

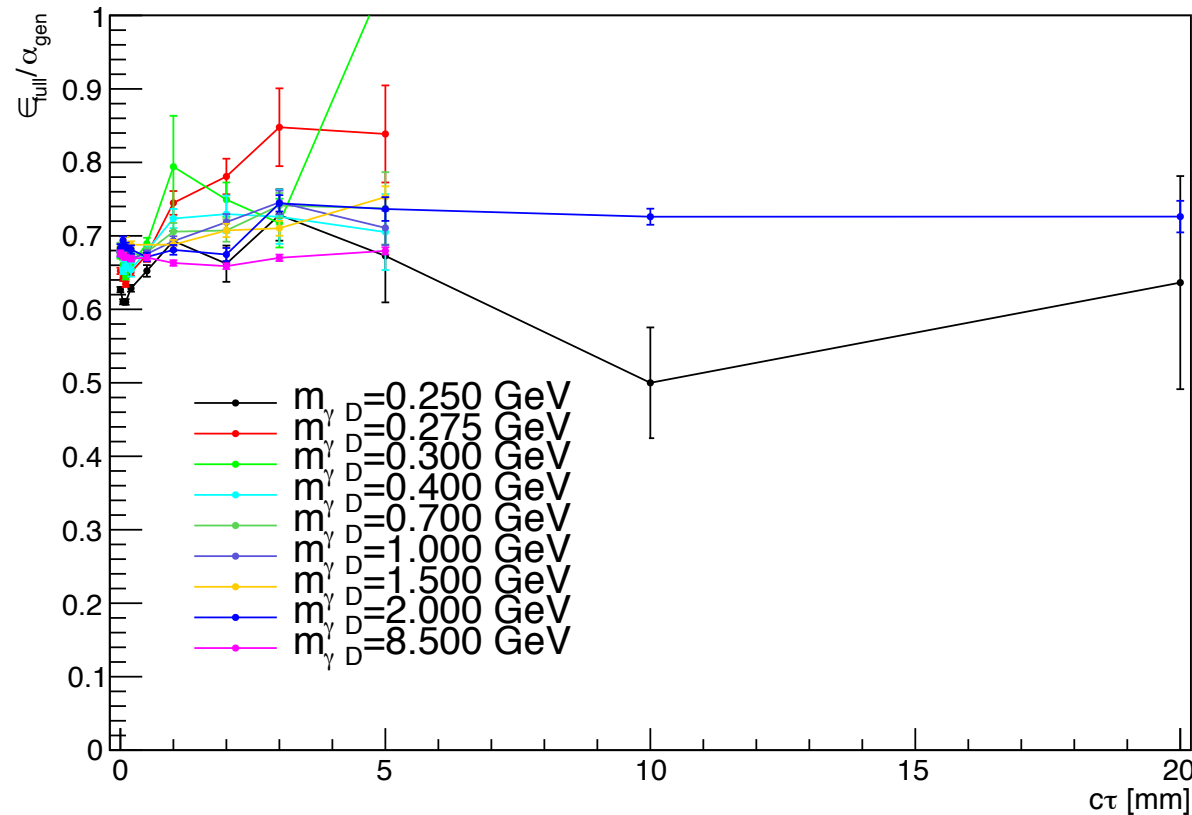
Mid-Week Status Update



Benjamin Michlin
Rice University

$$\epsilon_{\text{full}} / \alpha_{\text{gen}}$$

From last time:



Ratio of full analysis acceptance at reco level to gen level acceptance as a function of dark photon $c\tau$

Denominator:

- 4 GEN mu $p_T > 8$ ($|\eta| < 2.4$) && 1 GEN mu $p_T > 17$ ($|\eta| < 0.9$)
- Dark photon $L_{XY} < 4.4$ cm && $L_Z < 34.5$

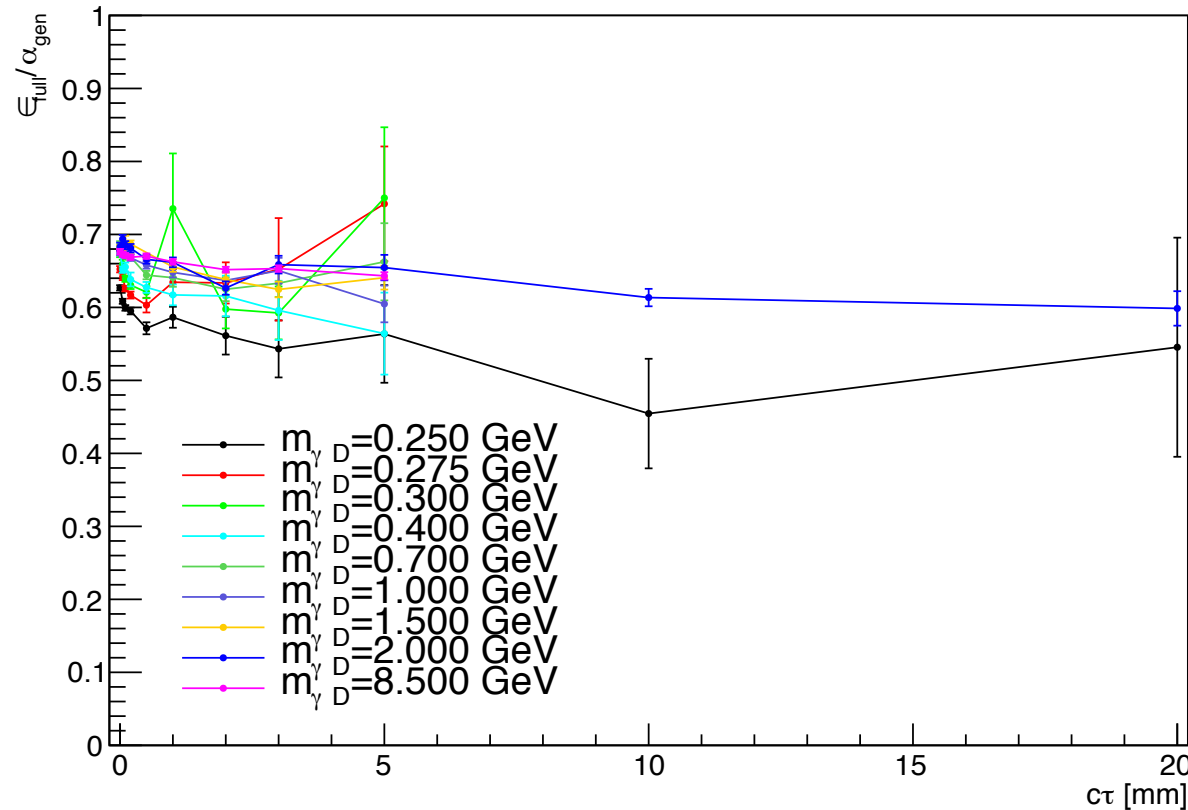
Numerator:

