

Symmetric Multiprocessors are said to be tightly coupled

Also called shared memory multiprocessor

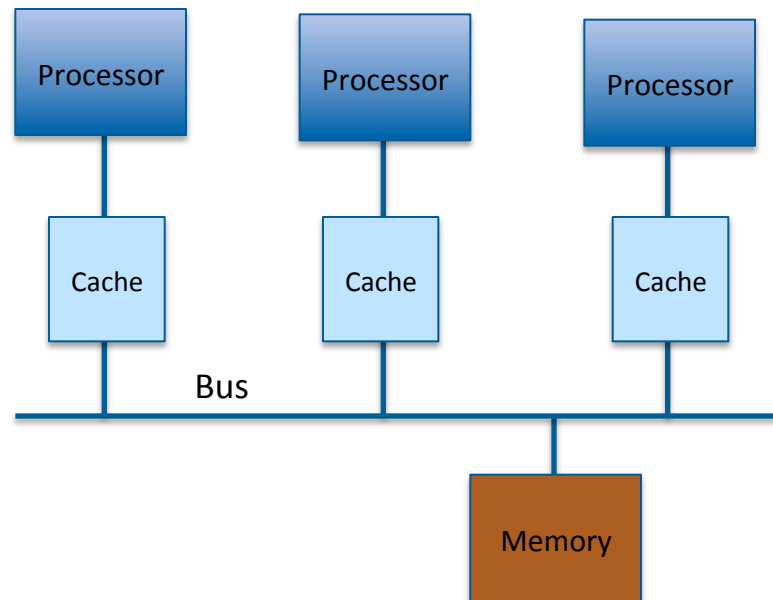
A type of MIMD system

An SMP architecture treats all processors equally

- *Symmetric* implies the processors are logically interchangeable
- The OS divides and distributes the work to processors

Programs can be written to run faster on SMPs

Programs optimized for SMP will suffer if run on uniprocessor



SMPs use a common shared bus

The bus may become a bottleneck

Processors must make good use of their internal caches

Cache misses cause stalls and contention for the bus

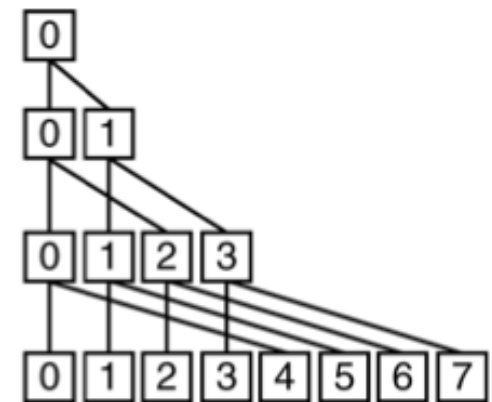
- To illustrate the idea, assume an 8-element array
- Assume there are 4 processors
- Each will add 2 elements

$$\text{Sum}[P0] = A[0] + A[1]$$

$$\text{Sum}[P1] = A[2] + A[3]$$

$$\text{Sum}[P2] = A[4] + A[5]$$

$$\text{Sum}[P3] = A[6] + A[7]$$



Then use half the processors (2)

$$\text{Sum}[P0] = \text{Sum}[P0] + \text{Sum}[P2]$$

$$\text{Sum}[P1] = \text{Sum}[P1] + \text{Sum}[P3]$$

Finally use one processor:  $\text{Sum}[P0] = \text{Sum}[P0] + \text{Sum}[P1]$

- Sum 100,000 numbers on 100 processor UMA
  - Each processor has ID:  $0 \leq P_n \leq 99$
  - Partition 1000 numbers per processor
  - Initial summation on each processor

```
sum[Pn] = 0;  
  for (i = 1000*Pn;  
        i < 1000*(Pn+1); i = i + 1)  
    sum[Pn] = sum[Pn] + A[i];
```

Sum[0] = A[0] + ... + A[999]

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Sum[99] = A[99000] + ... + A[99999]

- Now need to add these 50 partial sums
  - Reduction: divide and conquer
  - Half the processors add pairs, then quarter, ...
  - 50, then 25, then 12, then 6, then 2, then 1
  - Using  $\frac{1}{2}$  may yield an odd number
    - P0 takes care of the left over value
  - Need to synchronize between reduction steps

```
half = 100;
do
    synch();
    if (half%2 != 0 && Pn == 0)
        sum[0] = sum[0] + sum[half-1];
    /* Conditional sum needed when half is odd;
       Processor0 gets missing element */
    half = half/2; /* dividing line on who sums */
    if (Pn < half) sum[Pn] = sum[Pn] + sum[Pn+half];
while (half > 1); // exit with final sum in Sum[0]
```

`synch()` insures that all required partial sums have been produced

Private variables, such as *half* or a loop index, are local to each processor