final-project

December 19, 2023

```
[1]: import pandas as pd
     import numpy as np
     import matplotlib.pyplot as plt
     import seaborn as sns
     # loading dataset
     data = pd.read_csv("C:/Users/brend/OneDrive/Documents/College/STAT 436/Final_
      →Project/NCAA Champs Data.csv")
     # check that it loaded properly
     data.head()
[1]:
       Year
             SS
                    Time
                         Last Lap
     0 2017
              0 875.60
                             55.76
     1 2017
               0 875.88
                             56.19
     2 2017
              0 876.23
                             56.41
     3 2017
               0 876.57
                             56.31
     4 2017
               0 876.78
                             56.69
[2]: data.tail()
[2]:
         Year SS
                      Time
                           Last Lap
     137
        2023
                   868.89
                               65.75
                1
     138 2023
                1 870.36
                               64.12
     139 2023
                1 877.57
                               70.46
     140 2023
                 1 885.44
                               68.64
                               71.26
     141 2023
                 1 889.31
[3]: print(data.shape)
     # the dataset has 141 entries with 4 features
     # each entry is an athlete
     # features: Year (the year the athlete competed)
     # SS: indicator variable; O means the event took place before the release of u
      ⇔super spikes, 1 means after
     # Time: each competitor's time for 5000 meters in seconds
     # Last Lap: competitor's time (sec) for the last 400m of the race
```

(142, 4)

```
[4]: print(data.describe())

# the meaningful categories here are time and last lap; the others are labels

# the data is slightly left-skewed (mean < median)

# mean time is 846.74 seconds, or 14:06.74 with standard deviation 28.52 seconds

# median is 848.02 seconds, or 14:08.02

# mean last lap is 61.59 seconds with standard deviation 5.24
```

```
SS
                                            Last Lap
             Year
                                    Time
       142.000000 142.00000 142.000000 142.000000
count
      2019.985915
                     0.50000 846.744366
                                           61.586972
mean
std
         2.166757
                     0.50177
                             28.516079
                                            5.240296
min
      2017.000000
                     0.00000 792.270000
                                           52.910000
25%
      2018.000000
                     0.00000 824.782500
                                           57.635000
50%
      2020.000000
                     0.50000 848.020000
                                           60.925000
75%
      2022.000000
                     1.00000 867.620000
                                           64.487500
max
      2023.000000
                     1.00000 916.000000
                                           75.720000
```

```
[5]: # plot the distribution of times run
sns.distplot(data['Time'], kde = True, hist = 1)
# the plot is somewhat symmetrical
# peak is around 850 (14:10), with a smaller peak around 820 (13:40)
```

C:\Users\brend\AppData\Local\Temp\ipykernel_1548\3143065218.py:2: UserWarning:

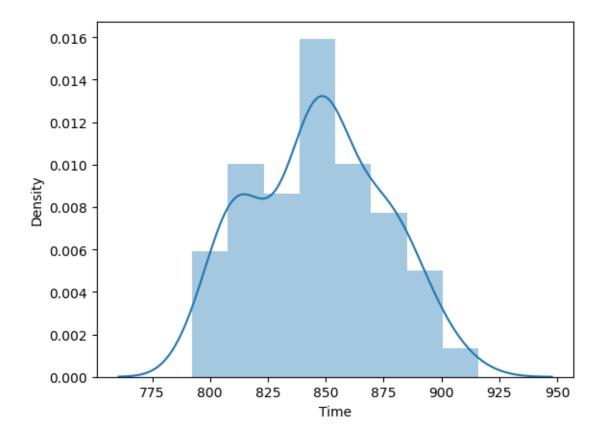
`distplot` is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either `displot` (a figure-level function with similar flexibility) or `histplot` (an axes-level function for histograms).

For a guide to updating your code to use the new functions, please see https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

```
sns.distplot(data['Time'], kde = True, hist = 1)
```

[5]: <Axes: xlabel='Time', ylabel='Density'>



C:\Users\brend\AppData\Local\Temp\ipykernel_1548\43024727.py:1: UserWarning:

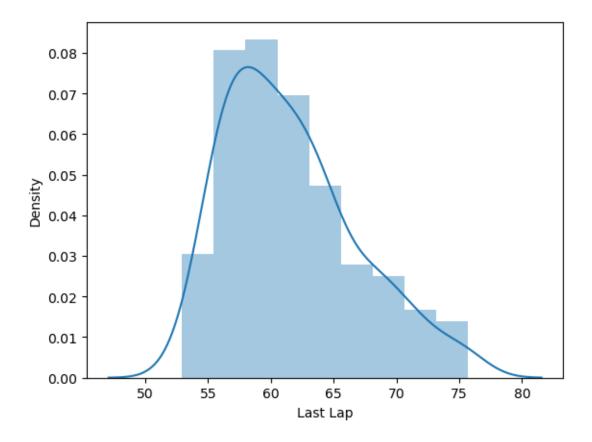
`distplot` is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either `displot` (a figure-level function with similar flexibility) or `histplot` (an axes-level function for histograms).