- 4 RECO mu $p_T > 8$ ($|\eta| < 2.4$) && 1 RECO mu $p_T > 17$ ($|\eta| < 0.9$)
- VtxOK, 2 Dimuons, 2DimVtxOK, 2DimDzOK, HitPixOK, 2DimMassOK, 2DimIsoOK, 2DimHLT

$\epsilon_{\text{full}} / \alpha_{\text{gen}}$ (fiducial cut in numerator)



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Separation of real and fake events



- ⌘ If an event passes the numerator (reconstruction) selection, but not the GEN fiducial cut (Dark photon $L_{XY} < 4.4$ cm && $L_Z < 34.5$) **and also has $L_{XY} > 5$** then the event is labeled as “fake”
 - ⌘ This should ensure a pure sample of fakes
- ⌘ If an event passes both the reconstruction selection and the fiducial cut, then the event is labeled as “real”
- ⌘ These fake events are the source of the rise in efficiency as cT increases
- ⌘ As fakes are eliminated via 2 (or 3) dimensional cuts, the ratio plot on slide 2 should approach the behavior of the ratio plot without errors on slide 3.

Efficiency vs Eta



Definition of efficiency



Events That Pass: RECO reqs & Fid. Cut & Elliptical Cut

Events That Pass: RECO reqs & Fid. Cut

∞ RECO reqs

∞ Numerator from slide 2

∞ 4 RECO mu $p_T > 8$ ($|\eta| < 2.4$) && 1 RECO mu $p_T > 17$ ($|\eta| < 0.9$)

∞ VtxOK, 2 Dimuons, 2DimVtxOK, 2DimDzOK, HitPixOK ,
2DimMassOK, 2DimIsoOK, 2DimHLT

∞ Fiducial Cut

∞ GEN level Dark photon $L_{XY} < 5 \text{ cm}$ && $L_Z < 34.5$

∞ See backup slides for the rational for 5 cm

∞ Elliptical Cut

$$\infty \frac{\eta_{\text{dim}}^2}{\eta_{\text{cut}}^2} + \frac{Lxy_{\text{dim}}^2}{Lxy_{\text{cut}}^2} \leq 1$$

