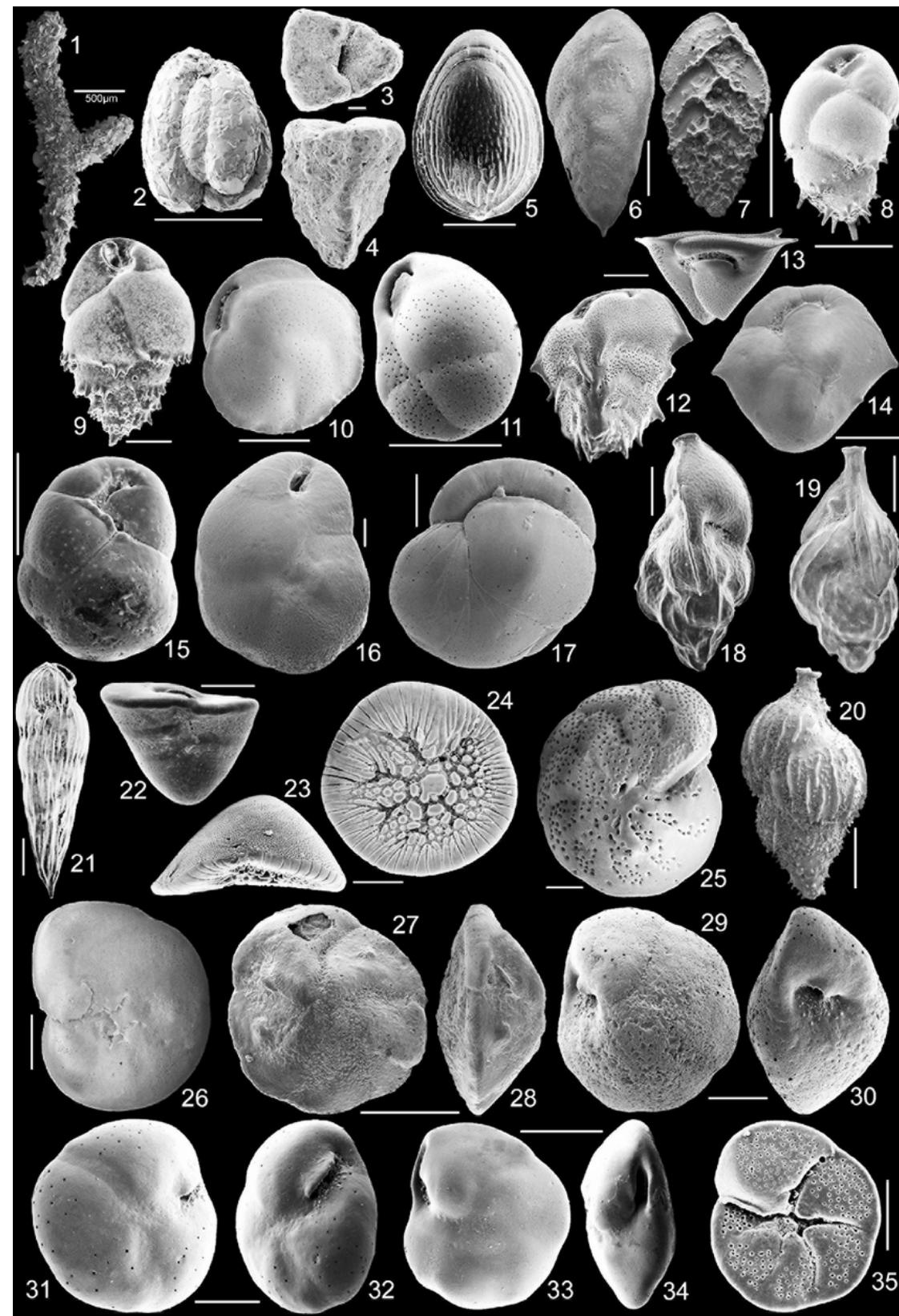
Compilation from Ravizza and Zachos, 2003

