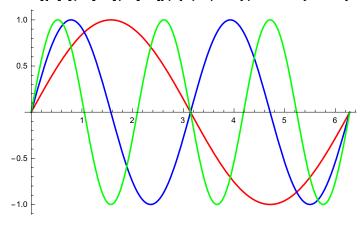
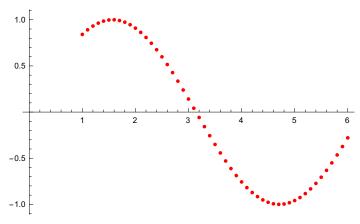
```
(*Brady Metherall*)
(*1. Functions*)
f[x_] := Sin[x]
f '[x]
(f[x])^2 + (f'[x])^2
Integrate[f[x], x]
Cos[x]
Cos[x]^2 + Sin[x]^2
-Cos[x]
(*2. Simplify*)
Simplify[%3]
1
(*3. Plotting Functions*)
Plot[Sin[x], \{x, 0, 2\pi\}]
Plot[f[x], \{x, 0, 2 \pi\}]
 1.0
 0.5
-0.5
-1.0
 1.0
 0.5
-0.5
```

-1.0 -

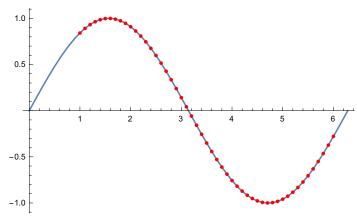
 $\mathsf{Plot}[\{\mathsf{f}[\mathsf{x}],\,\mathsf{f}[\mathsf{2}\,\mathsf{x}],\,\mathsf{f}[\mathsf{3}\,\mathsf{x}]\},\,\{\mathsf{x},\,\mathsf{0},\,\mathsf{2}\,\pi\},\,\,\mathsf{PlotStyle} \to \{\mathsf{Red},\,\,\mathsf{Blue},\,\,\mathsf{Green}\}]$



Table[{i, Sin[i]}, {i, 1, 6, 0.1}]; ListPlot[%, PlotStyle → Red]



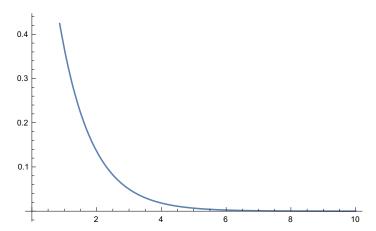
Show[{Plot[f[x], $\{x, 0, 2\pi\}$], %10}]



(*4. Solving Differential Equations*)

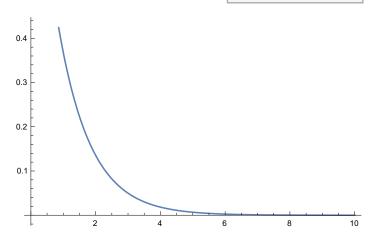
DSolve[$\{y'[x] == -y[x], y[0] == 1\}, y[x], x$] $Plot[y[x] /. %13, {x, 0, 10}]$

 $\left\{\left\{y[x]\rightarrow e^{-x}\right\}\right\}$



NDSolve[$\{y '[x] == -y[x], y[0] == 1\}, y[x], \{x, 0, 10\}$] $Plot[y[x] /. %15, {x, 0, 10}]$

 $\left\{ \left\{ y[x] \rightarrow \text{InterpolatingFunction} \right| \right\}$ [[x]}}

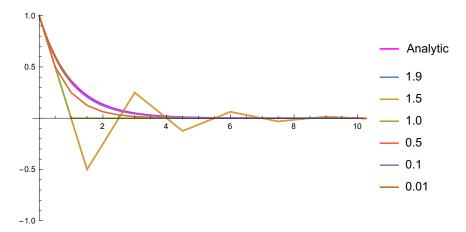


RSolve[$\{y[n+1] == (1-h)y[n], y[0] == 1\}, y[n], n$] $\left\{\left\{y[n]\to \left(1-h\right)^n\right\}\right\}$

Table[{h n, y[n] /. %17[[1]][[1]]}, {n, 0, 100}];

 $R[t_] := %23 /. h \rightarrow t$

ListPlot[{R[1.5], R[1.5], R[1.0], R[0.5], R[0.1], R[0.01]}, Joined → True, PlotLegends → {"1.9", "1.5", "1.0", "0.5", "0.1", "0.01"}]; Show[Plot[y[x] /. %13, {x, 0, 10}, PlotRange \rightarrow {-1, 1}, PlotLegends → {"Analytic"}, PlotStyle → {Magenta}], %29]



 $sol1 = DSolve[{y''[x] + 3y'[x] + 2y[x] == 0, y[0] == 1, y'[0] == 1}, y[x], x][[1]][[1]];$ $sol2 = NDSolve[\{y ' '[x] + 3 \ y '[x] + 2 \ y[x] == 0, \ y[0] == 1, \ y '[0] == 1\}, \ y[x], \{x, \ 0, \ 10\}][[1]][[1]];$ sol3 = RSolve[$\{y[n+1](2+3h) + y[n] + y[n] + y[n-1](2-3h) = 0,$

$$y[0] == 1, y[1] - \frac{4(1-h)(1+h)-y[1](2+3h)}{2-3h} == 2h, y[n], n[[1]][[1]];$$

tab = Table[{h n, y[n] /. sol3}, {n, 0, 1000}]; $R2[t_] := tab /. h \rightarrow t;$

Show[{ $Plot[{y[x] /. sol1, y[x] /. sol2}, {x, 0, 10},$

PlotLegends → {"Analytic", "Numeric"}, PlotStyle → {Magenta, {Black, Dashed}}], ListPlot[$\{R2[0.3], R2[0.2], R2[0.1]\}$, PlotRange $\rightarrow \{0, 1.5\}$,

PlotLegends → {"0.3", "0.2", "0.1"}, Joined → True, PlotStyle → {Red, Green, Blue}]}]