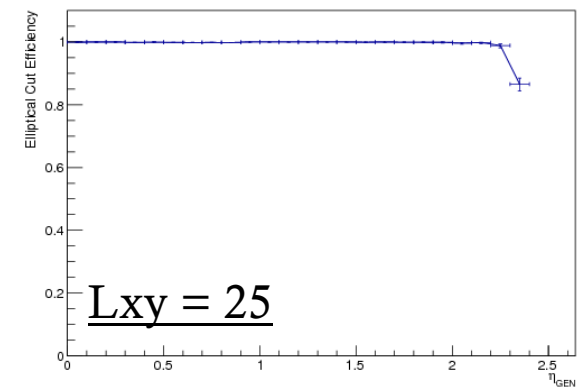
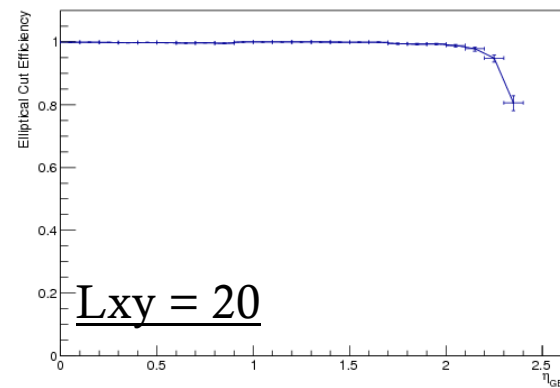
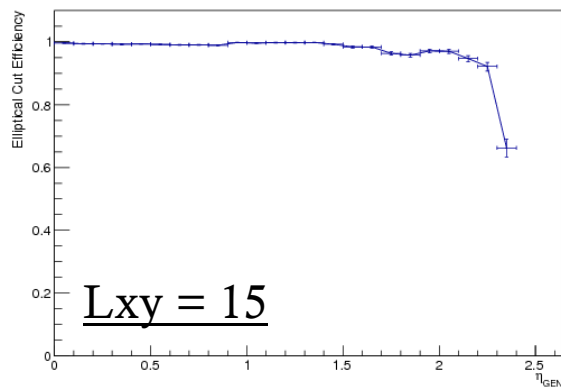
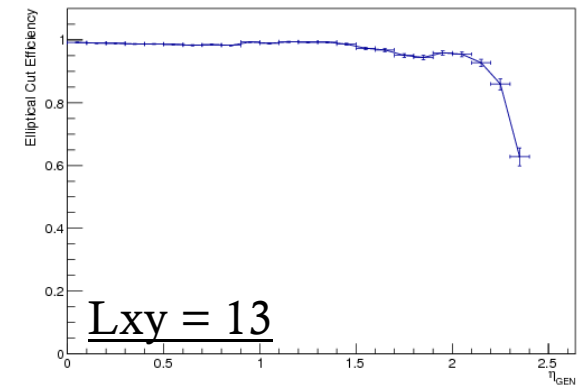
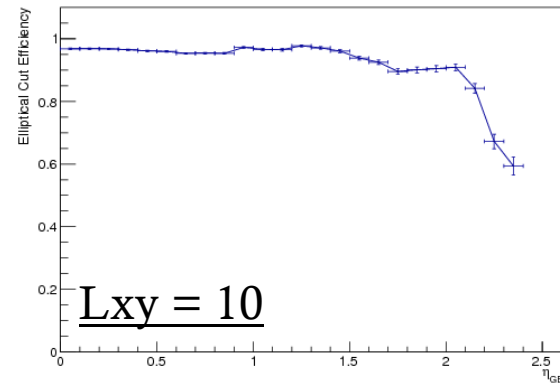
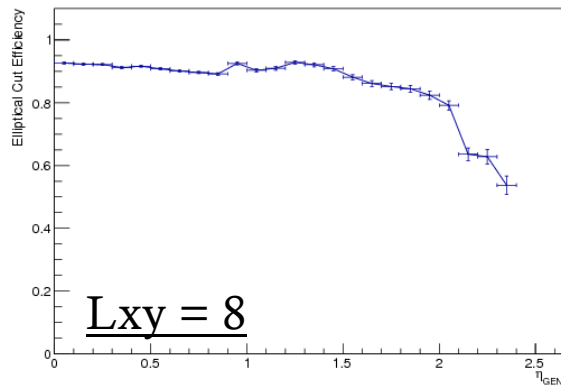
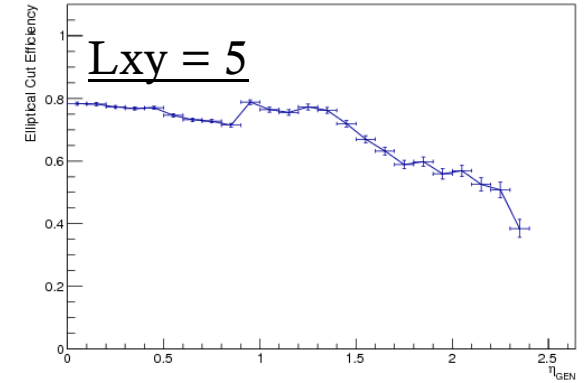
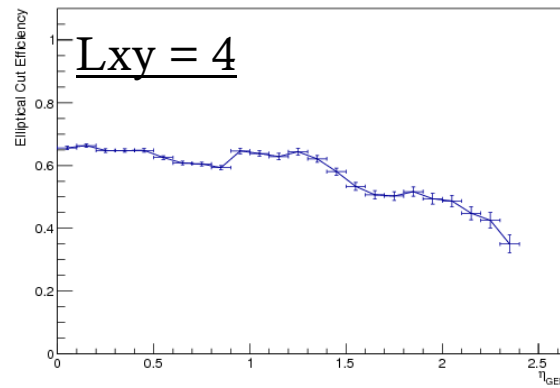
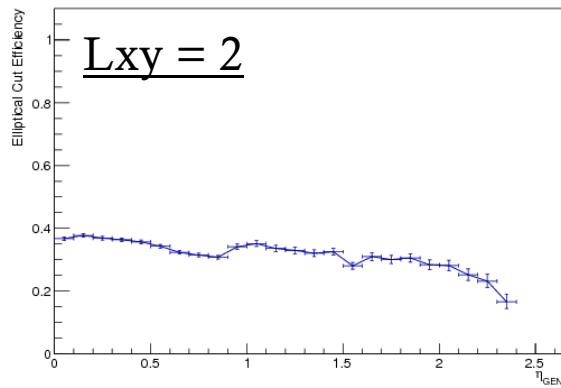
Definition of efficiency



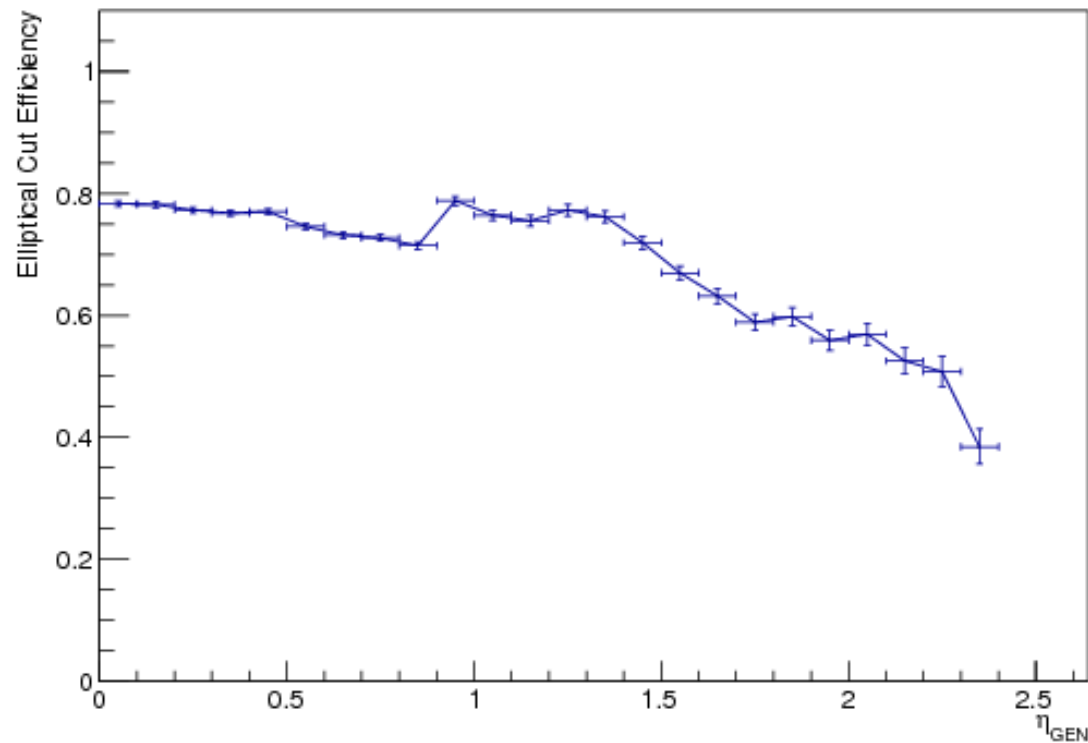
$$\frac{\# \text{ Events That Pass: RECO reqs \& Fid. Cut \& Elliptical Cut}}{\# \text{ Events That Pass: RECO reqs \& Fid. Cut}}$$

