

## EN.605.647.83.SP21 Neural Networks

Course Modules

Midterm Examination

Review Test Submission: Mid-Term

Exam Part C

## Review Test Submission: Mid-Term Exam Part C

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|-------------------|---|
| User              | BRIAN THOMAS LOUGHRAN                             |
| Course            | EN.605.647.81.SP21 Neural Networks                |
| Test              | Mid-Term Exam Part C                              |
| Started           | 4/11/21 5:40 PM                                   |
| Submitted         | 4/11/21 5:55 PM                                   |
| Due Date          | 4/11/21 11:59 PM                                  |
| Status            | Completed   |
| Attempt Score     | Grade not available.                              |
| Time Elapsed      | 14 minutes out of 45 minutes                      |
| Results Displayed | Submitted Answers, Incorrectly Answered Questions |

## Question 1

5 out of 5 points



A Boltzmann Machine is diagrammed in P6:PR-A with the indicated node labels, weights and connections shown. This is a very similar network in terms of architecture as a Hopfield network, except that it has only binary valued state variables (the states can be only 0 or 1) and the weights are not necessarily determined by exemplars but are symmetric, i.e.,  $W_{ij} = W_{ji}$ . Assume there are no self-connections for each node. Using the weights given, and the fact that the current state vector is  $[1, 0, 1, 1]$  where each vector element index corresponds to the node label, what is the activation function value of node 2 if the activation function is the Sigmoid function? Hint: You can construct a weight matrix using the given weights to facilitate computation. Answer to 4 decimal digits.

Selected Answer: 0.1824

## Question 2

0 out of 5 points



Using the Hecht-Nielsen function in P6:PR-B, what is the network energy value for the configuration state (1, 0, 1, 1)?

Selected Answer: 0.25

## Question 3

5 out of 5 points



Given the following exemplars for a Binary Associative Memory where exemplar  $A_1$  is associated with  $B_1$  and so forth, determine the weight matrix using the following sets of exemplars. Assume the A vectors are column vectors.

$$A^T_1 = [-1, -1, 1] \quad B_1 = [1, 1]$$

$$A^T_2 = [1, -1, -1] \quad B_2 = [-1, 1]$$

The matrix entry for matrix element 1,1 is \_?

Selected Answer: -2

**Question 4**

5 out of 5 points



The weight matrix entry in the BAM in problem 7a (problem 3) for matrix element 3,1 is

Selected Answer: 2

**Question 5**

5 out of 5 points



If a B vector  $[1, -1]$  is input to the weight matrix you obtained for the BAM you get a resulting  $3 \times 1$  vector. After applying the hard-limiting function you get another vector with bipolar values. What is the sum of its elements?

Selected Answer: 1

Sunday, April 11, 2021 5:55:37 PM EDT

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