

**Paul Sitkiewicz**

- 1) Find the limit or show that it does not exist.

$$\lim_{(x,y) \rightarrow (\frac{3\pi}{2}, \frac{2\pi}{4})} \csc(x) \tan(y)$$

- 2) Find the limit or show that it does not exist.

$$\lim_{(x,y) \rightarrow (0,0)} \frac{3xy^2}{x^2 + y^4}$$

- 3.) Find the limit of f as (x,y) goes to (0,0) or show that the limit does not exist

$$f(x,y) = (x^3 - xy^2)/(x^2 + y^2)$$

- 4.) By considering different paths for approach how that the function has no limit at (x,y) goes to (0,0).

$$F(x,y) = -x/\sqrt{x^2 + y^2}$$

- 5.) find the limits by rewriting the fractions first.

$$\lim_{(x,y) \rightarrow (1,1)} (x^2 - y^2)/(x - y)$$

**Andrew Bass**

Find the equation in x and y whose graph is the path of the particle.

$$R(t) = (t+1)\mathbf{i} + (t^2 - 1)\mathbf{j} \quad t=1$$

Find the equation in x and y whose graph is the path of the particle.

$$R(t) = (t/(t+1))\mathbf{i} + (1/t)\mathbf{j} \quad t=-1/2$$

Find the equation in x and y whose graph is the path of the particle.

$$R(t) = (e^t)\mathbf{i} + (2/9e^{2t})\mathbf{j}, \quad t = \ln 3$$

**Sophia Cannon**

Integrate

$$\int_0^{\frac{\pi}{2}} [( \cos t )\mathbf{i} - ( \sin 2t )\mathbf{j} + ( \sin^2 t )\mathbf{k}] \, dt$$

Vector Functions/Derivatives:

$r(t)$  is the position of a particle in space at time  $t=1$ . Find the particle's velocity and acceleration vectors. Also find the particle's speed and directions of motion when  $t=0$ . Write the particle's velocity at that time as the product of its speed and direction.

$$r(t) = (2 \ln(t + 1))i + (t^2)j + \left(\frac{t^2}{2}\right)k \quad t = 1$$

Vector Functions/Derivatives:

The path  $r(t) = (t - \sin t)i + (1 - \cos t)j$  describes the motion on the cycloid  $x = t - \sin t$ ,  $y = 1 - \cos t$ . Find the particle's velocity and acceleration vectors at  $t = \frac{\pi}{2}$ .

The path  $r(t) = (4\sin t)i + (4\cos t)j$  describes motion on the circle  $x^2 + y^2 = 16$ . Find the particle's velocity and acceleration vectors at  $t = \frac{\pi}{3}$  and  $t = \frac{\pi}{6}$ .

### Andrew Corbett

Find the curve's unit tangent vector. Also find the length of the indicated portion of the curve.

$$R(t) = (2\cos t)i + (2\sin t)j + \sqrt{5}t k$$

(0) less than or equal to (t) less than or equal to ( $\pi$ )

Find k for the plane curves

$$r(t) = (t)i + (\ln \cos t)j,$$

( $-\pi/2$ ) less than (t) less than  $\pi/2$

Find T for the space curves

$$R(t) = (3\sin t)i + (3\cos t)j + (4t)k$$

### Jo Baslot

find  $r$ ,  $T$ ,  $N$  and  $B$  at the given value of  $t$ . Then find equations for the osculating, normal, and rectifying planes at the value of  $t$ .

$$r(t) = (\cos t)i + (\sin t)j - k, \quad t = \pi/4$$

find  $r$ ,  $T$ ,  $N$  and  $B$  at the given value of  $t$ . Then find equations for the osculating, normal, and rectifying planes at the value of  $t$ .

$$r(t) = (\cos t)I + (\sin t)j + (t)k, \quad t = 0$$

Find T, N, k, B, and t for the space curves

$$\mathbf{r}(t) = (\cos t + t \sin t)\mathbf{i} + (\sin t - t \cos t)\mathbf{j} + 2t\mathbf{k}$$

Study the domain, range and level lines of  $f(x,y) = \sqrt{4x + 10y}$

Study the domain, range and level lines of  $f(x,y) = \ln(y - (x^2 + 5))$

Find the function's domain, range, level curves, boundary of the function's domain

$$F(x,y) = y - x$$

$$F(x,y) = 4x^3 + 9y^2$$

**Andrew Humphries**

Find the directional derivative  $D_{\vec{v}}f(0,4)$  for  $f(x,y) = 7^x 6^y \cos(6y)$  in the direction  $\vec{v} <$

$$\sin \frac{\pi}{4}, \sin \frac{\pi}{2} >$$

Find the directional derivative  $D_{\vec{v}}f(3,9)$  for  $f(x,y) = 2^{xy} \cos(x^2 + y^2)$  in the direction  $\vec{v} <$

$$1, \cos \frac{5\pi}{6} >$$

Find the gradient of the function at the given point

$$F(x,y) = y - x \quad (2,1)$$

Find the gradient of the function at the given point

$$F(x,y) = (\sqrt{2x+3y}) \quad (-1,2)$$

**Lane-Marie Kosmata**

find partial  $f / \text{partial } x$  and partial  $f / \text{partial } y$

$$f(x,y) = 2x^2 - 3y - 4$$

find partial  $f$  / partial  $x$  and partial  $f$  / partial  $y$

$$f(x,y) = x/(x^2 + y^2)$$

find  $f_x$ ,  $f_y$ , and  $f_z$

$$F(x,y,z) = 1 + x*y^2 - 2z^2$$

find  $f_x$ ,  $f_y$ , and  $f_z$

$$F(x,y,z) = \ln (x + 2y - 3z)$$