- ⌘ Ran with elliptical cut parameters of
 - ⌘ eta: 0-2.4 with step size of 0.1
 - ⌘ Lxy: 0-25 with step size of 1
- ⌘ All plots available at
 - ⌘ https://bmichlin.web.cern.ch/bmichlin/DarkSUSY/FakeDimuonInvestigation/January_26_2016/Efficiency/
- ⌘ Select plots shown on following slides

0.25 GeV, $\eta=2.4$



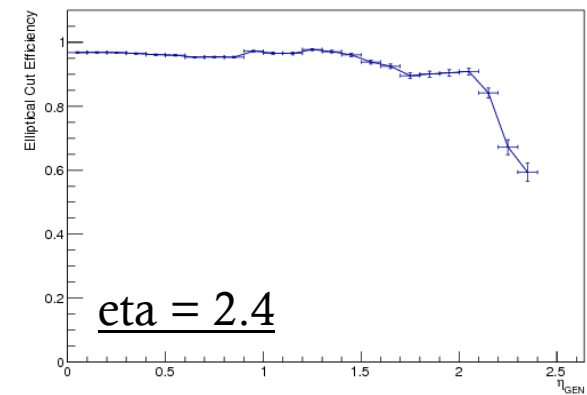
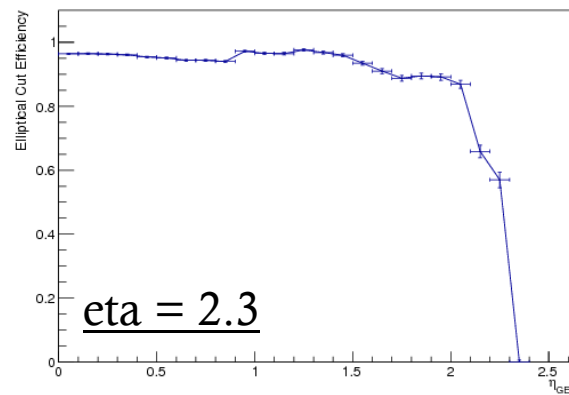
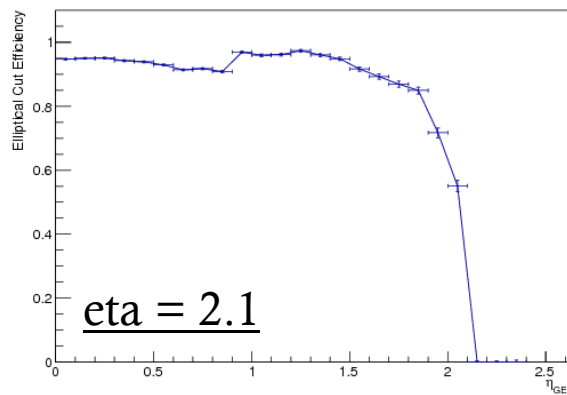
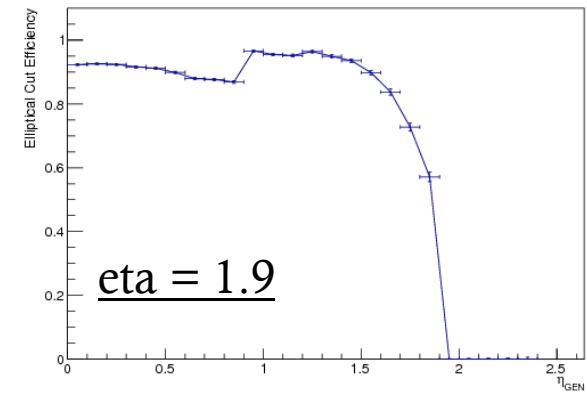
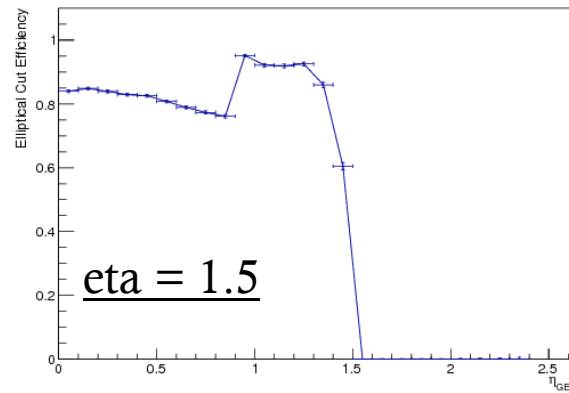
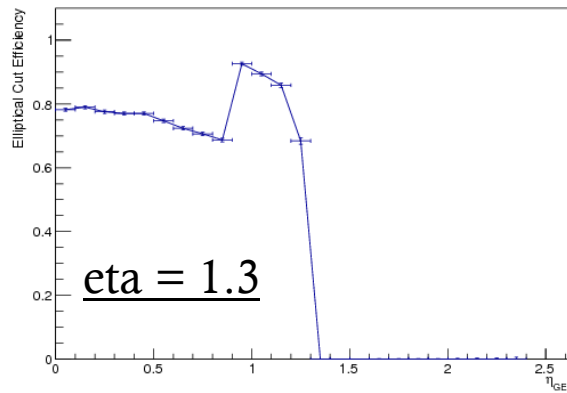
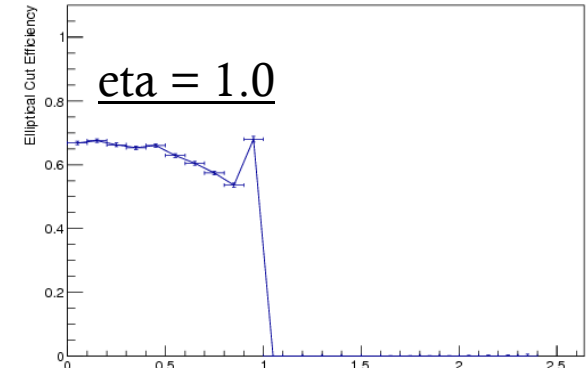
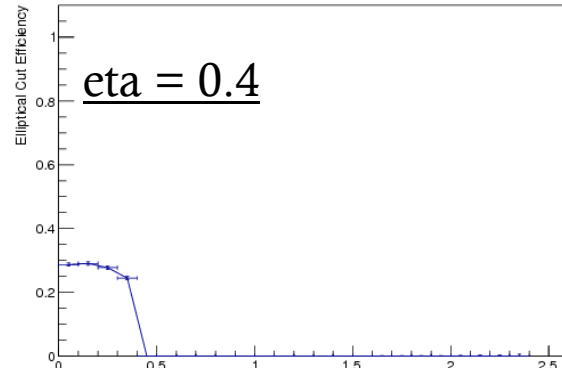
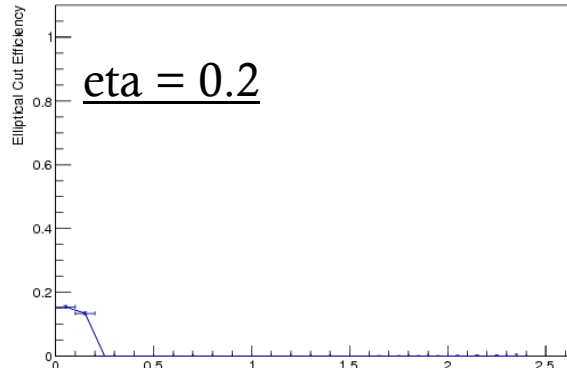
0.25 GeV, $\eta=2.4$, $L_{xy} = 5$