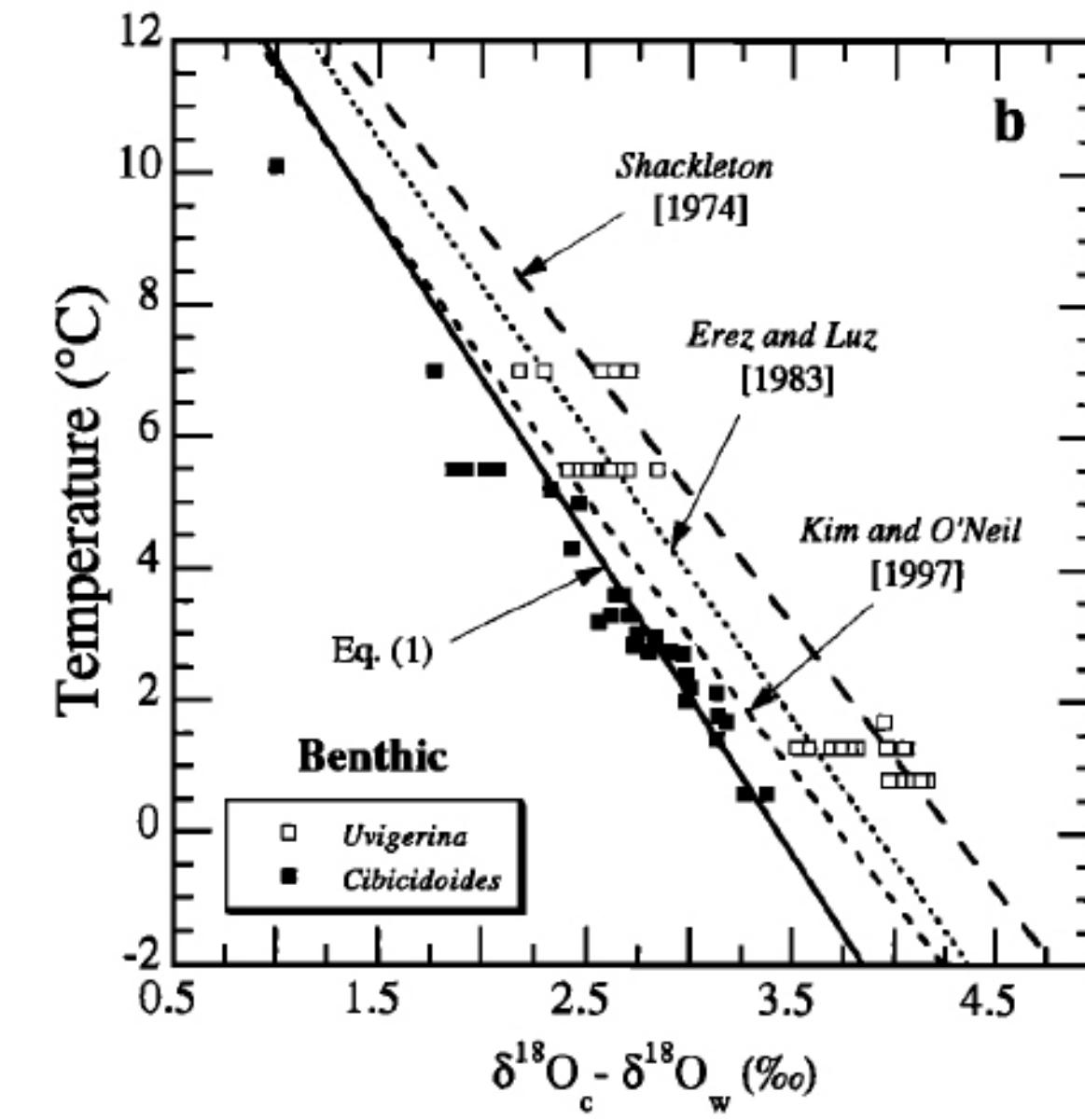
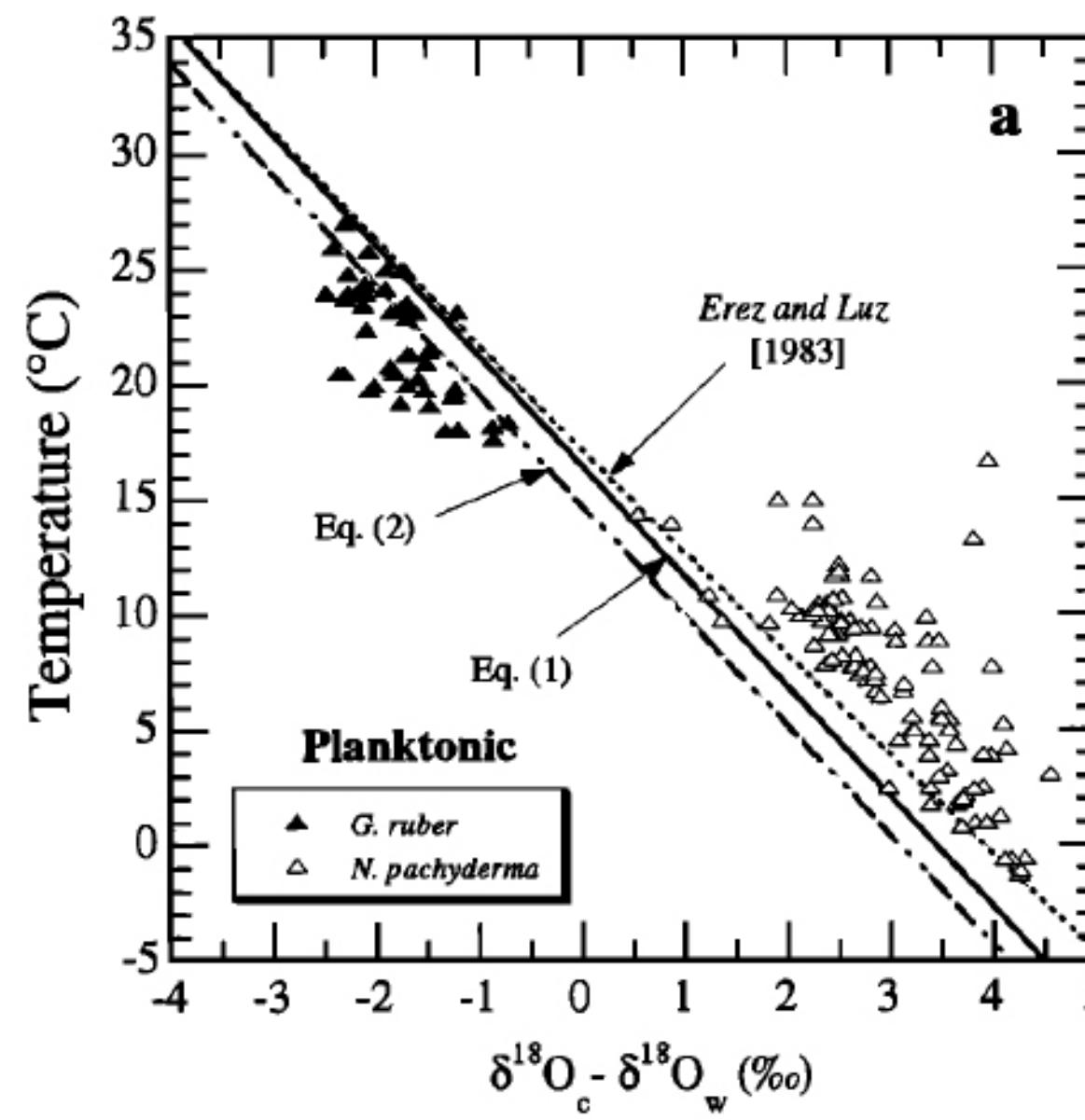




