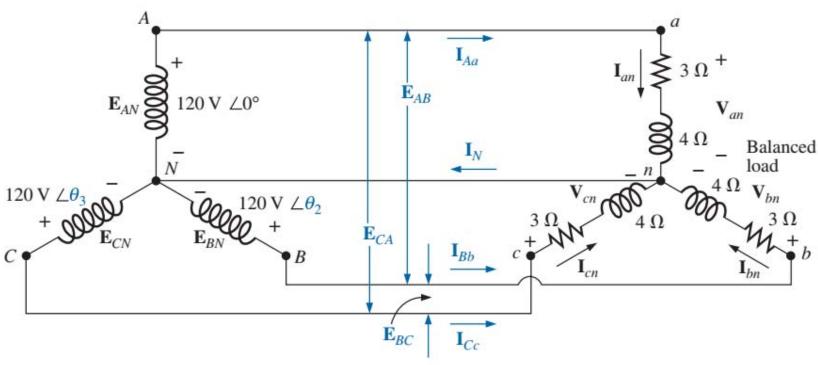
# Electrical Engineering Technology

### Y Connected Generator and Load – In Class Problem



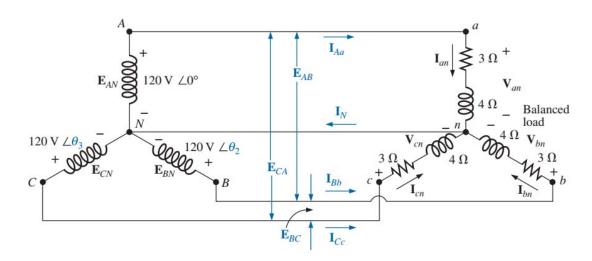
#### Find:

- a)  $\Theta_2$  and  $\Theta_3$
- b) Eab, Ebc and Eca, the line voltages
- c) The line currents
- d) In, the neutral current

- All voltages and currents in RMS
- ABC Phase Sequence

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# Y Connected Generator and Load – In Class Problem



#### a) $\Theta_2$ and $\Theta_3$

Recall – For an ABC phase sequence, we have:

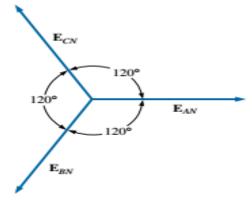


FIG. 24.3

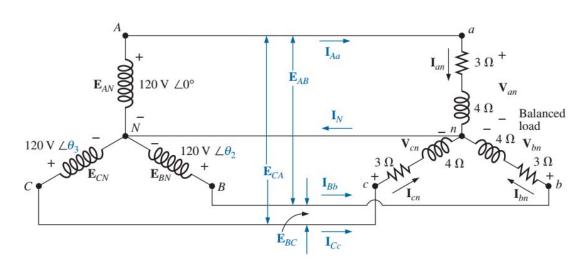
Hence:

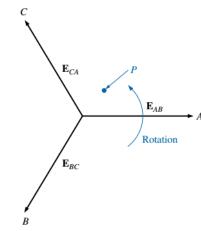
$$\theta_2 = \theta_{bN} = -120^\circ$$

$$\theta_3 = \theta_{cN} = 120^\circ$$

# Electrical Engineering Technology

## **Y Connected Generator and Load – In Class Problem**





ABC phase sequence described by the line voltages

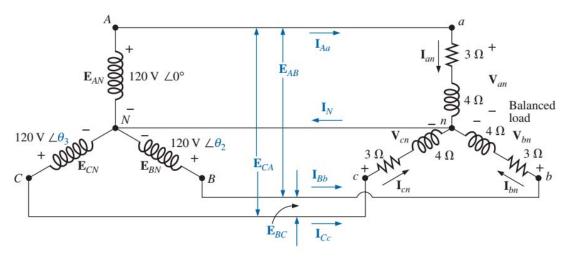
#### b) EAB, EBC and ECA, the line voltages

#### Check:

$$E_L = \sqrt{3}V_{\phi} \tag{24.8}$$

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### Y Connected Generator and Load – In Class Problem



#### c) The line currents

- Recall the line currents are equivalent to the phase currents in this configuration

$$T_{AN} = V_{AN} = 120 V_{RMS} \& 0^{\circ}$$

$$(3+j4)_{-} \qquad (3+j4)_{-}$$

$$= 24 A_{RMS} \& -53.13^{\circ}$$

$$T_{DN} = V_{DN} = 120 V_{RMS} \& -120^{\circ}$$

$$(3+j4)_{-} \qquad (3+j4)_{-}$$

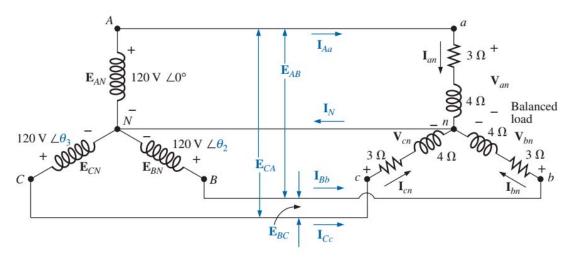
$$= 24 A_{RMS} \& -173.13^{\circ}$$

$$\vec{T}_{CN} = \frac{V_{CN}}{(3+j4)_{-}} = \frac{120V_{RM} \times 120^{\circ}}{(3+j4)_{-}}$$

$$= 24A_{RM} \times 66.87^{\circ}$$

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### Y Connected Generator and Load – In Class Problem



d) In, the neutral current

#### Check:

If the load is balanced, the **neutral connection** can be removed without affecting the circuit in any manner; that is, if

$$\mathbf{Z}_1 = \mathbf{Z}_2 = \mathbf{Z}_3$$