∞ Eta Regions

- ∞ Barrel ≤ 0.9
- ∞ $0.9 \leq \text{Overlap} \leq 1.2$
- ∞ Forward ≥ 1.2
- ∞ ME1/1 $\geq \sim 1.5$

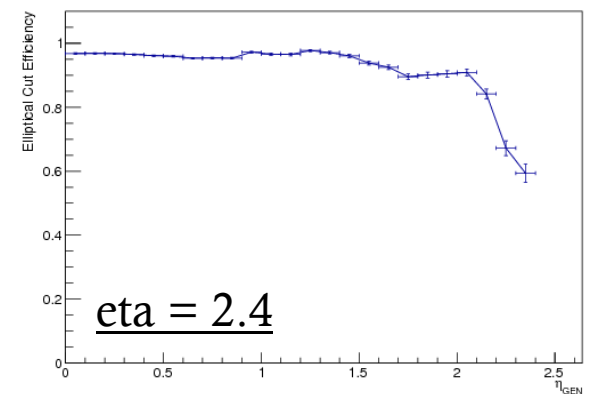
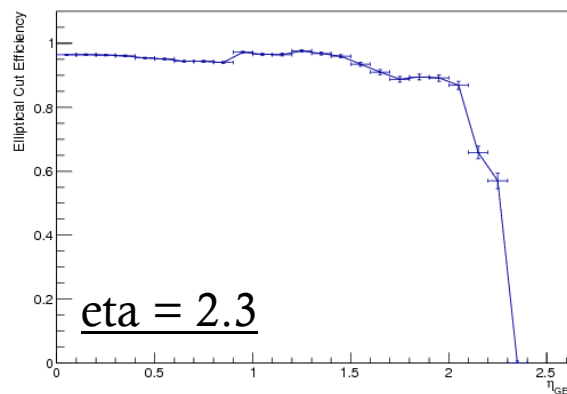
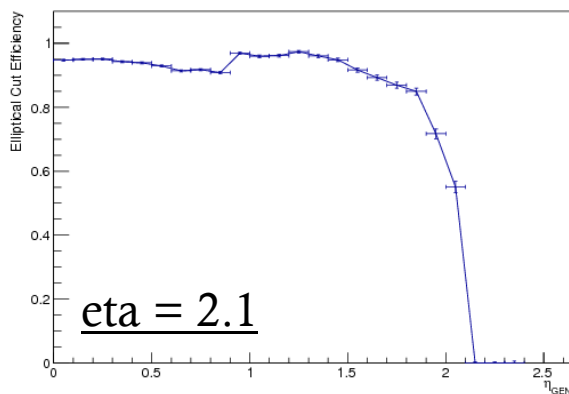
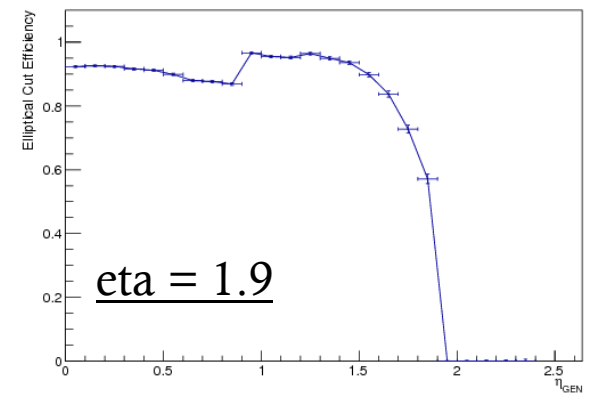
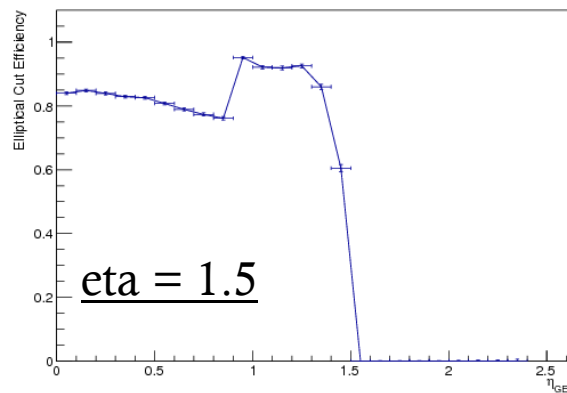
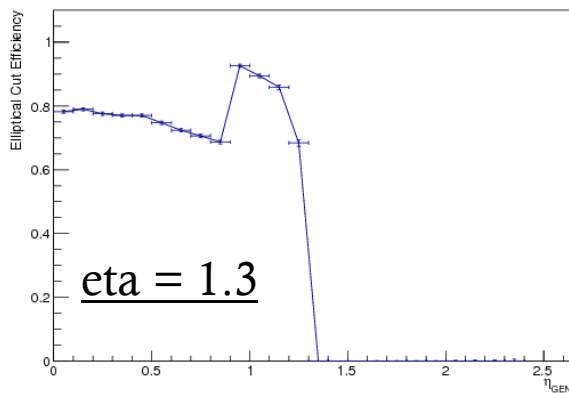
0.25 GeV, $L_{xy} = 10$