Compilation from Zachos *et al.*, 2001

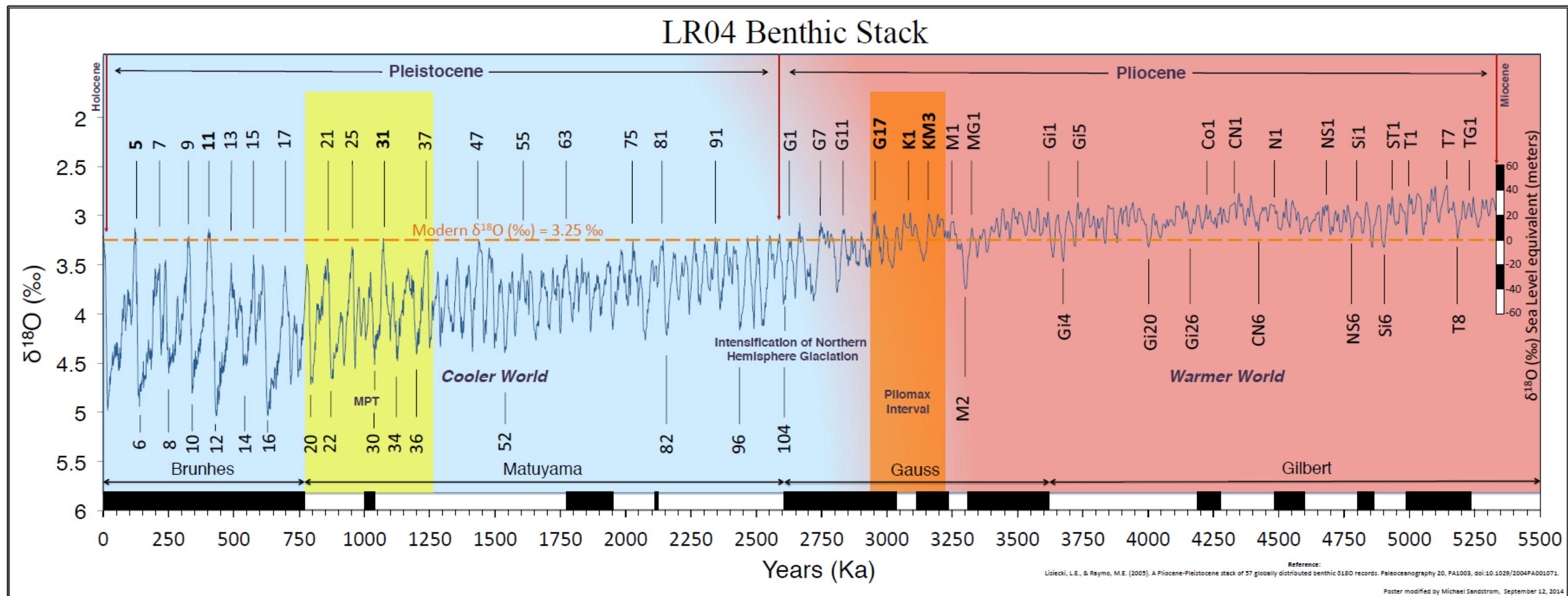






