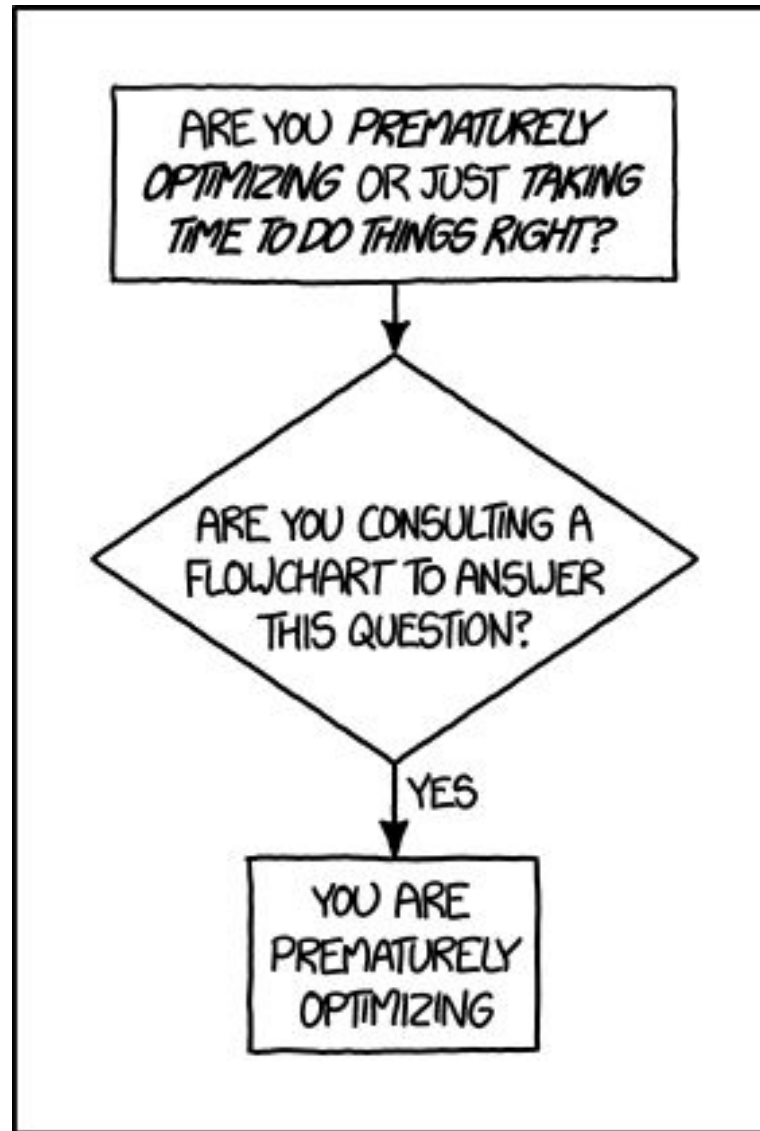


# Regularization & Overfitting

*Patrick D. Smith*

*Lead Instructor, General Assembly DSI*

# Regularization and Overfitting

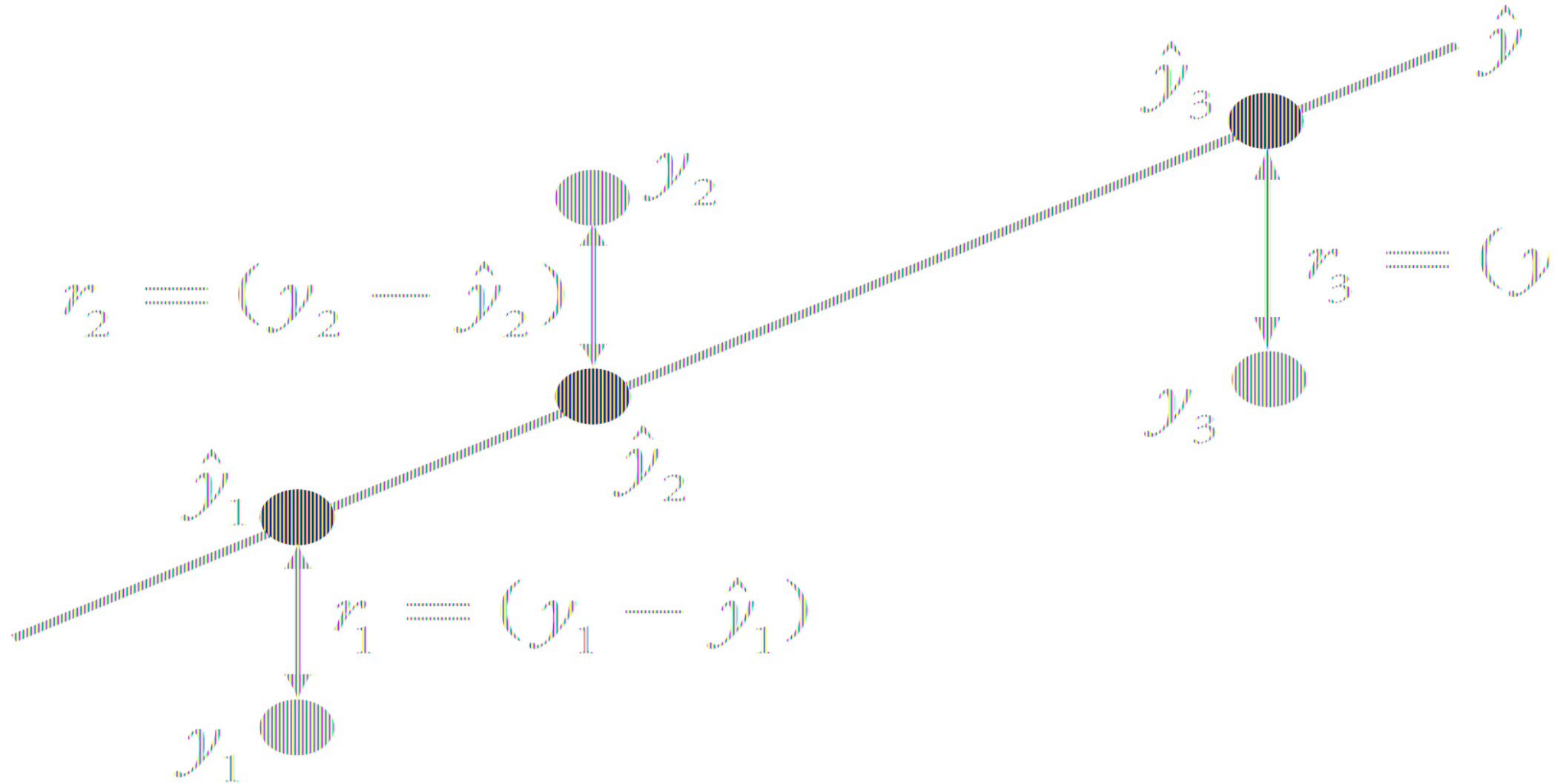


## Regularization and Overfitting

---

# Regularization

# Regularization and Overfitting



---

# **Regularization and Overfitting**

---

## **Ridge and Lasso Regression**

### **Why would we want to regularize?**

- Large enough to enhance the tendency of a model to overfit (as low as 10 variables might cause overfitting)
- Large enough to cause computational challenges. With modern systems, this situation might arise in case of millions or billions of features)

# Regularization and Overfitting

---

## **Ridge Regression (L2 Regularization)**

- Adds a penalty to the square of the magnitude of the coefficients
- Effectively - “Punishes” large values by taking their square
- L2 seeks to have small values for all possible values of  $x$
- L2 spreads error throughout the vector (dense matrix)

# Regularization and Overfitting

---

**Objective =  $RSS + \alpha * (\text{sum of square of coefficients})$**

Here,  $\alpha$  (alpha) is the parameter which balances the amount of emphasis given to minimizing RSS vs minimizing sum of square of coefficients.  $\alpha$  can take various values:

1.  $\alpha = 0$ :

- The objective becomes same as simple linear regression.