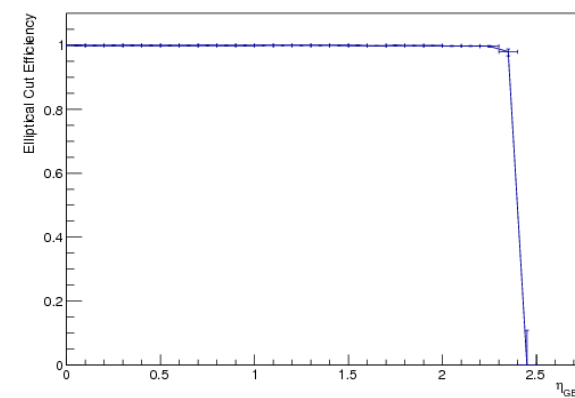
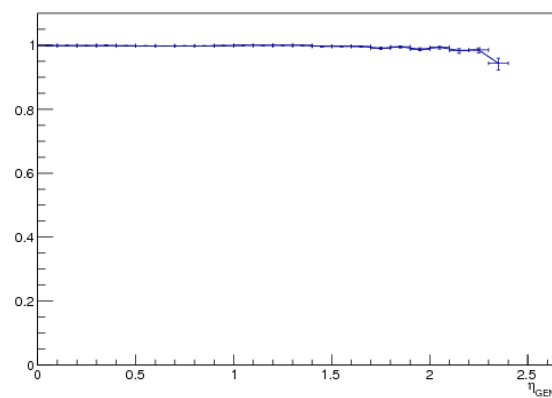
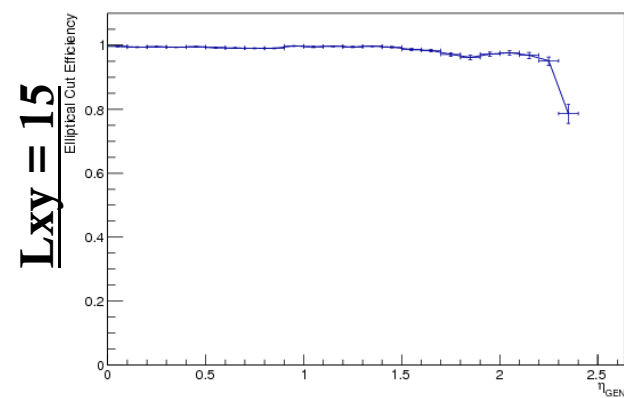
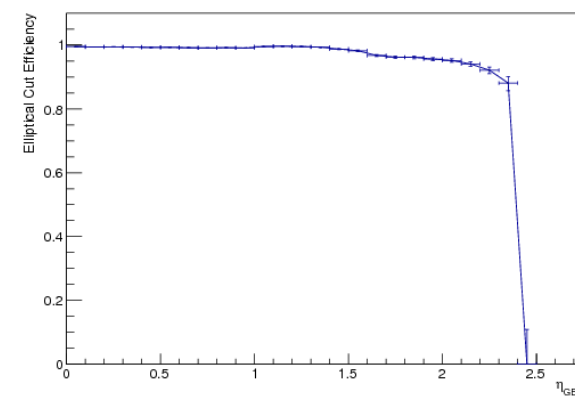
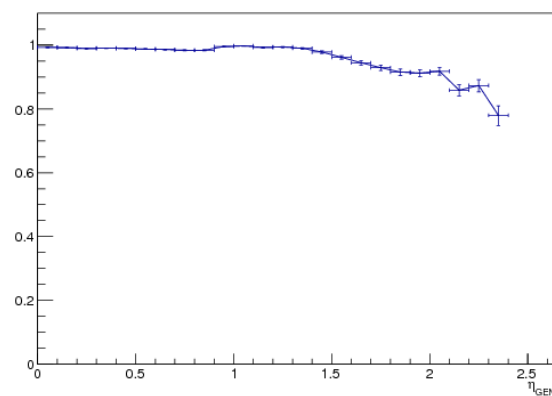
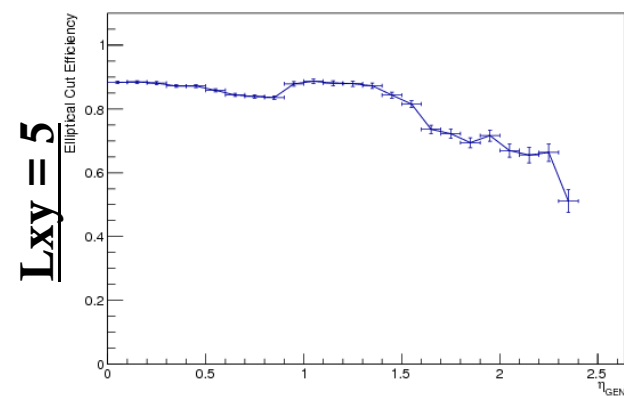
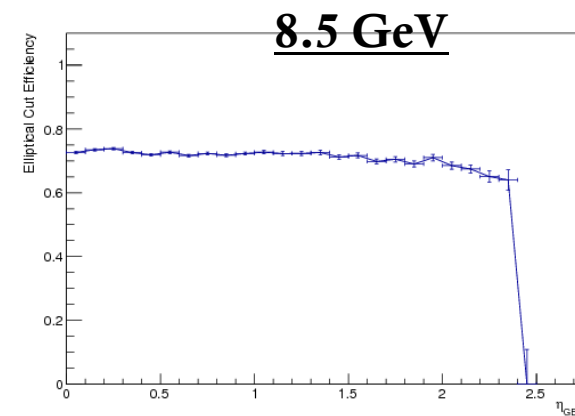
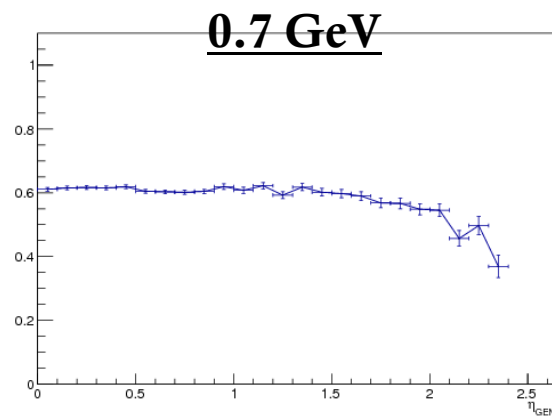
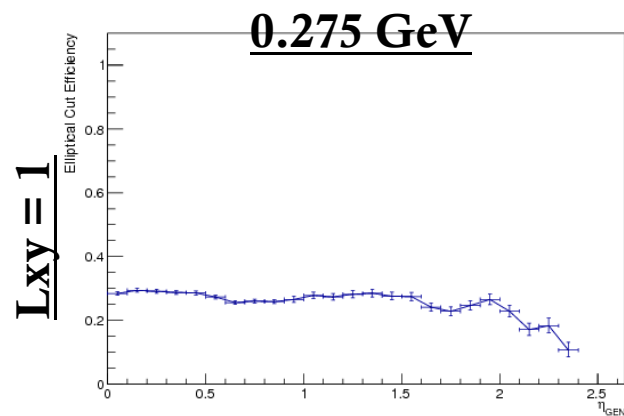
0.25 GeV, $L_{xy} = 10$