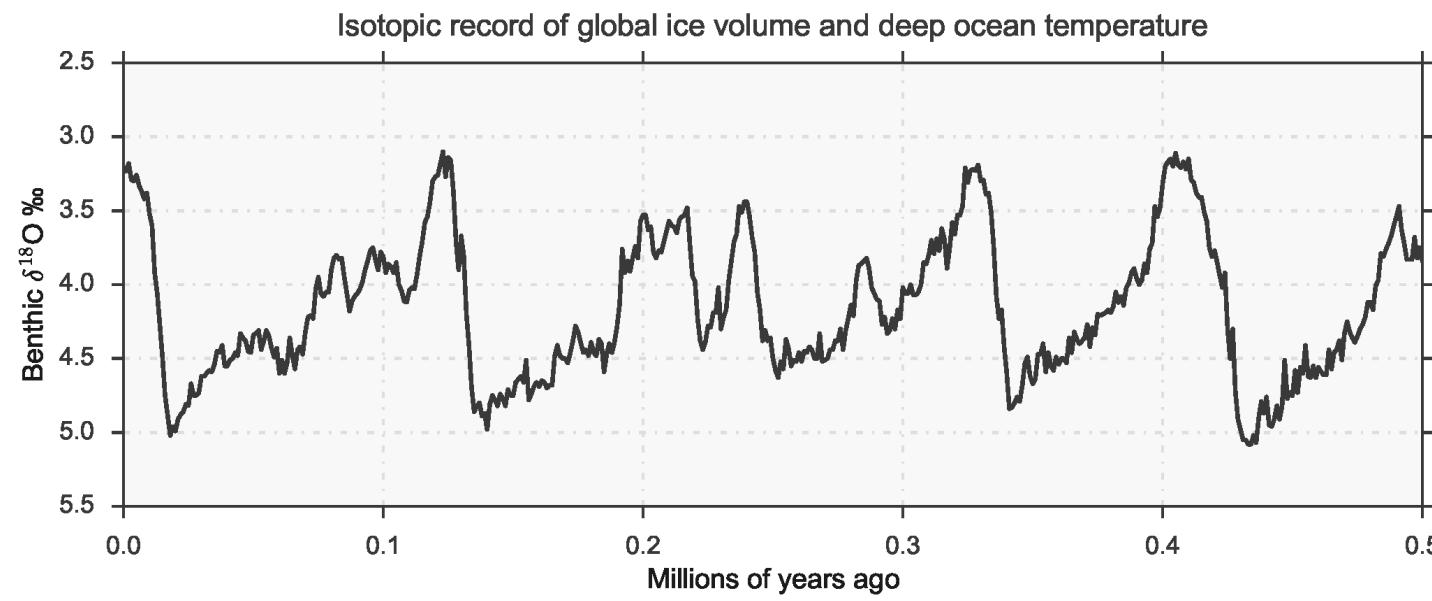
from Bemis et al., 1998