- We'll get the same coefficients as simple linear regression.

2.  $\alpha = \infty$ :

- The coefficients will be zero. Why? Because of infinite weightage on square of coefficients, anything less than zero will make the objective infinite.

3.  $0 < \alpha < \infty$ :

- The magnitude of  $\alpha$  will decide the weightage given to different parts of objective.
- The coefficients will be somewhere between 0 and ones for simple linear regression.

# Regularization and Overfitting

---

## **Lasso Regression (L1 Regularization)**

- Adds a penalty equivalent to the absolute value of the magnitude of the coefficients
- L1 creates a sparse matrix - meaning that it is happy with very small values and very large values coexisting
- Lasso does variable selection automatically



# Regularization and Overfitting

---

**Objective =  $RSS + \alpha * (\text{sum of absolute value of coefficients})$**

Here,  $\alpha$  (alpha) works similar to that of ridge and provides a trade-off between balancing RSS and magnitude of coefficients. Like that of ridge,  $\alpha$  can take various values. Lets iterate it here briefly:

1.  $\alpha = 0$ : Same coefficients as simple linear regression
2.  $\alpha = \infty$ : All coefficients zero (same logic as before)
3.  $0 < \alpha < \infty$ : coefficients between 0 and that of simple linear regression

# Regularization and Overfitting