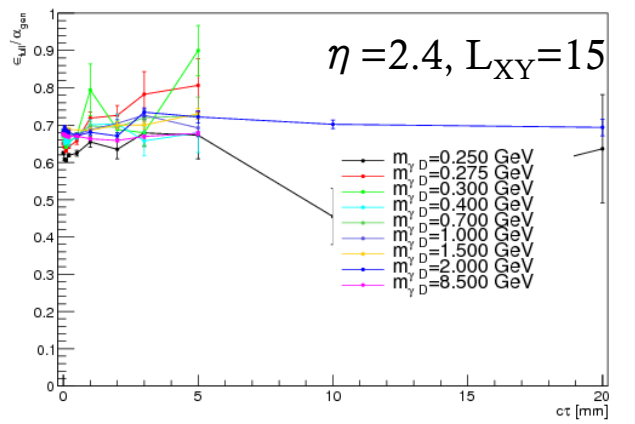
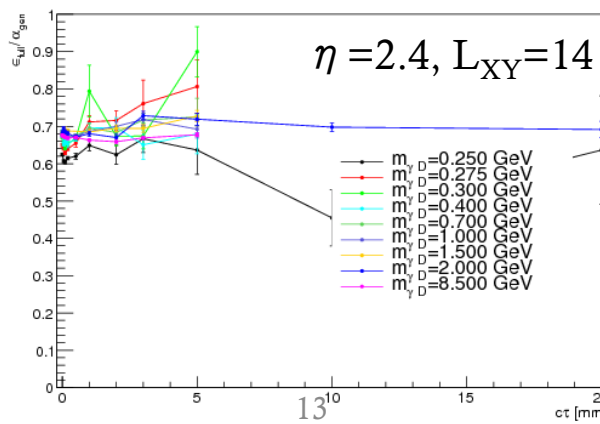
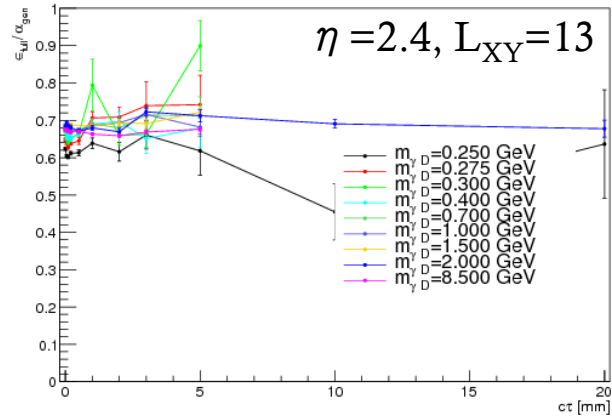
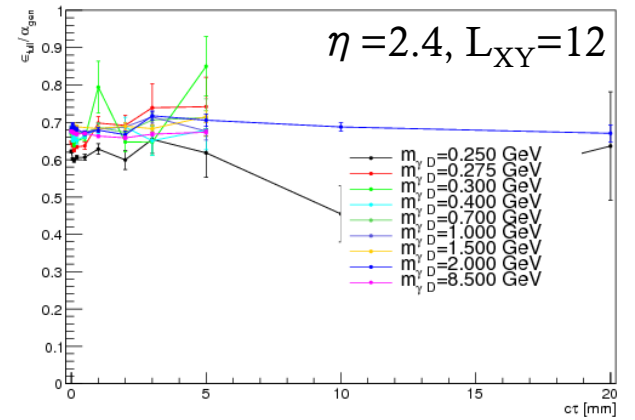
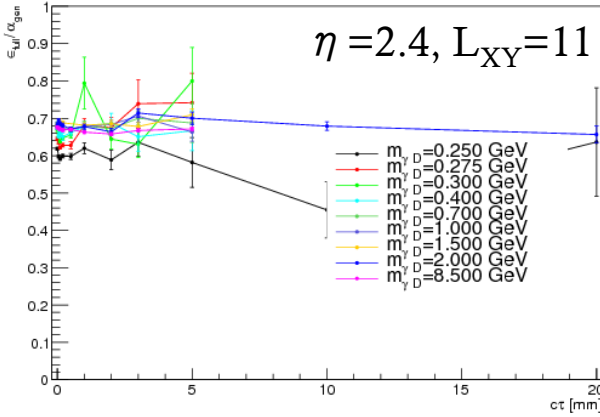
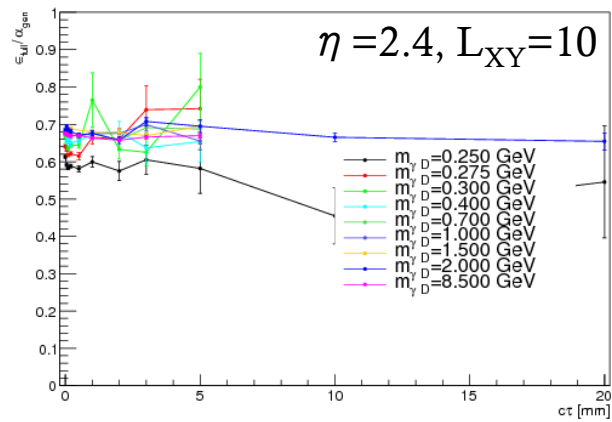
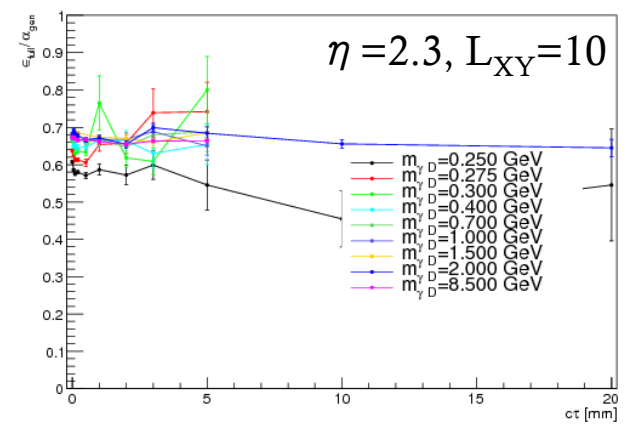
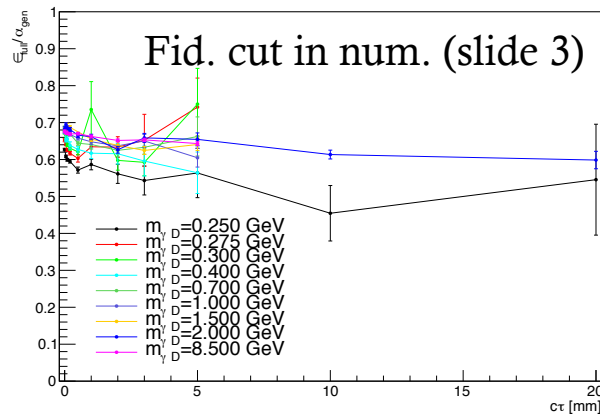
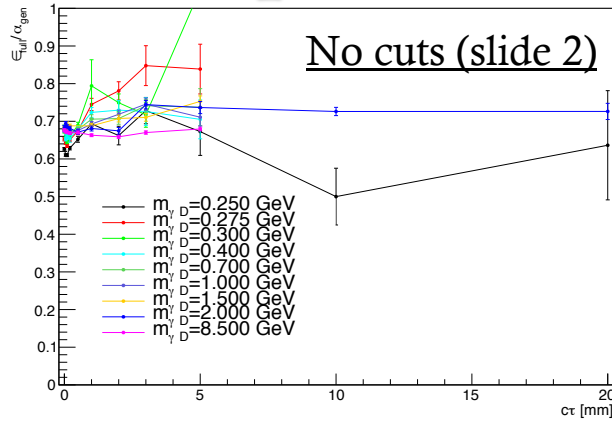
- ⌘ A large increase in efficiency begins at the overlap region that only begins to flatten at large eta
- ⌘ Decrease in efficiency in endcap even for large eta
 - ⌘ TODO: This could be due to edge affects of the ellipse. Might flatten for larger eta