from Lisiecki and Raymo, 2004

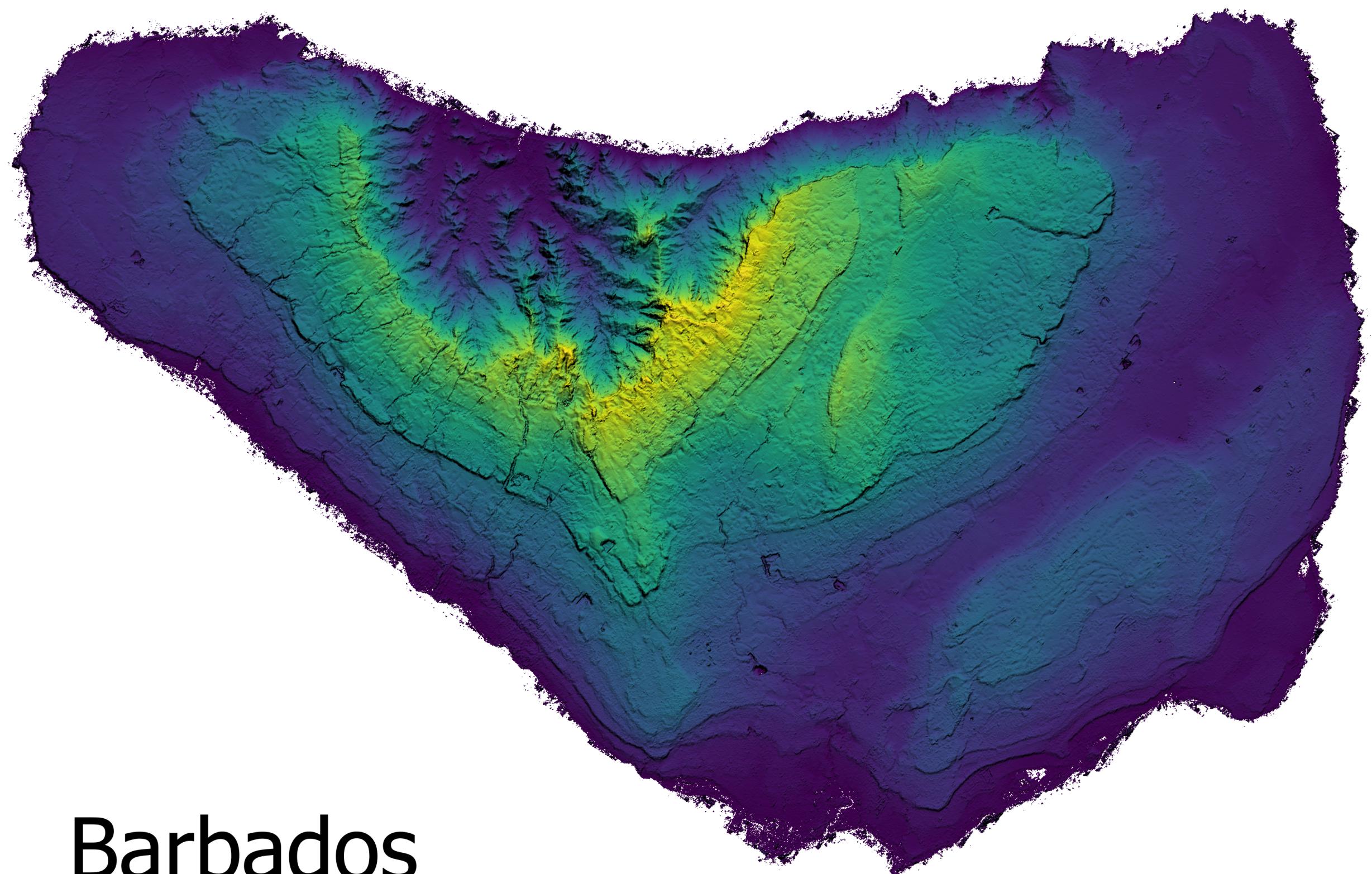






