

C. 1, 2: 14, 18, 19, 23, 25

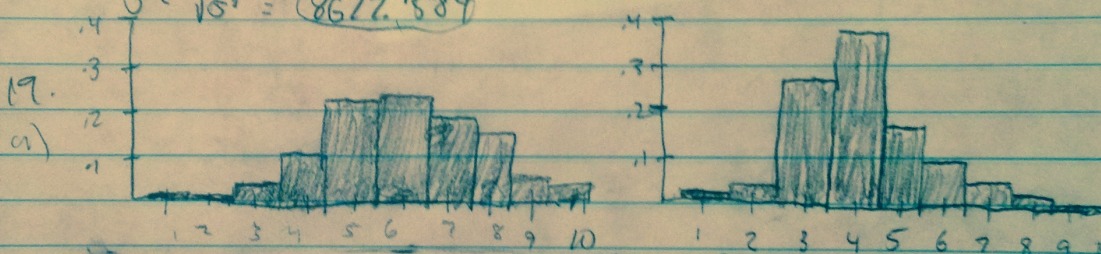
|                    | 21      | 22      | 23      | 24      | 25      | 26     |
|--------------------|---------|---------|---------|---------|---------|--------|
| 14. a) Age @ death |         |         |         |         |         | 1250   |
| b) Profit          | -99,750 | -99,500 | -99,250 | -99,000 | -98,750 |        |
| Prob.              | .00183  | .00188  | .00189  | .00191  | .00193  | .99058 |

c)  $E(x) = \sum x_i p_i = 303.447$  In the long run, the insurance company is expected to make a profit of \$303.447.

15. a) In the long run, the insurance company makes enough \$1250 premiums to more than cover for the comparably few \$100,000 losses.

b)  $\sigma^2 = \sum (x_i - E(x))^2 p_i = 7300466.89$

$\sigma = \sqrt{\sigma^2} = 8544.584$



b)  $E(X) = \sum x_i p_i = 6.284$   $E(Y) = \sum y_i p_i = 4.187$

Y is skewed right, so the mass of numbers are to the left, which are heavily impacted by the weighting.

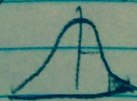
c)  $\sigma^2(X) = \sum (x_i - E(x))^2 p_i = 2.689344$

$\sigma^2(Y) = \sum (y_i - E(y))^2 p_i = 1.71003$

Y is less spread out than X is, so its standard deviation should be lower.

in the long run,  
8.46% of  
the time, when  
you pick a  
random student,

23. Find the probability of a point randomly selected on a normal curve being  $\geq 9$ . We will find the z score and then use a table.



$z = \frac{9 - 6.8}{1.6} = 1.375$

$P(z \geq 1.375) = 8.46\%$

25. a)  $z_1 = \frac{.52 - .56}{.019} = -2.105$

$z_2 = \frac{.60 - .56}{.019} = 2.105$   $P(-2.105 \leq z \leq 2.105) = 96.47\%$

b)  $z_3 = \frac{.72 - .56}{.019} = 8.42$

$P(z \geq .72) = 1.88 \times 10^{-17}$