Comparison to other masses ($\eta = 2.4$)



Ratio plots



Thoughts



- ⌘ How can the efficiency, as it is currently defined, on its own determine the parameters of the elliptical cut?
- ⌘ If our only requirement is that the efficiency is flat and high, then the larger the ellipse parameters the better.
 - ⌘ ie: an ellipse that encompasses every point (reals and fakes)
 - ⌘ Am I misunderstanding something?
- ⌘ Maybe we can compare the current efficiency (which is really the efficiency of the cut on the signal) to a *background* efficiency and then minimize their ratio...
- ⌘ Background efficiency:

$$\frac{\# \text{ Events That Pass RECO reqs \& FAIL: Fid. Cut \& Elliptical Cut}}{\# \text{ Events That Pass RECO reqs \& FAIL Fid. Cut}}$$

Thoughts



Signal Efficiency:

Events That Pass: RECO reqs & Fid. Cut & Elliptical Cut

Events That Pass: RECO reqs & Fid. Cut

Background Efficiency:

Events That Pass RECO reqs & FAIL: Fid. Cut & Elliptical Cut

Events That Pass RECO reqs & FAIL Fid. Cut

- ∞ For very large η and L_{xy} , the signal efficiency goes to 1 (all events accepted by elliptical cut), and the background efficiency goes to 0
- ∞ For very small η and L_{xy} , the background efficiency goes to 1 (all events {here, only the fakes because of denominator requirements} rejected), signal efficiency goes to 0
- ∞ Extrema of the ratio of the efficiencies may provide optimal cut

Backup



Location of pixels