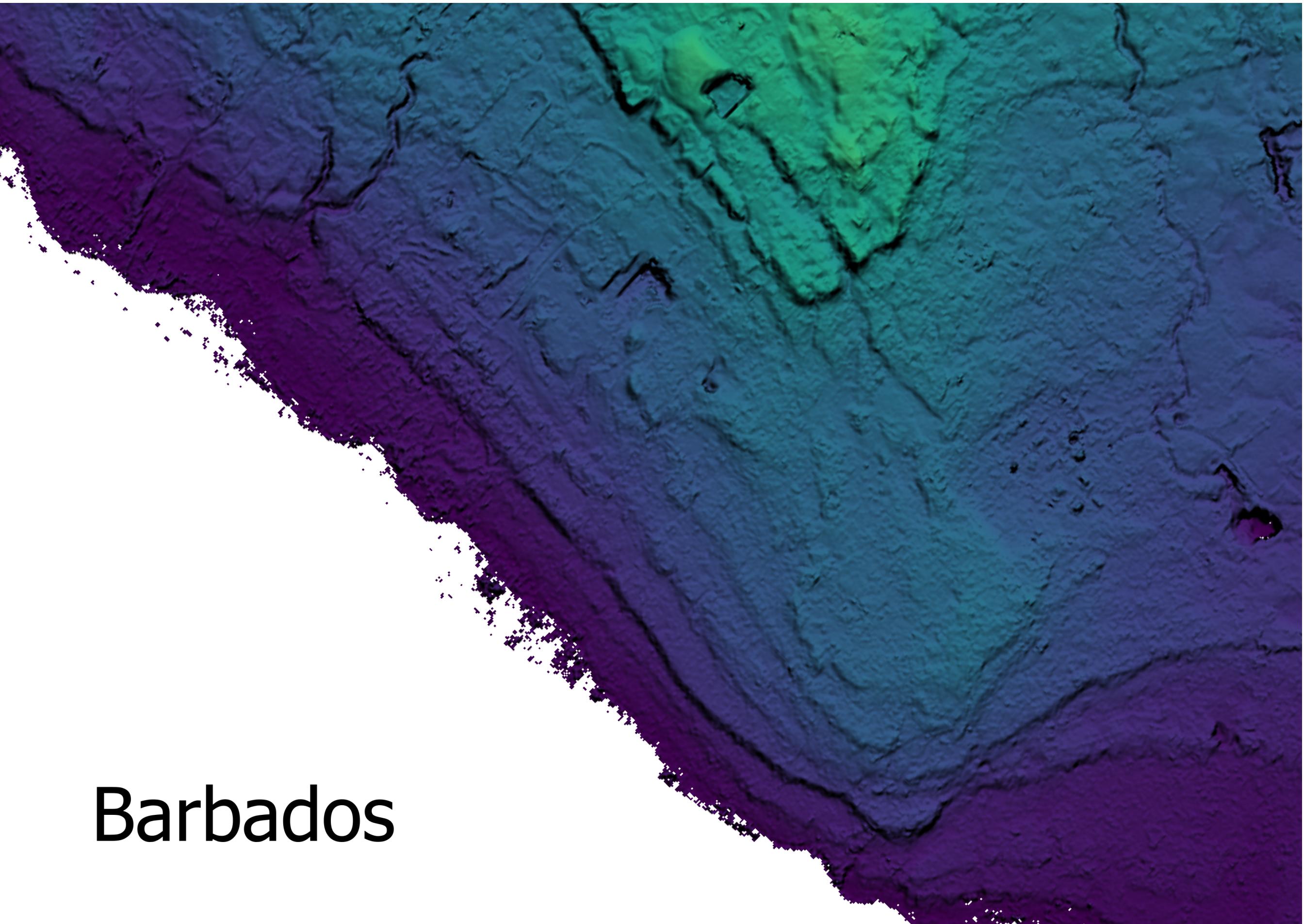
# Barbados





Barbados





Barbados