For a guide to updating your code to use the new functions, please see https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(data['Last Lap'], kde = True, hist = 1)

[6]: <Axes: xlabel='Last Lap', ylabel='Density'>



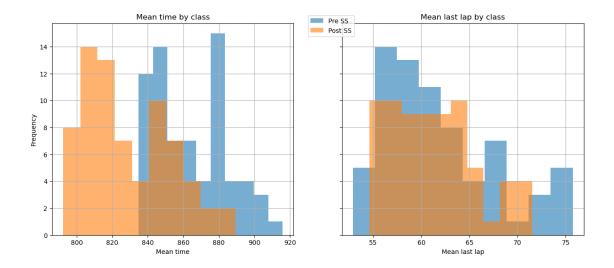
lots of overlap in last lap, but total times are noticeably faster post SS

fig1.legend(["Pre SS","Post SS"],bbox_to_anchor=(0.57,0.92))

[8]: <matplotlib.legend.Legend at 0x2b371d1ab10>

ax[1].set_xlabel("Mean last lap")

[7]: features = data.drop('Year', axis=1)



[0.7928571428571429, 0.85, 0.8142857142857143, 0.8142857142857143, 0.7642857142857143, 0.8, 0.7714285714285714, 0.7928571428571429, 0.7714285714285716, 0.7785714285714286]

```
[10]: # separate into training and testing dataset
from sklearn.model_selection import train_test_split
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.1,__
arandom_state = 10, shuffle = True)
```

```
[11]: # using the training set for k-NN with 2-NN (2 selected as best k)
knn_model = KNeighborsClassifier(n_neighbors=2)
knn_model.fit(x_train, y_train)
```

[11]: KNeighborsClassifier(n_neighbors=2)

```
[12]: # testing the 2-NN model
      y_pred = knn_model.predict(x_test)
      from sklearn.metrics import accuracy_score
      accuracy_score(y_test, y_pred)
[12]: 0.9333333333333333
[13]: # fitting a Perceptron model
      from sklearn.linear_model import Perceptron
      per_model1 = Perceptron(max_iter=500)
      per_model1.fit(x_train, y_train)
      per_model2 = Perceptron(max_iter=1000)
      per_model2.fit(x_train, y_train)
      per_model3 = Perceptron(max_iter=10000)
      per_model3.fit(x_train, y_train)
[13]: Perceptron(max_iter=10000)
[14]: # testing the Perceptron models
      per_scores = []
      y_pred = per_model1.predict(x_test)
      per_scores.append(accuracy_score(y_test, y_pred))
      y_pred = per_model2.predict(x_test)
      per_scores.append(accuracy_score(y_test, y_pred))
      y_pred = per_model3.predict(x_test)
      per_scores.append(accuracy_score(y_test, y_pred))
      per_scores
      # the model does not improve with more iterations
[14]: [0.5333333333333333, 0.5333333333333333, 0.5333333333333333]
[15]: # fitting a Naive Bayes model
      from sklearn.naive_bayes import GaussianNB
      gnb model = GaussianNB()
      gnb_model.fit(x_train, y_train)
[15]: GaussianNB()
[16]: # checking parameters of fitted NB model
      print("Means:", gnb_model.theta_)
      # the pre-ss era has means 863.998 (14:23.998) and 62.027
      # the post-ss era has means 830.475 (13:50.475) and 61.416
      print("Variances:", gnb_model.var_)
      # the pre-ss era has standard deviations 20.992 and 7.837
      # the post-ss era has standard deviations 24.513 and 4.553
     Means: [[863.9978125
                            62.026875 ]
```

6

[830.47460317 61.41587302]]

```
Variances: [[440.67799602 36.21404104]
      [600.88861612 20.73022504]]
[17]: # evaluating the Gaussian NB model on the training set
      y_train_pred = gnb_model.predict(x_train)
      accuracy_score(y_train, y_train_pred)
      # not that accurate, only 74.02%
[17]: 0.7401574803149606
[18]: # evaluating the Gaussian NB model on the test set
      y_pred = gnb_model.predict(x_test)
      accuracy_score(y_test, y_pred)
      # performs much better on the test set- 86.67%
      # model is not overfitting; performs better in testing than training
[18]: 0.866666666666667
[19]: # fitting a logistic regression model
      from sklearn.linear_model import LogisticRegression
      lr_model = LogisticRegression()
      lr_model.fit(x_train, y_train)
[19]: LogisticRegression()
[20]: # evaluating the Logistic Regression model on the training set
      y_train_pred = lr_model.predict(x_train)
      accuracy_score(y_train, y_train_pred)
      # not that accurate, only 66.93%
[20]: 0.6692913385826772
[21]: # evaluating the Logistic Regression model on the test set
      y_pred = lr_model.predict(x_test)
      accuracy_score(y_test, y_pred)
      # performs much better on the test set- 86.67%
      # model is not overfitting; performs better in testing than training
      # performs the same as Naive Bayes
[21]: 0.866666666666667
[22]: # ranking the models
      # 1. k-NN with k=2: accuracy = 0.933333
      # 2. Gaussian NB and Logistic Regression: accuracy = 0.866667
      # 4. Perceptron: accuracy = 0.533333
      # the models, apart from perceptron, do a good job distinguishing between pre_
       →and post ss times
```

this hints at super spikes improving runners' performance at the NCAA $_{\sqcup}$ $_{\hookrightarrow}$ Championships

[23]: # presentation feedback: setting k as an even number allows for ties
 # try an odd number to prevent this
 # based on cross-validation from earlier, best odd k is 3 (accuracy 0.814)
 knn_oddmodel = KNeighborsClassifier(n_neighbors=3)
 knn_oddmodel.fit(x_train, y_train)

[23]: KNeighborsClassifier(n_neighbors=3)

[24]: # testing the 3-NN model
y_pred2 = knn_oddmodel.predict(x_test)
from sklearn.metrics import accuracy_score
accuracy_score(y_test, y_pred)

[24]: 0.866666666666667