1 - Exercise (7 points)

A IEEE 802.15.4 network is composed of a PAN Coordinator and four motes. Each mote is assigned 2 slots in the Collision Free Part for uplink traffic, and the PAN coordinator is assigned 8 slots in the CFP for downlink traffic (two slots dedicated to each one of the four motes). Each slot can carry packets of 128 [byte]. The nominal rate is R=125 [kb/s] and the active part is composed of the beacon slot and the CFP only. The network is operated with a duty cycle η =10%. The motes and the PAN coordinator have the following traffic pattern:

- Mote 1 and mote 2 generate packets towards the PAN coordinator according to a Poisson process with parameter λ_1 =0.01 [packets/s]
- Mote 3 and 4 generate packets towards the PAN coordinator according to a Poisson process with parameter λ_2 = 0.5 [packet/s]
- The PAN coordinator generates packets toward each one of the four motes according to a Poisson process with parameter $\lambda_3 = 0.1$ [packet/s]

Find (i) the duration of the Beacon Interval, (ii) the duration of a slot, (iii) the average energy consumed by the PAN coordinator Mote 1 assuming $E_{rx} = 1[uJ]$, $E_{tx} = 3[uJ]$, $E_{idle} = 0.5[uJ]$ and $E_{sleep} = 1[nJ]$ to be respectively the energy for receiving, transmitting (circuitry + emitted power), being idle and sleeping in a slot.

The slot duration is Ts=128[byte]/125 [kb/s]=8.192[ms].

The CFP is composed of Ncfp = $2 \times 4 + 8 = 16$ slots.

The active part is Nactive=Ncfp +1 = 17 slots and its duration is Tactive=Nactive x Ts = 139,26 [ms]..

The Beacon Interval is: BI= Tactive/ η =1392,64 [ms].

The number of slots in the inactive part is Ninactive= (BI-Tactive)/Ts = 153.

The probability that Mote 1 and 2 have 0, 1, 2 or more packets ready in a BI are respectively:

 $P^{1}_{0}=e^{-\lambda 1BI}$

 $P^{1}_{1} = -\lambda_{1}BI e^{-\lambda_{1}BI}$

 $P_{2}^{1}=1 - P_{0}^{1} \cdot P_{1}^{1}$

The probability that Mote 3 and 4 have 0, 1, 2 or more packets ready in a BI are respectively:

 $P^2_0 = e^{-\lambda 2BI}$

 $P^2_1 = -\lambda_2 BI e^{-\lambda_2 BI}$

 $P^2_2 = 1 - P^2_{0} - P^2_{1}$

The probability that the PAN coordinator has 0, 1, 2 or more packets ready in a BI for each one of the mores are respectively:

 $P^{PANC}_0 = e^{-\lambda 3BI}$

 $P^{PANC}_1 = -\lambda_3 BI e^{-\lambda_3 BI}$

 $P^{PANC}_{2}=1-P^{PANC}_{0}-P^{PANC}_{1}$

The average energy consumed by the PANC in a BI is:

 $E = E_{tx} + 2 \; [P^{1}_{0} \; 2 \; \; E_{idle} + P^{1}_{1} \; (E_{rx} + E_{idle} \;) + P^{1}_{2} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; \; E_{idle} + P^{2}_{1} \; (E_{rx} + E_{idle} \;) + P^{2}_{2} \; 2 \; E_{rx} \;] + 4 \; [P^{PANC}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx} \;] + 2 \; [P^{2}_{0} \; 2 \; E_{rx$ $E_{idle} + P^{PANC}_{1} (E_{tx} + E_{idle}) + P^{PANC}_{2} 2 E_{tx} + 153 E_{sleep}$

2 - Exercise (4 points)

Find the average efficiency of Dynamic Frame ALOHA collision resolution protocol with an initial population of n=3 tags and an initial frame size r=2. Assume that the size of the frames after the first one is "optimally" set to the current backlog.

Applying the recursive formula we get:
$$L_3 = 2 + \sum_{i=0}^2 P(S=i) L_{3-i}$$

 $L_3 = 2 + P(S = 0)L_3 + P(S = 1)L_2 + P(S = 2)L_1$

Knowing that, $P(S=0) = \frac{1}{4}$, P(S=2) = 0, $P(S=1) = \frac{3}{4}$, we obtain:

Total Available time: 1.30 hours

$$L_3 = 2 + \frac{1}{4}L_3 + \frac{3}{4}L_2$$

L₂ =
$$2 + P(S = 0)L_2 + P(S = 1)L_1$$

P(S=0)=1/2, P(S=1)=0, which leads to $L_2=4$.

Substituting the value of L2 in the first expression we get:

 $L_3 = 2 + 1/4L_3 + \frac{3}{4} \times 4$, that is $L_3 = \frac{20}{3}$

The efficiency is $\eta = 9/20$.

3 – Exercise (6 points)

A MOTT client (Client 1) is subscribed to the topic /humidity. The MOTT broker is connected to 2 additional MOTT clients which publish messages on the topic /humidity according to the following traffic processes:

- Client 2 publishes one message on topic /humidity according to a Poisson process with parameter $\lambda = 10$ message/minute
- Client 3 publishes one message on topic /humidity according to a Poisson process with parameter $\lambda = 2$ message/minute

Find the average energy consumed by the MQTT Client 1 in a time period of 1 hour in the two cases where the all the publish messages require QoS level 0 and 1. Clearly describe the message exchange session between the MQTT broker and Client 1 in the three cases.

Use the following parameters: energy for sending/receiving MQTT publish messages, $E_{xx}=10[uJ]$, energy for sending/receiving MQTT signaling messages (various ACK messages), $E_{tx}=3$ [uJ], energy for being idle $E_{idle}=0$ [uJ].

Client 2 and Client 3 generate the following average number of messages per hour:

M2= 10 [message/minute] x 60 [minutes] = 600 messages

M3 = 2 [message/minute] x 60 [minutes] = 120 messages

The energy consumed by client 1 in the cases of QoS 0 and 1 are respectively:

 $E0 = (M2+M3) E_{rx}$

 $E1 = (M2+M3) (E_{rx}+ E_{tx})$

3 – Questions (9 points)

- 1. Tell if the following statements are true or false. MOTIVATE THE ANSWER. UNMOTIVATED ANSWER WILL NOT BE CONSIDERED
 - a. The IEEE 802.15.4 MAC layer is based only on random access procedures. FALSE
 - b. The Schoute's estimate provides an estimate of the total number of already resolved tags. **FALSE**
 - c. ZigBee cluster tree routing has higher signaling overhead than ZigBee AODV routing. FALSE
 - d. The Expected Transmission Time (ETT) is better suited as routing metric in cases where wireless links have different data rate and/or propagation delays TRUE
- 2. Briefly explain the use of the route discovery table in ZigBee-AODV protocol. **SEE SLIDES**
- 3. Briefly explain the use of DAO messages in RPL. **SEE SLIDES**